

# (Array)

## Problem-1

Given an integer array `nums` of length `n`, you want to create an array `ans` of length `2n` where `ans[i] == nums[i]` and `ans[i + n] == nums[i]` for  $0 \leq i < n$  (**0-indexed**).

Specifically, `ans` is the **concatenation** of two `nums` arrays.

Return *the array* `ans`.

### Example 1:

**Input:** `nums = [1,2,1]`

**Output:** `[1,2,1,1,2,1]`

**Explanation:** The array `ans` is formed as follows:

- `ans = [nums[0],nums[1],nums[2],nums[0],nums[1],nums[2]]`
- `ans = [1,2,1,1,2,1]`

### Example 2:

**Input:** `nums = [1,3,2,1]`

**Output:** `[1,3,2,1,1,3,2,1]`

**Explanation:** The array `ans` is formed as follows:

- `ans = [nums[0],nums[1],nums[2],nums[3],nums[0],nums[1],nums[2],nums[3]]`
- `ans = [1,3,2,1,1,3,2,1]`

### Constraints:

- `n == nums.length`
- `1 <= n <= 1000`
- `1 <= nums[i] <= 1000`

## Problem-2

Given a **zero-based permutation** `nums` (**0-indexed**), build an array `ans` of the **same length** where `ans[i] = nums[nums[i]]` for each `0 <= i < nums.length` and return it.

A **zero-based permutation** `nums` is an array of **distinct** integers from `0` to `nums.length - 1` (**inclusive**).

### Example 1:

**Input:** `nums = [0,2,1,5,3,4]`

**Output:** `[0,1,2,4,5,3]`

**Explanation:** The array `ans` is built as follows:

```
ans = [nums[nums[0]], nums[nums[1]], nums[nums[2]], nums[nums[3]], nums[nums[4]],
nums[nums[5]]]

    = [nums[0], nums[2], nums[1], nums[5], nums[3], nums[4]]

    = [0,1,2,4,5,3]
```

### Example 2:

**Input:** `nums = [5,0,1,2,3,4]`

**Output:** `[4,5,0,1,2,3]`

**Explanation:** The array `ans` is built as follows:

```
ans = [nums[nums[0]], nums[nums[1]], nums[nums[2]], nums[nums[3]], nums[nums[4]],
nums[nums[5]]]

    = [nums[5], nums[0], nums[1], nums[2], nums[3], nums[4]]

    = [4,5,0,1,2,3]
```

### Constraints:

- `1 <= nums.length <= 1000`
- `0 <= nums[i] < nums.length`
- The elements in `nums` are **distinct**.

## Problem-3

Given an array `nums`. We define a running sum of an array as `runningSum[i] = sum(nums[0]...nums[i])`.

Return the running sum of `nums`.

### Example 1:

**Input:** `nums = [1,2,3,4]`

**Output:** `[1,3,6,10]`

**Explanation:** Running sum is obtained as follows: `[1, 1+2, 1+2+3, 1+2+3+4]`.

### Example 2:

**Input:** `nums = [1,1,1,1,1]`

**Output:** `[1,2,3,4,5]`

**Explanation:** Running sum is obtained as follows: `[1, 1+1, 1+1+1, 1+1+1+1, 1+1+1+1+1]`.

### Example 3:

**Input:** `nums = [3,1,2,10,1]`

**Output:** `[3,4,6,16,17]`

### Constraints:

- `1 <= nums.length <= 1000`
- `-10^6 <= nums[i] <= 10^6`

## Problem-4

Given the array `nums` consisting of `2n` elements in the form  $[x_1, x_2, \dots, x_n, y_1, y_2, \dots, y_n]$ .

Return the array in the form  $[x_1, y_1, x_2, y_2, \dots, x_n, y_n]$ .

### Example 1:

**Input:** `nums = [2,5,1,3,4,7]`, `n = 3`

**Output:** `[2,3,5,4,1,7]`

**Explanation:** Since  $x_1=2$ ,  $x_2=5$ ,  $x_3=1$ ,  $y_1=3$ ,  $y_2=4$ ,  $y_3=7$  then the answer is `[2,3,5,4,1,7]`.

### Example 2:

**Input:** `nums = [1,2,3,4,4,3,2,1]`, `n = 4`

**Output:** `[1,4,2,3,3,2,4,1]`

### Example 3:

**Input:** `nums = [1,1,2,2]`, `n = 2`

**Output:** `[1,2,1,2]`

### Constraints:

- `1 <= n <= 500`
- `nums.length == 2n`
- `1 <= nums[i] <= 10^3`

## Problem-5

There is a programming language with only **four** operations and **one** variable `x`:

- `++x` and `x++` **increments** the value of the variable `x` by 1.
- `--x` and `x--` **decrements** the value of the variable `x` by 1.

Initially, the value of `x` is 0.

Given an array of strings `operations` containing a list of operations, return *the **final** value of `x` after performing all the operations.*

### Example 1:

**Input:** `operations = ["--X", "X++", "X++"]`

**Output:** 1

**Explanation:** The operations are performed as follows:

Initially,  $X = 0$ .

--X: X is decremented by 1,  $X = 0 - 1 = -1$ .

X++: X is incremented by 1,  $X = -1 + 1 = 0$ .

X++: X is incremented by 1,  $X = 0 + 1 = 1$ .

### Example 2:

**Input:** `operations = ["++X", "++X", "X++"]`

**Output:** 3

**Explanation:** The operations are performed as follows:

Initially,  $X = 0$ .

++X: X is incremented by 1,  $X = 0 + 1 = 1$ .

++X: X is incremented by 1,  $X = 1 + 1 = 2$ .

X++: X is incremented by 1,  $X = 2 + 1 = 3$ .

### Example 3:

**Input:** `operations = ["X++", "++X", "--X", "X--"]`

**Output:** 0

**Explanation:** The operations are performed as follows:

Initially,  $X = 0$ .

$X++$ :  $X$  is incremented by 1,  $X = 0 + 1 = 1$ .

$++X$ :  $X$  is incremented by 1,  $X = 1 + 1 = 2$ .

$--X$ :  $X$  is decremented by 1,  $X = 2 - 1 = 1$ .

$X--$ :  $X$  is decremented by 1,  $X = 1 - 1 = 0$ .

### Constraints:

- $1 \leq \text{operations.length} \leq 100$
- `operations[i]` will be either `"++X"`, `"X++"`, `"--X"`, or `"X--"`.