Install and Import Libraries

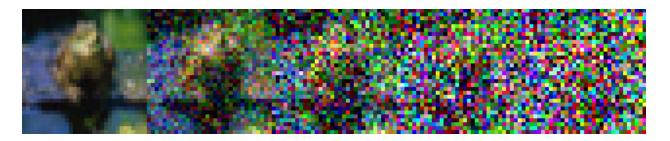
```
!pip install datasets &>> install.log
!pip install pyarrow==8.0.0
from matplotlib import pyplot as plt
import IPython.display as ipd
from datasets import load dataset
from PIL import Image
import torch.nn.functional as F
import os
from tgdm.notebook import tgdm
import torch
import numpy as np
Collecting pyarrow==8.0.0
  Using cached pyarrow-8.0.0-cp310-cp310-
manylinux 2 17 x86 64.manylinux2014 x86 64.whl.metadata (3.0 kB)
Requirement already satisfied: numpy>=1.16.6 in
/opt/conda/lib/python3.10/site-packages (from pyarrow==8.0.0) (1.26.4)
Using cached pyarrow-8.0.0-cp310-cp310-
manylinux 2 17 x86 64.manylinux2014 x86 64.whl (29.4 MB)
Installing collected packages: pyarrow
  Attempting uninstall: pyarrow
    Found existing installation: pyarrow 17.0.0
    Uninstalling pyarrow-17.0.0:
      Successfully uninstalled pyarrow-17.0.0
ERROR: pip's dependency resolver does not currently take into account
all the packages that are installed. This behaviour is the source of
the following dependency conflicts.
apache-beam 2.46.0 requires dill<0.3.2,>=0.3.1.1, but you have dill
0.3.8 which is incompatible.
apache-beam 2.46.0 requires numpy<1.25.0,>=1.14.3, but you have numpy
1.26.4 which is incompatible.
beatrix-jupyterlab 2023.128.151533 requires jupyterlab~=3.6.0, but you
have jupyterlab 4.2.3 which is incompatible.
datasets 2.20.0 requires pyarrow>=15.0.0, but you have pyarrow 8.0.0
which is incompatible.
Successfully installed pyarrow-8.0.0
```

load Cifar10 dataset

```
cifar10 = load_dataset('cifar10')
print(cifar10.shape)
{'train': (50000, 2), 'test': (10000, 2)}
```

Here's an example of adding noise to an image using 100 steps while varying the beta value

```
n steps = 100
beta = torch.linspace(0.0001, 0.04, n steps)
def img to tensor(im):
  return torch.tensor(np.array(im.convert('RGB'))/255).permute(2, 0,
1).unsqueeze(0) * 2 - 1
def tensor to image(t):
  return Image.fromarray(np.array(((t.squeeze().permute(1, 2,
0)+1)/2).clip(0, 1)*255).astype(np.uint8))
def gather(consts: torch.Tensor, t: torch.Tensor):
    """Gather consts for $t$ and reshape to feature map shape"""
    c = consts.gather(-1, t)
    return c.reshape(-1, 1, 1, 1)
t = torch.tensor(10, dtype=torch.long)
n \text{ steps} = 100
beta = torch.linspace(0.0001, 0.04, n steps)
alpha bar = 1. - beta
alpha bar = torch.cumprod(alpha bar, dim=0)
def q xt x0(x0, t):
  mean = gather(alpha bar, t) ** 0.5 * x0 # now alpha bar
  var = 1-gather(alpha_bar, t) # (1-alpha_bar)
  eps = torch.randn like(x0)
  return mean + (var ** 0.5) * eps
ims = []
start im = cifar10['train'][100]['img']
x0 = img_to_tensor(start im).squeeze()
for t in [0, 20, 40, 60, 80]:
  x = q \times t \times 0(x_0, torch.tensor(t, dtype=torch.long)) # TODO move type
to gather
  ims.append(tensor to image(x))
image = Image.new('RGB', size=(32*5, 32))
for i, im in enumerate(ims):
  image.paste(im, ((i\%5)*32, 0))
image.resize((32*4*5, 32*4), Image.NEAREST)
```



UNET Model Code

```
#@title Unet Definition
import math
from typing import Optional, Tuple, Union, List
import torch
from torch import nn
# A fancy activation function
class Swish(nn.Module):
    ### Swish actiavation function
    $$x \cdot \sigma(x)$$
    def forward(self, x):
        return x * torch.sigmoid(x)
# The time embedding
class TimeEmbedding(nn.Module):
    ### Embeddings for $t$
    def __init__(self, n_channels: 32):
        * `n channels` is the number of dimensions in the embedding
        super().__init__()
        self.n channels = n channels
        # First linear layer
        self.lin1 = nn.Linear(self.n_channels // 4, self.n_channels)
        # Activation
        self.act = Swish()
        # Second linear layer
        self.lin2 = nn.Linear(self.n channels, self.n channels)
    def forward(self, t: torch.Tensor):
        # Create sinusoidal position embeddings
        # [same as those from the
```

```
transformer](../../transformers/positional encoding.html)
        # \begin{align}
        \# PE^{(1)} \{t,i\} \&= sin\Bigg(\frac\{t\}\{10000^{\frac\{i\}\{d-10000\}}\}\}
1}}}\Bigg) \\
        # PE^{(2)} {t,i} &= cos\Bigg(\frac{t}{10000^{\frac{i}{d} -
1}}}\Bigg)
        # \end{align}
        # where $d$ is `half dim`
        half dim = self.n channels // 8
        emb = math.log(10\ 000) / (half dim - 1)
        emb = torch.exp(torch.arange(half dim, device=t.device) * -
emb)
        emb = t[:, None] * emb[None, :]
        emb = torch.cat((emb.sin(), emb.cos()), dim=1)
        # Transform with the MLP
        emb = self.act(self.lin1(emb))
        emb = self.lin2(emb)
        return emb
# Residual blocks include 'skip' connections
class ResidualBlock(nn.Module):
    ### Residual block
    A residual block has two convolution layers with group
normalization.
    Each resolution is processed with two residual blocks.
    def __init__(self, in_channels: int, out_channels: int,
time channels: int, n groups: int = 32):
        * `in channels` is the number of input channels
        * `ou\overline{t} channels` is the number of input channels
        * `time channels` is the number channels in the time step
($t$) embeddings
        * `n groups` is the number of groups for [group normalization]
(../../normalization/group norm/index.html)
        super(). init ()
        # Group normalization and the first convolution layer
        self.norm1 = nn.GroupNorm(n groups, in_channels)
        self.act1 = Swish()
        self.conv1 = nn.Conv2d(in_channels, out_channels,
kernel size=(3, 3), padding=(1, 1))
```

```
# Group normalization and the second convolution layer
        self.norm2 = nn.GroupNorm(n groups, out channels)
        self.act2 = Swish()
        self.conv2 = nn.Conv2d(out channels, out channels,
kernel size=(3, 3), padding=(1, 1))
        # If the number of input channels is not equal to the number
of output channels we have to
        # project the shortcut connection
        if in channels != out channels:
            self.shortcut = nn.Conv2d(in_channels, out_channels,
kernel size=(1, 1)
        else:
            self.shortcut = nn.Identity()
        # Linear layer for time embeddings
        self.time emb = nn.Linear(time channels, out channels)
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        0.00
        * `x` has shape `[batch_size, in_channels, height, width]`
        * `t` has shape `[batch_size, time_channels]`
        # First convolution layer
        h = self.conv1(self.act1(self.norm1(x)))
        # Add time embeddings
        h += self.time emb(t)[:, :, None, None]
        # Second convolution layer
        h = self.conv2(self.act2(self.norm2(h)))
        # Add the shortcut connection and return
        return h + self.shortcut(x)
# Ahh yes, magical attention...
class AttentionBlock(nn.Module):
    ### Attention block
    This is similar to [transformer multi-head
attention(../../transformers/mha.html).
    0.00
    def __init__(self, n_channels: int, n_heads: int = 1, d k: int =
None, n groups: int = 32):
        * `n channels` is the number of channels in the input
        * `n heads` is the number of heads in multi-head attention
        * d^{-}k^{-} is the number of dimensions in each head
        * `n groups` is the number of groups for [group normalization]
(../../normalization/group norm/index.html)
```

```
super(). init ()
        # Default `d k`
        if d k is None:
            d k = n channels
        # Normalization layer
        self.norm = nn.GroupNorm(n_groups, n_channels)
        # Projections for query, key and values
        self.projection = nn.Linear(n channels, n heads * d k * 3)
        # Linear layer for final transformation
        self.output = nn.Linear(n_heads * d_k, n_channels)
        # Scale for dot-product attention
        self.scale = d k ** -0.5
        self.n heads = n heads
        self.d k = d k
    def forward(self, x: torch.Tensor, t: Optional[torch.Tensor] =
None):
        H \cap H
        * `x` has shape `[batch_size, in_channels, height, width]`
        * `t` has shape `[batch size, time channels]`
        # `t` is not used, but it's kept in the arguments because for
the attention layer function signature
        # to match with `ResidualBlock`.
         = t
        # Get shape
        batch_size, n_channels, height, width = x.shape
        # Change `x` to shape `[batch_size, seq, n_channels]`
x = x.view(batch_size, n_channels, -1).permute(0, 2, 1)
        # Get query, key, and values (concatenated) and shape it to
`[batch_size, seq, n_heads, 3 * d_k]`
        qkv = self.projection(x).view(batch size, -1, self.n heads, 3
* self.d k)
        \overline{\#} Split query, key, and values. Each of them will have shape
`[batch size, seq, n heads, d k]`
        q, k, v = torch.chunk(qkv, 3, dim=-1)
        # Calculate scaled dot-product $\frac{Q K^\top}{\sqrt{d k}}$
        attn = torch.einsum('bihd,bjhd->bijh', q, k) * self.scale
        # Softmax along the sequence dimension $\underset{seq}
{softmax}\Bigg(\frac{0 K^\top}{\sqrt{d k}}\Bigg)$
        attn = attn.softmax(dim=1)
        # Multiply by values
        res = torch.einsum('bijh,bjhd->bihd', attn, v)
        # Reshape to `[batch_size, seq, n_heads * d_k]`
        res = res.view(batch_size, -1, self.n_heads * self.d_k)
        # Transform to `[batch size, seg, n channels]`
        res = self.output(res)
```

```
# Add skip connection
        res += x
        # Change to shape `[batch_size, in_channels, height, width]`
        res = res.permute(\frac{0}{2}, \frac{1}{2}).view(batch size, n channels,
height, width)
        return res
class DownBlock(nn.Module):
    ### Down block
    This combines 'ResidualBlock' and 'AttentionBlock'. These are used
in the first half of U-Net at each resolution.
    def init (self, in channels: int, out channels: int,
time channels: int, has attn: bool):
        super(). init ()
        self.res = ResidualBlock(in channels, out channels,
time channels)
        if has attn:
            self.attn = AttentionBlock(out channels)
        else:
            self.attn = nn.Identity()
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        x = self.res(x, t)
        x = self.attn(x)
        return x
class UpBlock(nn.Module):
    ### Up block
    This combines 'ResidualBlock' and 'AttentionBlock'. These are used
in the second half of U-Net at each resolution.
    def init (self, in channels: int, out channels: int,
time channels: int, has attn: bool):
        super().__init__()
        # The input has `in_channels + out_channels` because we
concatenate the output of the same resolution
        # from the first half of the U-Net
        self.res = ResidualBlock(in channels + out channels,
out channels, time channels)
        if has attn:
```

```
self.attn = AttentionBlock(out channels)
        else:
            self.attn = nn.Identity()
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        x = self.res(x, t)
        x = self.attn(x)
        return x
class MiddleBlock(nn.Module):
    ### Middle block
    It combines a `ResidualBlock`, `AttentionBlock`, followed by
another `ResidualBlock`.
    This block is applied at the lowest resolution of the U-Net.
    def __init__(self, n_channels: int, time_channels: int):
        super().__init__()
        self.res1 = ResidualBlock(n channels, n channels,
time channels)
        self.attn = AttentionBlock(n channels)
        self.res2 = ResidualBlock(n channels, n channels,
time channels)
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        x = self.res1(x, t)
        x = self.attn(x)
        x = self.res2(x, t)
        return x
class Upsample(nn.Module):
    ### Scale up the feature map by $2 \times$
    def init (self, n channels):
        super(). init ()
        self.conv = nn.ConvTranspose2d(n channels, n channels, (4, 4),
(2, 2), (1, 1)
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        # `t` is not used, but it's kept in the arguments because for
the attention layer function signature
        # to match with `ResidualBlock`.
        = t
        return self.conv(x)
```

```
class Downsample(nn.Module):
    ### Scale down the feature map by $\frac{1}{2} \times$
    def __init__(self, n channels):
        super(). __init__()
        self.conv = nn.Conv2d(n channels, n channels, (3, 3), (2, 2),
(1, 1)
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        # `t` is not used, but it's kept in the arguments because for
the attention layer function signature
        # to match with `ResidualBlock`.
        _{-} = t
        return self.conv(x)
# The core class definition (aka the important bit)
class UNet(nn.Module):
    ## U-Net
    0.00
    def init (self, image channels: int = 3, n channels: int = 64,
                 ch mults: Union[Tuple[int, ...], List[int]] = (1, 2,
2, 4),
                 is attn: Union[Tuple[bool, ...], List[int]] = (False,
False, True, True),
                 n blocks: int = 2):
        * `image channels` is the number of channels in the image. $3$
for RGB.
        * `n channels` is number of channels in the initial feature
map that we transform the image into
        * `ch mults` is the list of channel numbers at each
resolution. The number of channels is `ch_mults[i] * n_channels`
        * `is attn` is a list of booleans that indicate whether to use
attention at each resolution
        * `n blocks` is the number of `UpDownBlocks` at each
resolution
        super().__init__()
        # Number of resolutions
        n resolutions = len(ch mults)
        # Project image into feature map
        self.image proj = nn.Conv2d(image channels, n channels,
kernel size=(3, 3), padding=(1, 1))
```

```
# Time embedding layer. Time embedding has `n channels * 4`
channels
        self.time emb = TimeEmbedding(n channels * 4)
        # #### First half of U-Net - decreasing resolution
        down = []
        # Number of channels
        out channels = in channels = n channels
        # For each resolution
        for i in range(n resolutions):
            # Number of output channels at this resolution
            out_channels = in_channels * ch_mults[i]
            # Add `n_blocks`
            for in range(n blocks):
                down.append(DownBlock(in channels, out channels,
n channels * 4, is attn[i]))
                in_channels = out_channels
            # Down sample at all resolutions except the last
            if i < n resolutions - 1:</pre>
                down.append(Downsample(in channels))
        # Combine the set of modules
        self.down = nn.ModuleList(down)
        # Middle block
        self.middle = MiddleBlock(out channels, n channels * 4, )
        # #### Second half of U-Net - increasing resolution
        up = []
        # Number of channels
        in channels = out channels
        # For each resolution
        for i in reversed(range(n resolutions)):
            # `n blocks` at the same resolution
            out channels = in channels
            for _ in range(n_blocks):
                up.append(UpBlock(in_channels, out channels,
n channels * 4, is attn[i]))
            # Final block to reduce the number of channels
            out channels = in channels // ch mults[i]
            up.append(UpBlock(in_channels, out_channels, n_channels *
4, is_attn[i]))
            in channels = out channels
            # Up sample at all resolutions except last
            if i > 0:
                up.append(Upsample(in channels))
        # Combine the set of modules
        self.up = nn.ModuleList(up)
```

```
# Final normalization and convolution laver
        self.norm = nn.GroupNorm(8, n channels)
        self.act = Swish()
        self.final = nn.Conv2d(in channels, image channels,
kernel size=(3, 3), padding=(1, 1))
    def forward(self, x: torch.Tensor, t: torch.Tensor):
        * `x` has shape `[batch_size, in_channels, height, width]`
        * `t` has shape `[batch_size]`
        # Get time-step embeddings
        t = self.time emb(t)
        # Get image projection
        x = self.image_proj(x)
        # `h` will store outputs at each resolution for skip
connection
        h = [x]
        # First half of U-Net
        for m in self.down:
            x = m(x, t)
            h.append(x)
        # Middle (bottom)
        x = self.middle(x, t)
        # Second half of U-Net
        for m in self.up:
            if isinstance(m, Upsample):
                x = m(x, t)
            else:
                # Get the skip connection from first half of U-Net and
concatenate
                s = h.pop()
                x = torch.cat((x, s), dim=1)
                x = m(x, t)
        # Final normalization and convolution
        return self.final(self.act(self.norm(x)))
```

Final Model Architecture

```
x = torch.randn(10, 3, 32, 32)
t = torch.tensor([50.], dtype=torch.long)
unet = UNet()
```

```
model output = unet(x, t)
model output.shape
torch.Size([10, 3, 32, 32])
from torch.utils.data import DataLoader, Subset
def q xt x0(x0, t):
 mean = gather(alpha bar, t) ** 0.5 * \times 20
 var = 1-gather(alpha bar, t)
 eps = torch.randn like(x0).to(x0.device)
  return mean + (var ** 0.5) * eps
def model(lr,n step,beta,n):
    unet = UNet(n channels=32)
    lr = lr # lr change
    n steps = n step # n step change
      # beta change
    alpha = 1. - beta
    alpha bar = torch.cumprod(alpha, dim=0)
    batch size = 128
    losses = []
    dataset = cifar10['train']
    optim = torch.optim.AdamW(unet.parameters(), lr=lr)
    for i in tqdm(range(0, len(dataset)-batch_size, batch_size)):
      ims = [dataset[idx]['img'] for idx in range(i,i+batch_size)]
      tims = [img to tensor(im) for im in ims]
      x0 = torch.cat(tims)
      t = torch.randint(0, n steps, (batch size,), dtype=torch.long)
      xt, noise = q xt x0(x0, t)
      pred noise = unet(xt.float(), t)
      loss = F.mse loss(noise.float(), pred noise)
      losses.append(loss.item())
      optim.zero grad()
      loss.backward()
      optim.step()
    torch.save(unet, f"/kaggle/working/unet_model2{n}a.pth")
    plt.plot(losses)
def p xt(xt, noise, t):
  alpha t = gather(alpha, t)
```

```
alpha_bar_t = gather(alpha_bar, t)
eps_coef = (1 - alpha_t) / (1 - alpha_bar_t) ** .5
mean = 1 / (alpha_t ** 0.5) * (xt - eps_coef * noise) # Note minus
sign
var = gather(beta, t)
eps = torch.randn(xt.shape, device=xt.device)
return mean + (var ** 0.5) * eps
```

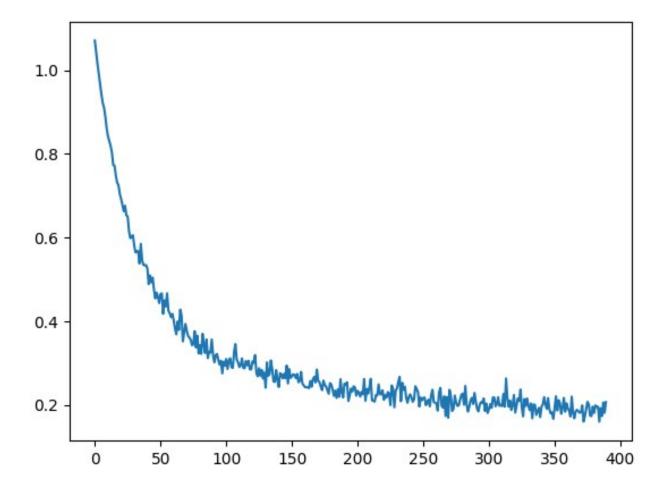
results with 2 sets of hyperparameters

varying learning rate, noising schedule (beta), number of denoising steps.

I downloaded both model in .pth file they take around 2-3hr so i just put graph that i generated before

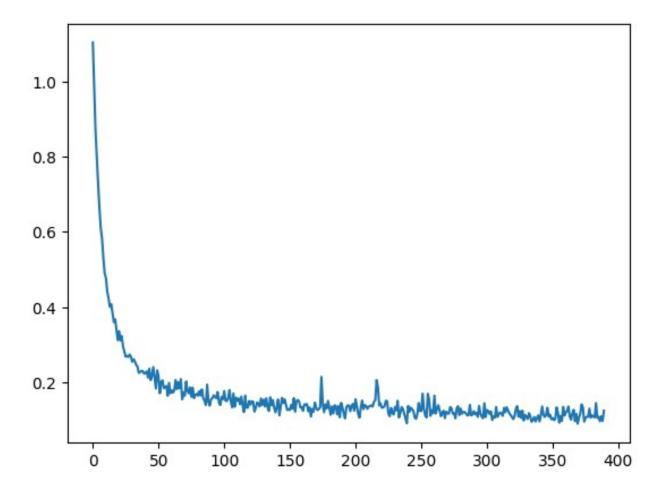
1

```
n_steps = 100
beta = torch.linspace(0.0001, 0.02, n_steps)
lr = 1e-4
n=1
alpha = 1. - beta
alpha_bar = torch.cumprod(alpha, dim=0)
model(lr,n_steps,beta,n)
```



```
n_steps = 200
beta = torch.linspace(0.0001, 0.02, n_steps)
lr = 4e-4

n=2
alpha = 1. - beta
alpha_bar = torch.cumprod(alpha, dim=0)
model(lr,n_steps,beta,n)
```



One sample from each class (10 classes) in the CIFAR-10 dataset

Model 1

```
n \text{ steps} = 100
\overline{\text{beta}} = \text{torch.linspace}(0.0001, 0.02, n \text{ steps})
lr = 1e-4
alpha = 1. - beta
alpha bar = torch.cumprod(alpha, dim=0)
n=1
nn=2
unet1 =
torch.load(f"/kaggle/input/unet_model21a/pytorch/default/1/unet_model2
1a.pth")
unet1.eval()
for v in range(10):
    x = torch.randn(1, 3, 32, 32)
    ims = []
    for i in range(n steps):
      t = torch.tensor(n steps-i-1, dtype=torch.long)
      with torch.no grad():
        pred_noise = unet1(x.float(), t.unsqueeze(0))
```

```
x = p_xt(x, pred_noise, t.unsqueeze(0))
if i%24 == 0 or i == 99:
    ims.append(tensor_to_image(x))

image = Image.new('RGB', size=(32*6, 32))
for i, im in enumerate(ims[:6]):
    image.paste(im, ((i%6)*32, 0))
image.resize((32*4*6, 32*4), Image.NEAREST)
image = image.convert("RGB")

# Display the image using matplotlib
plt.imshow(image)
plt.axis('off')

plt.title(f"image {v}")# Hide axes
plt.show()
```

image 0



image 1



image 2

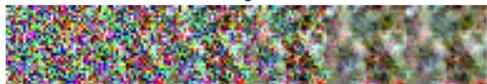
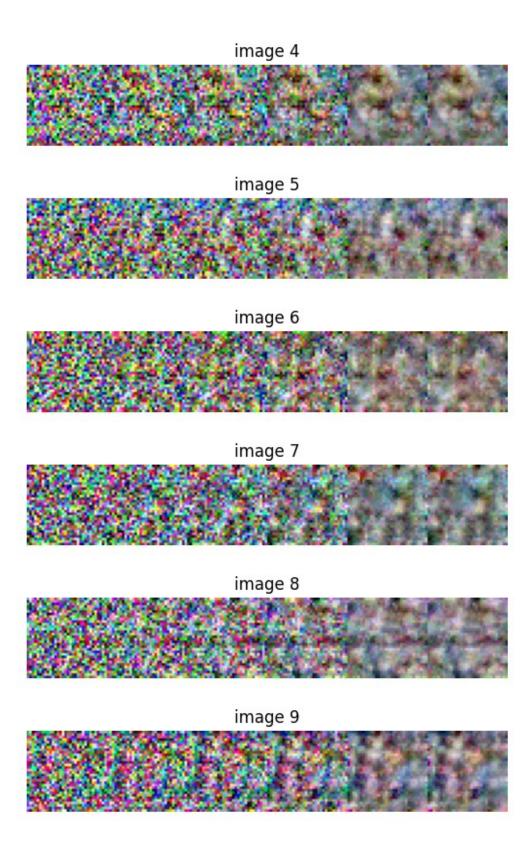


image 3





Model 2

```
n \text{ steps} = 200
beta = torch.linspace(0.0001, 0.04, n steps)
lr = 4e-4
alpha = 1. - beta
alpha bar = torch.cumprod(alpha, dim=0)
n=1
nn=2
unet2 =
torch.load(f"/kaggle/input/unet model22a/pytorch/default/1/unet model2
2a.pth")
unet2.eval()
for v in range(10):
    x = torch.randn(1, 3, 32, 32)
    ims = []
    for i in range(n steps):
      t = torch.tensor(n steps-i-1, dtype=torch.long)
      with torch.no_grad():
        pred noise = unet2(x.float(), t.unsqueeze(0))
        x = p xt(x, pred noise, t.unsqueeze(0))
        if i\%49 == 0:
          ims.append(tensor to image(x))
    image = Image.new('RGB', size=(32*5, 32))
    for p, im in enumerate(ims[:5]):
      image.paste(im, ((p%5)*32, 0))
    image.resize((32*4*5, 32*4), Image.NEAREST)
    image = image.convert("RGB")
    # Display the image using matplotlib
    plt.imshow(image)
    plt.axis('off')
    plt.title(f"image {v}")# Hide axes
    plt.show()
```

image 0



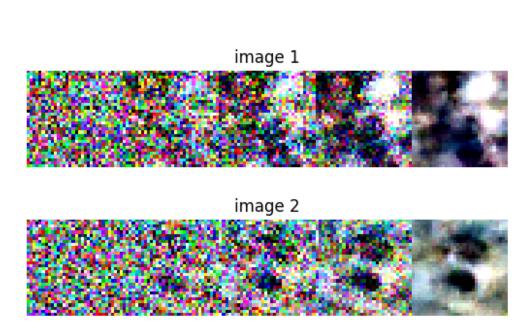












image 7

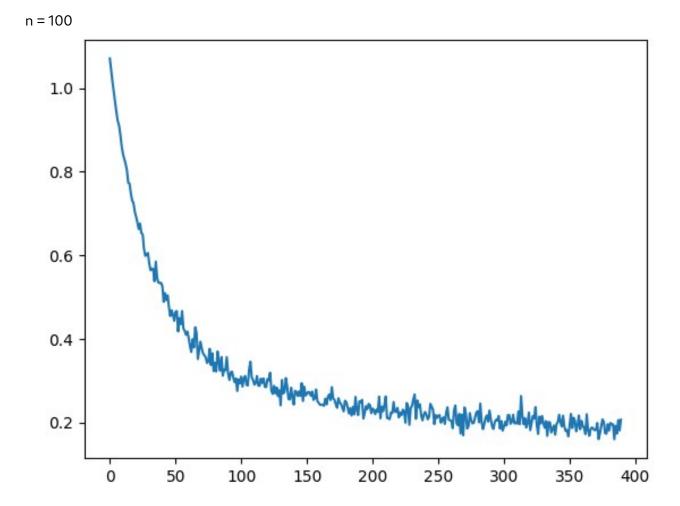


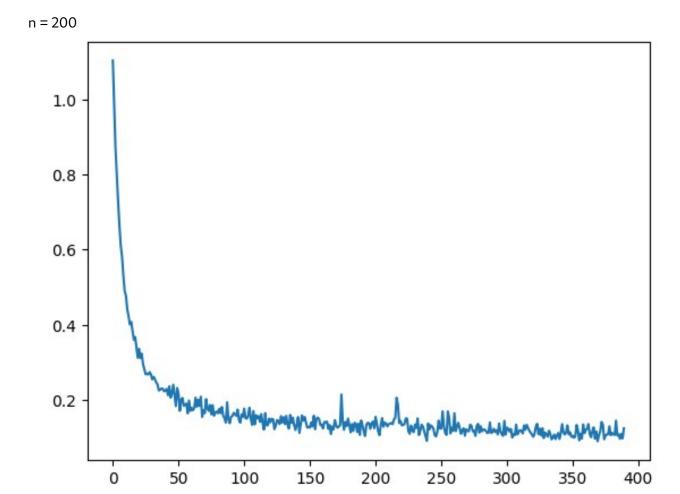
image 8



image 9







First Model:

```
n_steps = 100,beta = torch.linspace(0.0001, 0.02, 100),lr = 1e-4
```

The loss curve shows a rapid initial decrease followed by a more gradual decline, indicating effective initial learning and gradual finetuning. The fluctuations observed in the later stages suggest that while the model is generally converging, it still encounters some variability in the denoising process.

Second Model:

```
n_steps = 200,beta = torch.linspace(0.0001, 0.04, 100),lr = 4e-4
```

The loss curve for the second model follows a similar trend to the first but extends over a longer period due to the increased number of steps. The overall lower and more stable loss in the latter part of the curve indicates a more refined denoising process, attributed to the higher number of steps and increased beta range. The higher learning rate helps maintain a reasonable training time despite the increased complexity.

Conclusion:

The choice of parameters for both models reflects a balance between computational efficiency and the quality of the denoising process. The first model, with fewer steps and a smaller beta range, provides a quicker but slightly less refined denoising process. The second model, with more steps and a higher beta range, offers a more granular and potentially higher quality denoising at the cost of increased computation. The observations generally align with the expectations, with the second model showing more stable and lower losses in the long run, validating the effectiveness of the chosen parameters.

```
num_images = len(cifar10['train'][:]['img'])
random_index = torch.randint(0, num_images, (1,)).item()
```

B) partial Noise

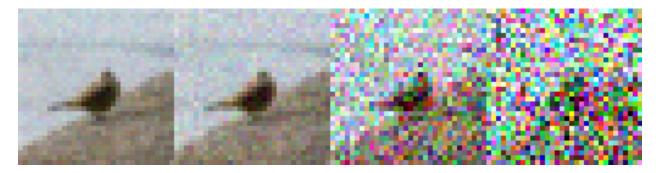
Instead of starting with complete Gaussian Noise, started with a partially noised sample (noisy sample) and denoised it.

- 1. 5 iterations
- 2. 10 iterations
- 3. 50 iterations
- 4. 99 iterations (Gaussian Noise)

```
beta = torch.linspace(0.0001, 0.02, 200)
lr = 4e-4
n_step = 200
n=2

imsw = []
start_im = cifarl0['train'][random_index]['img']
x0 = img_to_tensor(start_im).squeeze()
for t in [5,10,50,99]:
    x = q_xt_x0(x0, torch.tensor(t, dtype=torch.long)) # TODO move type
to gather
    imsw.append(tensor_to_image(x))

image = Image.new('RGB', size=(32*4, 32))
for i, imd in enumerate(imsw):
    image.paste(imd, ((i%4)*32, 0))
image.resize((32*4*4, 32*4), Image.NEAREST)
```



Denoised the sample

```
from PIL import Image
import matplotlib.pyplot as plt
n_steps = 200
lr = 4e-4
alpha = 1. - beta
alpha_bar = torch.cumprod(alpha, dim=0)
n=1
```

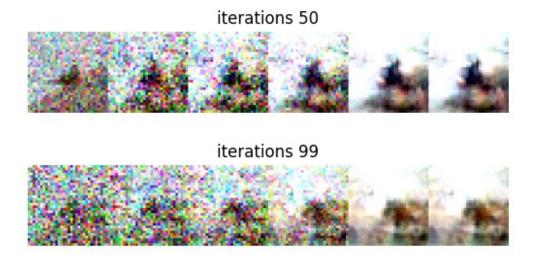
```
nn=2
unet2 =
torch.load(f"/kaggle/input/unet_model22a/pytorch/default/1/unet_model2
2a.pth")
unet2.eval()
tm = [5, 10, 50, 99]
for q in imsw:
    start im = q
    x = img to tensor(start im)
    ims = []
    for i in range(n steps):
      t = torch.tensor(n_steps-i-1, dtype=torch.long)
      with torch.no_grad():
        pred noise = unet2(x.float(), t.unsqueeze(0))
        x = p_xt(x, pred_noise, t.unsqueeze(0))
        if i\%\overline{49} == 0 or i == 199:
          ims.append(tensor to image(x))
    image = Image.new('RGB', size=(32*6, 32))
    for i, im in enumerate(ims[:7]):
      image.paste(im, ((i\%6)*32, 0))
    image = image.resize((32*4*6, 32*4), Image.NEAREST)
    image = image.convert("RGB")
    # Display the image using matplotlib
    plt.imshow(image)
    plt.axis('off')
    plt.title(f"iterations {tm[imsw.index(g)]}")# Hide axes
    plt.show()
```

iterations 5



iterations 10





The denoised images after 5 and 10 iterations show noticeable improvement compared to those after 50 iterations, where the noise becomes more prominent. Although the image after 99 iterations is not as clear overall, the background surrounding the object appears cleaner and more defined.