Sensor Calibration: Polynomial Fit

Load the file sensor_calibration_DATE.mat from EXP.6 onto MATLAB.

```
load sensor_calibration_03_05_2024.mat
sensor
```

```
sensor = 14 \times 3
       17092
                    17540
                                 17620
       24998
                    24982
                                 29991
       39785
                    39561
                                 45355
       35432
                    35464
                                 35880
       36616
                    31529
                                 30679
       27158
                    27494
                                 27238
       24838
                    24918
                                 24630
       22597
                    22629
                                 22677
                    21797
       21285
                                 21221
       19508
                    19732
                                 21733
```

A more accurate relationship between ADC output voltage, *V*, and ball position, *D*, is the following second-order polynomial:

```
V = a \cdot D^2 + b \cdot D + c
```

From the plot of voltage vs. position data, identify a range on the horizontal axis where the markers seem to follow a parabola (e.g., form holes #4 to #15). In MATLAB, do the following:

1--For each position in the selected range find the mean value of the N=3 measurements taken.

```
average = trimmean(sensor,50,2); % take a 50% trimmed mean to remove bias from
outliers
position = (3:14); % index for range of holes to find polynomial trend
voltage = average(position) % index average array using range of holes
```

```
voltage = 12×1
39785
35464
31529
27238
24838
22629
21285
19732
18068
16307
```

2--Use polyfit(position, voltage, 2) to solve for the parameters a, b, and c of the best second-degree polynomial fit to all points in the selected interval.

```
parameters = polyfit(position,voltage,2); % calculate parameters for 2nd polynomial
```

```
% assign the parameters for the data
a = parameters(1)

a = 170.6916

b = parameters(2)

b = -5.1160e+03

c = parameters(3)

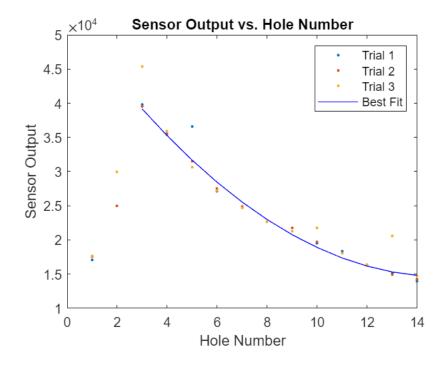
c = 5.2972e+04
```

3--Using the calculated values for parameters a, b, and c plot the best curve fit inside the selected range and overlay the markers of the experimental measurements.

Discuss whether the curve passes closely from the markers inside the selected interval.

```
V = a * position.^2 + b * position + c; % calculate curve using calculated
parameters

plot(sensor, '.') % overlay experimental measurments
hold on
plot(position, V, 'b') % plot curve
title("Sensor Output vs. Hole Number")
xlabel("Hole Number")
ylabel("Sensor Output")
legend("Trial 1", "Trial 2", "Trial 3", "Best Fit")
hold off
```



For the purpose of closed-loop ball levitation, the position of the ball corresponding to the sensor output is needed. To find the parameters c, e, and f of the inverse relationship

```
D = c \cdot V^2 + e \cdot V + f
```

repeat Step 2 with polyfit(voltage, position, 2).

```
parameters = polyfit(voltage,position,2); % calculate parameters for 2nd polynomial
% assign the parameters for the data
format long
c = parameters(1)
c =
1.408663748963732e-08
```

e = parameters(2)

```
e - par ameter 3(2)
```

e = -0.001169936946725

```
f = parameters(3)
```

f = 27.517454984404370