

Normal Forms

Source/References:

Database Systems: The Complete Book, and Elmasir/Navathe



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Normal Forms

- Normal forms are used as measure of “goodness” of a relation.
- Higher the normal form, less redundancies it has, and less the anomalies it has; and better the relation is.

The process of having “good relations” in a relational database schema, i.e. they are free from anomalies and redundancies is called as **Normalization**



Normal forms

- Initially Edgar(Ted) F. Codd proposed three normal forms, which he called First, Second, and Third normal forms.
- A stronger definition of 3NF, called Boyce-Codd Norm Form (BCNF) – was proposed later by Boyce and Codd.
- All these normal forms are based on the functional dependencies among the attributes of a relation.
- Later a Fourth normal form (4NF) and Fifth normal form (5NF) were proposed based on multi-value dependencies and join dependencies respectively



Normal Forms

- First Normal Form (1NF)
- Second Normal Form (2NF)
- Third Normal Form (3NF)
- Boyce - Codd Normal Form (BCNF)
- Fourth Normal Form (4NF)
- Let us not go higher



First Normal Form (1NF)

- A relation is in First normal form if it qualifies to following
 - A relation is set of tuples, i.e. every tuple is distinct
 - Each value in a tuple is “atomic”



Example-First Normal Form (1NF)

- With given definition, following relation are not in 1NF-

Room_HOR(RoomNo, Wing, Floor, Resident_Set),

and suppose it has following two tuples-

<C115, C, 1, {201001023, 201001111}>

<H211, H, 2, {201111011}>

Not in 1NF, because attribute is not atomic

- Alternative following scheme is also not in 1NF-

Room_HOR(RoomNo, Wing, Floor, Resident1, Resident2),

and suppose it has following two tuples-

<C115, C, 1, 201001023, 201001111>

<H211, H, 2, 201111011, null>

Because- not correct way of dealing with multiple values of an attribute



Example-First Normal Form (1NF)

- Following are more relation schemes that are not in 1NF-

Department(DNO, DName, MGRSSN, DLOCATIONS)

<4,'Marketing',101, {Delhi,Mumbai,Pune}>

- Composite attributes are also not atomic therefore following relation is also not in 1NF-

Student(ID, Name(Fname, Minit, Lname), Batch, CPI)

<200701001,<Charu,K,Chawla>, 2007, 6.8>



First Normal Form – issue?

- Is not DOB is a composite in following relation scheme?
- Student(ID, FName, MInit, LName, DOB, Batch, CPI),
<200701001, Charu, K, Chawla, <1988,11,21>, 2007, 6.8>
- is still the relation is 1NF?



First Normal Form (1NF)

- CJ Date given modern understanding of atomicity as single value of “appropriate type”.
- And type could be anything – scalar, complex, arrays, user defined types, and even relations, and that is what modern DBMS supports – ORDBMS!
- Does not it messes up with all learning about atomicity?



Normal Forms

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Two ways of understanding 2nd, 3rd, BC Normal Forms

- Begin with BCNF (more stricter form), and come down to 2NF, or
- Reverse, i.e. start with 2NF, and go upto BCNF
- These days First approach is preferred with following reasons:
 - Most relations that you design using your common sense, or by mapping ER to Relations; you are likely to have BCNF
 - Second, 2NF and 3NF are discussed more for historical reasons



2NF and 3NF

- Term: Prime Attribute. Is the one that is part of any of (minimal) key.
- **2NF**: A relation is 2NF is all non-prime attributes are functionally (irreducibly) dependent on key.
- **3NF**: A relation is 3NF is all non-prime attributes are functionally (irreducibly) directly, and not transitively dependent on key.



2NF and 3NF - examples

- Following relations are not in 2NF
 - R1(SSN, PNO, PNAME, HOURS)
 - R2(AcadYear, Semester, CourseNo, Credit, FacultyID)
 - R3(AcadYr, Sem, CourseNo, Credit, StudentID, Grade)
- Following relations are in 2NF (but not in 3NF)
 - EMP(SSN, FName, DOB, DNO, Salary, Dname, MGRSSN)
 - Team(TeamID, PWD, MentorID, InstituteID)



BCNF

- A relation R is in Boyce-Codd Normal Form, when determinant of every FD that holds on R , is key of R .
- In other words, For every FD $A \rightarrow B$ that holds on relation R , A is its key.
- This is to be checked for all FDs on R , if any FDs fail to meet this criteria, the relation is not in BCNF



Example BCNF

- Check if these relations are in BCNF

employee(ssn, fname, salary, DoB, superssn, dno)

department(dno, dname, mgrssn, mgrstartdate)

dept_locations(dno, dlocation)

project(pno, pname, plocation, dno)

works_on(essn, pno, hours)

dependent(essn, dep_name, dep_bdate, relationship)

ssn \rightarrow fname
ssn \rightarrow minit
ssn \rightarrow lname
ssn \rightarrow salary
ssn \rightarrow superssn
ssn \rightarrow bdate
ssn \rightarrow gender
ssn \rightarrow dno
dno \rightarrow dname
dno \rightarrow mgrssn
dno \rightarrow mgrstartdate
pno \rightarrow pname
pno \rightarrow proj_dno
pno \rightarrow plocation
{ssn, pno} \rightarrow hours
{ssn, dep_name} \rightarrow dep_gender
{ssn, dep_name} \rightarrow dep_bdate
{ssn, dep_name} \rightarrow relationship



Are relations in BCNF?

Member(MembID, MembName, MembEmail, TeamID)

Team(TeamID, TeamPWD, MentorID)

Mentor(MentorID, MentorName, Email, InstID)

Institute(InstID, InstName, City, PIN, State)

FDs:

MembID → MembName, MembEmail, TeamID, TeamPWD, MentorID,
MentorName, Email, InstID, InstName, City, PIN, State

TeamID → TeamPWD, MentorID, MentorName, Email, InstID, InstName, City, PIN,
State

MentorID → MentorName, Email, InstID

InstID → InstName, City, PIN, State

PIN → City, State



Another Definition of 3NF

- 3NF is less restrictive than BCNF, it relaxes BCNF condition for *prime attributes* (attribute that are part of some candidate key)
- A relation is in 3NF, if, for every FD $A \rightarrow B$ that holds on relation R,
 - A is its key, or
 - B is a prime attribute.



BCNF and 3NF - exercise

SSN	FNAME	PNO	PNAME	HOURS
101	Sumit	1	P-1	38
101	Sumit	2	P-2	20
102	Vipul	1	P-1	64
103	Ajay	2	P-2	58

- FDs (Minimal Set):
 - $\{SSN, PNO\} \rightarrow HOURS$
 - $SSN \rightarrow FNAME$
 - $PNO \rightarrow PNAME$
- What are keys? What NF the relation is?



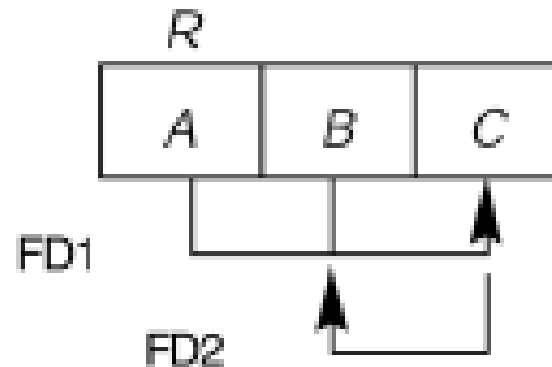
BCNF and 3NF

- Suppose we have WORKS_ON as following:
WORKS_ON(ESSN, PNo, PName*, Hours)
- FDs (suppose):
 - $PNO \rightarrow Pname$
 - $PName \rightarrow PNo$ // Assume that Pname is Unique
 - $\{ESSN, PNo\} \rightarrow Hours$
 - $\{ESSN, PName\} \rightarrow Hours$
- Keys: $\{ESSN, PNO\}$, and $\{ESSN, PName\}$
- This is not in BCNF, last two FDs are violating BCNF requirement!



BCNF and 3NF

- Below is typical situation where a relation is in 3NF but not in BCNF.
- A relation $R(A,B,C)$ having following FDs:
 $\{A,B\} \rightarrow C$, $C \rightarrow A$; and $\{A,B\}$ as key.





BCNF and 3NF - Exercises

- Is the relation in BCNF <Yes/No>?
- Is the relation in 3NF <Yes/No>? Consider both definitions of 3NF!

EMP_DEP(ssn, fname, salary, superssn, dno, dname, mgrssn, mgrstartdate)

FDs in **EMP_DEP**:

ssn -> fname, salary, superssn, dno, dname, mgrssn, mgrstartdate

dno -> dname, mgrssn, mgrstartdate



BCNF and 3NF - Exercises

- Is the relation in 2NF <Yes/No>?

2NF Definition (A relation is 2NF if all non-prime attributes are functionally (irreducibly) dependent on key).

EMP_DEP(ssn, fname, salary, superssn, dno, dname, mgrssn, mgrstartdate)

FDs in **EMP_DEP**:

ssn -> fname, salary, superssn, dno, dname, mgrssn, mgrstartdate

dno -> dname, mgrssn, mgrstartdate



Other definition in 2NF

- In 2NF, we permit FD $X \rightarrow B$; when we also have a FD $A \rightarrow X$, and A is key:
 - That means we have FD $A \rightarrow B$ transitively inferred from FDs $A \rightarrow X$ and $X \rightarrow B$)
 - B is still determined by A (key)
- Example: $dno \twoheadrightarrow mgrssn$ is acceptable FD in 2NF, because you also have FD $ssn \rightarrow dno$ and ssn is Key



Normal Forms - Summarized

- **BCNF**: For every FD $X \rightarrow Y$ that holds on a relation, X is key.
- **3NF**: Relaxes BCNF. For every FD $X \rightarrow Y$ that holds on a relation, one of following is true –
 - X is key, OR
 - Y is prime attribute
- **2NF**: for every FD $X \rightarrow Y$, one of following is true –
 - X is key, OR
 - Y is prime attribute, OR
 - There is another FD $A \rightarrow X$, where A is the key; i.e. Y is transitively determined by key.
- **1NF**: attributes have “atomic” values



Normal Forms- alternate definitions

- **2NF**: all non-prime attributes are irreducibly, or fully dependent on key. (should not partially dependent on key)
- **3NF**: all non-prime attributes are irreducibly and directly dependent on key, transitively dependency is not allowed.
- Note that both definitions of 2NF and 3NF(i.e. earlier and this) mean same only.



Sources/References

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- Elmasir/Navathe