

Trigger Scale Factors





for the $HH \rightarrow bb\tau\tau$ resonant analysis

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28th January 2022

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Overview

- The $HH \rightarrow bb\tau\tau$ analysis is targetting [ICHEP 2022](#)  (optimistic)
- This requires establishing a method for *calculating and applying trigger scale factors*
- This presentation covers one MET trigger:
`HLT_PFMETNoMu120_PFMHTNoMu120_IDTight_v`
- We considered **UL 2018 samples** (*MET* and *TT*)
- A [standalone framework](#)  has been developped:
 - Starts from skimmed KLUB ntuples
 - Defines an equal-width binning, removing the top 5% quantile (outliers)
 - An optimal binning can be later defined manually
 - Calculates efficiencies and scale factors on HTCondor
 - Plots distributions, efficiencies and scale factors ([results here](#) )
 - Steps are chained with [luigi](#) , and should work with any trigger

The Orthogonal Dataset Method

- A Reference Trigger (**Ref**) is chosen:
 - *Orthogonal* to the trigger of interest X (**Trig_x**)
 - Its trigger scale factors are *already known*
- Data and MC efficiencies:

$$\epsilon_{\text{Data,MC}} = \frac{\text{pass(Ref)} \ \&\& \ \text{pass(Trig}_x\text{)}}{\text{pass(Ref)}}$$

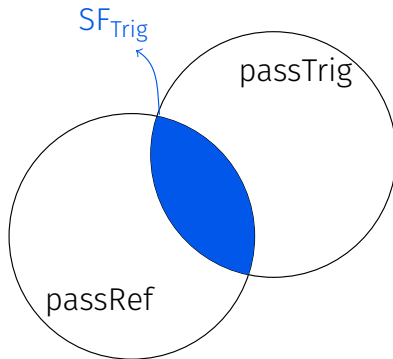
- Scale factors:

$$\text{SF} = \epsilon_{\text{Data}} / \epsilon_{\text{MC}}$$

- **Ref** takes precedence over **Trig** when applying the scale factors (next slides)
- It is important to carefully define:
 - Which events are used to *calculate the scale factors*
 - To events are those same scale factors later *applied*

Calculate Scale Factors

- Use events that pass **both** the reference trigger and the trigger of interest
- Additionally apply cuts on trigger variables to avoid the turn-on curve
- **Example:** *HLT_PFMETNoMu120_PFMHTNoMu120_IDTight_v*
 - $\text{METNoMu} > 200\text{GeV} \ \&\& \ \text{MHTNoMu} > 200\text{GeV}$
 - The values must be tuned
- **Detail:** cuts are not applied on variables as a function of which scale factors are calculated.
- **Example**
SF as a function of *metnomu_et*:
only *mhtnomu_et* > 200 GeV is applied

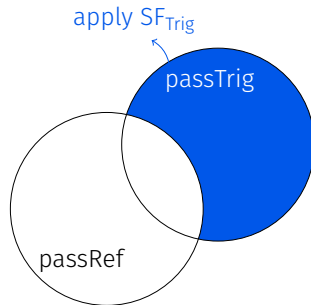
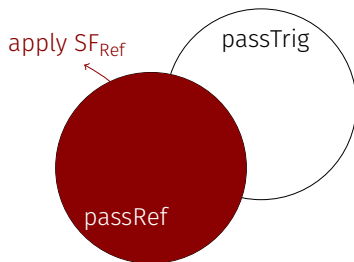


Apply Scale Factors

- If the event passes **Ref**, the **reference scale factors are applied**
- If the event does not pass **Ref** but passes the trigger of interest **Trig**, the **new scale factors of interest are applied**
- This assumes events captured by both triggers are uncorrelated (orthogonal)

Event loop

```
1: if passes(Ref) then
2:   apply( $SF_{Ref}$ )
3: else if passes(Trig)
   then
4:   apply( $SF_{Trig}$ )
5:   ...
6: end if
```



Orthogonal Method: MET Example

- A lepton trigger (**Lep**) is chosen:
 - Orthogonal to the MET trigger
 - Lepton trigger scale factors are well known
- Data and MC MET efficiencies:

$$\epsilon_{\text{Data,MC(MET)}} = \frac{\text{pass(Lep)} \ \&\& \ \text{pass(MET)}}{\text{pass(Lep)}}$$

- Scale factors (intersection of triggers):

$$\text{SF}_{\text{MET}} = \epsilon_{\text{Data(MET)}} / \epsilon_{\text{MC(MET)}}$$

- **Lep** takes precedence over **MET** when applying the scale factors

Event loop

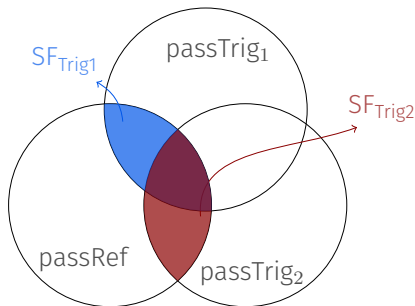
- 1: if passes(Lep) then
- 2: apply(SF_{Lep})
- 3: else if passes(MET) then
- 4: apply(SF_{MET})
- 5: end if

Generalization to multiple triggers: Calculating Scale Factors

- The method can be generalized to N triggers of interest
- Efficiencies only depend on **Ref** and on their own trigger of interest k :

$$\epsilon_{\text{Data,MC}(k)} = \frac{\text{pass(Ref)} \ \&\& \ \text{pass(Trig}_k\text{)}}{\text{pass(Ref)}}$$

- The picture shows 3 for convenience ($N = 2, k \in 1, 2$)



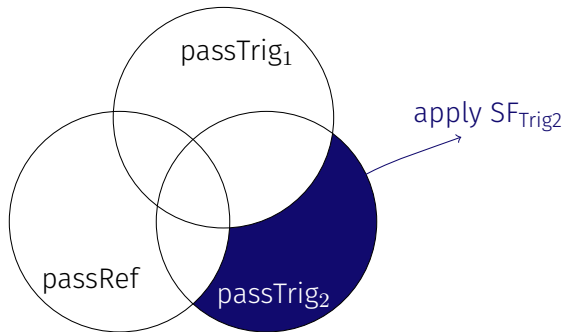
Generalization to multiple triggers: Applying Scale Factors

Scale factors are applied in order of trigger acceptance

- Each subsequent SF is applied to fewer and fewer events

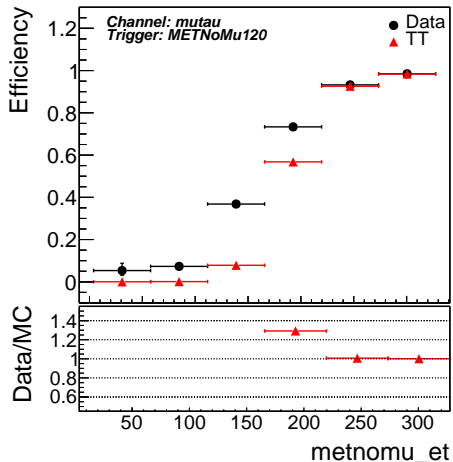
Event loop

```
1: if passes(Ref) then
2:   apply(SFRef)
3: else if passes(Trig1) then
4:   apply(SFTrig1)
5: else if passes(Trig2) then
6:   apply(SFTrig2)
7:   ...
8: end if
```

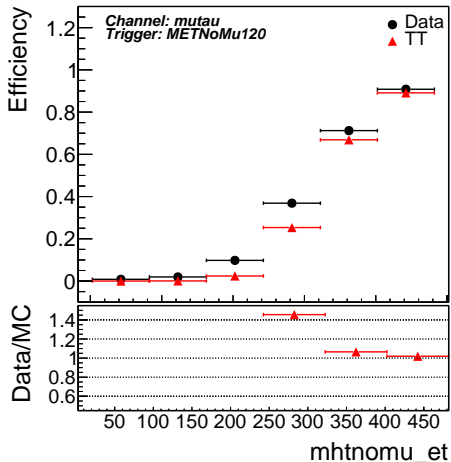


Preliminary metnomu_et and mhtnomu_et 1D Results: $\mu\tau_h$ channel

$mhtnomu_et > 200$ GeV

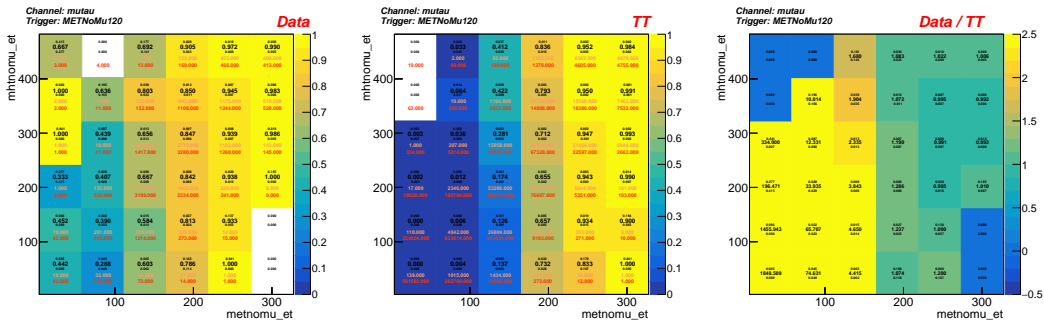


$metnomu_et > 200$ GeV



Preliminary metnomu_et vs mhtnomu_et 2D Results: μT_h channel

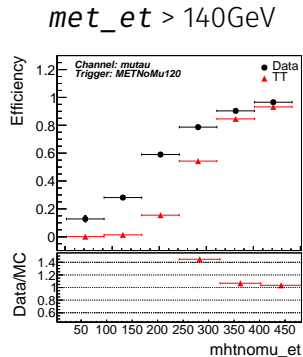
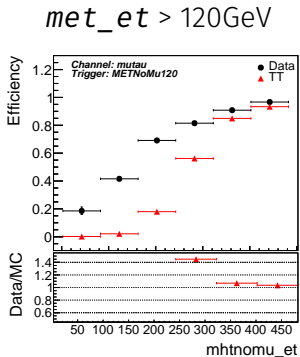
- Orange shows how many events passed the trigger of interest (per bin)
- Red shows how many events there were in total (per bin)
- For the scale factors the color scale was capped



Study the impact of trigger variable cuts

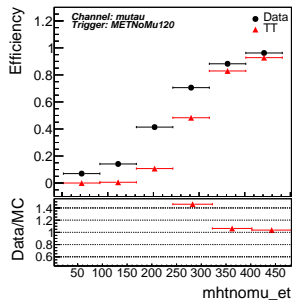
- Test several cuts on 1D efficiencies
- A strong dependence favours the 2D binning approach
- The framework allows a quick systematic study

Example: *mhtnou_et*
($\mu\tau_h$ channel)

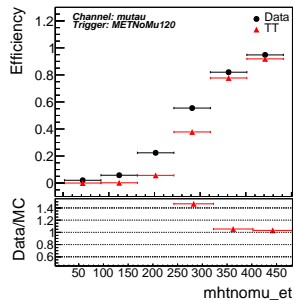


Study the impact of MET cuts

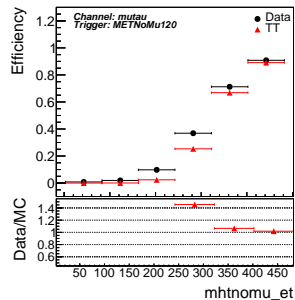
$met_et > 160\text{GeV}$



$met_et > 180\text{GeV}$



$met_et > 200\text{GeV}$

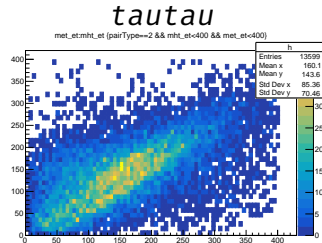
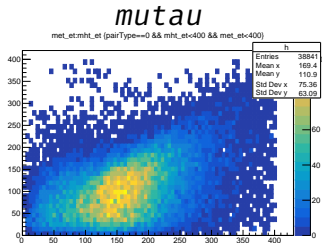
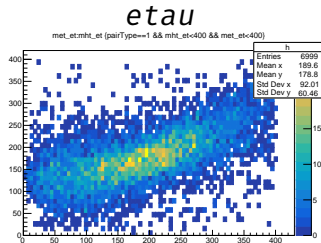


Conclusions & Next Steps

- We presented a *flexible framework for trigger scale factors*: testing triggers, cuts, variables, channels and datasets should be straightforward
- Decide whether to use 1D or 2D scale factors
 - 2D has less statistics per bin **but**
 - It does not get potentially biased by one additional cut
- Decide which ones should be used:
 - *met_et* vs *metnomu_et*
 - *mht_et* vs *mhtnomu_et*
- We used the **MET** dataset to study the MET trigger. A better approach might be to use a dataset orthogonal to the MET trigger: **SingleMuon**
- Should we fit the efficiencies to smoothen the scale factors out?

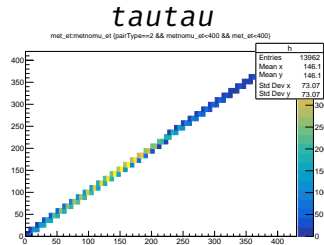
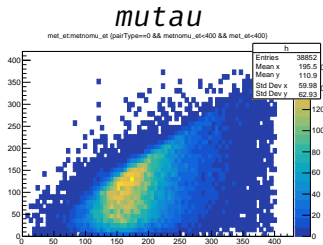
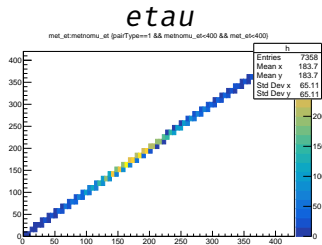
Differences for different channels

Skimmed KLUB ntuples: *met_et* vs *mht_et*



Differences for different channels

Skimmed KLUB ntuples: *met_et* vs *metnomu_et*



Lepton trigger:

- (one of the $e\tau_h/\mu\tau_h/\tau_h\tau_h$ OR single e/μ triggers is fired)
- AND the event contains reconstructed leptons matched to the trigger requirement

Different statistics after Ref trigger:

Channel	# pass(Ref)
$e\tau_h$	~ 5500
$\mu\tau_h$	~ 19000
$\tau_h\tau_h$	~ 400