Introduction to Machine Learning

Lecture 6: Conclusion

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Outline

This lecture includes:

- A model selection lab
- A few aspects of machine learning we have not mentioned
 - ► Feature engineering
 - Dimensionality reduction
- ► Feedback and final Q&A

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- ▶ There are too many features
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Hence, there is a need to pre-process the data.

In case there are too many samples, a simple solution is to apply subsampling, e.g. just take into account 10% of the samples.

- ▶ Recall the mini-batch *k*-means
- Be careful with the class balance
 - ▶ Imbalanced classes: subsample the majority class
 - ► Little to no imbalance: **Stratified sampling**

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It is also important to use common sense and expert knowledge when possible:

- Some variables might be intuitively meaningless to solve the ML problem
- ▶ ML often aims at mimicking/automatic a human logic

Dimensionality reduction with PCA

 $\mathsf{PCA} = \mathsf{Principal} \ \mathsf{Component} \ \mathsf{Analysis}$

Dimensionality reduction with PCA

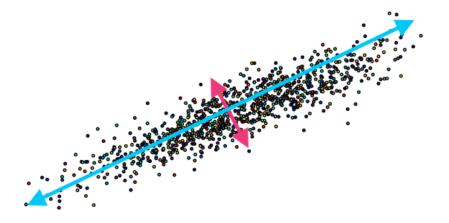
$$\label{eq:PCA} \begin{split} \mathsf{PCA} &= \mathsf{Principal} \ \mathsf{Component} \ \mathsf{Analysis} \\ \mathsf{Rough} \ \mathsf{idea} \colon \end{split}$$

- Find high variance axes
- ▶ Select the *k* axes with the highest variances
- Project the data on these axes

Dimensionality reduction with PCA

PCA = Principal Component Analysis Rough idea:

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Feature engineering is often **data-dependent**: You won't use the same features from text data and from images or videos.

Feature engineering in text analysis

There are several challenges when dealing with text data:

- ▶ Mining text can lead to a huge amount of data to process
- Not all the data is relevant
- Texts can be of different size
- **.** . . .

Feature engineering in text analysis

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- Texts can be of different size
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Hence, there is a **need to preprocess** it before giving it to any ML algorithm.

Given terms $t \in T$ and documents $d \in D$, we can define:

 $\mathsf{TF}(t,d) = \mathsf{Frequency}$ of term t in the document d

$$\mathsf{IDF}(t,D) = \mathsf{log}\left(\frac{|D|}{|\{d \in D, t \in d\}|}\right)$$

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Document 1

Term	Term Count
this	1
is	1
a	2
sample	1

Document 2

Term	Term Count
this	1
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another	2
example	3

Exercice: Cf. Board

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Exercice: Cf. Board Note: We can go further, e.g. with n-grams.

Feature analysis in image processing

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- Rotation
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- Affine transformation
- ► (Affine) intensity change

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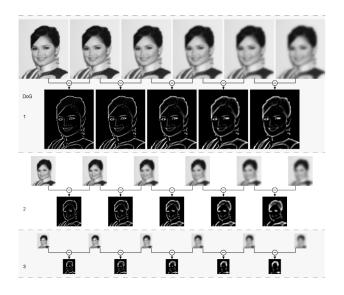
SIFT is patented and cannot be used in all situations: There exist alternatives based on the same idea such as SURF (Speeded-Up Robust Features)

SIFT algorithm

Key steps:

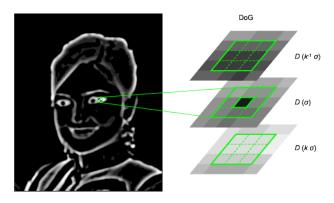
- ▶ Detect extrema at different scale by difference of gaussians
- Detect interest points in the image
- Assign orientations to create SIFT features

SIFT: Difference of Gaussians (DoG)



SIFT: Extrema detection

Interest points are among the local extrema in the $3\times3\times3$ neighborhood:



SIFT: Extrema detection

Post-processing:

- ► Remove low-contrast points
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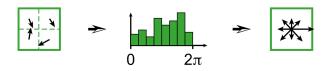
Before/after:



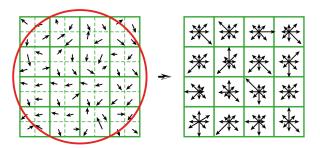


SIFT: Orientation assignment

For each interest point, compute the orientation histogram:



Do it for a neighborhood of the interest point:



SIFT applications

SIFT has other applications, such as aligning images, creating panoramas, video tracking, . . .

SIFT applications

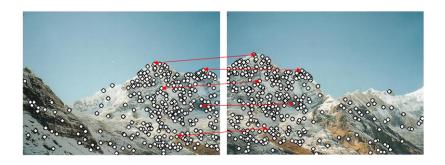
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YouTube video example

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SIFT illustration: Panorama







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There are plenty of libraries and examples available online... Don't hesitate to play with it!

Thank you! Questions?
Any feedback?