Introduction to Machine Learning

Lecture 2: Classification

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Classification in Machine Learning

This lecture is about classification in Machine learning.

Reminder: In classification, the output *y* is **categorical**.

Examples:

- ▶ Mail classification: y = spam or y = not spam
- ▶ Object recognition: y = apple, y = car, . . .

Classification in Machine Learning: Applications

Domains of application:

- Medicine
- Image/video classification
- Face recognition/identification
- Spam filtering
- Fraud detection
- Click prediction
- Product recommendation
- Robotics
- Language processing
- Web search
- ...and many others

Support Vector Machines, Decision Trees

In this course, we will see

- Support Vector Machines (SVMs)
- Decision Trees (DTs) / Boosting

Why? Because the concepts behind these classifiers are quite intuitive.

Support Vector Machines

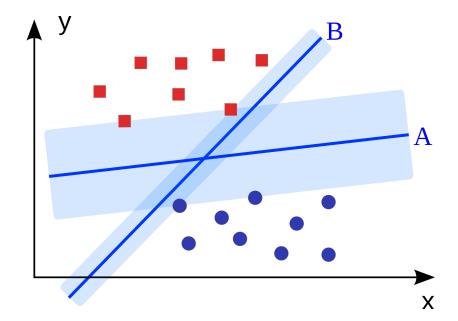
Support Vector Machines: History and intuition

A few historical facts about SVMs:

- ► First introduced by **Cortes and Vapnik** in 1995 from AT&T Bell labs (paper called Support-Vector Networks)
- Quickly became state of the art in many areas
- Received a lot of attention since then
- Still a widely used classifier

Intuitive idea behind SVMs: Find the linear separator with the widest margin.

SVM: Widest margin



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Among all the possible separators, SVM chooses the one **with the widest margin**.

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Why? Intuitively, a wide margin leads to a good **generalization of** the classifier on new points.

So far, the SVM we have seen is a *linear classifier*: It aims at finding a linear separation between the 2 classes. What if they are **not linearly separable**?

Example: See example on the board

What to do in this case?

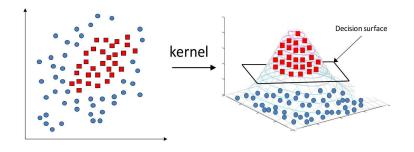
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Example: See example on the board

What to do in this case? The kernel trick is an option.

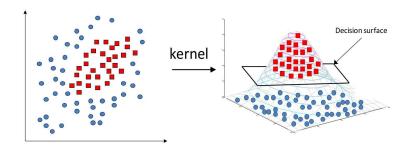
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Note: Adding a kernel leads to extra parameters.

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- little to no violation of the margin

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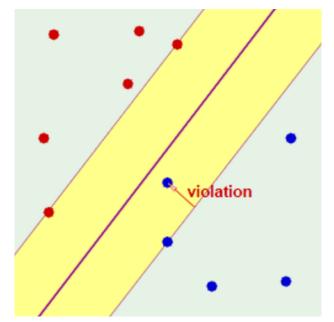
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but in practice, it is almost not possible, for example because:

- The data may not be linearly separable (even after the kernel trick)
- There is noise in the data



SVM: Recap

SVM consists in:

- Finding the widest separator
- Using kernels if the data is not linearly separable
- Using soft margin

It has parameters that need to be tuned:

- ► Soft margin trade-off: C
- Kernel parameter:
 - Degree d for polynomial kernels
 - ▶ The standard deviation σ for RBF kernels

SVM

Interactive demonstration (c) Andrej Karpathy

SVM for multiclass classification

What we have seen so far works for *binary classification* (2 classes). What if we have **3 classes or more**?

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Several possible extensions. Some of the most popular ones:

- One against one classification
- One against all classification

Note: These strategies apply to any binary classifier.

One against one classification

Idea:

- Compute a classifier for all pairs of classes.
- Apply all these classifiers to the new point. Store the predicted classes.
- Majority vote: Return the class with the highest number of votes

One against all classification

Note: It is also called *one against rest classification*.

Idea: For each class, split the set of classes into two meta classes

- The considered class
- ▶ The union of all the other classes

and compute a classifier for all these possibilities. Apply all these classifiers to a (new) given point.

Final decision: More complicated than for one-versus-one

Decision Trees

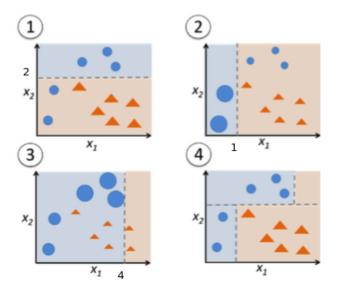
Decision Trees / Boosting

Note: DTs and Boosting are different algorithms, but they share some common ideas.

Idea: Combining weak classifiers to get a more robust classifier.

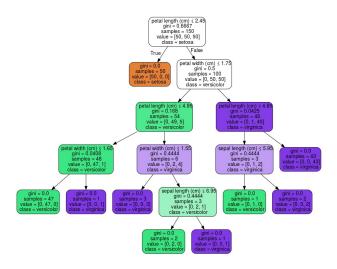
How? By applying these *weak* classifier successively.

DTs/Boosting: Toy example



(step 4 is optional). Try to guess the resulting tree.

DTs: visualization with sklearn



Decision Trees

Interactive demonstration (c) Andrej Karpathy

DTs/boosting recap

Goal: Build a tree of simple classifier to obtain a more sophisticated classifier.

There are **several parameters** that have to be set:

- ► The number of trees
- ► The maximum depth of the trees
- The number of decision per node

Conclusion

We've seen two popular classifiers:

- Support Vector Machines
- Decision Trees

A few remarks before we finish:

- ► These classifiers (and others as well) rely on a few parameters that have a huge impact on the quality of the resulting classifier. Example: soft-margin parameter for SVMs, number of trees for DTs.
- Parameters others than accuracy have to be taken into account when choosing the parameters. Example: More tree may lead to a better classifier but it involves more computation also. A proper trade-off has to be found depending on the application.

Thank you! Questions?