## Supplemental Material for "LWS: A Framework for Log-based Workload Simulation in Session-based SUT"

## 1. LWS DSL

We design a DSL to describe the workload features in a human-readable way so that the simulated workload can be executed easily even by a non-expert who is not familiar with the LWS framework. We divide the workload features into two categories, namely the user behavior features and the intensity features. The example of DSL input files have been displayed in Table. 1. As we can see from the table, the user behavior features consist of the index, the name, the API detail including the request method (GET/POST/PUT/DELETE) and the request URL, the parameter including the name and values, and the transition probability between two adjacent nodes in the relational model. Specially, two dummy nodes  $u_s$  (INITIAL) and  $u_e$  (TERMINAL) are defined. In the intensity features, the mandatory information includes the interval  $\delta$  to represent the time span in seconds and the exact workload intensity modeling method (reproduction/fitting/generation). According to the workload intensity method, the corresponding components of time series to describe I(t) from different perspectives should be provided. The DSL grammar is defined in the Backus Normal Form (BNF) as shown in Figure 1.

## 2. Fitting Mathematical Expressions

Table 2 shows the detailed mathematical expressions and evaluation metrics including the sum of squares error (denoted by SSE), R-squared value (denoted by R-square), and the root mean square error (denoted by RMSE) of fitting the original intensity. Each mathematical expression is the most suitable one automatically chosen based on RMSE.

## 3. Generation Parameters

Table 3 shows the parameters and interpolation functions adopted in Generation(LIMBO) and Generation(TSAGen).

Table 1: The example of DSL input files (The symbol of ... represents omissions to satisfy the space constraints).

Category	Content		
	0 NAME adding_to_cart		
	0 API POST /cart		
	0 PARAM product_id: ['0PUK6V6EV0','6E92ZMY-YFZ','2ZYFJ3GM2N',] quantity: [1,2,3]		
	1 NAME home		
	1 API GET /		
	1 PARAM		
User	2 NAME placing_order		
Behavior	2 API POST /cart/checkout		
Features	2 PARAM email: ['someone@example.com']		
	6 TERMINAL 7 INITIAL 0->5 1.00 1->3 0.33 1->4 0.67		
Intensity Features	method generation interval 10 trend 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 season 1 2 3 4 5 1 2 3 4 5 1 2 3 4 5 noise 1 0 2 0 1 0 0 1 1 0 2 0 1 0 1		

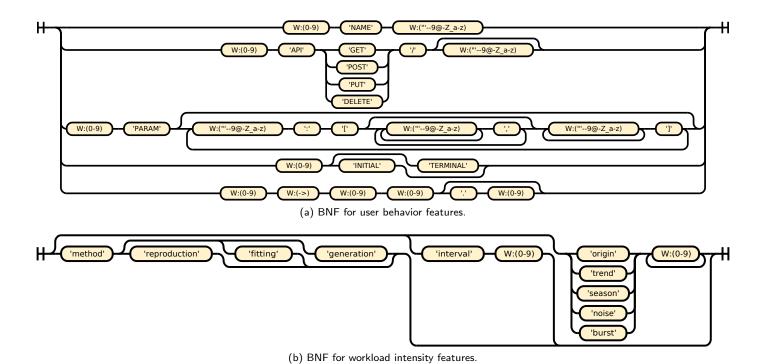


Figure 1: The BNF structures for our DSL grammer.

Table 2: The mathematical expressions of fitting the original intensity in the dataset  $\mathcal{B}$ .

Method	Component	Mathematical Expression	SSE	R-square	RMSE
$Fitting \ (Origin)$	-	$f(x) = a_0 + a_1 \times \cos(wx) + b_1 \times \sin(wx) + a_2 \times \cos(2wx) + b_2 \times \sin(2wx) + a_3 \times \cos(3wx) + b_3 \times \sin(3wx) + a_4 \times \cos(4wx) + b_4 \times \sin(4wx) + a_5 \times \cos(5wx) + b_5 \times \sin(5wx) + a_6 \times \cos(6wx) + b_6 \times \sin(6wx) + a_7 \times \cos(7wx) + b_7 \times \sin(7wx) + a_8 \times \cos(8wx) + b_8 \times \sin(8wx), w = 0.04363, a_0 = 34.74, a_1 = -3.123, b_1 = -21.09, a_2 = 7.203, b_2 = -13.5, a_3 = 0.4789, b_3 = -6.229, a_4 = -3.534, b_4 = -3.381, a_5 = -1.036, b_5 = -0.8598, a_6 = -0.4041, b_6 = -0.803, a_7 = 0.1615, b_7 = -0.6252, a_8 = -1.054, b_8 = 0.1594$	$2.112 \times 10^4$	0.9537	4.319
$Fitting \ (Decomposition)$	trend	$f(x) = p_1 \times x^8 + p_2 \times x^7 + p_3 \times x^6 + p_4 \times x^5 + p_5 \times x^4 + p_6 \times x^3 + p_7 \times x^2 + p_8 \times x + p_9, p_1 = -3.679 \times 10^{-21},$ $p_2 = 1.483 \times 10^{-17}, p_3 = -2.332 \times 10^{-14},$ $p_4 = 1.798 \times 10^{-11}, p_5 = -6.92 \times 10^{-9},$ $p_6 = 1.19 \times 10^{-6}, p_7 = -7.02 \times 10^{-5},$ $p_8 = 0.002077, p_9 = 33.61$	79.53	0.9922	0.264
	season	$f(x) = a_0 + a_1 \times \cos(wx) + b_1 \times \sin(wx) + a_2 \times \cos(2wx) + \\ b_2 \times \sin(2wx) + a_3 \times \cos(3wx) + b_3 \times \sin(3wx) + \\ a_4 \times \cos(4wx) + b_4 \times \sin(4wx) + a_5 \times \cos(5wx) + \\ b_5 \times \sin(5wx) + a_6 \times \cos(6wx) + b_6 \times \sin(6wx) + \\ a_7 \times \cos(7wx) + b_7 \times \sin(7wx) + a_8 \times \cos(8wx) + \\ b_8 \times \sin(8wx), w = 0.04394, a_0 = 0.001179, \\ a_1 = 0.5394, b_1 = -20.54, a_2 = 11.22, b_2 = -9.706, \\ a_3 = 3.663, b_3 = -4.802, a_4 = -0.2356, b_4 = -4.556, \\ a_5 = 0.134, b_5 = -1.233, a_6 = 0.5156, b_6 = -0.7415, \\ a_7 = 0.6966, b_7 = -0.061, a_8 = -0.2362, b_8 = -0.7853$	296.8	0.9993	0.5121
	noise	$f(x) = a_1 \times exp(-(x - b_1)^2/c_1^2), a_1 = 24.75,$ $b_1 = 1.147 \times 10^3, c_1 = 10.76$	$1.403 \times 10^4$	0.2838	3.498
	merge	f(x) = trend + season + noise	$1.405 \times 10^{4}$	0.9692	3.541

Table 3: The parameters of Generation.

Method	Component	Parameter	Value
	trend	$\eta_1$	1
		$\eta_2$	1296
		$c_1$	27.263
		$c_2$	40.207
		$c_3$	26.494
		$g_1$	linear
	season	$\eta_2$	1296
		$\eta_3$	9
		$\eta_4$	1152
		$c_4$	-24.975
Generation(LIMBO)		$c_5$	-24.975
		$c_6$	17.596
		$c_7$	19.723
		$g_2$	quadratic
		$\eta_5$	104
		$\eta_6$	160
	burst	$\eta_7$	32
		$c_8$	32
		$g_3$	quadratic
	noise	$\eta_8$	0
	noise	$\eta_9$	6
	trend	$\theta_1$	31.550
		$\theta_2$	0.005
	season	$\theta_3$	65
		$\theta_4$	144
		$\theta_5$	8
Generation(TSAGen)		$k_1$	0
Generation (15AGen)		$k_2$	0
		$d_1$	10
		$d_2$	2
	noise	$\theta_6$	0.206
		$\theta_7$	0.139
		$\theta_8$	4.057