



Don't wait for the right time.

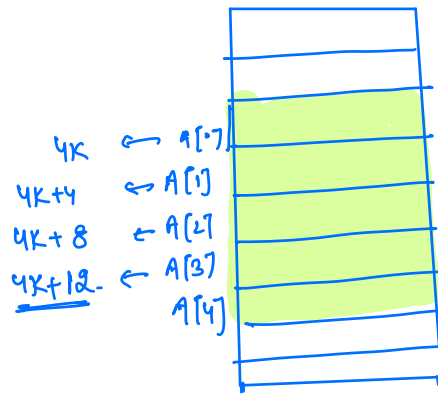
Create it.

- Why linked-linked ?
- Insertion in linked list
 - At start
 - At end
 - At k^{th} -index
- Deletion in linked list (#idea)
 - At start
 - At end
 - At x^{th} -index.

Arrays.

$arr[5]$.

{ T.C to access any random element of array = $O(1)$ }



$arr[3]$?

↓
contiguous space for 3 integers is not available in this given situation.

X Not allowed.

$$(\text{base address}) + (\text{idx} * 4) \Leftarrow$$

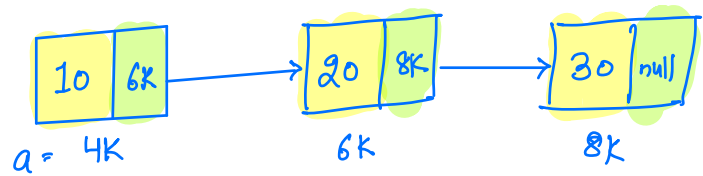
[\rightarrow $arr[N]$.
 \rightarrow No. of elements $\leq N$.]

Arrays.

	<u>At start.</u>	<u>At end.</u>	<u>K^{th}-index.</u>
<u>Insertion</u>	$O(N)$	$O(1)$	$O(N)$
<u>Deletion</u>	$O(N)$	$O(1)$	$O(N)$
{ shifting }			

LinkedList

```
class Node {  
    int val;  
    Node next;  
    Node (x) {  
        {  
            val = x  
            next = null  
        }  
    }  
}
```

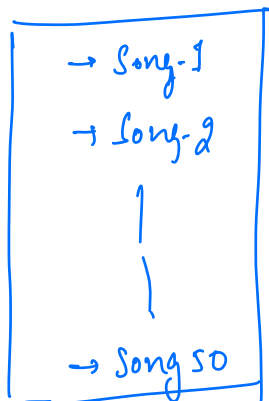


```
Node a = new Node(10);  
a.next = new Node(20);  
a.next.next = new Node(30);  
a.next.next.next = new Node(40);
```

```
Node a = new Node(10);  
Node b = new Node(20);  
a.next = b;  
Node c = new Node(30);  
b.next = c;
```

Music Player

* Favourite



* Search engine

iph → [iphone 14, iphone 13]
—, —, —

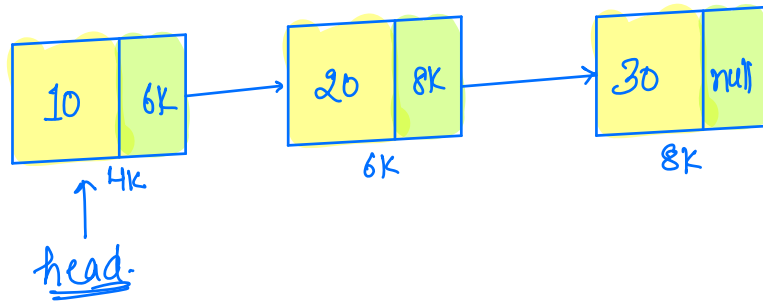
[D.S → inverted
index.]

→ Appendix

→ Glossary

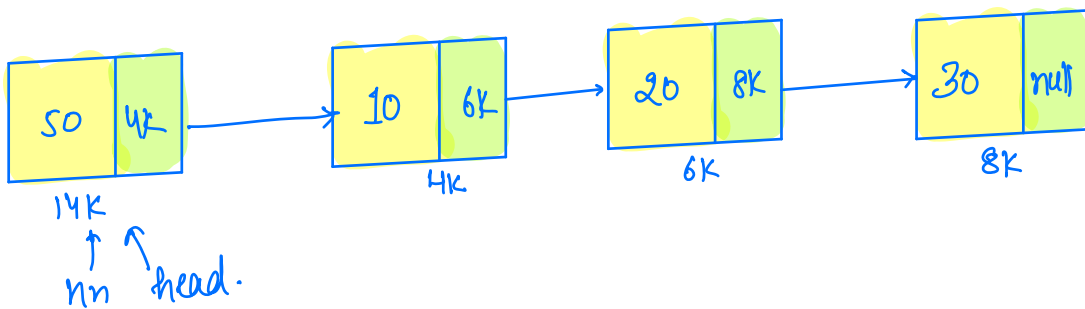
galaxy → [—, —, —, —, —]

Insertion At Start.



Node head
↓
reference of first node.

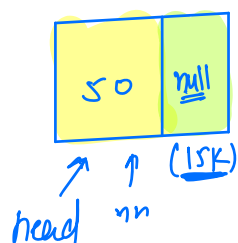
→ insert 50 at start



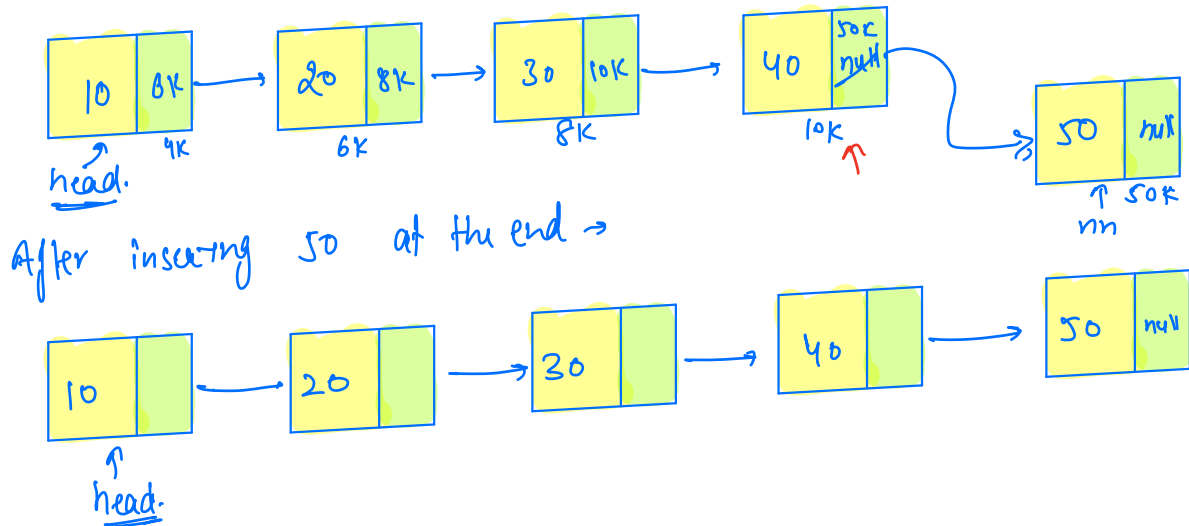
```
Node. insertAtStart (head, val) {  
    Node nn = new Node(val);  
    nn.next = head;  
    head = nn;  
    return head;  
}
```

[head → object reference]
↳ pointer.

T.C → $O(1)$
S.C → $O(1)$



Insertion At End.



Node insertAtEnd (head, val) {

Node nn = new Node(50)

if (head == null) { head = nn }

else {

Node temp = head; [shallow copy]

while (temp.next != null) {

temp = temp.next

}

temp.next = nn;

}

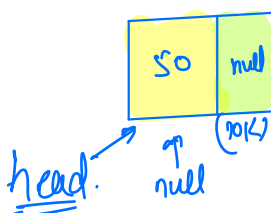
return head;

}

null.next



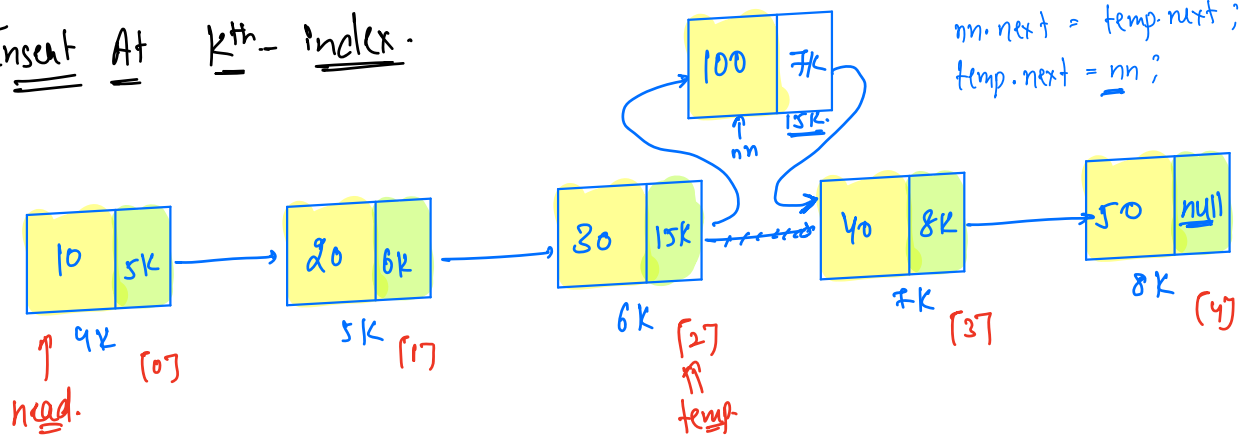
{ NULL Pointer Exception }



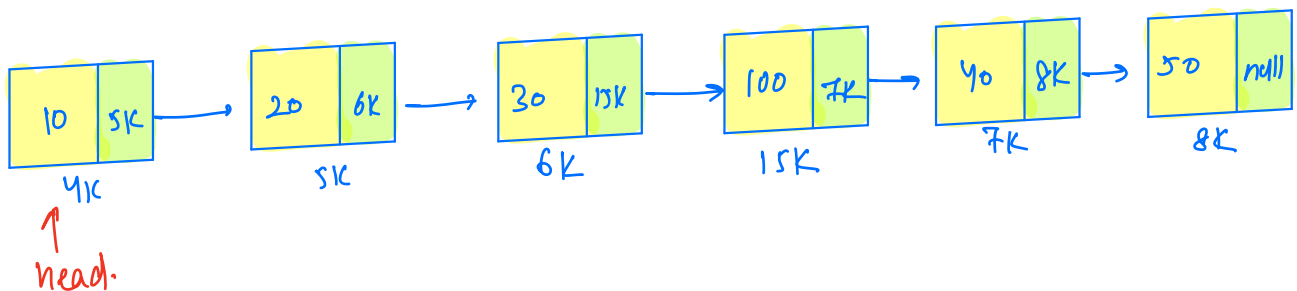
T.C → $O(N)$
S.C → $O(1)$

{ By using tail pointer → T.C → $O(1)$ }

Insert At Kth - index.



→ insert 100 at idx 3.



```
Node insertAtK ( head, val, K) {
    Node nn = new Node (val);
    if (K == 0) {
        return insertAtStart (head, val);
    }
```

```
    else {
        Node temp = head;
        for (i = 1; i < K; i++) {
            temp = temp.next;
        }
```

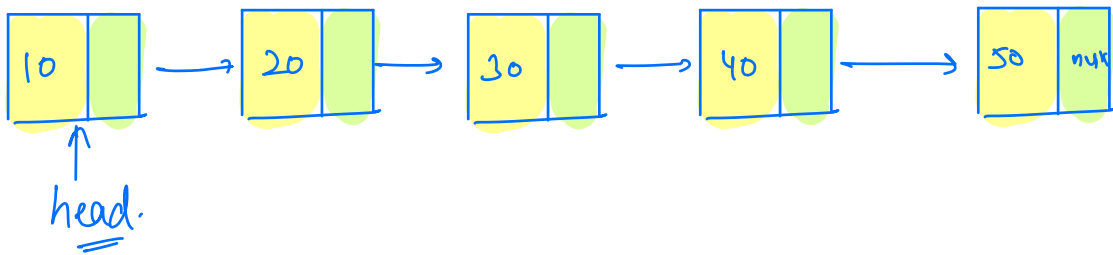
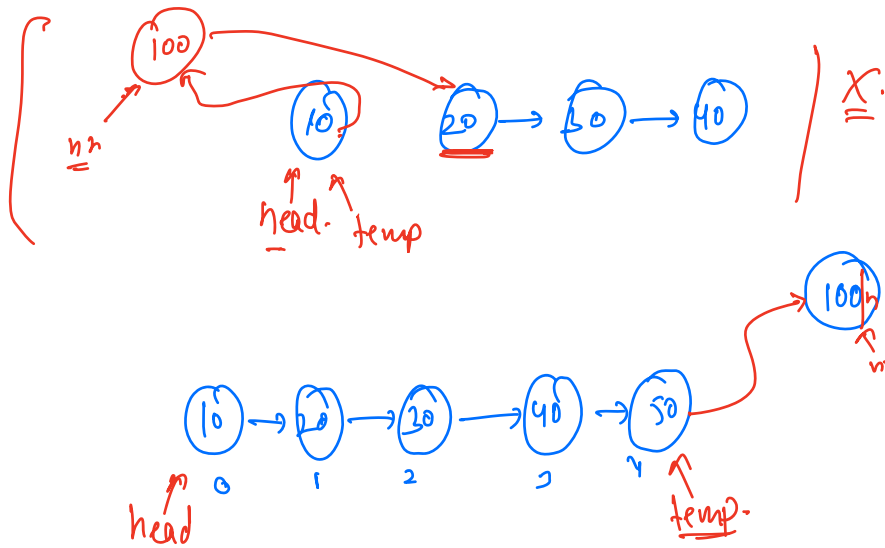
updating temp
(K-1) times.

```
        nn.next = temp.next;
        temp.next = nn;
        return head;
    }
```

T.C → $O(N)$
S.C → $O(1)$

valid index.
 $\{K \rightarrow 0 \text{ to } N\}$

{ ① $K = 0$ }
{ ② $K = N$ }

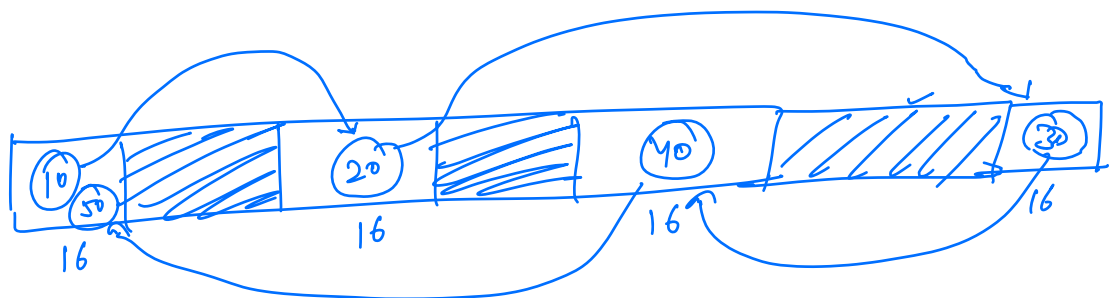


head: head.next

→ Traverse upto second last node

③ Delete At K^{th} -idx.

(\neq todo)



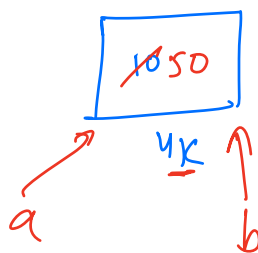
arr[5].

64 bytes \rightarrow but contiguous 20 bytes is not available.

Shallow.

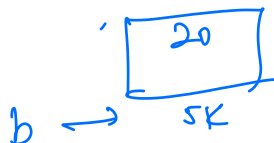
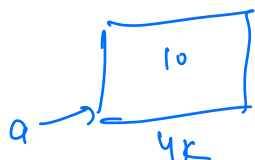
Node a = new Node(10);

Node b = a



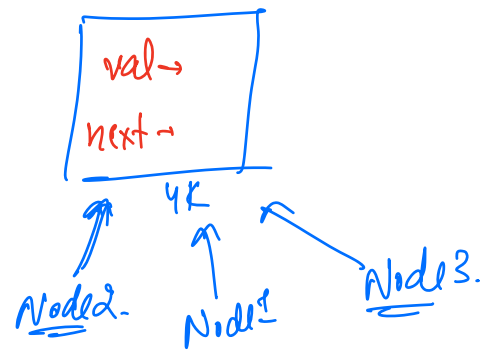
{ b.val = 50 }
print(a.val) \rightarrow

deep.



$$\left\{ \begin{array}{l} 1 \rightarrow k-1 \Rightarrow k-1 \\ 0 \rightarrow k-2 \Rightarrow k-1 \end{array} \right\}$$

$\left\{ \begin{array}{l} \text{Node 1} = \text{Node 2} \\ \text{Node 3} = \text{Node 2} \end{array} \right\}$



→ Keep in mind,

if you change attribute of
any one of these nodes.

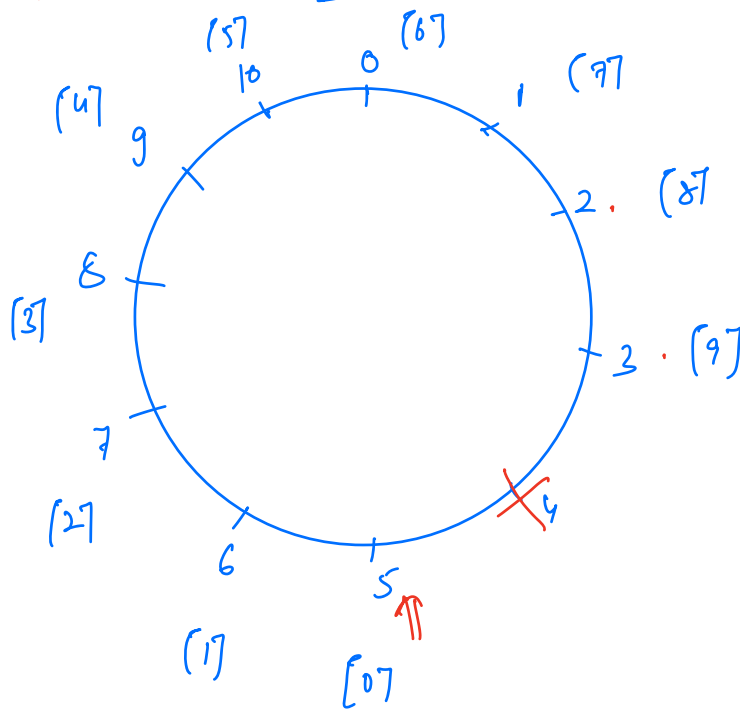
$n1, n2, n3.$

⇒ $\left[\text{that change will be reflected} \right]$
for all the three nodes.

W.A ~

↓
Errors. ∞.

Josephus \rightarrow n people, every k^{th} man is killed.



$$n = 11$$

$$k = 4$$

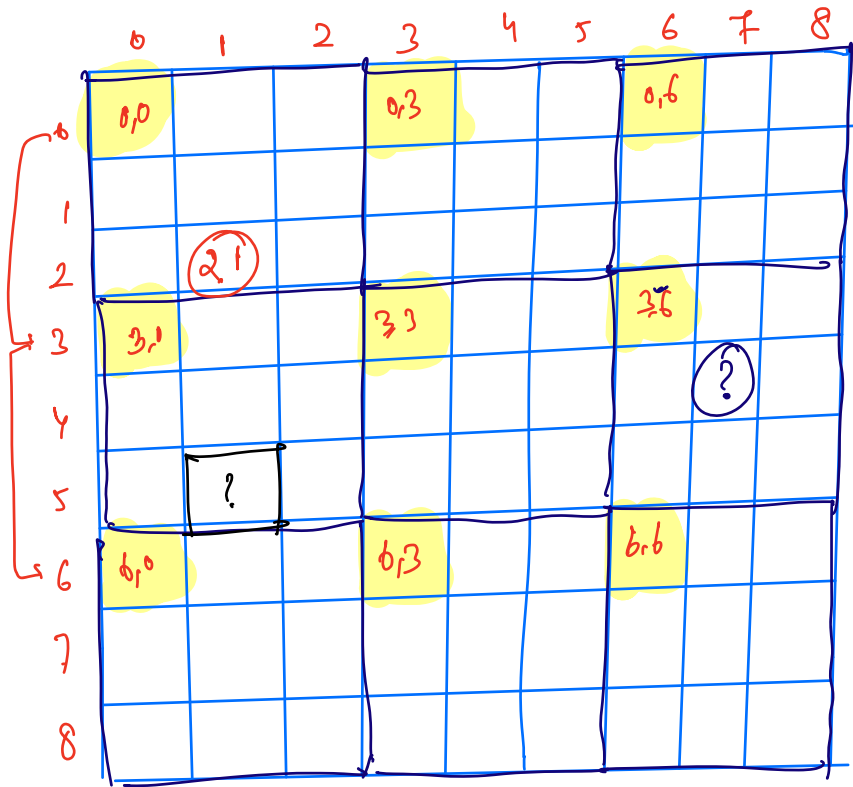
$$f(n, k)$$

\Downarrow

$$f(n-1, k) \rightarrow \textcircled{1}$$

$$\left(f(n-1, k) + (k+1) \right) \% n$$

$\left[\begin{array}{l} \star \rightarrow \text{understand the sub-problem clearly.} \\ \star \rightarrow \text{try to map the correct indexing} \end{array} \right]$



$(i,j) \rightarrow \text{top-left corner}$
of 3×3 grid.

$$\begin{aligned} \underline{4,7} &\rightarrow (4 - 4 \times 3), (7 - 7 \times 3) \\ &\Rightarrow (4-1), (7-1) \\ &\Rightarrow \underline{3, 6} \end{aligned}$$

$$\begin{aligned} \underline{5,1} &\rightarrow (5 - 5 \times 3), (1 - 1 \times 3) \\ &\Rightarrow (3, 0) \end{aligned}$$

$$\begin{aligned} &\left[(i,j) \rightarrow (i - i \times 3), (j - j \times 3) \right] \\ &\left[(i,j) \rightarrow \left(\frac{i}{3} \times 3, \frac{j}{3} \times 3 \right) \right] \end{aligned}$$