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**Algorithm 1** Algorithm to determine optimal parallelization strategy for an operator DAG

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1: procedure FINDOPTSTRATEGY( $G = (V, E)$ ,  $nprocs$ )
2:   for all  $v \in V$  do
3:      $v.neighbors \leftarrow \{u : (u, v) \in E \vee (v, u) \in E\}$ 
4:      $v.processed \leftarrow \text{False}$ 
5:
6:      $\triangleright v.dim$ : Iteration domain dimension of the operation in  $v$ 
7:      $v.configs \leftarrow \{(c_1, c_2, \dots, c_{v.dim}) : \forall_{i \in [1, v.dim]} c_i \in \mathbb{Z}^* \wedge \prod_{i \in [1, v.dim]} c_i \leq nprocs\}$ 
8:   end for
9:
10:   $tbl \leftarrow \emptyset$ 
11:   $S \leftarrow \{v : v \in V \wedge v.processed = \text{False}\}$   $\triangleright$  Set of unprocessed vertices
12:  while  $S \neq \emptyset$  do
13:     $\triangleright$  Choose a vertex with least no. of unprocessed neighbors from  $S$ 
14:    for all  $v \in S$  do
15:       $v.unprocessed\_neighbors \leftarrow \{u : u, v \in S \wedge u \in v.neighbors\}$ 
16:    end for
17:     $v_{min} \leftarrow \arg \min_{v \in S} |v.unprocessed\_neighbors|$ 
18:
19:     $\triangleright$  Each element in  $C$  is a set of pairs  $\{(u_1, cfg_1), \dots, (u_n, cfg_n)\}$ , where  $u_i$  is an unprocessed
    neighbor of  $v_{min}$  and  $cfg_i$  is a valid configuration of  $u_i$ 
20:     $C \leftarrow \prod_{u \in v_{min}.unprocessed\_neighbors} \{(u, cfg) : cfg \in u.configs\}$ 
21:
22:     $\triangleright$  For each combination of configuration of unprocessed neighbors of  $v_{min}$ , find a config of  $v_{min}$ 
    that minimizes the cost
23:    for all  $c \in C$  do
24:       $c_{min} \leftarrow \arg \min_{c_v \in v_{min}.configs} (\text{COST}(v_{min}, c_v, c))$   $\triangleright$  Refer Alg. 2
25:       $tbl \leftarrow tbl \cup \{(v_{min}, c, c_{min})\}$ 
26:    end for
27:
28:     $v_{min}.processed \leftarrow \text{True}$ 
29:     $S \leftarrow S \setminus \{v_{min}\}$ 
30:  end while
31:
32:  return OPTCONFIG( $G, tbl$ )  $\triangleright$  Refer Alg. 3
33: end procedure

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**Algorithm 2** Algorithm that returns the cost when configuration  $c$  is assigned to a vertex  $v$ , and its unprocessed neighbors have configurations  $U_c$

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**procedure** COST( $v, c, U_c$ )  
**end procedure**

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**Algorithm 3** Algorithm that extracts an optimal configuration from the dynamic programming table generated in Alg. 1

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**procedure** OPTCONFIG( $G, tbl$ )  
**end procedure**

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