Milestone 2 - Type Analysis

1 Introduction

1.1 Abstract

This project is aimed to do type checking for the MiniC language. Our SDD introduces an attribute e as the environment for identifiers, including variables and function names. Another attribute, ok, performs the type check and indicates whether the type check succeeds. When the program does not type check, this attribute will be false. The "deepest" false in the abstract syntax tree will indicate the precise location of type check error. In this project, the hard part is to deal with function calls. We have to check the number of the parameters, the type of the corresponding parameters, the function name as well as the return type. To deal with this problem, we used a function GetGlobals() to read the top level function definitions and then use attribute e store the function identifiers with its parameter type, number and return type.

Another new feature is the pointer type. However, this is relatively easy to handle. $IsPointer(T\ t)$ was introduced to decide whether the type is pointer or not. In our SDD denotation, *T simply means a pointer of type T. The other parts stay pretty much the same with the dragon book, just normal expressions as well as necessary type checking. Our detailed design will be written in the following sections.

1.2 Attributes

- e attribute stands for the environment for identifiers to types, in which a map is used with **id**s as keys and types as values. Since $parameters \rightarrow types$ can also be considered as types, e can be compatible with d and ds. We can use $e1 \parallel e2$, $e1 \parallel d2$ and $e1 \parallel ds2$ to represent concatenation of maps. This attribute is inherited.
- \bullet t attribute stands for type. This attribute is synthesized.
- ok attribute shows whether the type check passes. It will be set to true when the type check passes, and false otherwise. This attribute is synthesized.
- d attribute stands for a single deslaration, in the format of a tuple, in which **id** is the key and $parameters \rightarrow types$ is the value. This attribute is synthesized.
- ds attribute stands for the environment for function declarations to types, in which a map is used with ids as keys and parameters ypps as values. This attribute is synthesized.
- ps attribute stands for the parameter types for functions, in the format of a n-tuple (t1, ..., tn). This attribute is synthesized.
- sym attribute stands for the identifier symbol (name). This attribute is synthesized.
- ids attribute stands for the identifier names for function parameters, in the format of n-tuple (id1, ..., idn). This attribute is synthesized.

1.3 Environment Operations in SDDs

- Defined(e, id) tests if id exists in e.
- Lookup(e, id) denotes what id is bound to in e.
- Extend(e, id, T) denotes a new environment extending e with binding id to T. It can cause shadowing based on scopes.

1.4 Logical Operators

In the SDDs we use the following logical operators to compute the attribute dk in several cases. There are only two values available for this attribute: true and false.

- \neg stands for negation. $\neg A$ is false if and only if A is true; $\neg A$ is true if and only if A is false.
- \wedge stands for logical conjunction. $A \wedge B$ is true if and only if A and B are both true; otherwise it is false.
- \vee stands for logical (inclusive) disjunction. $A \vee B$ is false if and only if A and B are both false; otherwise it is true.
- \oplus stands for exclusive disjunction. $A \oplus B$ is true if and only if either A or B, but not both, is true; otherwise it is false.

1.5 Additional Helper Functions

- GetGlobals() will read and store the globally defined functions in ds, following the format of $(id, parameters \rightarrow types)$. The result should be compatible with attribute e and ds. In this project, the functions that should be loaded by this function should be: malloc, puts, puti, atoi, div, mod.
- IsEqualType(T t1, T t2) checks whether t1 and t2 are of the same type. It can be done by simply checking the names of types. It will return true or false.
- IsPointer(Tt) checks whether t is of a pointer type. It can be done by simply checking the prefix of the type name. It will return true of false.
- CheckIdDistinct(ids) checks whether the identifiers in tuple ids are distinct. It will return true or false.
- CheckMain(id.sym) check whether the id.sym is equal to main, in other words, whether this is a main function. It will return true or false.
- CheckParams(ps1, ps2) checks whether the parameters in ps1 is of the same format as ps2, which means, they have the same number of elements and corresponding types. It will return true or false.
- GetDerefType(T) returns the dereferenced type, which means, when given type *T, this function will return T. If t is not a pointer, this function will raise an error.
- GetReturnType(e, E) finds the function identifier associated with E and find the function return type in the current environment. Attribute e stores every declared function identifier and their types as $ps \to T$. This function will look through the environment map, finds the corresponding $ps \to T$ and returns T. In the identifier is not found, this function will raise an error.

• GetParams(e, E) finds the function identifier associated with E and find the function parameter types ps in the current environment. Attribute e stores every declared function identifier and their types as $ps \to T$. This function will look through the environment map, finds the corresponding $ps \to T$ and returns ps. If the identifier is not found, this function will raise an error.

1.6 Additional Operators

- || stands for concatenation of maps. It can be used to concatenate e, d or ds to form a new map.
- A?...B...:...C... stands for if (A) then B else C, which means, if A thue then choose B, otherwise choose C.

$2 \quad SDD$

Below is the detailed SDD based on the abstract syntax of *MiniC*. It uses the abbreviations P for *Program*, D for *Declaration*, Ss for *Statements*, S for *Statement*, E for *Expression*, and T for *Type*.

PRODUCTION	Semantic Rules
$P \to D1 \dots Dn$	$P.ds = D1.d \mid\mid \mid\mid Dn_{s}d$
	$D1.e = D2.e = \dots = Dn.e = P.e = GetGlobals() P.ds$
	P.ids = (D1.sym,D ym)
	$P.ok = D1.ok \wedge \wedge Dnok \wedge CheckIdDistinct(P.ids)$
$D \rightarrow \text{function } T \text{ id } (T1 \text{ id}1,,$	D.ps = (T1,, Tn), D.ids = (id1.sym,, idn.sym);
Tn idn) {Ss}	$D.d = (\mathbf{id}.sym.ps - T); D.sym = \mathbf{id}.sym$
, ()	$Ss.e = Enten d(D.e, id.sym, ps \rightarrow T)$
	$D.ok = IsEqual Type(T, Ss.t) \land Ss.ok \land CheckIdDistinct(D.ids) \land$
	(Check Main(id.sym)?
	$/(IsE)ualType(T, int) \wedge$
	CheckParams(D.ps,(*char,, *char))) : true)
$Ss \rightarrow var T1 id2; Ss3$	Ss3. = Extend(Ss.e, id2.sym, T1)
,	Sst = Sst
	Ss.dc = Ss3.ok
$Ss \rightarrow E1 = E2; Ss3$	E1.e = E2.e = Ss3.e = Ss.e
,	CSs.t = Ss3.t
	$Ison = IsEqualType(E1.t, E2.t) \land Ss3.ok \land E1.ok \land E2.ok$
$Ss \rightarrow if (E1) S2; Ss3$	E1.e = S2.e = Ss3.e = Ss.e
, \	Ss.t = Ss3.t
	$Ss.ok = (IsEqualType(E1.t, int) \lor IsPointer(E1.t)) \land$
	$E1.ok \wedge S2.ok \wedge Ss3.ok$
$Ss \rightarrow if (E1) S2 else S3; Ss4$	E1.e = S2.e = S3.e = Ss4.e = Ss.e
	Ss.t = Ss4.t
	$Ss.ok = (IsEqualType(E1.t, int) \lor IsPointer(E1.t)) \land$
	$E1.ok \wedge S2.ok \wedge S3.ok \wedge Ss4.ok$
$Ss \rightarrow \text{while (E1)}(S2; Ss3)$	E1.e = S2.e = Ss3.e = Ss.e
	Ss.t = Ss3.t
X Y	$Ss.ok = (IsEqualType(E1.t, int) \lor IsPointer(E1.t)) \land$
	$E1.0k \land S2.0k \land Ss3.0k$

Ca) E1, Ca2	$\mid E1.e = Ss2.e = Ss.e$
$Ss \rightarrow return E1; Ss2$	Ss.t = E1.t
G . (G 1) G 9	$Ss.ok = E1.ok \land Ss2.ok$
$Ss \to \{Ss1\} Ss2$	Ss1.e = Ss2.e = Ss.e
	$Ss.t = IsEqualType(Ss1.t, \epsilon) ? Ss2.t : Ss1.t$
	$Ss.ok = Ss1.ok \land Ss2.ok$
$\mathrm{Ss} o \epsilon$	$Ss.t = \epsilon$
	Ss.ok = true
$E \rightarrow id1$	$E.t = Lookup(E.e, \mathbf{id}1.sym)$
	E.ok = Defined(E.e, id1.sym)
$\mathrm{E} o \mathbf{str}1$	E.t = *char
	E.ok = true
$\mathrm{E} o \mathbf{int} 1$	E.t = int
	E.ok = true
$E \to E0(E1,, En)$	$E0.e = E1.e = \dots = En.e = E.e$
	E.t = GetReturnType(E.e. E.e.)
	$E.ok = CheckParams(GetParams(E.e, E0), (E1.t,, En.t)) \land$
	$E0.ok \wedge E1.ok \wedge \wedge En.ok$
$\mathrm{E} o \mathtt{null}(\mathrm{T1})$	E.t = T1
	E.ok = true
$\mathrm{E} o \mathtt{sizeof}(\mathrm{T1})$	E.t = int
	E.ok = true
$\mathrm{E} \rightarrow ! \; \mathrm{E1}$	E1.e = E.e
	E.t = int $lacktriangle$
	$E.ok = I.EqualT_spe(E.t, E1.t) \wedge E1.ok$
$\mathrm{E} ightarrow$ - $\mathrm{E}1$	E1.e = E.e
	E.t = int
	$E.ok = EqualType(E.t, E1.t) \land E1.ok$
$\mathrm{E} ightarrow + \mathrm{E} 1$	E1.e = F.e
	E.t int
	$E.gk = EqualType(E.t, E1.t) \land E1.ok$
$E \rightarrow * E1$	EI. = E.e
	$E_t = GetDerefType(E1.t)$
	$E.ok = E1.ok \wedge IsPointer(E1.t)$
$E \rightarrow \& E1$	E1e = E.e
\ \	$Et \neq *E1.t$
, \	E.ok = E1.ok
	$E.ok = IsPointer(E1.t) \land E1.ok$
$E \rightarrow E1 * E2$	$\Sigma 1.e = E2.e = E.e$
	$\mid E.t = \mathtt{int}$
	$E.ok = IsEqualType(E.t, E1.t) \land$
	$IsEqualType(E.t, E2.t) \land E1.ok \land E2.ok$
$\mathrm{E} ightarrow \mathrm{E}1 \ / \ \mathrm{E}2$	E1.e = E2.e = E.e
	$\mid E.t = \mathtt{int}$
\sim	$E.ok = IsEqualType(E.t, E1.t) \land$
X	$IsEqualType(E.t, E2.t) \land E1.ok \land E2.ok$

 $E \rightarrow E1 \% E2$ E1.e = E2.e = E.e $E.t = \mathtt{int}$ $E.ok = IsEqualType(E.t, E1.t) \land$ $IsEqualType(E.t, E2.t) \land E1.ok \land E2$ $E \rightarrow E1 + E2$ E1.e = E2.e = E.eE.t = IsPointer(E1.t) ? E1.t : int $E.ok = IsEqualType(E.t, E1.t) \land$ $IsEqualType(int, E2.t) \land E1.ok \land$ $\mathrm{E} \to \mathrm{E}1$ - $\mathrm{E}2$ E1.e = E2.e = E.eE.t = IsPointer(E1.t) ? E1.t : int $E.ok = IsEqualType(E.t, E1.t) \land$ IsEqualType(int, E2.t) $E \rightarrow E1 < E2$ E1.e = E2.e = E.eE.t = int $E.ok = IsEqualType(E.t, E1.t) \land$ IsEqualType(E.t, E2.t) $E \rightarrow E1 > E2$ E1.e = E2.e = E.e $E.t = \mathtt{int}$ $E.ok = IsEqualType(\underline{F})$ $IsEqualType(E.t, E2.t) \land E1.ok \land E2.ok$ $E \rightarrow E1 \le E2$ E1.e = E2.e = E.eE.t = int $E.ok = IsEqualType(E.t, E1.t) \land$ $IsEqualType(Et, E2.t) \land E1.ok \land E2.ok$ E1.e = F2.e = E $E \rightarrow E1 >= E2$ $E.t = \mathtt{int}$ $E.ok = IsEqualType(E.t, E1.t) \land$ $IsE_{\mathbf{q}}$ $valType(E.t, E2.t) \wedge E1.ok \wedge E2.ok$ $E \rightarrow E1 == E2$ E1.e = E2.e = E.e $qk = (IsEqualType(E.t, E1.t) \land IsEqualType(E.t, E2.t)) \lor$ $IsPointer(E1.t) \land IsEqualType(E1.t, E2.t))) \land$ $E1.ok \wedge E2.ok$ $E \rightarrow E1 \stackrel{!}{=} E2$ E1.e = E2.e = E.eint $= ((IsEqualType(E.t, E1.t) \land IsEqualType(E.t, E2.t)) \lor$ $(IsPointer(E1.t) \land IsEqualType(E1.t, E2.t))) \land$ $E1.ok \wedge E2.ok$ E1.e = E2.e = E.e $E \rightarrow E1 \&\& E2$ E.t = int $E.ok = (IsEqualType(E.t, E1.t) \lor IsPointer(E1.t)) \land$ $(IsEqualType(E.t, E2.t) \lor IsPointer(E2.t)) \land$ $E1.ok \wedge E2.ok$

$$E \rightarrow E1 \mid\mid E2$$

$$E1.e = E2.e = E.e$$

$$E.t = \text{int}$$

$$E.ok = (IsEqualType(E.t, E1.t) \lor IsPointer(E1.t)) \land$$

$$(IsEqualType(E.t, E2.t) \lor IsPointer(E2.t)) \land$$

$$E1.ok \land E2.ok$$

3 Appendix

3.1 Non-Terminals and Associated Attributes

Below is a detailed list of the non-terminals in the production and their attributes. A $\sqrt{}$ mark indicates that this non-terminal is associated with the current attribute.

	e	t	ok	d	ds	ps	ids	sym
Р								
D							$\sqrt{}$	\checkmark
S								
Ss								
_E		$\sqrt{}$	$\sqrt{}$					

3.2 Additional Design Choices

There are several additional design choices made when designing this SDD. These choices are made where the assignment does not give instruction towards the shoices.

- In function declaration D, we restricted that the parameter list should not have the same id.sym twice.
- In function declaration D, (*char, ... *char) means this tuple has the same number of elements as its comparing D.ps but the types are all *char.
- For statements, when facing return, our design will directly set the type of Ss to the type of the return expression, no matter what other Ss follows behind it. This is reasonable because the codes after return within the current scope cannot be reached.

