

North Atlantic Spring Bloom: coupled physical-biological modelling and variational data assimilation

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CMOS Congress

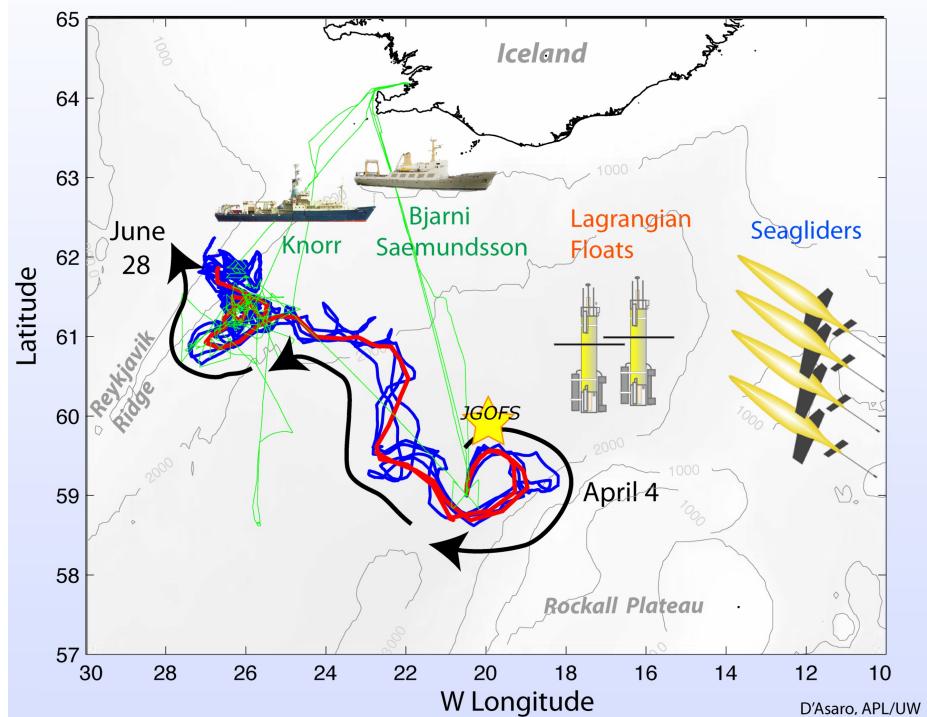
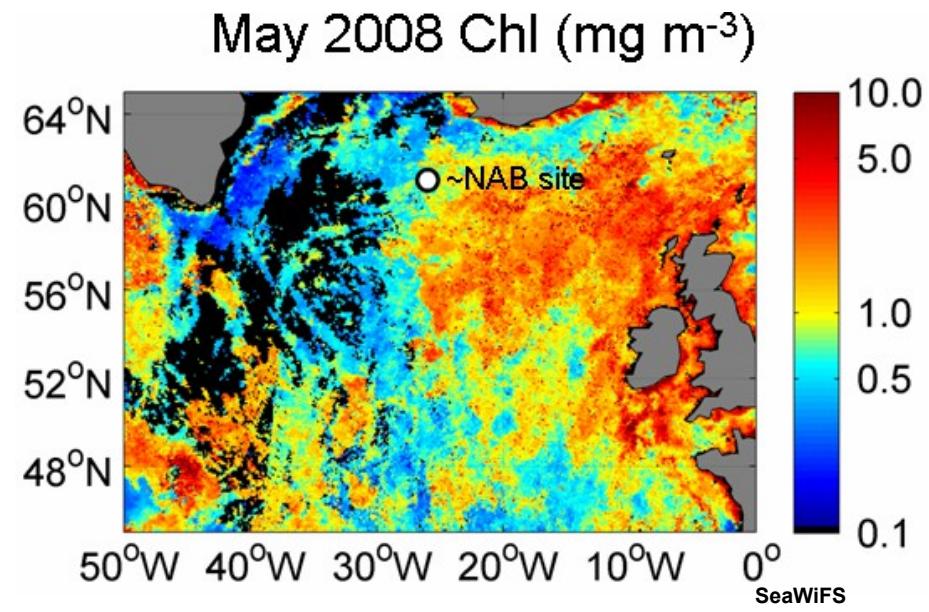
Halifax, NS

1 June 2009

North Atlantic Spring Bloom

- Photosynthetic Carbon uptake
- Carbon removal (mixed layer pump, aggregate sinking)
- Carbon storage

High spatial variability – patchiness:



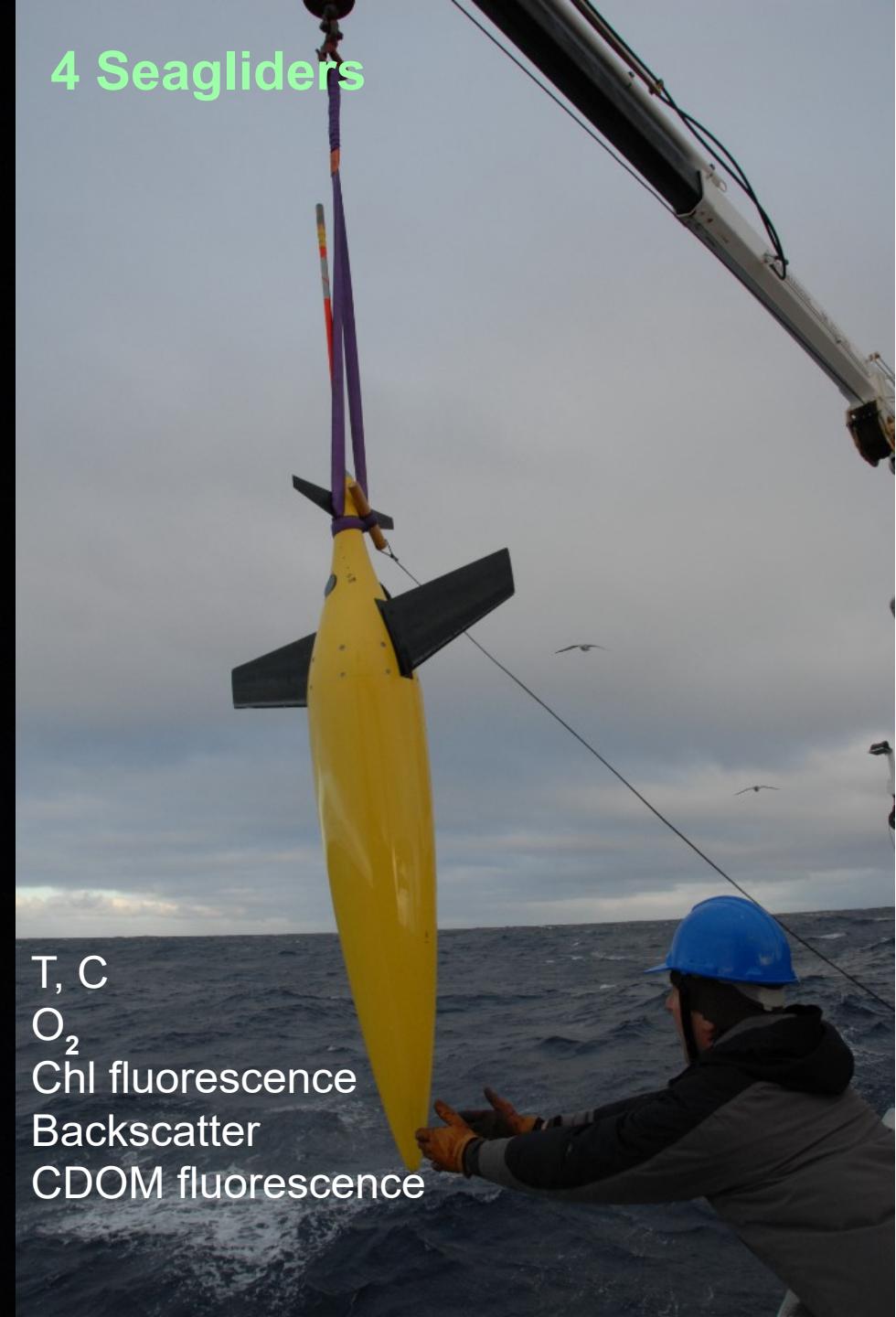
Three cruises



2 Lagrangian floats



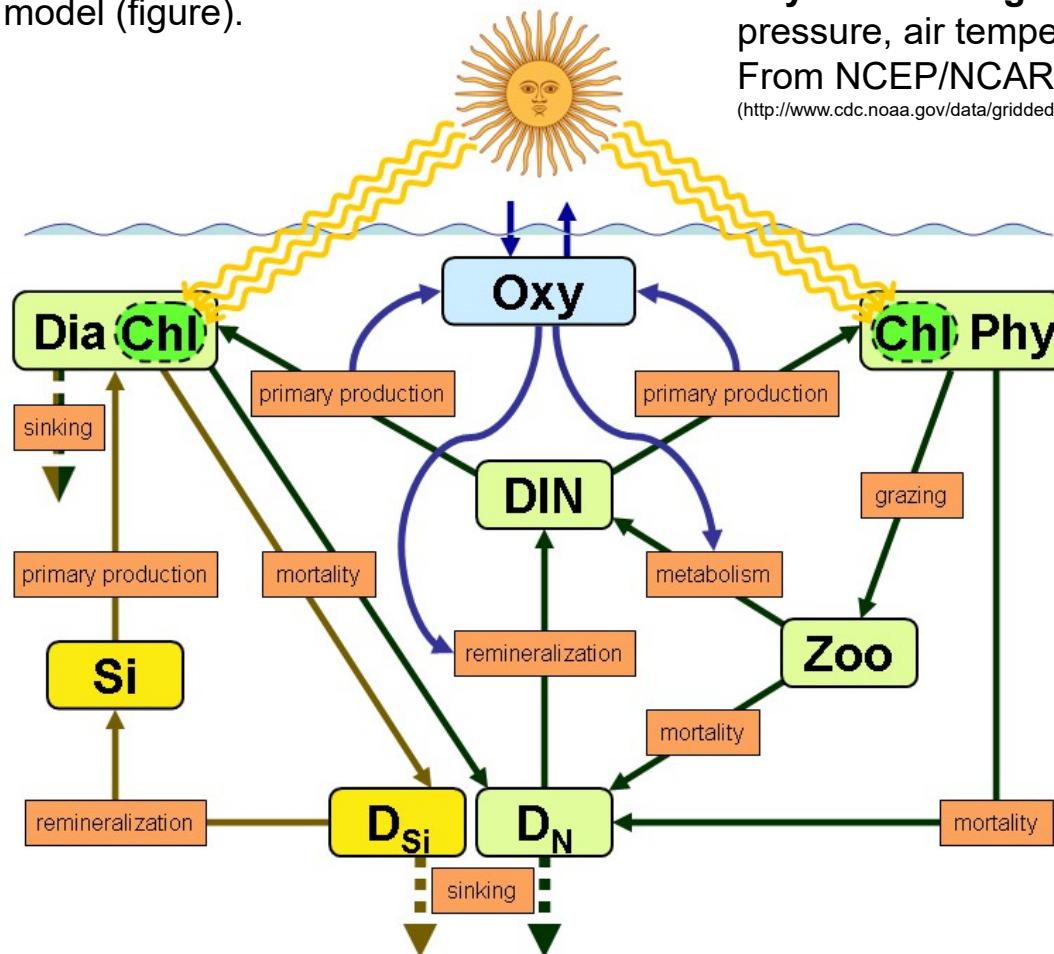
4 Seagliders



GOTM 1-D physical - biological model

Physical model: 1D General Ocean Turbulence Model (GOTM), coupled with a biological model (figure).

Physical forcing: wind speed, air pressure, air temperature and humidity.
From NCEP/NCAR Reanalysis
(<http://www.cdc.noaa.gov/data/gridded/data.ncep.reanalysis.surfaceflux.html>).

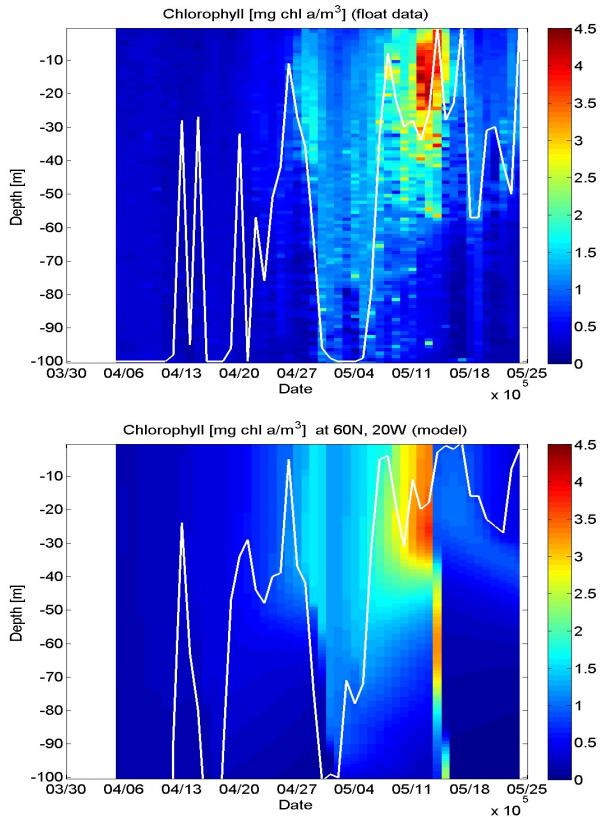


Data assimilation

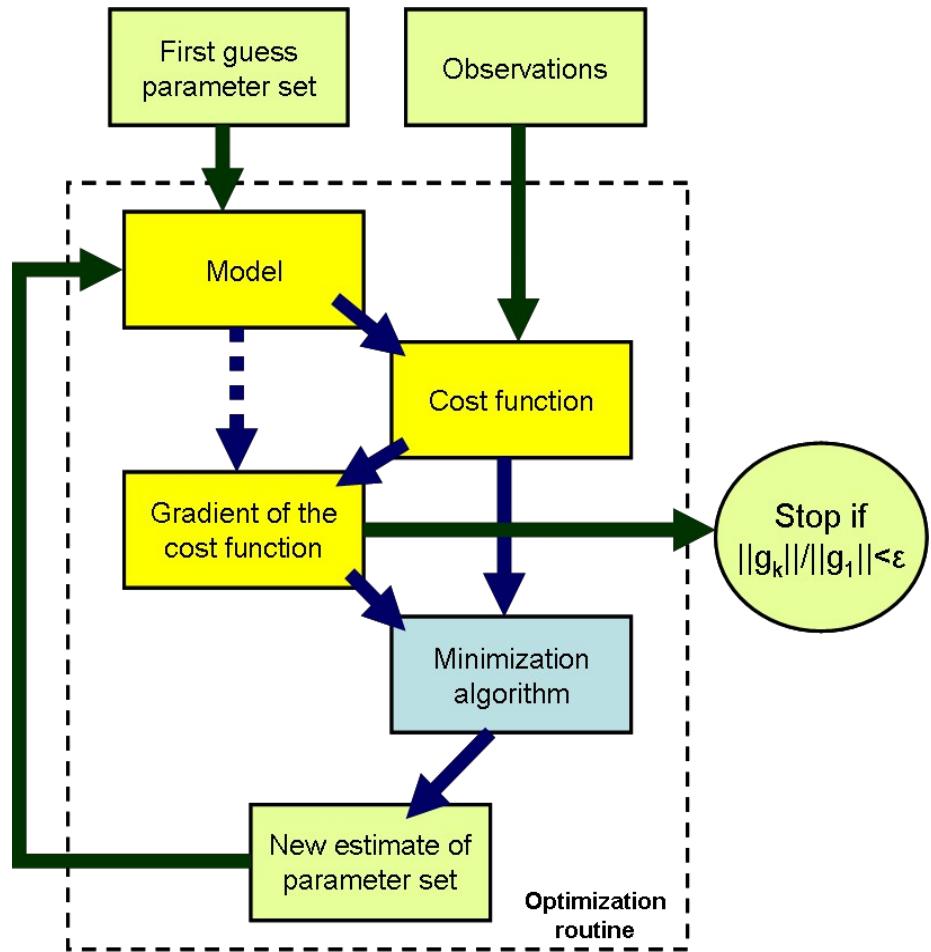
The cost function – calculates the misfit between model data and observations:

$$F(\bar{p}) = \frac{1}{n} \sum_i^n \frac{(X_i^{obs} - X_i^{mod}(\bar{p}))^2}{\sigma_i}$$

Observations
model



Steps involved in the data assimilation procedure:



Data assimilation

Before data assimilation:

$$\mu_{\max} \text{Phy} = 0.30$$

$$\mu_{\max} \text{Dia} = 0.5$$

$$g_{\max} = 1.0$$

Cost = 4.40

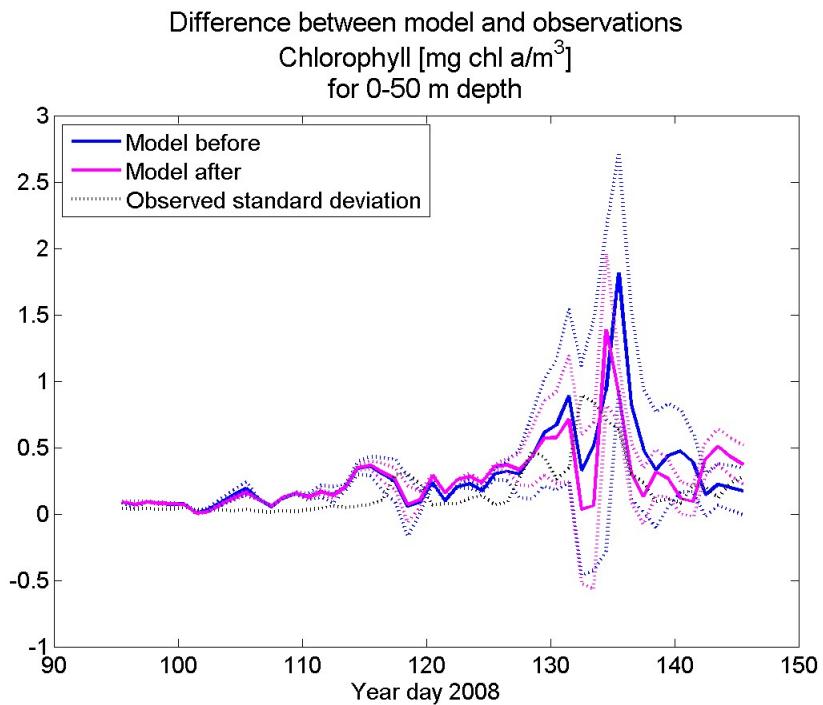
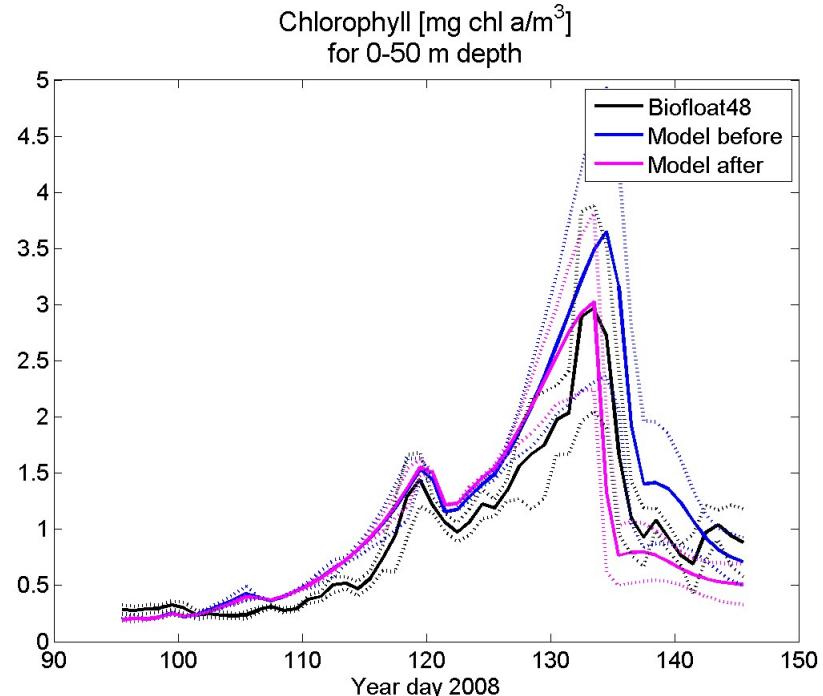
After data assimilation:

$$\mu_{\max} \text{Phy} = 0.29$$

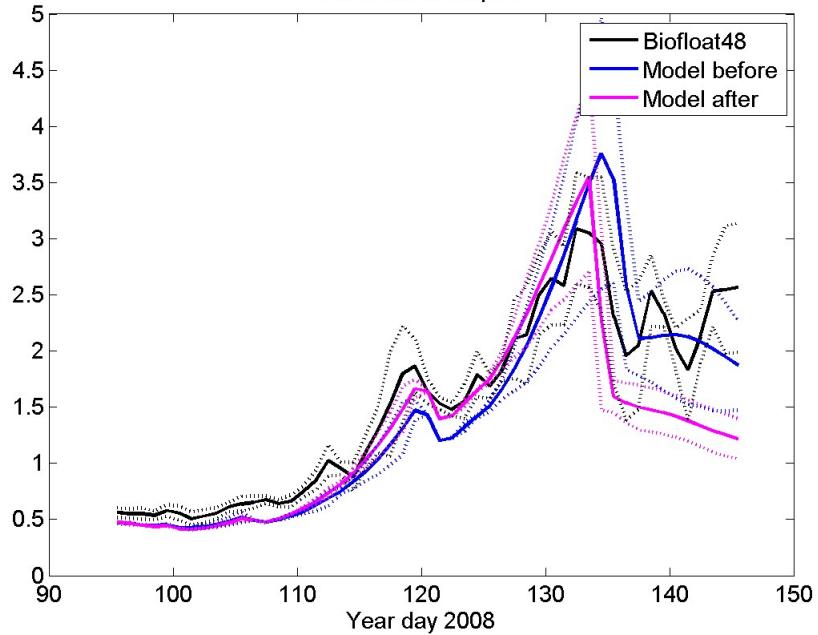
$$\mu_{\max} \text{Dia} = 0.41$$

$$g_{\max} = 1.58$$

Cost = 2.87

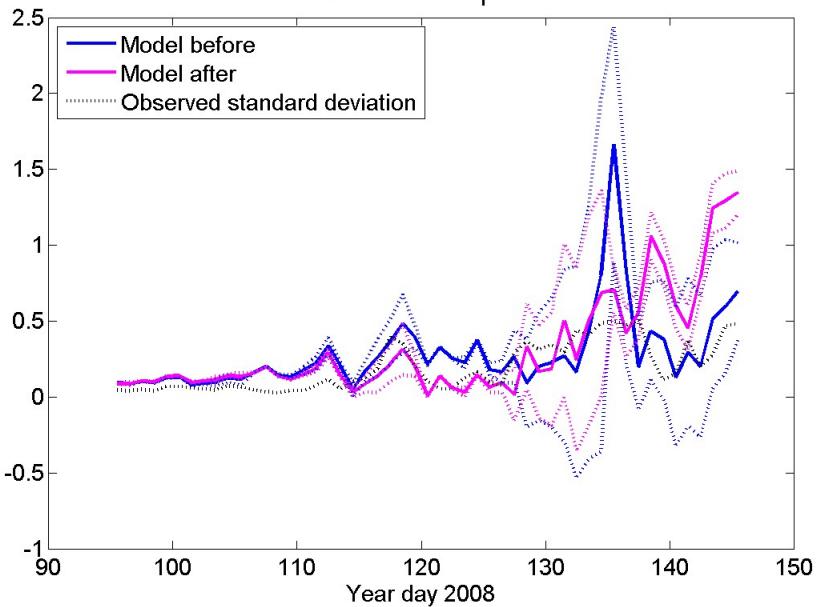


PON [mmol N/m^3]
for 0-50 m depth

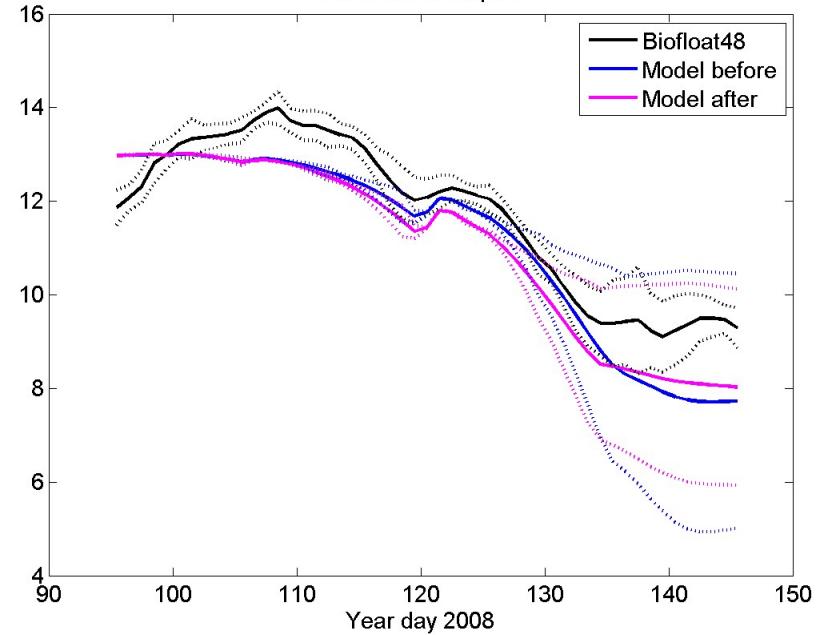


Difference between model and observations

PON [mmol N/m^3]
for 0-50 m depth

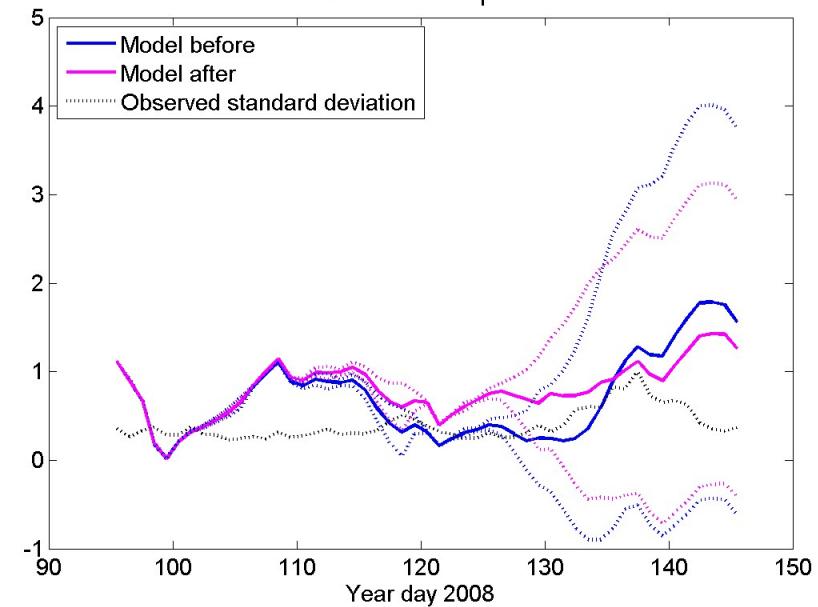


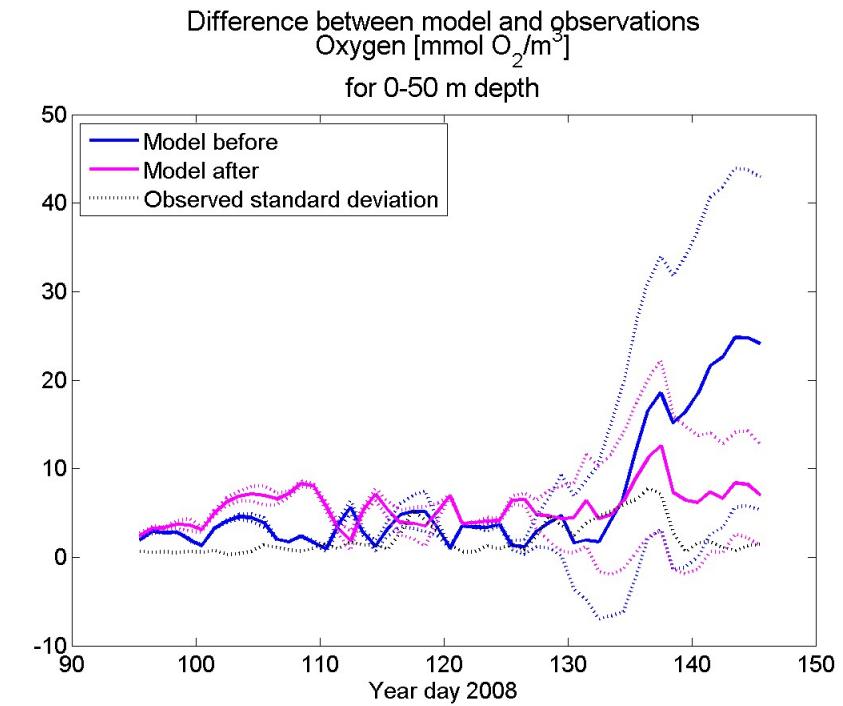
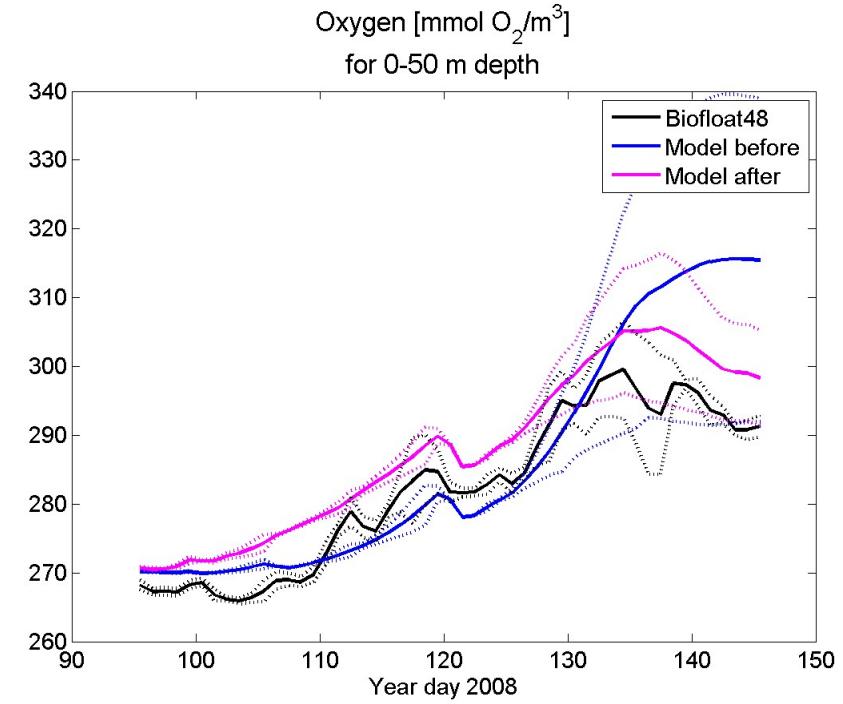
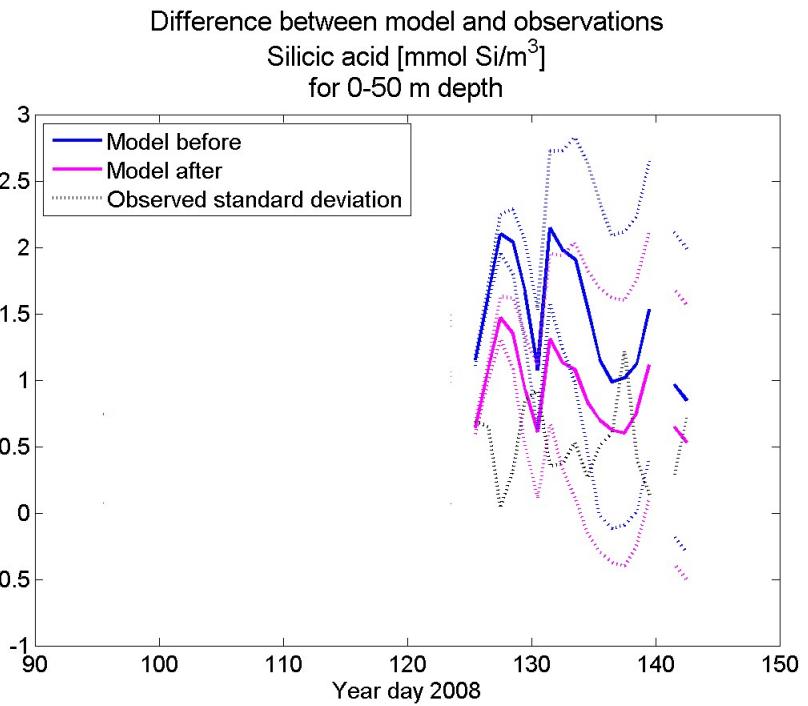
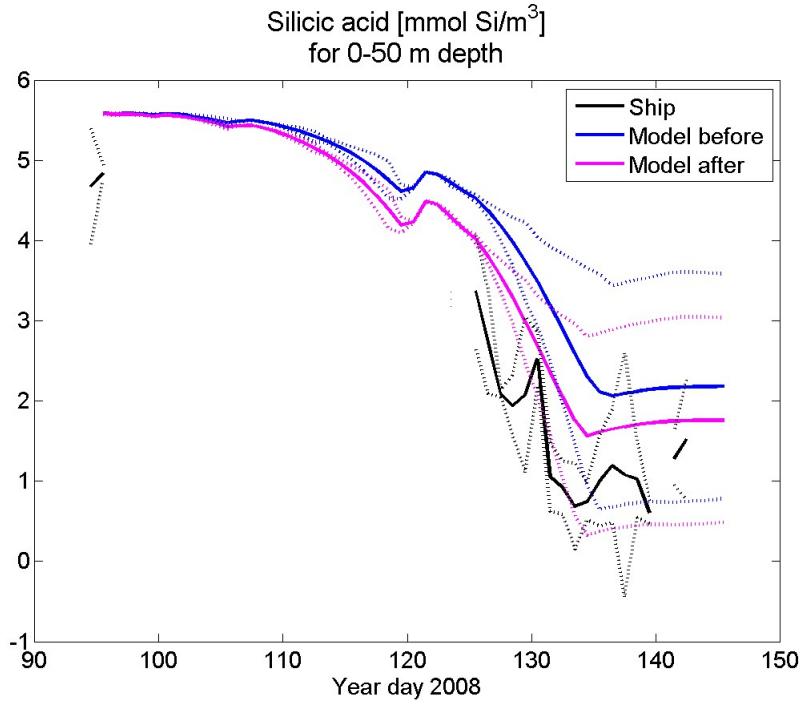
Nitrate [mmol N/m^3]
for 0-50 m depth



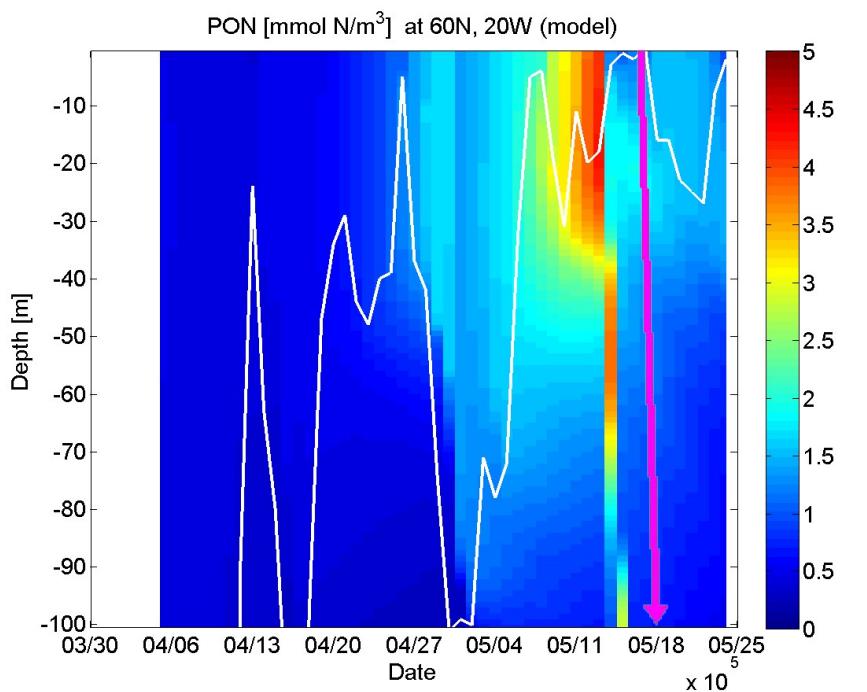
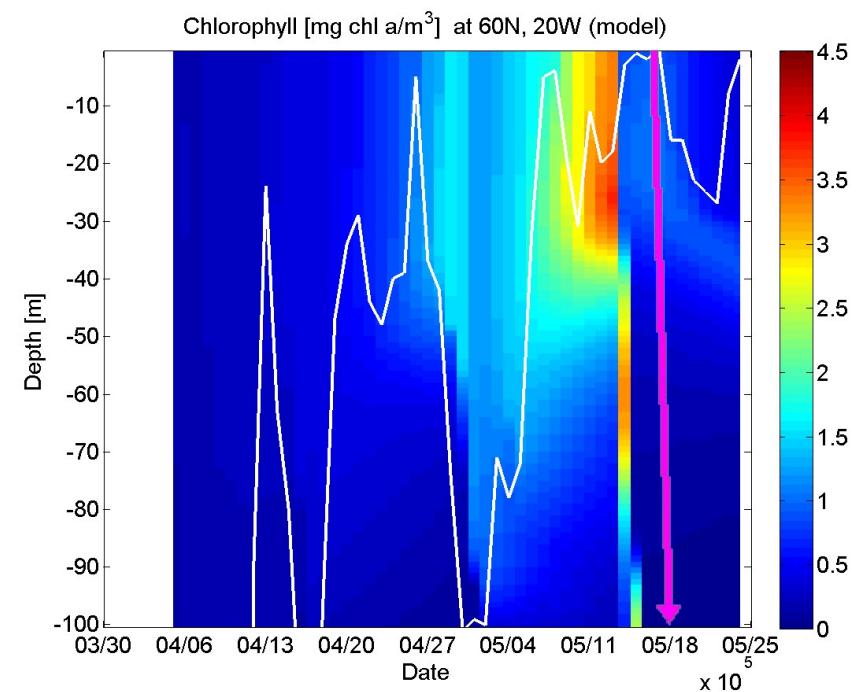
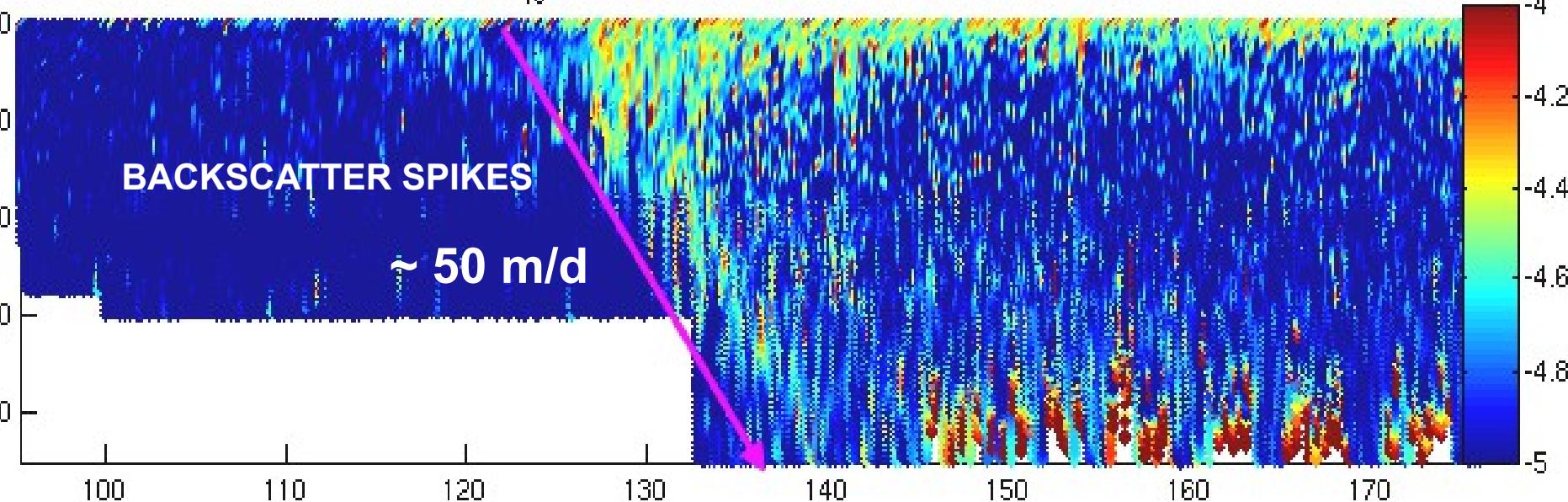
Difference between model and observations

Nitrate [mmol N/m^3]
for 0-50 m depth

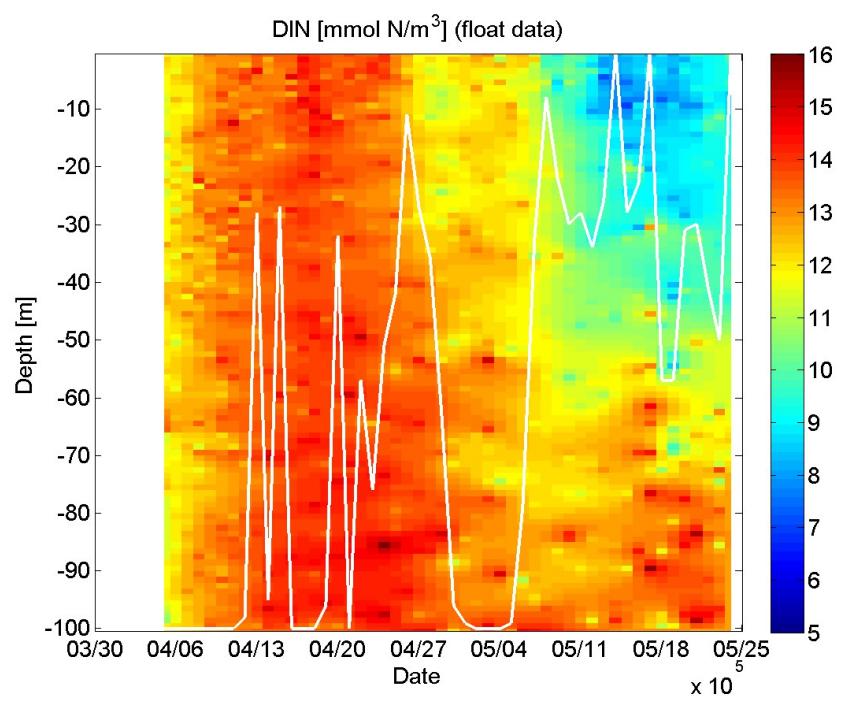




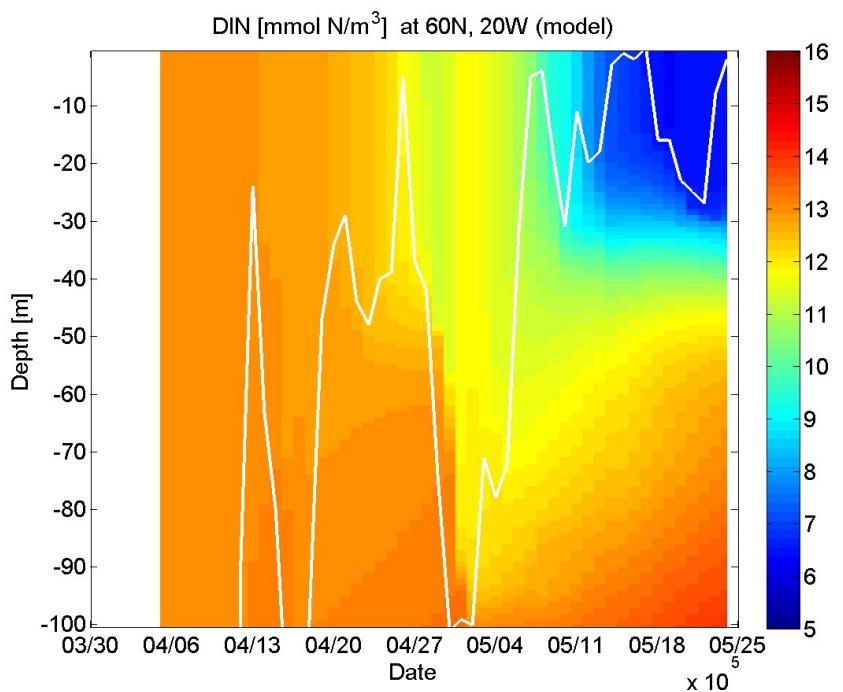
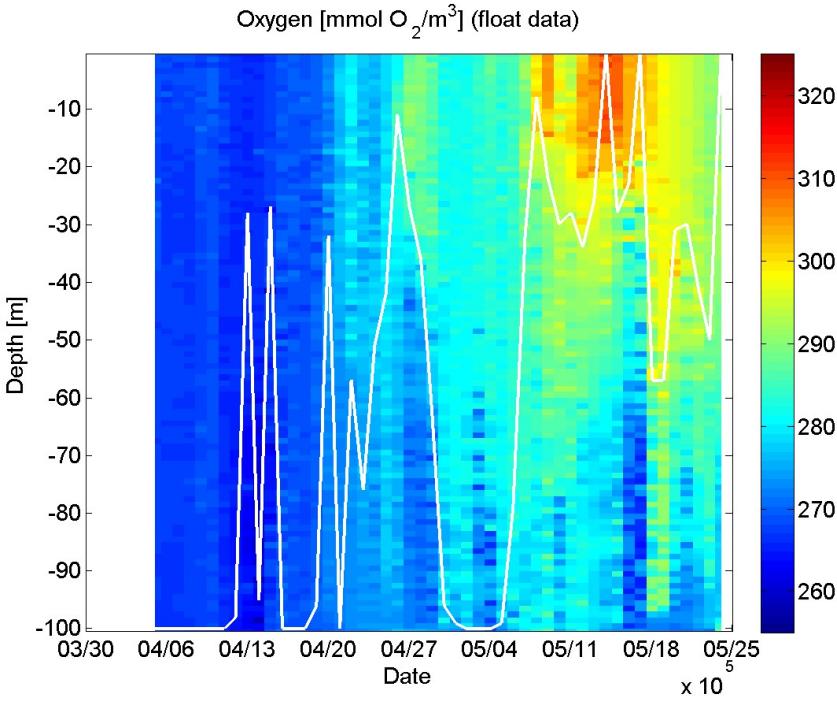
$\log_{10} (|Red\ Spikes| \text{ Low Pass filtered 20 points })$



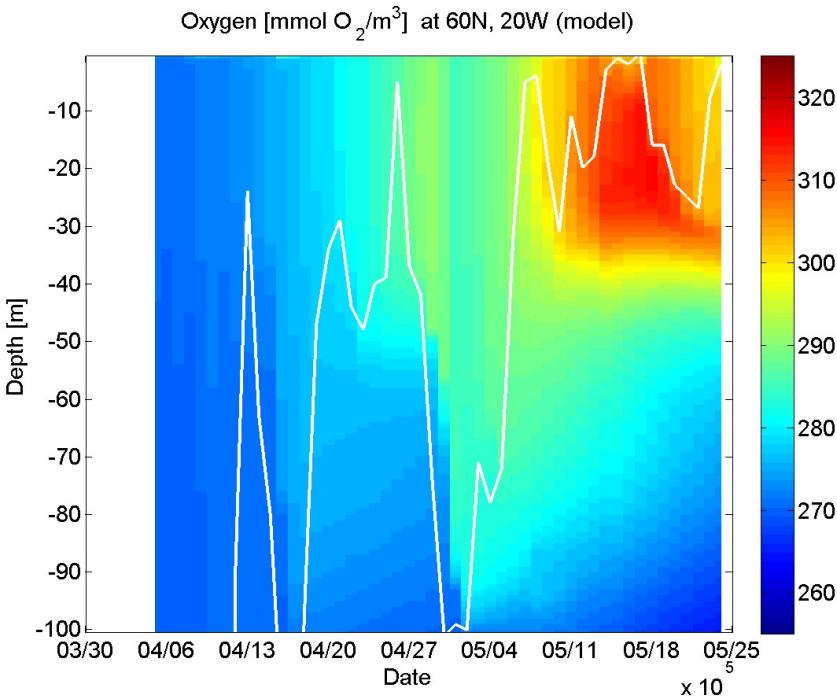
Model data



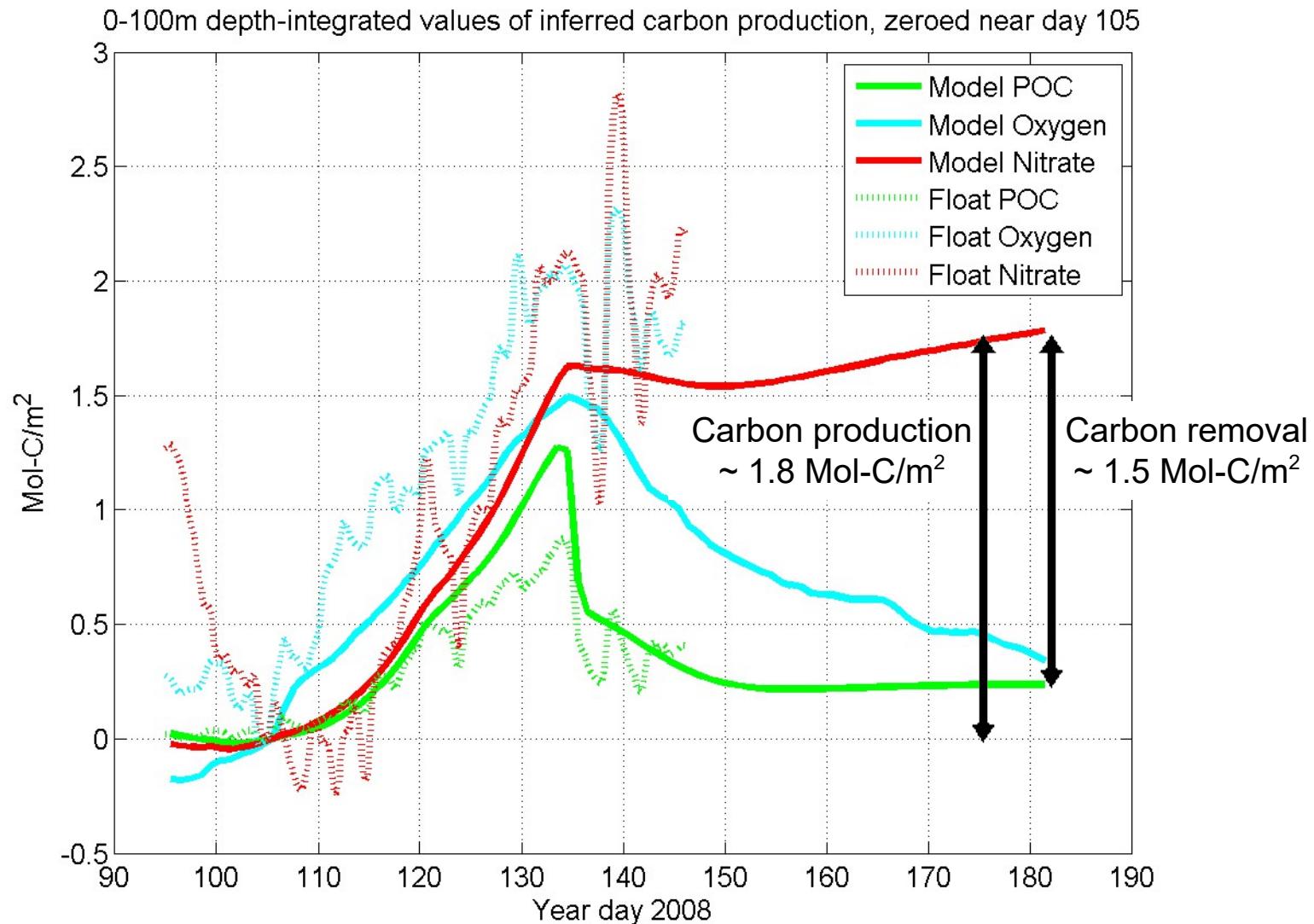
Float data



Model data



Estimating carbon removal



Summary:

- The use of autonomous platforms in the North Atlantic allowed us to follow the evolution of phytoplankton patches
- We developed an ecosystem model and assimilated data from the platforms to improve the model performance
- The model-based estimate of carbon production during the Spring Bloom is $\sim 1.8 \text{ Mol-C/m}^2$
- The estimated carbon removal is $\sim 1.5 \text{ Mol-C/m}^2$

Thank you

Biological model

Sources and sinks of the state variables:

$$\frac{\partial Phy}{\partial t} = \mu_{Phy} Phy - gZoo - m_{Phy} Phy - w_{Phy} \frac{\partial Phy}{\partial z}$$

$$\frac{\partial Dia}{\partial t} = \mu_{Dia} Dia - m_{Dia} Dia - w_{Dia} \frac{\partial Dia}{\partial z}$$

$$\frac{\partial Zoo}{\partial t} = \beta gZoo - \varepsilon_1 Zoo - \varepsilon_2 Zoo^2$$

$$\frac{\partial Det_N}{\partial t} = (1 - \beta)gZoo + m_{Phy} Phy + m_{Dia} Dia + \varepsilon_2 Zoo^2 - r_N Det_N - w_{Det} \frac{\partial Det_N}{\partial z}$$

$$\frac{\partial Det_{Si}}{\partial t} = \frac{Si}{N} m_{Dia} Dia - r_{Si} Det_{Si} - w_{Det} \frac{\partial Det_{Si}}{\partial z}$$

$$\frac{\partial DIN}{\partial t} = r_N Det_N + \varepsilon_1 Zoo - \mu_{Phy} Phy - \mu_{Dia} Dia$$

$$\frac{\partial Si}{\partial t} = r_{Si} Det_{Si} - \frac{Si}{N} \mu_{Dia} Dia$$

$$\frac{\partial Chl_1}{\partial t} = \rho_{Chl_1} \mu_{Phy} Phy - gZoo \frac{Chl_1}{Phy} - m_{Phy} Chl_1 - w_{Phy} \frac{\partial Chl_1}{\partial z}$$

$$\frac{\partial Chl_2}{\partial t} = \rho_{Chl_2} \mu_{Dia} Dia - m_{Dia} Chl_2 - w_{Dia} \frac{\partial Chl_2}{\partial z}$$

$$\frac{\partial Oxy}{\partial t} = r_{Oxy:DIN} (\mu_{Phy} Phy + \mu_{Dia} Dia - r_N Det_N - \varepsilon_1 Zoo)$$

O2 exchange (surface only):

$$\frac{\partial Oxy}{\partial t} = -K(Oxy - O_{sat}(1 + \Delta))$$

$$K = \left(\frac{2}{9} U_{10}^2 + \frac{1}{3} U_{10} \right) \left(\frac{S_C}{600} \right)^{-0.5}$$

$$\Delta = 0.01 \left(\frac{U_{10}}{U_{1ox}} \right)^2$$

Light equations:

$$f(I) = \frac{\alpha I}{\sqrt{(\mu^{max})^2 + \alpha^2 I^2}}$$

$$I = I_0 \phi e^{-zK_w - \int_0^z K_{Chl}(Chl_1(\eta) + Chl_2(\eta)) d\eta}$$

Parameters:

symbol	value	unit	description
μ_{Phy}^{max}	0.3	d^{-1}	maximum small phytoplankton growth rate
μ_{Dia}^{max}	0.38	d^{-1}	maximum diatom growth rate
m_{Phy}	0.1	d^{-1}	small phytoplankton mortality rate
m_{Dia}	0.12	d^{-1}	diatom mortality rate
k_N	0.7	$mmolNm^{-3}$	half-saturation concentration of DIN uptake
k_{Si}	0.71	$mmolSi m^{-3}$	half-saturation concentration of silicic acid uptake
α_{Phy}	0.017	$\frac{mmolN}{mgChl dV/m^2}$	initial slope of P-I curve (small phytoplankton)
α_{Dia}	0.028	$\frac{mmolN}{mgChl dV/m^2}$	initial slope of P-I curve (diatoms)
θ_{max}	3.84	$\frac{mgChl}{mgN}$	phytoplankton maximum Chl:N
$\frac{Si}{N}$	1.0	$molSi : molN$	stoichiometry of diatoms
g_{max}	0.95	d^{-1}	maximum grazing rate
λ	1.0	$(\frac{mmolN}{m^3})^2$	zooplankton grazing half-saturation
β	0.75	-	assimilation efficiency of zooplankton
ε_1	0.067	d^{-1}	zooplankton excretion rate
ε_2	0.25	$(mmolNm^{-3})^{-1}$	zooplankton mortality rate
r_N	0.1	d^{-1}	detrital nitrogen remineralization rate
r_{Si}	0.05	d^{-1}	detrital silicate remineralization rate
w_{Phy}	-0.1	md^{-1}	sinking rate of small phytoplankton
w_{Dia}	-0.8, -55.0	md^{-1}	sinking rates of diatoms
w_{Det}	-5.0	md^{-1}	sinking rate of detritus
I_0		Wm^{-2}	incoming light just below the ocean surface
ϕ	0.43	-	fraction of light that is photosynthetically active
K_w	0.04	m^{-1}	light attenuation coefficient for water
K_{Chl}	0.016	$(mgChl)^{-1} m^{-1}$	light attenuation coefficient for chlorophyll

Parametrizations:

$$\rho_{Chl_1} = \frac{\theta_{max} \mu_{Phy} Phy}{\alpha I Chl_1}$$

$$\rho_{Chl_2} = \frac{\theta_{max} \mu_{Dia} Dia}{\alpha I Chl_2}$$

$$\mu_{Phy} = 1.066^T \mu_{Phy}^{max} f(I) \frac{DIN}{k_N + DIN}$$

$$\mu_{Dia} = 1.066^T \mu_{Dia}^{max} f(I) \min \left(\frac{Si}{k_{Si} + Si}, \frac{DIN}{k_N + DIN} \right)$$

$$g = g_{max} \lambda Phy (1 - e^{-\lambda Phy}) Zoo$$