

SELECTION SORT!

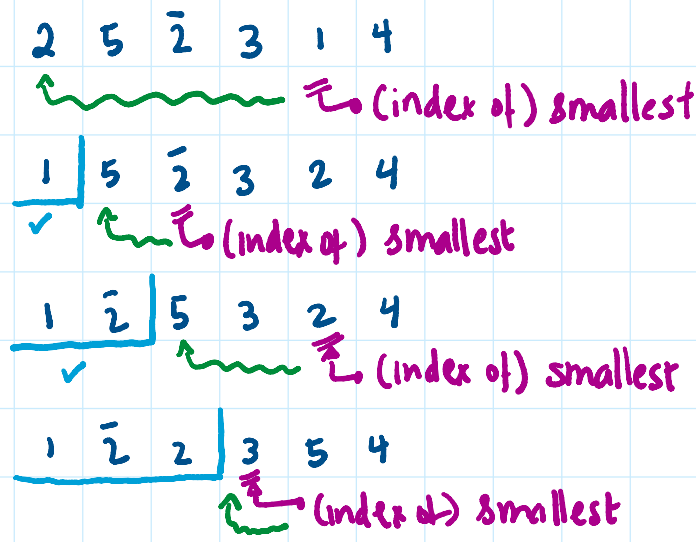
① Intro: Fairly Intuitive iterative process!

- iteration 0: Find (index of) smallest elt in $A[0, \dots, n-1]$
 $\underline{\text{swap}}$ w/ $A[0]$.
 $A[0]$ now correct
- iteration 1: Find (index of) smallest elt in $A[1, \dots, n-1]$
 $\underline{\text{swap}}$ w/ $A[1]$
 $A[0, 1]$ now correct
- \vdots
- iteration $n-2$: Find (index of) smallest elt in $A[n-2, n-1]$
 $\underline{\text{swap}}$ w/ $A[n-2]$
 $A[0, \dots, n-2]$ now correct

Now the list is sorted!

② Example

$\bar{2}$ is a 2 but think it as diff. from 2.



(index of) smallest

 (index of) smallest

 since first 5 correct, all correct! Done!

③ Pseudocode:

\\ PRE: A is a list of length n.
 for i = 0 to n-2

minindex = i
 for j = i+1 to n-1
 if A[j] < A[minindex]
 minindex = j
 end

end
 swap A[i] with A[minindex]
 end

\\ POST: A is sorted.

n-1 times \rightarrow finds and places 0th, 1st, etc elt.

c_1
 $n-1 - (i+1) + 1 = n-i-1$ times.

c_2

c_3 \rightarrow swap! EVEN IF $i == \text{minindex}$

\rightarrow starting at A[i] looks for (index of) smallest elt in A[i, ..., n-1]

Time Complexity is the same, always!

It's

$$T(n) = \sum_{i=0}^{n-2} \left[c_1 + \left[\sum_{j=i+1}^{n-1} c_2 \right] + c_3 \right]$$

= try this! See latex notes for details!

= $\Theta(n^2)$ \rightarrow Same as Bubble!

This is best-case, worst-case, avg-case!

④ Some Details!

(A) Auxiliary Space: List has length n (don't count)

For any n we have

- 2 loop indices
- minindex
- poss. a swap variable

So aux space is $O(1)$

(B) In-Place: yes b/c it swaps within the list!

(C) Stable?

look at our example!



The rel. positions of 2, 2 switched!

NOT STABLE!