

CURVES

Let \mathbf{C} be a cloud of \mathbf{N} points $X(x, y)$, where x and y are 16-bit unsigned integers.

Let $X_\alpha(x_\alpha, y_\alpha)$ be an initial point and, likewise, let $X_\omega(x_\omega, y_\omega)$ be a final point ($x_\alpha \ll x_\omega$ and $y_\alpha \ll y_\omega$).

Your task is to find a strictly monotonic sequence of points in \mathbf{C} , $\{X_i\}_\alpha^\omega$, which is either concave or convex, such that the sum of the lengths (in the Euclidean distance) of all sequential pairs $\{X_k, X_{k+1} \in \{X_i\}, \alpha \leq k < \omega\}$ is maximal in the restriction $\{\Delta x < R_x, \Delta y < R_y\}$.

Given three consequent elements of $\{X_i\}$, e.g. X_{j-1} , X_j and X_{j+1} , and considering the line (X_{j-1}, X_{j+1}) , then $\{X_i\}$ is concave if X_j is above the named line and convex if X_j is below the line.

If $\{X_k(x_k, y_k), X_{k+1}(x_{k+1}, y_{k+1}) \in \{X_i\} : (\alpha \leq k < \omega) \iff ((x_k < x_{k+1}) \wedge (y_k < y_{k+1}))\}$, then $\{X_i\}$ is a strictly monotonic sequence.

Input file "input_curves":

```
Row0|Set0: 0 Rx Ry
Row1|Set0: 0 x y
Row2|Set0: 0 x y
...
Rowfinal0-1|Set0: 0 x y
Rowfinal0|Set0: 0 xα yα xω yω convex|concave
Rowfinal0+1|Set1: 1 Rx Ry
Rowfinal0+2|Set1: 1 x y
Rowfinal0+3|Set1: 1 x y
...
Rowfinal1-1|Set1: 1 x y
Rowfinal1|Set1: 1 xα yα xω yω convex|concave
...
```

Output file "output_curves":

```
Row0|Set0: 0 length
Row1|Set0: 0 xα yα
Row2|Set0: 0 x y
Row3|Set0: 0 x y
...
Rowfinal0-1|Set0: 0 x y
Rowfinal0|Set0: 0 xω yω
Rowfinal0+1|Set1: 1 length
Rowfinal0+2|Set1: 1 xα yα
Rowfinal0+3|Set1: 1 x y
Rowfinal0+4|Set1: 1 x y
...
Rowfinal1-1|Set1: 1 x y
Rowfinal1|Set1: 1 xω yω
...
```

Should there be no such sequence $\{X_i\}_\alpha^\omega$, you should output a single line "set_number NO" in "output_curves".