

Midterm #1 Results for Khuong Huynh

Score for this quiz: **15.67** out of 26

Submitted Jun 28 at 7:58pm

This attempt took 75 minutes.

Question 1

0 / 2 pts

Given the data $X = (X_1, X_2, X_3, \dots, X_n)$, where each X_i is a byte and n is the total number of bytes, and a hash function defined as:

$$\begin{aligned} h(X) &= (2n \cdot X_1 + n \cdot X_2 + 2n \cdot X_3 + n \cdot X_4 + \dots + 2n \cdot X_{n-1} + n \cdot X_n) \bmod 256 \quad [\text{if } n \text{ is even}] \\ h(X) &= (2n \cdot X_1 + n \cdot X_2 + 2n \cdot X_3 + n \cdot X_4 + \dots + n \cdot X_{n-1} + 2n \cdot X_n) \bmod 256 \quad [\text{if } n \text{ is odd}] \end{aligned}$$

Please, propose an example of collision adding the necessary proof.

Your Answer:

$$h(4) \cdot 2 = 8$$

$$h(2, 2)$$

$$0, 2 = 2(0 \cdot 2) + 2(2 \cdot 2) = 0 + 8 = 8$$

$h(2, 2)$ is not 8 but 12 $h(0, 2)$ is 4

Question 2

2 / 2 pts

In the context of Diffie-Hellman key exchange algorithm, using the values:

$$p=23, g=12$$

$$\text{and: } a=4, b=2$$

Show how Alice and Bob are able to exchange the same key. Show all the necessary steps.

Your Answer:

Alice send $g^a \bmod P$ to Bob and Bob received and send $g^b \bmod P$ back to Alice.

Then Alice computes $[g^a \bmod p]^b = g^{ab} \bmod p$

Bob computes the same $[g^b \bmod p]^a = g^{ab} \bmod p$

Shared key:

$$g^{ab} \bmod P = 12^{(4*2)} \bmod 23 = 12^{(2*4)} \bmod 23$$

$$= 429,981,696 \bmod 23 = 8$$

Question 3

0 / 1 pts

Given the Diffie-Hellman scheme from the previous question, show how Trudy can perform a Man-in-the-Middle attack by using the private value $t = 5$.

Note that the two values are sent in plaintext.

Your Answer:

Trudy knows g^a , g^b , g^t

She will elevated to g^{at} with Alice and g^{bt} with Bob then computes, $g^{(a*b*t)}$

$$12^{(4*2*5)} \bmod 23 = 16$$

Question 4

3 / 4 pts

These set of questions deals with the A5/1 cipher. Justify your answers to get full credits.

- A. On average, how often does the Z register step?
- B. On average, how often do all three registers step?
- C. On average, how often do at least two registers step?
- D. On average, how often does exactly one register step?

Your Answer:

A. Each register based on maj (X8, Y10,Z10).

There are 6/8 register often shift = 0.75

3	0	0	0	0
2	0	0	1	0
2	0	1	0	0
2	0	1	1	1
2	1	0	0	0
2	1	0	1	1
2	1	1	0	1
3	1	1	1	1

- B. All 3 registers shift 2/8
- C. 2 registers shift 6/8
- D. Zero.

Question 5

3 / 3 pts

Suppose that Bob receives Alice's digital certificate from someone claiming to be Alice.

- A. Before Bob verifies the signature on the certificate, what does he know about the identity of the sender of the certificate?
- B. How can Bob recognize that the following certificate is not to be trusted:

$$(M, [M]_{Trudy}), \text{ where } M = (Alice, Trudy's \text{ Public Key})$$
- C. After Bob verifies the signature on the certificate, what does he know about the identity of the sender of the certificate?

Your Answer:

A.

Bob knows nothing about the sender. Because it is public, and anyone can access the certificate.

B.

To verify the signature on Certificate. Bob needs to use Certificate Authority public key. Bob can verify if the signature belongs to Alice or not. Signature is used private key so no one could access to it. Bob need to receive CA by asking Alice.

C.

Nothing. Even the CA verified doesn't means it's Alice because the CA is public anyone can access it.

Question 6

0 / 2 pts

Trudy wants to share the same key with both Alice and Bob using Diffie-Hellman. Thus, she tries to attack their key-exchange protocol in this way:

She changes $(g^a \bmod p)$ with $(g^{ap} \bmod p)$ and sends it to Bob

She changes $(g^b \bmod p)$ with $(g^p \bmod p)$ and sends it to Alice

What will she able to achieve in this case?

Remember: 'a' is Alice's private value and 'b' is Bob's private value.

☐ Trudy can only share a key with Bob

☐ Trudy can only share a key with Alice

☒ Trudy cannot share any key with Alice and Bob

☐ Trudy can share a key with both Alice and Bob

Correct Answer

You Answered

Question 7

0 / 2 pts

Given the following Diffie-Hellman scheme, which of the sentences below is/are correct?

Select all that apply.

Alice to Bob - "I'm Alice", $g^a \bmod p$

Bob to Alice - $\{[g^b \bmod p]_{\text{Bob}}\}_{\text{Alice}}$

[...] is encryption with specified PRIVATE key.

{...} is encryption with specified PUBLIC key.

☒ Alice generates the key $g^{ab} \bmod p$

☐ Trudy can share g^{at} with Bob

Correct!

☐ Bob generates the key $g^t \bmod p$

☐ Trudy can share $g^{bt} \bmod p$ with Alice

Correct Answer

☐ Trudy cannot share any key

Not Answered

☒ Trudy can share $g^{at} \bmod p$ with Alice

Not Answered

☒ Trudy can share $g^{bt} \bmod p$ with Bob

Question 8

0 / 2 pts

Given the following Diffie-Hellman scheme, which of the sentences below is/are correct?

Select all that apply.

Alice to Bob - ["I'm Alice"]_{Alice}, $g^a \bmod p$

Bob to Alice - $[g^b \bmod p]_{\text{Bob}}$

[...] is encryption with specified PRIVATE key.

{...} is encryption with specified PUBLIC key.

Correct Answer

☐ Trudy can share $g^{bt} \bmod p$ with Bob

☐ Trudy can share $g^{at} \bmod p$ with Bob

☐ Trudy can share $g^{at} \bmod p$ with Alice

☐ Trudy can share $g^{bt} \bmod p$ with Alice

Not Answered

☒ Trudy cannot share any key

Question 9**1 / 1 pts**

In the context of the DES cipher, what is the output of the "S-box" showed below if the bits in input are:

001001

```

      | 0000 0001 0010 0011 0100 0101 0110 0111 1000 1001 1010 1011 1100 1101 1110 1111
-----
00 | 1110 0100 1101 0001 0010 1111 1011 1000 0011 1010 0110 1100 0101 1001 0000 0111
01 | 0000 1111 0111 0100 1110 0010 1101 0001 1010 0110 1100 1011 1001 0101 0011 1000
10 | 0100 0001 1110 1000 1101 0110 0010 1011 1111 1100 1001 0111 0011 1010 0101 0000
11 | 1111 1100 1000 0010 0100 1001 0001 0111 0101 1011 0011 1110 1010 0000 0110 1101

```

☐ 0110

☒ 1110

☐ 1001

☐ 0101

☐ 1100
Correct!**Question 10****1 / 1 pts**

Is AES a Feistel Cipher?

☒ No
Correct!

☐ Yes

Question 11

2 / 2 pts

Which of these sentences are TRUE (select all that apply).

NOTE: MAC is Message Authentication Code

- ☐ Private key encryption can be used to achieve repudiation
- ☐ Private key encryption can be used to achieve confidentiality
- ☐ Public key encryption can be used to achieve non-repudiation
- ☐ HMAC can be used to achieve non-repudiation
- ☒ HMAC can be used to achieve repudiation
- ☒ Symmetric key encryption can be used to achieve repudiation

Correct!

Correct!

Question 12

1 / 1 pts

How many unique keys are needed to encrypt and decrypt a message using Public key crypto?

- ☐ 0
- ☐ 1
- ☐ π (pi)
- ☒ 2

Correct!

- ☐ 299,792,458
- ☐ 1,6180339887
- ☐ 6.0221415×10^{23}

Question 13

0 / 2 pts

Alice needs to exchange a critical information M with Bob. She wants to ensure confidentiality using AES (CBC mode), and she shares with Bob the key K1 for this purpose. Furthermore, she also wants to ensure integrity using Message Authentication Code (MAC), and she shares with Bob the key K2 for this purpose.

What does Alice need to send to Bob to achieve both confidentiality and integrity in this case?

Select all that apply.

You Answered

☒ The key K1

Correct!

☒ The Initialization Vector (IV)☐ The output of $h(M, K)$, where $h()$ is SHA-2☐ The plaintext blocks

Correct Answer

☐ The last encrypted block using K2☐ The key K2☐ The last encrypted block using K1

Correct Answer

☐ All the encrypted blocks using K1

You Answered

☒ The output of $h(K, M)$, where $h()$ is SHA-2

Question 14Original Score: 0 / 1 pts **Regraded Score: 0.67 / 1 pts****! This question has been regraded.**

Ignoring the ipad and opad values, which of these HMAC outputs are not subject to attack? Select all that apply.

Correct!☒ The output of $h(K, M, M')$, where $h()$ is SHA-3☐ The output of $h(K, M, M')$, where $h()$ is SHA-2**Correct!**☒ The output of $h(M, M', K)$, where $h()$ is SHA-3**Not Answered**☒ The output of $h(M, K, M')$, where $h()$ is SHA-2**Correct!**☒ The output of $h(M, K, M')$, where $h()$ is SHA-3Quiz Score: **15.67** out of 26

This quiz score has been manually adjusted by +2.0 points.