

Project 1 Types of Leafs

December 12, 2022

1 Project 1) Leaf Classification

By: Brenden Ziemann DAT 402

1.1 Problem:

For this project I have choosen to look at a data set of leaves. Based off different attributes and measurements of leaves I will be looking at if it is possible to predict the classifying types/species of leaves.

Dataset found at <https://archive.ics.uci.edu/ml/machine-learning-databases/00288/>

Read in the file:

```
[35]: import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import statistics
leaf = pd.read_csv("leaf.csv", header=None)
leaf.head(5)
```

```
[35]:
```

	0	1	2	3	4	5	6	7	8	\
0	1	1	0.72694	1.4742	0.32396	0.98535	1.00000	0.83592	0.004657	
1	1	2	0.74173	1.5257	0.36116	0.98152	0.99825	0.79867	0.005242	
2	1	3	0.76722	1.5725	0.38998	0.97755	1.00000	0.80812	0.007457	
3	1	4	0.73797	1.4597	0.35376	0.97566	1.00000	0.81697	0.006877	
4	1	5	0.82301	1.7707	0.44462	0.97698	1.00000	0.75493	0.007428	
	9	10	11	12	13	14	15			
0	0.003947	0.047790	0.127950	0.016108	0.005232	0.000275	1.17560			
1	0.005002	0.024160	0.090476	0.008119	0.002708	0.000075	0.69659			
2	0.010121	0.011897	0.057445	0.003289	0.000921	0.000038	0.44348			
3	0.008607	0.015950	0.065491	0.004271	0.001154	0.000066	0.58785			
4	0.010042	0.007938	0.045339	0.002051	0.000560	0.000024	0.34214			

Column names are still missing. You can find those names in the leaf.zip file. There is a READ.me file for the names of the columns. Adding the column names to the dataset: 1. Class (Species) 2. Specimen Number 3. Eccentricity 4. Aspect Ratio 5. Elongation 6. Solidity 7. Stochastic Convexity 8. Isoperimetric Factor 9. Maximal Indentation Depth 10. Lobedness 11. Average Intensity 12. Average Contrast 13. Smoothness 14. Third moment 15. Uniformity 16. Entropy

```
[36]: leaf.columns = [
    "Class_Species",
    "Specimen_Number",
    "Eccentricity",
    "Aspect_Ratio",
    "Elongation",
    "Solidity",
    "Stochastic_Convexity",
    "Isoperimetric_Factor",
    "Maximal_Indentation_Depth",
    "Lobedness",
    "Average_Intensity",
    "Average_Contrast",
    "Smoothness",
    "Third_moment",
    "Uniformity",
    "Entropy"]
leaf.head(5)
```

```
[36]:
```

	Class_Species	Specimen_Number	Eccentricity	Aspect_Ratio	Elongation	\
0	1	1	0.72694	1.4742	0.32396	
1	1	2	0.74173	1.5257	0.36116	
2	1	3	0.76722	1.5725	0.38998	
3	1	4	0.73797	1.4597	0.35376	
4	1	5	0.82301	1.7707	0.44462	

	Solidity	Stochastic_Convexity	Isoperimetric_Factor	\
0	0.98535	1.00000	0.83592	
1	0.98152	0.99825	0.79867	
2	0.97755	1.00000	0.80812	
3	0.97566	1.00000	0.81697	
4	0.97698	1.00000	0.75493	

	Maximal_Indentation_Depth	Lobedness	Average_Intensity	Average_Contrast	\
0	0.004657	0.003947	0.047790	0.127950	
1	0.005242	0.005002	0.024160	0.090476	
2	0.007457	0.010121	0.011897	0.057445	
3	0.006877	0.008607	0.015950	0.065491	
4	0.007428	0.010042	0.007938	0.045339	

	Smoothness	Third_moment	Uniformity	Entropy
0	0.016108	0.005232	0.000275	1.17560
1	0.008119	0.002708	0.000075	0.69659
2	0.003289	0.000921	0.000038	0.44348
3	0.004271	0.001154	0.000066	0.58785
4	0.002051	0.000560	0.000024	0.34214

1.2 Class/Names of Leaves:

Remove Speciman Number due to the fact we don't need to use that in prediction of the type of leaves:

```
[37]: leaf = leaf.drop("Specimen_Number", axis=1)
```

1.2.1 Correlation of Variables to Class_Species

```
[38]: correlation_matrix = leaf.corr()  
correlation_matrix["Class_Species"]
```

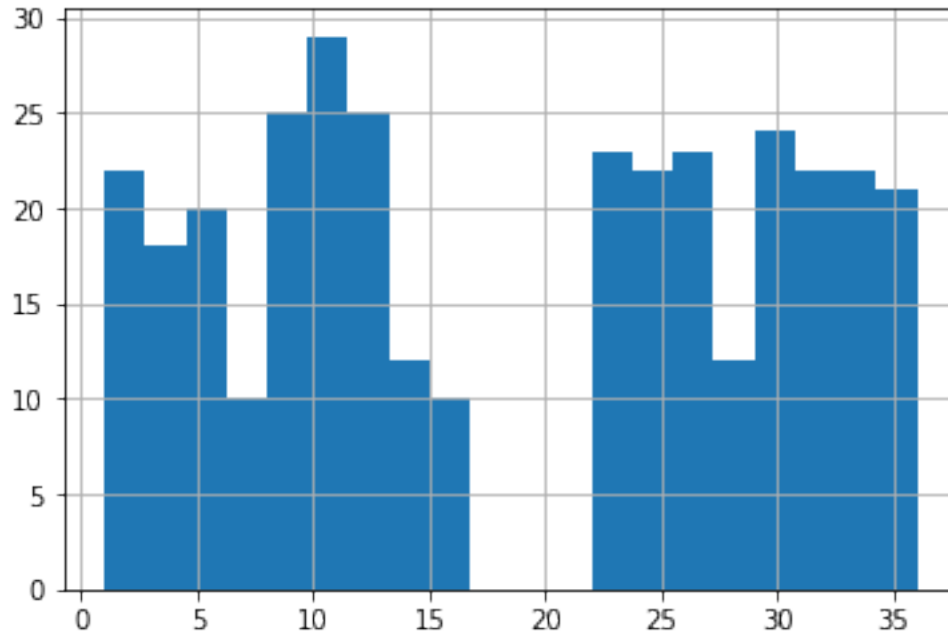
```
[38]: Class_Species          1.000000  
Eccentricity              0.091415  
Aspect_Ratio             0.275210  
Elongation               0.141275  
Solidity                 0.111843  
Stochastic_Convexity     0.046678  
Isoperimetric_Factor     -0.049767  
Maximal_Indentation_Depth -0.040026  
Lobedness                -0.017048  
Average_Intensity        0.102453  
Average_Contrast         0.076246  
Smoothness               0.094885  
Third_moment             0.058520  
Uniformity               0.187717  
Entropy                  0.017690  
Name: Class_Species, dtype: float64
```

As you can see the correlation between the different aspects of the leaf and the class/species isn't very high at all. Based of the correlations I decided to drop the columns with negative correlation.

```
[39]: leaf = leaf.drop("Maximal_Indentation_Depth",axis=1)  
leaf = leaf.drop("Isoperimetric_Factor",axis=1)  
leaf = leaf.drop("Lobedness",axis=1)
```

1.2.2 Histogram of the different Classes/Species

```
[40]: leaf["Class_Species"].hist(bins=20)  
plt.show()
```



There seems to be a variety of species of leaves in the data set but there is a hole of missing data with species of the 17 - 23 classification.

1.2.3 Compute the Distance

Now, to find the nearest neighbors. Define distances on the vectors of the independent variables:

Using X to be the values of all observations that isn't Class_Species(compliment) and y to be the values of just Class_Species

```
[41]: xall = leaf.drop("Class_Species", axis=1)
      xall = xall.values
      yall = leaf["Class_Species"]
      yall = yall.values
```

X is the independent variables for all measurements that isn't class_species. y is the dependent variables for just being Class_Species

1.2.4 New Leaf Data Point to be added for Prediction

I will be trying to predict the class/species of a leaf based off these measurements. Apply a kNN with k =6 on a new leaf that has the following attributes: Eccentricity 0.757867 Aspect_Ratio 1.555678 Elongation 0.374437 Solidity 0.978849 Stochastic_Convexity 0.999998 Average_Intensity 0.024589 Average_Contrast 0.013464 Smoothness 0.068721 Third_moment 0.000576 Uniformity 0.000067 Entropy 0.716522

```
[42]: new_leaf = np.array([
    0.757867,
    1.555678,
    0.374437,
    0.978849,
    0.999998,
    0.024589,
    0.013464,
    0.068721,
    0.000576,
    0.000067,
    0.716522
])
```

Compute the distances between this new leaf and each of the data points in the Leaf Dataset using distance

```
[43]: distances_leaves = np.linalg.norm(xall - new_leaf, axis=1)
```

With this vector of distances, and now to find out which are the closest neighbors for 6. Find the minimum distances. Sort from lowest to highest and then take the first k elements to obtain the indices of the k nearest neighbors:

```
[44]: k = 6
nearest_neighbors = distances_leaves.argsort()[:k]
nearest_neighbors
```

```
[44]: array([ 1,  7, 139, 37,  3, 91])
```

Now that the indices of the nearest neighbors have been identified, now combine those neighbors into a prediction for the new leaf.

First) find the classes/species for the neighbors:

```
[45]: nearest_neighbor_class = yall[nearest_neighbors]
nearest_neighbor_class
```

```
[45]: array([ 1,  1, 13,  4,  1,  9])
```

Second) Then the next step is to find the most common class/species that is around the the new leaf. The class/species 1 shows up around the new leaf 3 times which is more than any other species. So the prediction should be that the new leaf is of type 1.

```
[46]: prediction = np.bincount(nearest_neighbor_class).argmax()
prediction
```

```
[46]: 1
```

Based off the nearest neighbors the most common species/class was 1 so the prediction for the new leaf is of class 1

2 Fit kNN in Python Using Example scikit-learn (learning purposes)

2.1 Would love feedback on process and if it is truly correct/accurate

This is my second part of the project for testing the results using scikit-learn. Using Training data to fit the model and test data to evaluate the model. Make predictions for classifications of the species/types of the leaves of each of the leaves in the test data and compare those results to the known correct class/species.

```
[47]: from sklearn.model_selection import train_test_split
      x_train, x_test, y_train, y_test = train_test_split(
          xall, yall, test_size=0.2, random_state=12345)
```

Creating True Distinction Model

- 1) Creating a model of the correct distinctions. For the kNN algorithm, choose 6 for the value of k

```
[48]: from sklearn.neighbors import KNeighborsRegressor
      knn_model = KNeighborsRegressor(n_neighbors=6)
```

Create Unfitted Model with kNN Model

- 2) Create an unfitted model with knn_model. This model will use the 6 nearest neighbors to predict the value of a future new leaf. To get the data into the model, fit the model on the training dataset:

```
[49]: knn_model.fit(x_train, y_train)
```

```
[49]: KNeighborsRegressor(n_neighbors=6)
```

Find Prediction Error on Training Data Find the prediction error on training data. Use the root-mean-square error (RMSE). Calculated by:

```
[56]: from sklearn.metrics import mean_squared_error
      from math import sqrt
      train_preds = knn_model.predict(X_train)
      mse = mean_squared_error(y_train, train_preds)
      rmse = sqrt(mse)
      rmse
```

```
[56]: 8.02472690065309
```

Find Prediction Error on Test Data Evaluate the performances on data that aren't included in the model using the test set. Evaluate the predictive performances on the test set:

```
[51]: test_preds = knn_model.predict(x_test)
mse = mean_squared_error(y_test, test_preds)
rmse = sqrt(mse)
rmse
```

```
[51]: 9.860630108861747
```

The RMSE measures the average error of the predicted class/species. With this it is having, on average, an error of 8.0247 which seems very high and I don't feel it works with this example of trying to predict class/species.

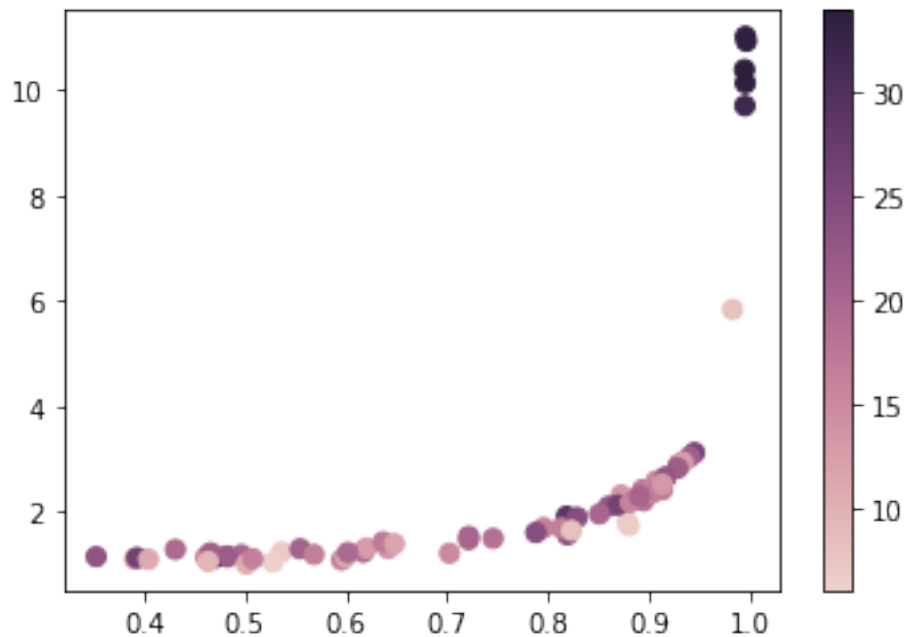
2.1.1 Plotting the Fit of the Model

Observe if the model is the actual fit of your model. Visualize how your predictions have been made:

```
[52]: import seaborn as sns
cmap = sns.cubehelix_palette(as_cmap=True)
f, ax = plt.subplots()

points = ax.scatter(x_test[:, 0], x_test[:, 1], c=test_preds, s=50, cmap=cmap)

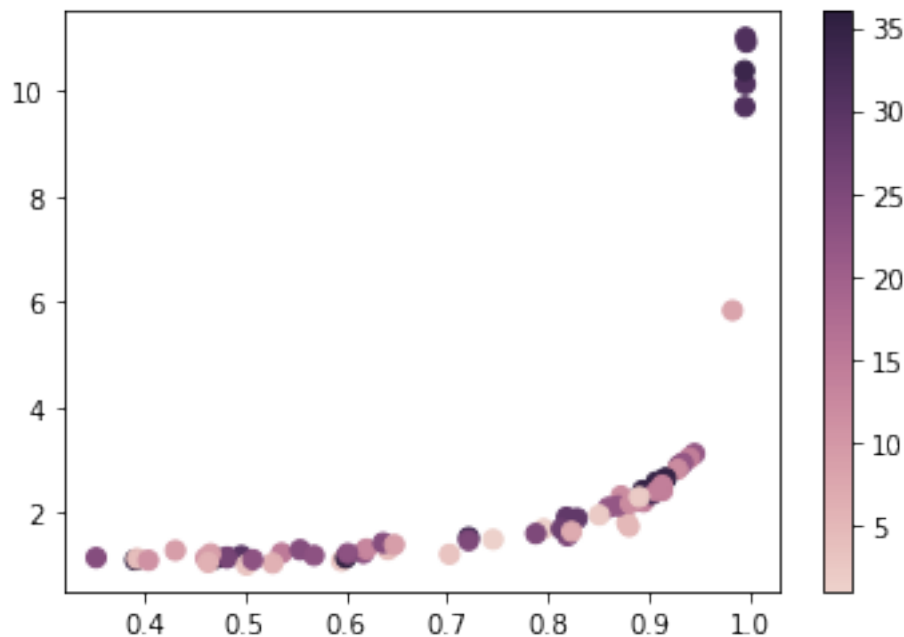
f.colorbar(points)
plt.show()
```



From the graph above each point is a new leaf from the test set. The color of the point reflects the predicted class/species. The X axis refers to the Eccentricity and the Y axis is the Aspect_Ratio of the leaf. It seems high class/species numbers are towards the right.

To confirm whether this trend exists in actual leaf data, I will do the same for the actual values:

```
[53]: cmap = sns.cubehelix_palette(as_cmap=True)
f, ax = plt.subplots()
points = ax.scatter(
    x_test[:, 0], x_test[:, 1], c=y_test, s=50, cmap=cmap)
f.colorbar(points)
plt.show()
```



Based off the two graphs they look very similar but aren't quite the same for justifying the class/species of a new leaf.

2.1.2 Finding the best k Nearest Neighbors to Use

Fit the model with GridSearchCV. GridSearchCV repeatedly fits kNN regressors on a part of the data and tests the performances on the other part of the data. Test values of k to be 1 to 100 for best results.

Using `.best_params_` will show the best number of k to use:

```
[54]: from sklearn.model_selection import GridSearchCV
parameters = {"n_neighbors": range(1, 100)}
gridsearch = GridSearchCV(KNeighborsRegressor(), parameters)
gridsearch.fit(x_train, y_train)
```



```
GridSearchCV(estimator=KNeighborsRegressor(),
              param_grid={'n_neighbors': range(1, 50),
                          'weights': ['uniform', 'distance']})
```

```
[54]: GridSearchCV(estimator=KNeighborsRegressor(),
                  param_grid={'n_neighbors': range(1, 50),
                              'weights': ['uniform', 'distance']})
```

```
[55]: gridsearch.best_params_
```

```
[55]: {'n_neighbors': 6}
```

This shows the best k to use is 6 for nearest neighbors

2.1.3 Sources:

Abalone Example to better help understand kNN <https://realpython.com/knn-python/>

```
[ ]:
```