

# Vehicle Dynamics and Simulation

## Ride Dynamics

Dr B Mason

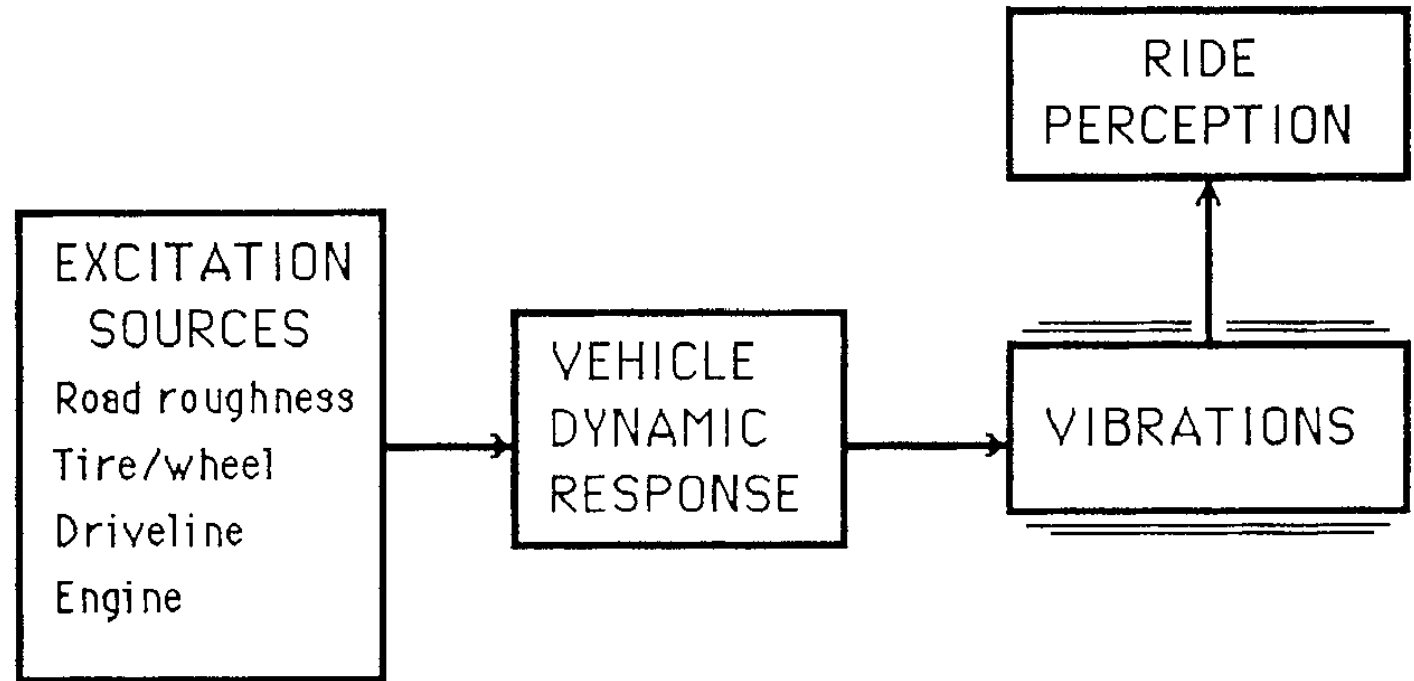
# Lecture overview

- Excitation input
- Quarter car model
- Ride response
  - Active suspension
- Human perception



# The Ride System

- The Ride System
  - Excitation
  - Response
  - Vibration
  - Perception
- Analyses in time or frequency domains



# Excitation: Road Roughness

- Road surface is the most significant excitation source.
- Described using;

$$G_Z(\nu) = G_O \left[ 1 + (\nu_O / \nu)^2 \right] / (2\pi\nu)^2 \quad [1]$$

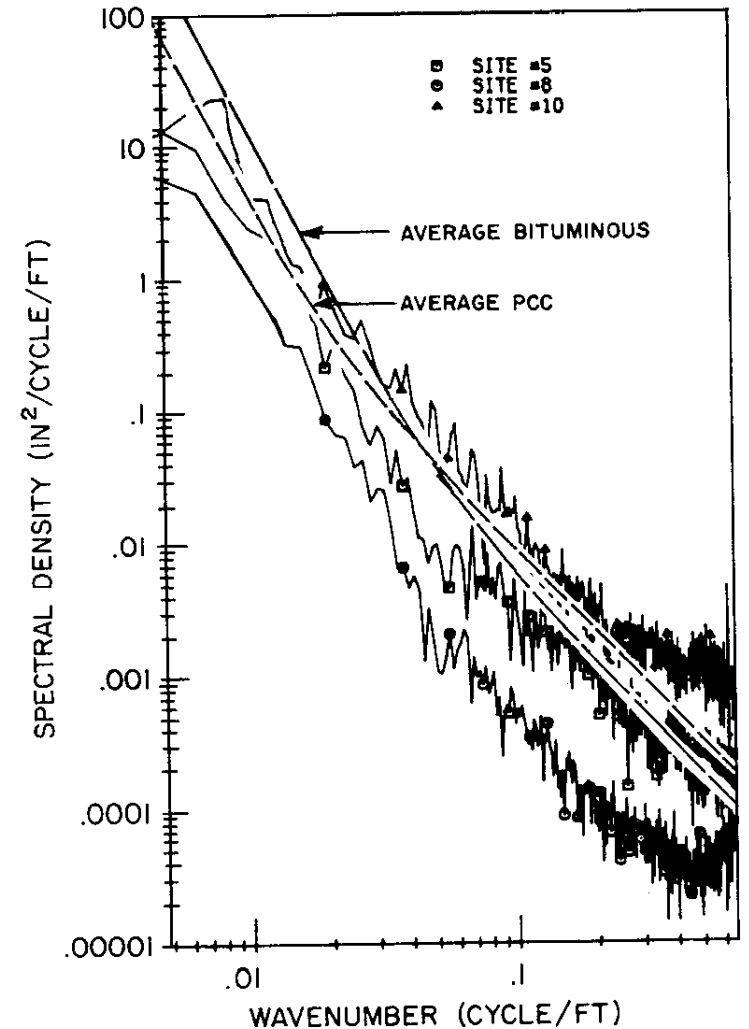
where

$G_Z(\nu)$  = PSD amplitude (feet<sup>2</sup>/cycle/foot)

$\nu$  = Wavenumber (cycles/foot)

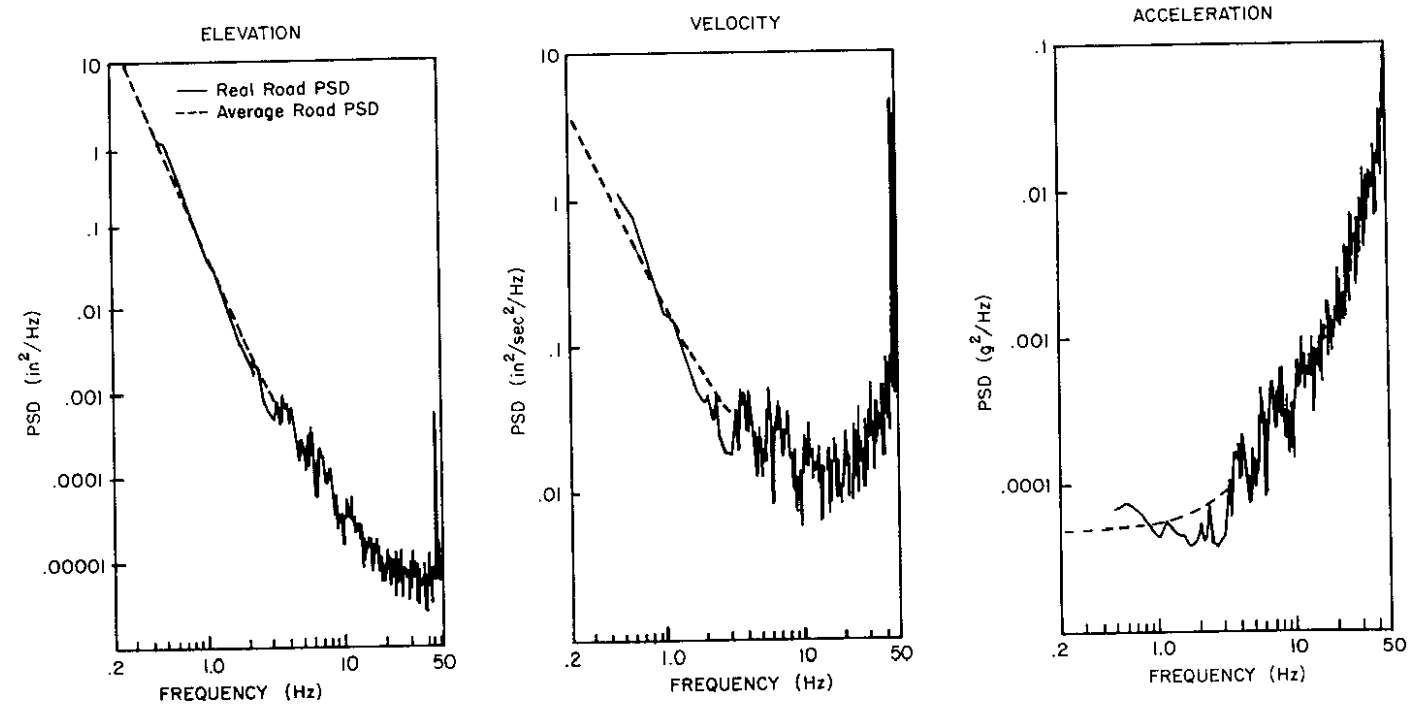
$G_O$  = Roughness magnitude parameter ( $1.25 \times 10^5$  for rough roads,  $1.25 \times 10^6$  for smooth)

$\nu_O$  = Cutoff wavenumber (0.02 cycles/foot for rough roads, 0.05 cycles/foot for smooth)



# Excitation: Road Roughness

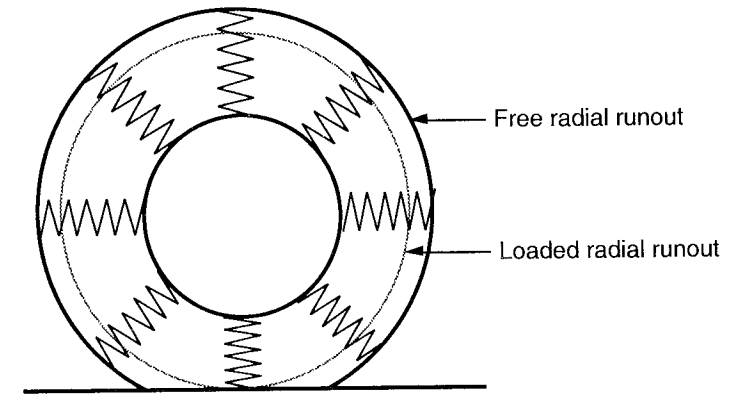
- Simulated roads can be created using [1] or a random number sequence (coloured noise)
- Multiplying cycles/distance (cyc/ft, cyc/m) by vehicle speed gives frequency - > from which PSD can be plotted.



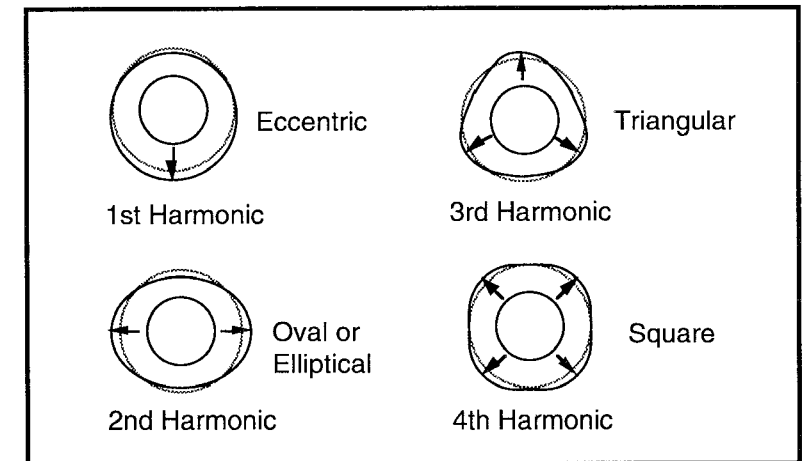
Frequency [cyc/s] = wave number [cyc/m] x speed [m/s]

# Excitation: Secondary Effects

- Secondary effects include vibration
  - Driveline
  - Engine
  - Wheel/tyre
- Typically at higher frequency than primary excitation sources
- Runout occurs due to deformation of the tyre. Imperfections result in different harmonics i.e. mode shapes

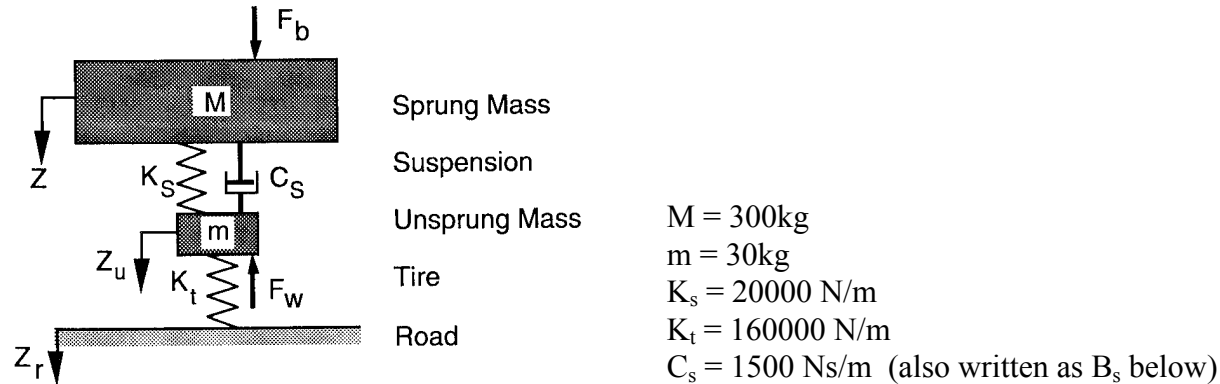


'Runout' due to tyre deformation

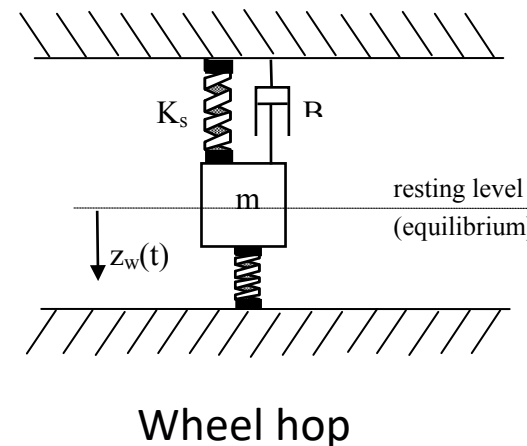
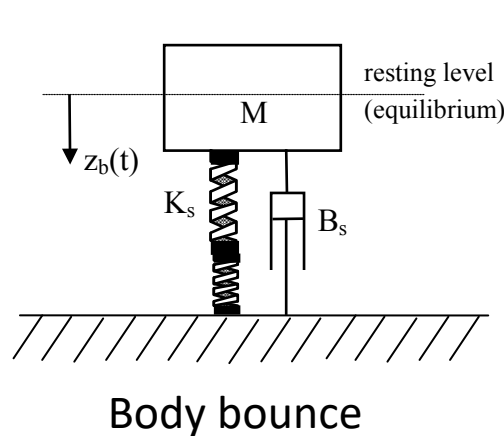


# The Quarter Car Model

- The simplest 'useful' representation of vertical ride dynamics



- More simple representations (for quick calcs) is possible considering different modes in isolation.



# The Quarter Car Model: Body bounce

- Considering body bounce;

$$K_{bb} = \frac{K_s K_t}{K_s + K_t}$$

- The natural frequency,  $\omega_n$ ;

$$\omega_n = \sqrt{\frac{K_{bb}}{M}}$$

- The actual response is damped by the damping ratio,  $\zeta$  (typically 0.2 – 0.4)

$$\omega_d = \omega_n \sqrt{1 - \zeta^2} \text{ with } \zeta = \frac{B_s}{\sqrt{4K_{bb}M}}$$



# The Quarter Car Model: Wheel hop

- For wheel hop;

$$K_{wh} = K_s + K_t$$

- So that the natural frequency,  $\omega_n$

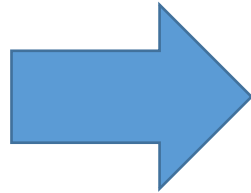
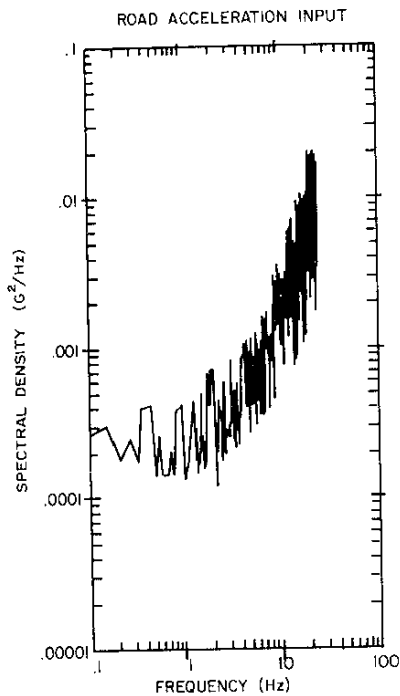
$$\omega_n = \sqrt{\frac{K_{wh}}{m}}$$

- Calculate the wheel hop frequency;

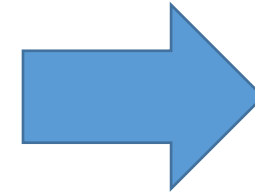
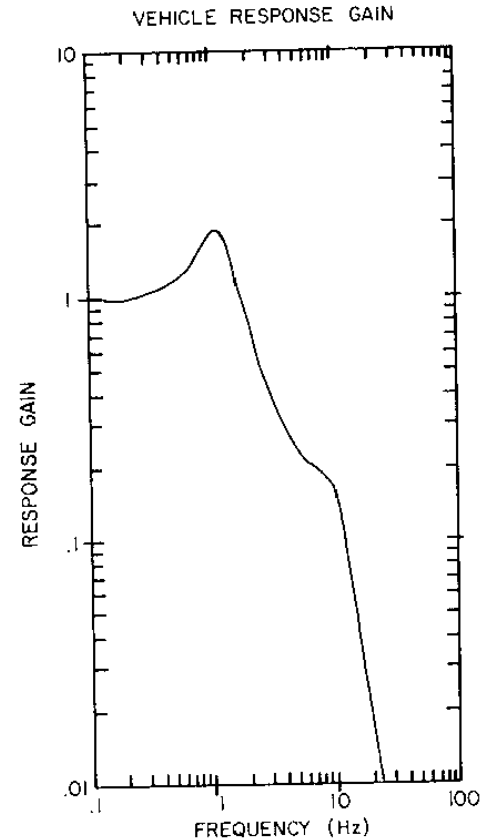
...

# Ride Response

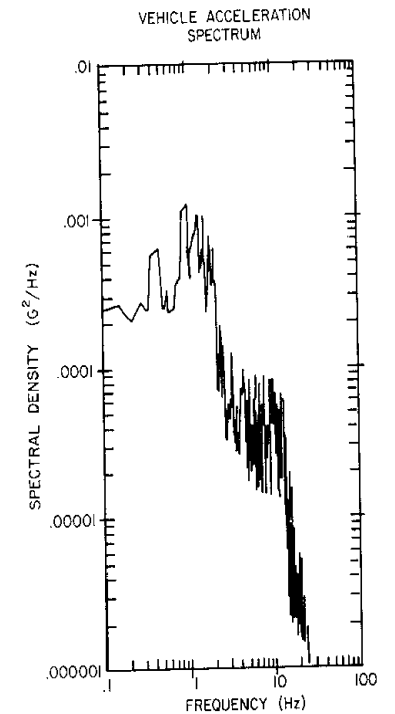
Input: from road



Modelled system

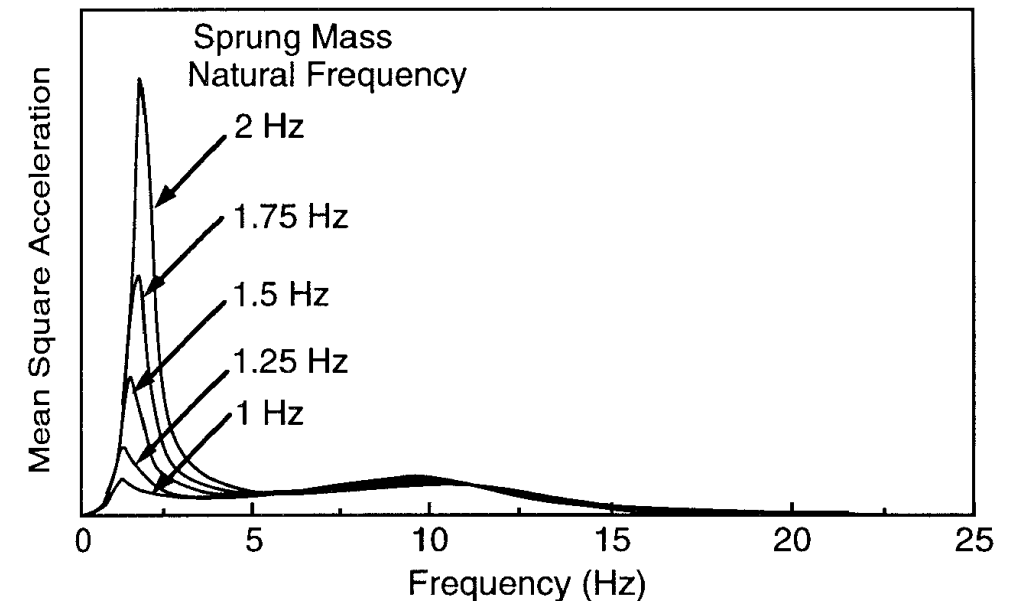
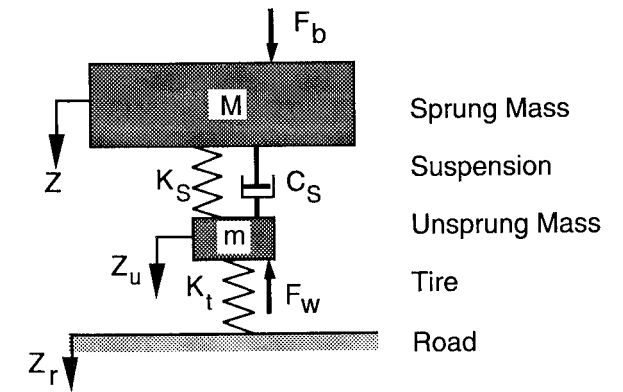


Output: suspension response



# Ride Response

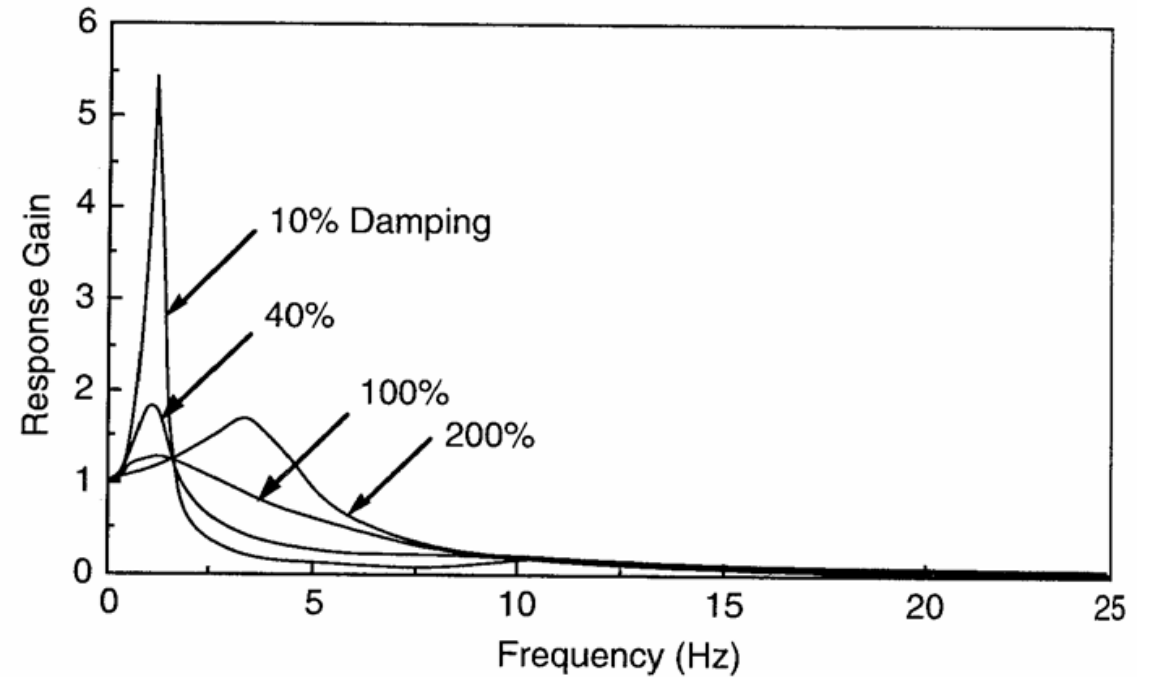
- $\omega_n$  of the sprung mass can be changed by changing stiffness,  $K_{bb}$ .
- $K_s$  and  $K_t$  act in series.  $K_t$  is significantly stiffer and therefore the response is dominated by  $K_s$ .
- Limited by;
  - Suspension travel
  - Handling performance
  - Nausea



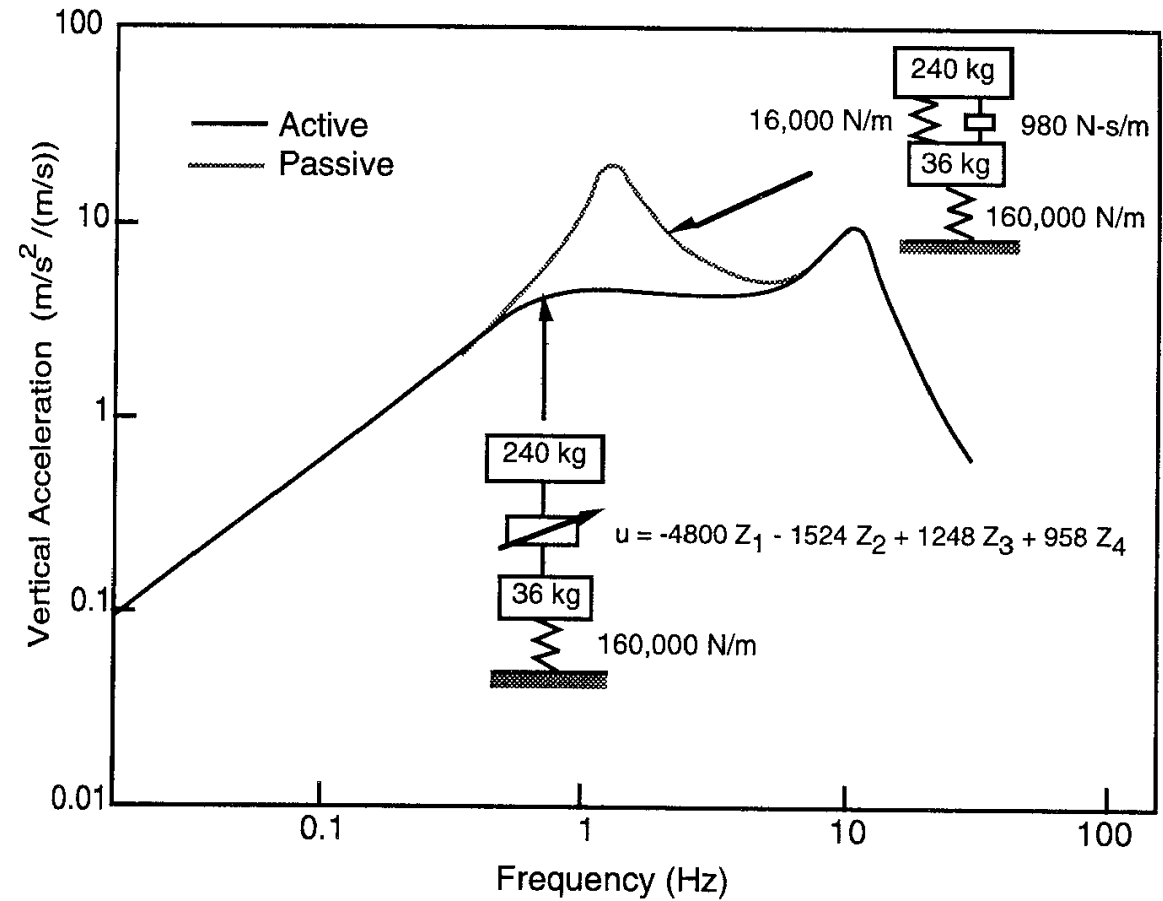
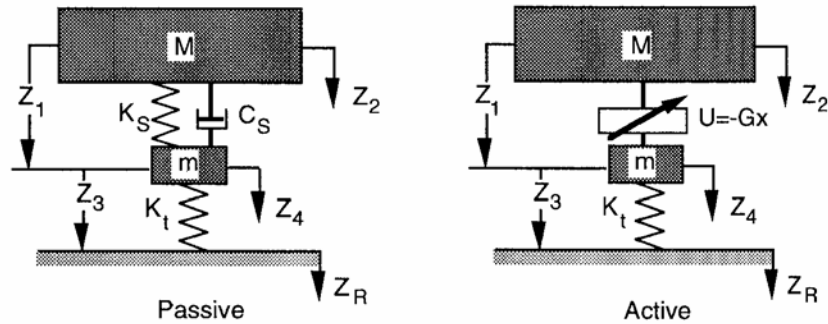
Changes to  $K_s$  to change  $\omega_n$  of the sprung mass.

# Ride Response

- By changing damping also the peak body response can be also reduced.
- There are other consequences though for the lower frequencies whose transmission to the body becomes greater

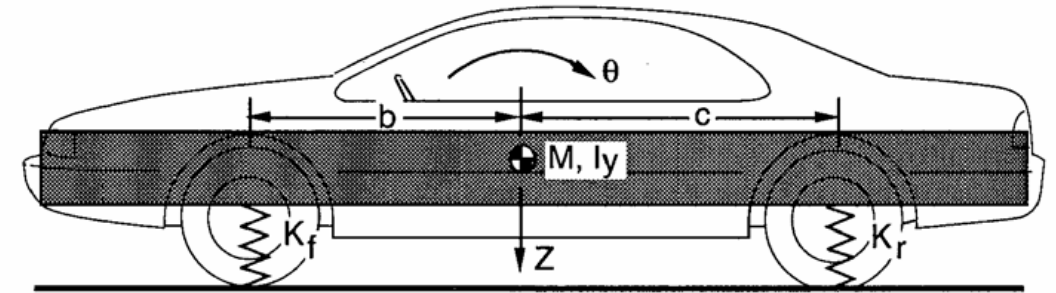


# Active Suspension



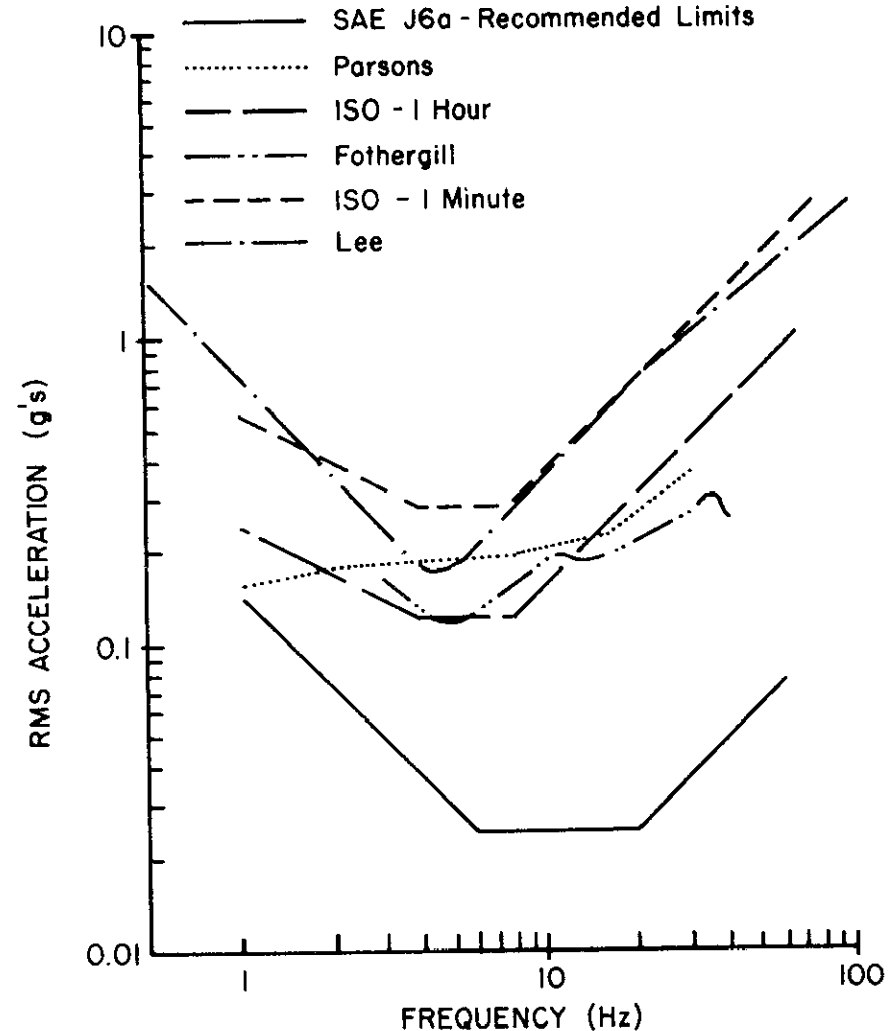
# Bounce and Pitch

- Quarter car model – good for body bounce analysis
- Half car model required for pitch and bounce analysis



# Human Perception

- We are interested in human perception
- Much like the vehicle the human body responds to different 'excitation' frequencies in different ways.



# Conclusions

- Excitation input
- Quarter car model
- Ride response
  - Active suspension
- Human perception