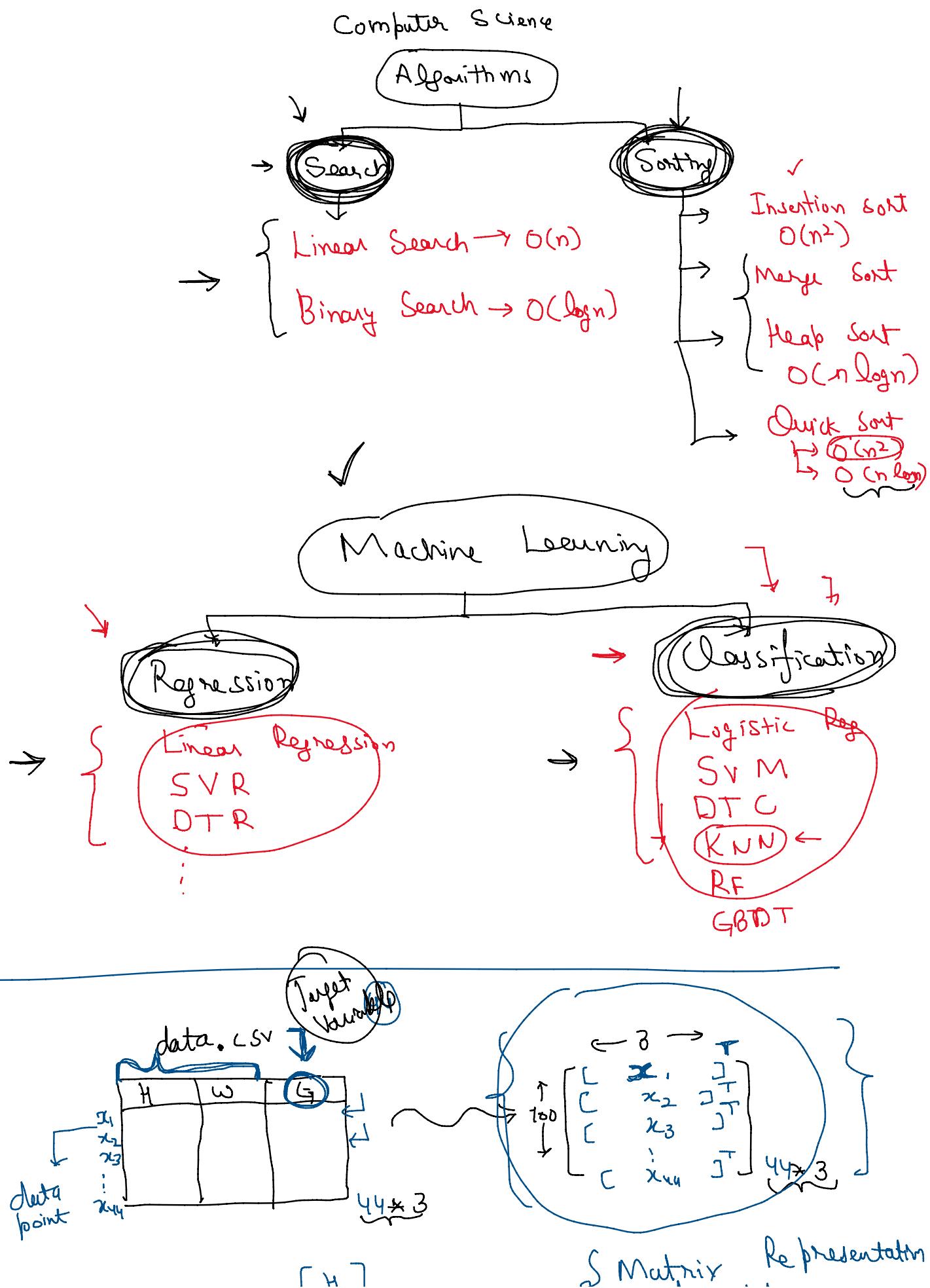
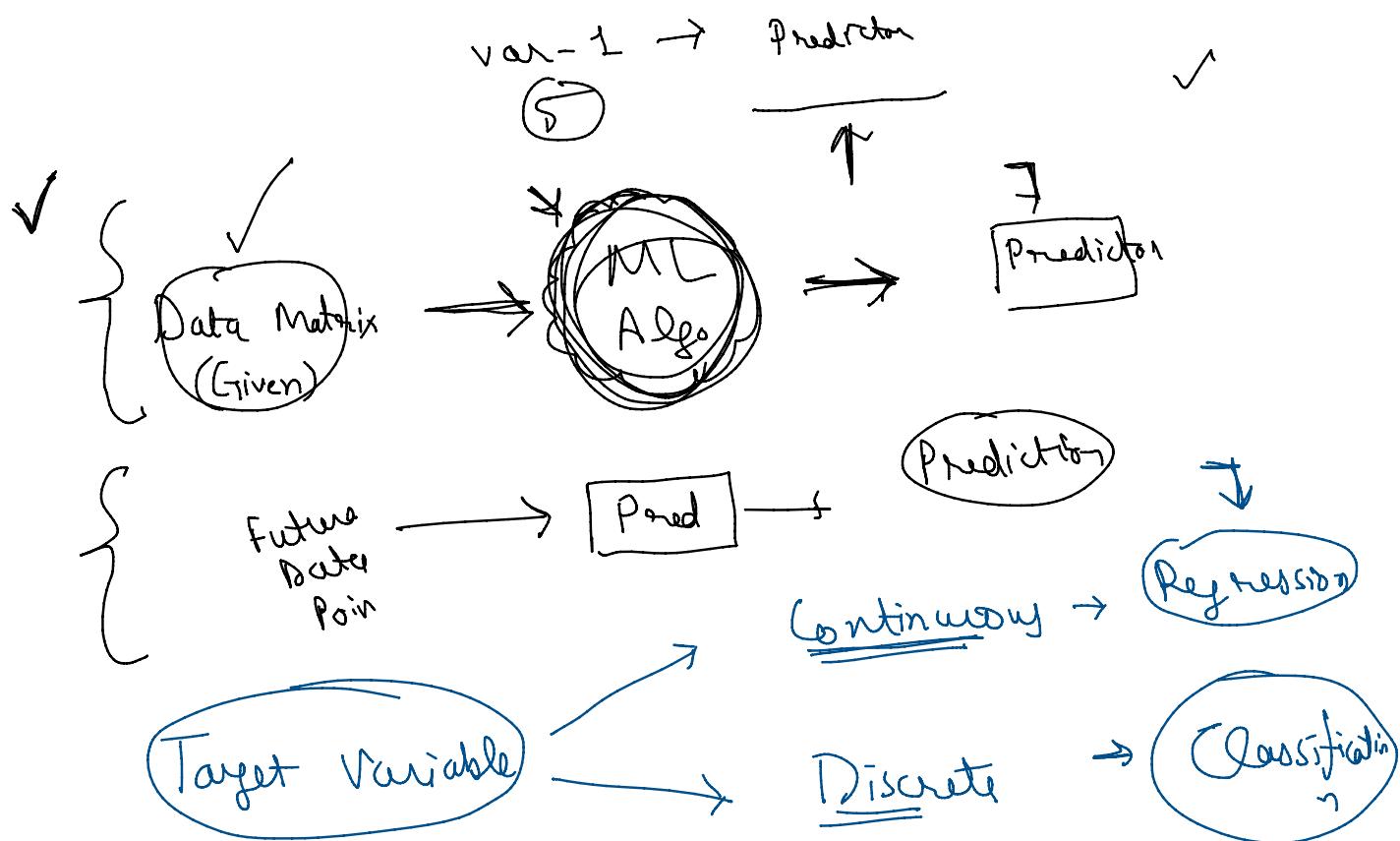
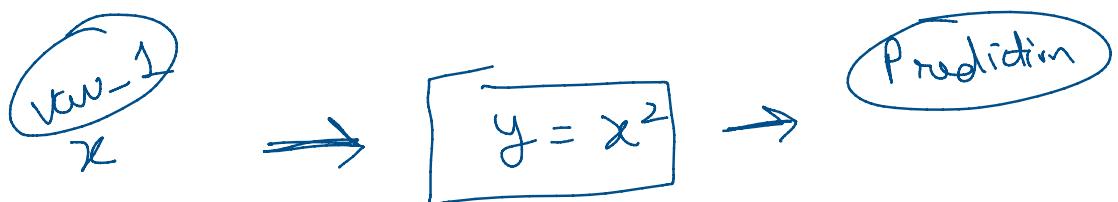
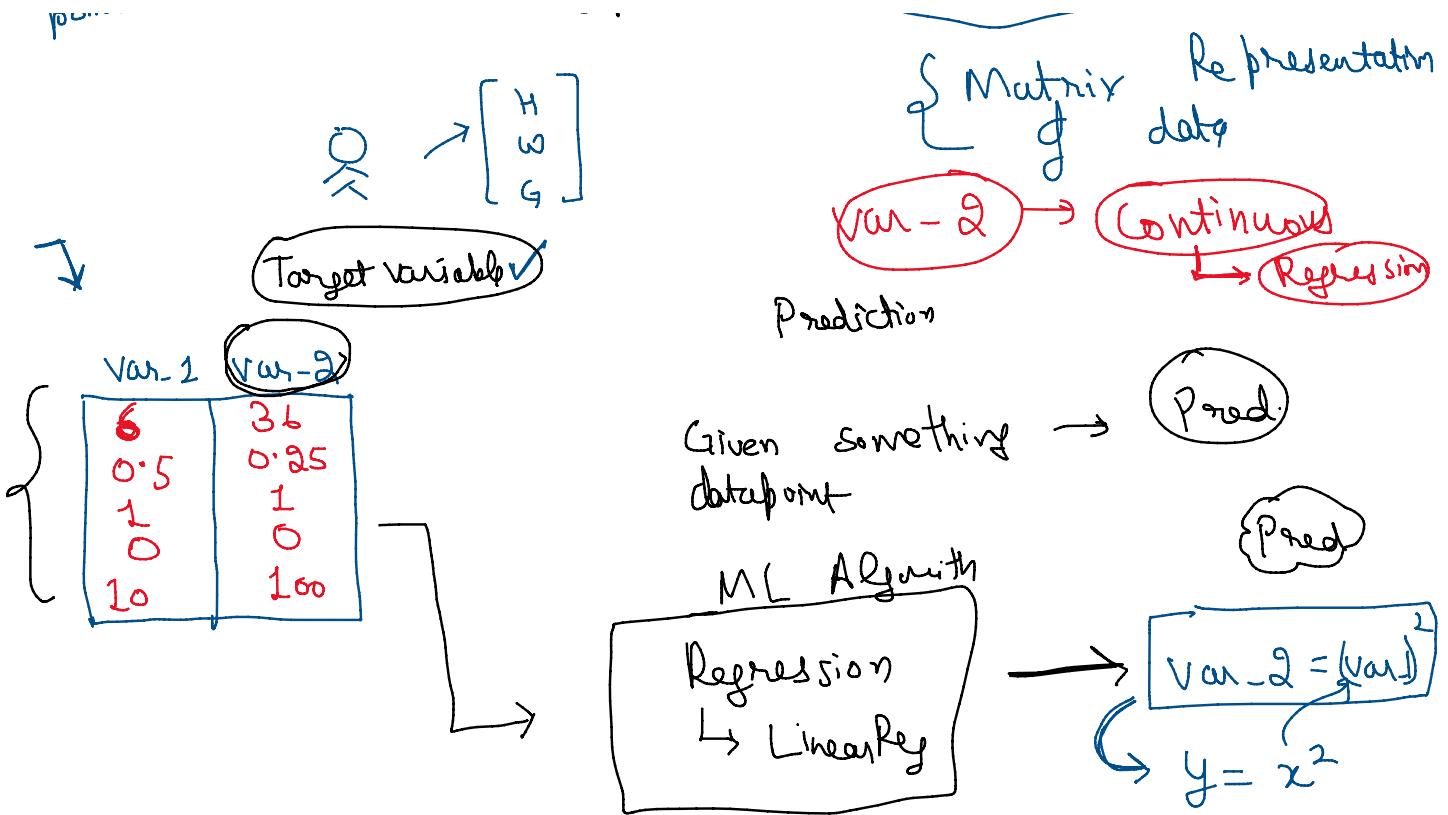
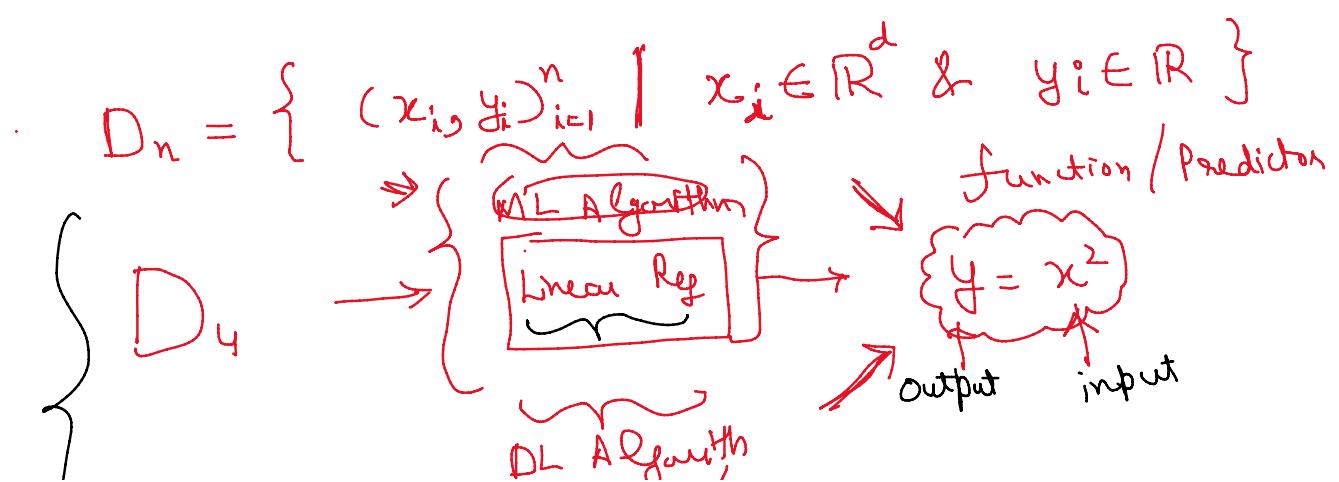
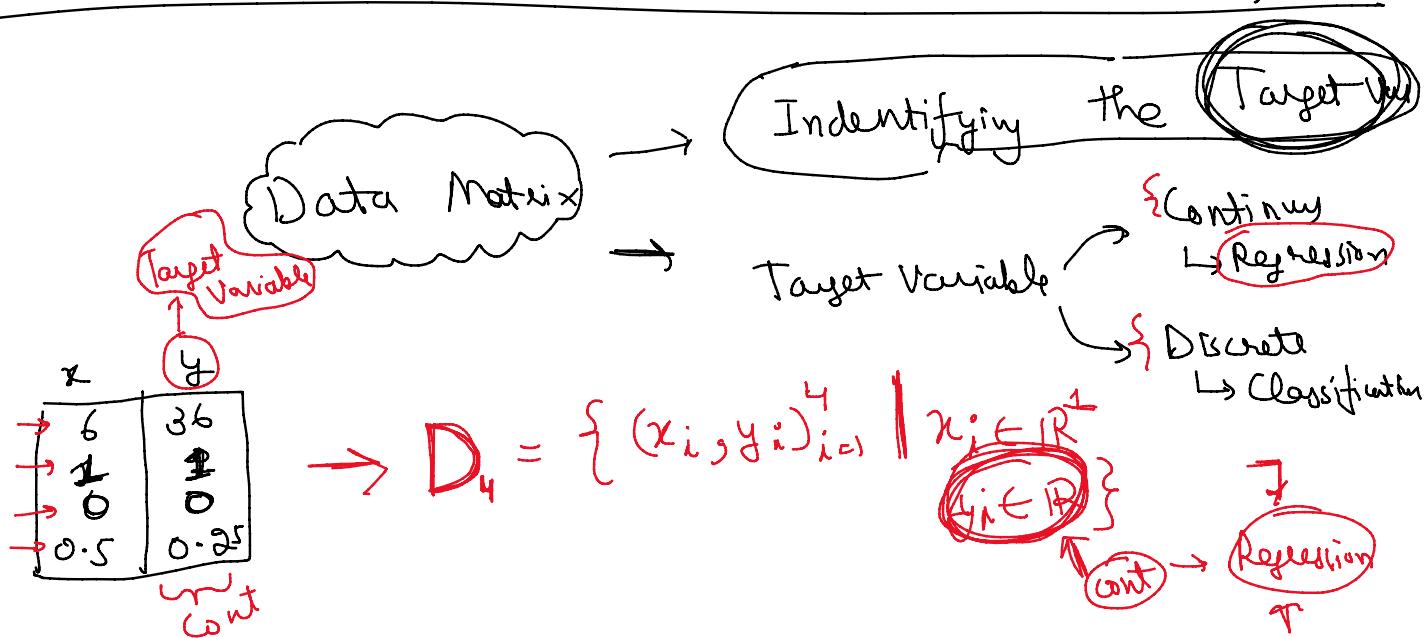
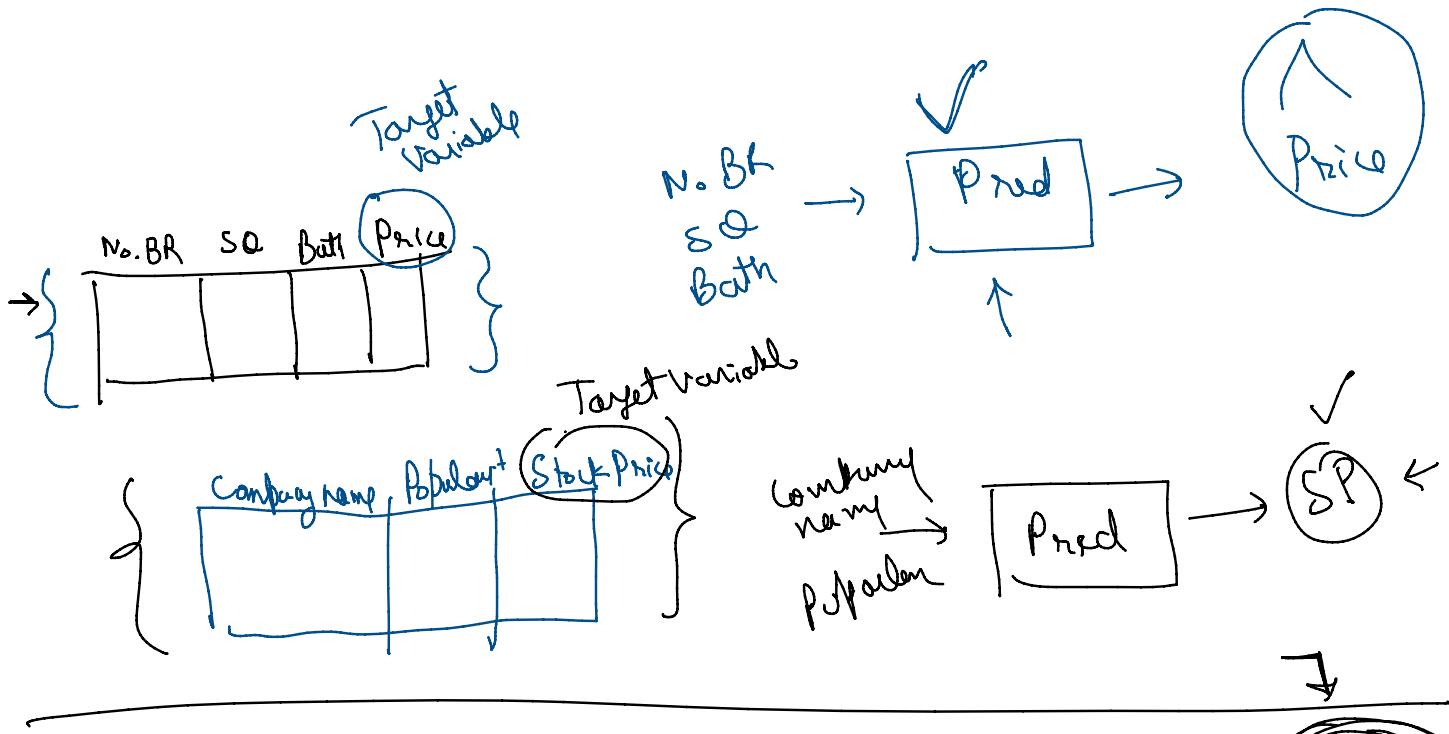


Machine Learning

22 July 2020 06:03 PM







DL Algorithm

Output

Input

$$x = 10$$

$$y = x^2$$

$$y = 100$$

Output

Ques - 1 :



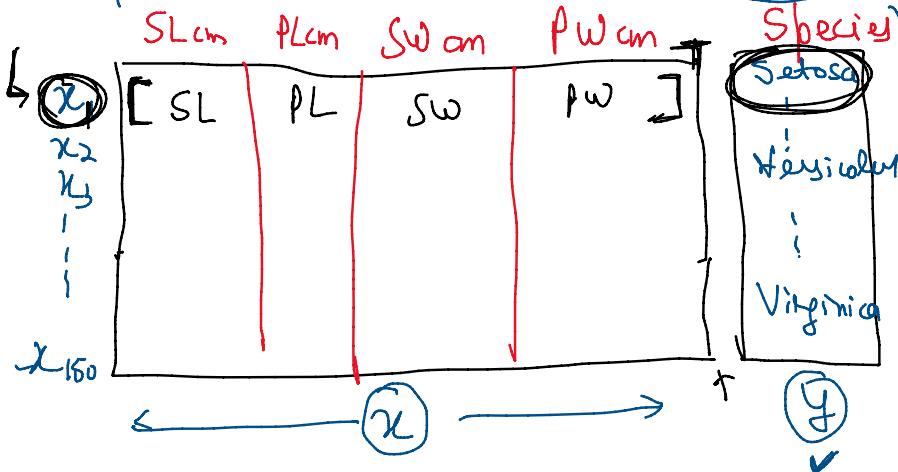
Given a dataset

$$D_n = \{ (x_i, y_i) \}_{i=1}^n$$

Iris

$$x_i \in \mathbb{R}$$

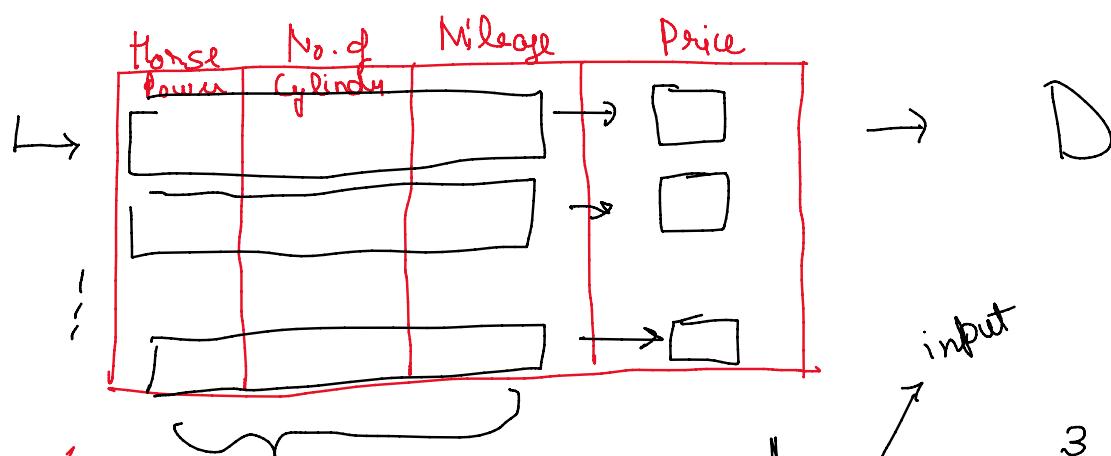
$y_i \in \{\text{Setosa, Versicolor, Virginica}\}$



$y_i \rightarrow$ Target Variable
 \hookrightarrow Discrete Value
 \hookrightarrow Classification
 Logistic Reg

Ques - 2 ↴

Given data ↴

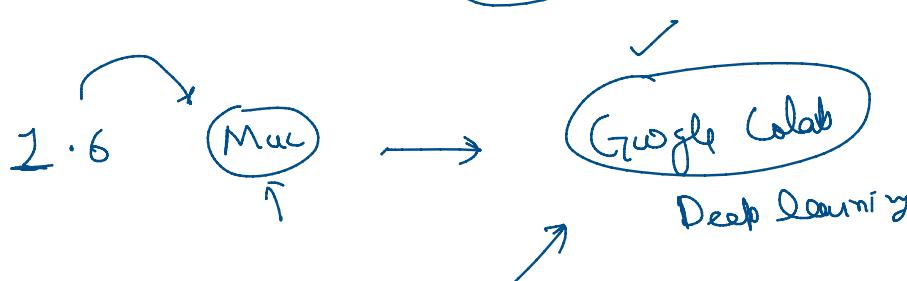
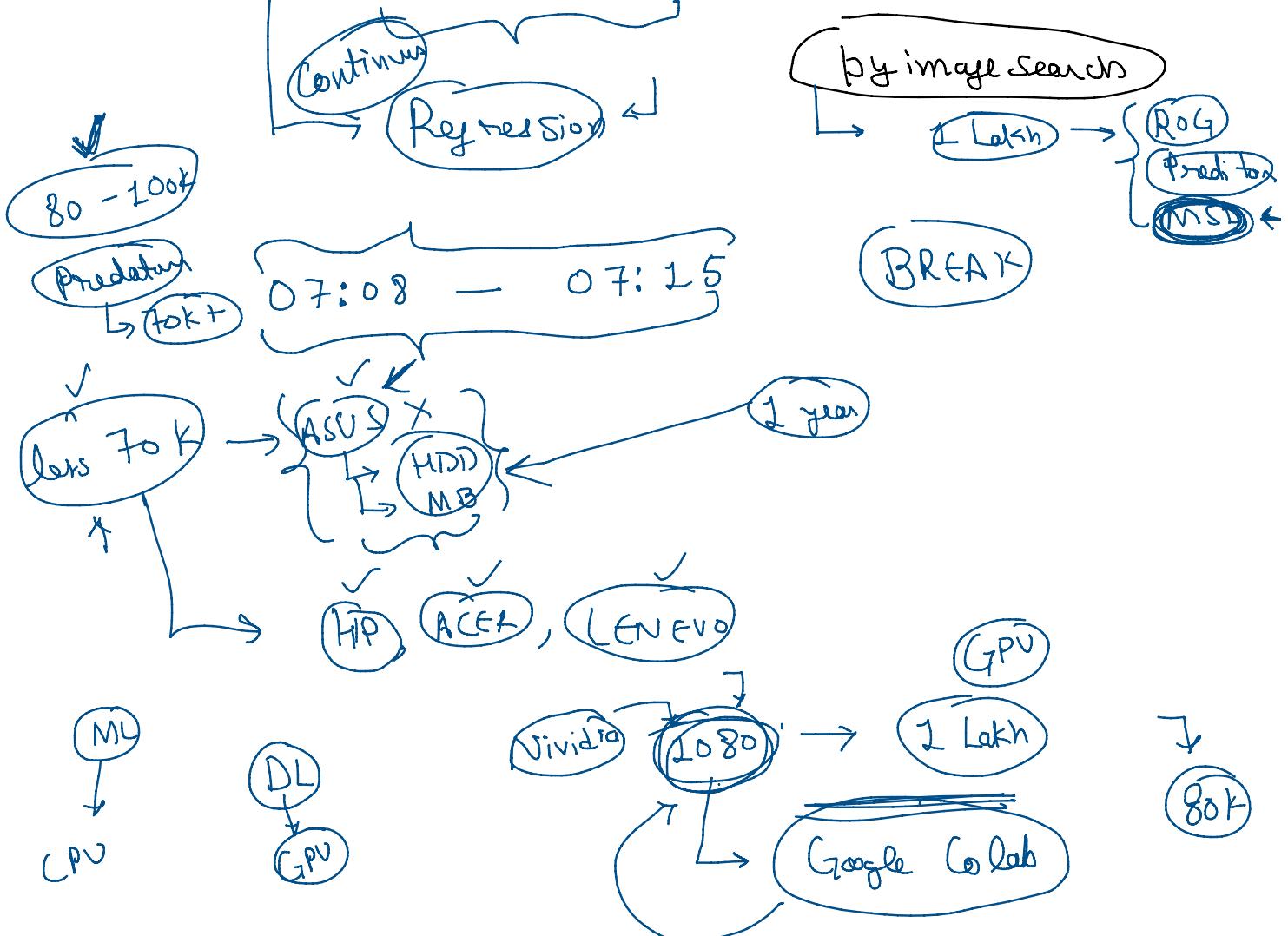
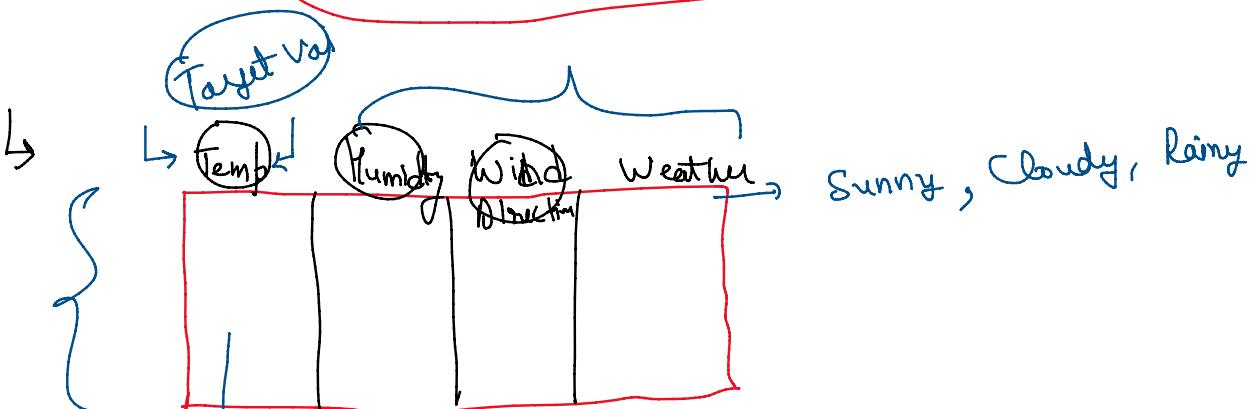


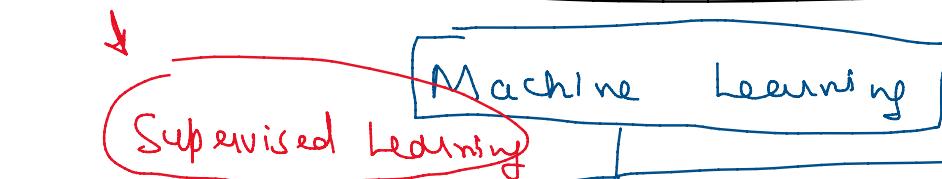
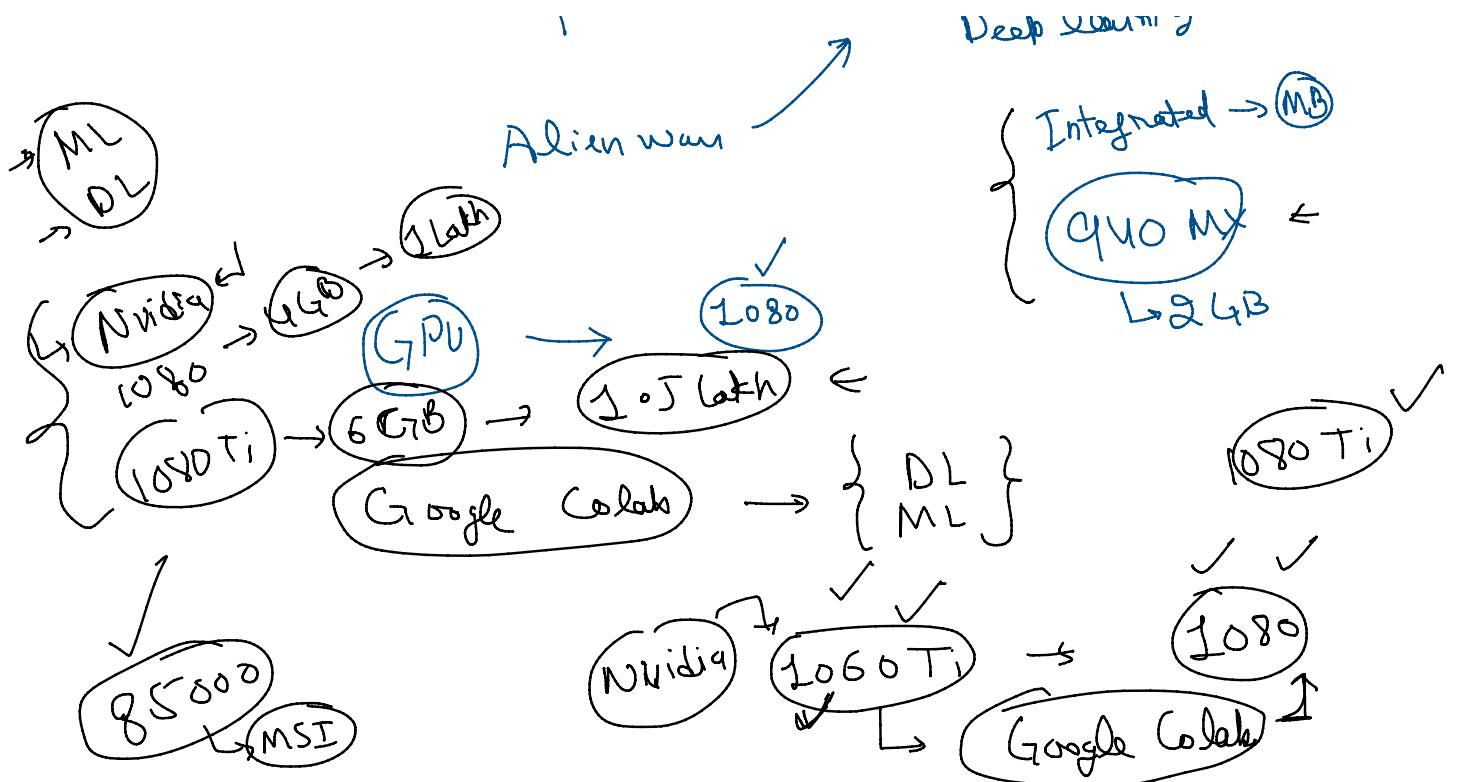
✓ $D_n = \{ (x_i, y_i) \}_{i=1}^n$

$x_i \in \mathbb{R}^3$, $y_i \in \mathbb{R}$
 Target variable

{ Target variable is continuous
 ↳ Regression

Linear Regression





Regression Task

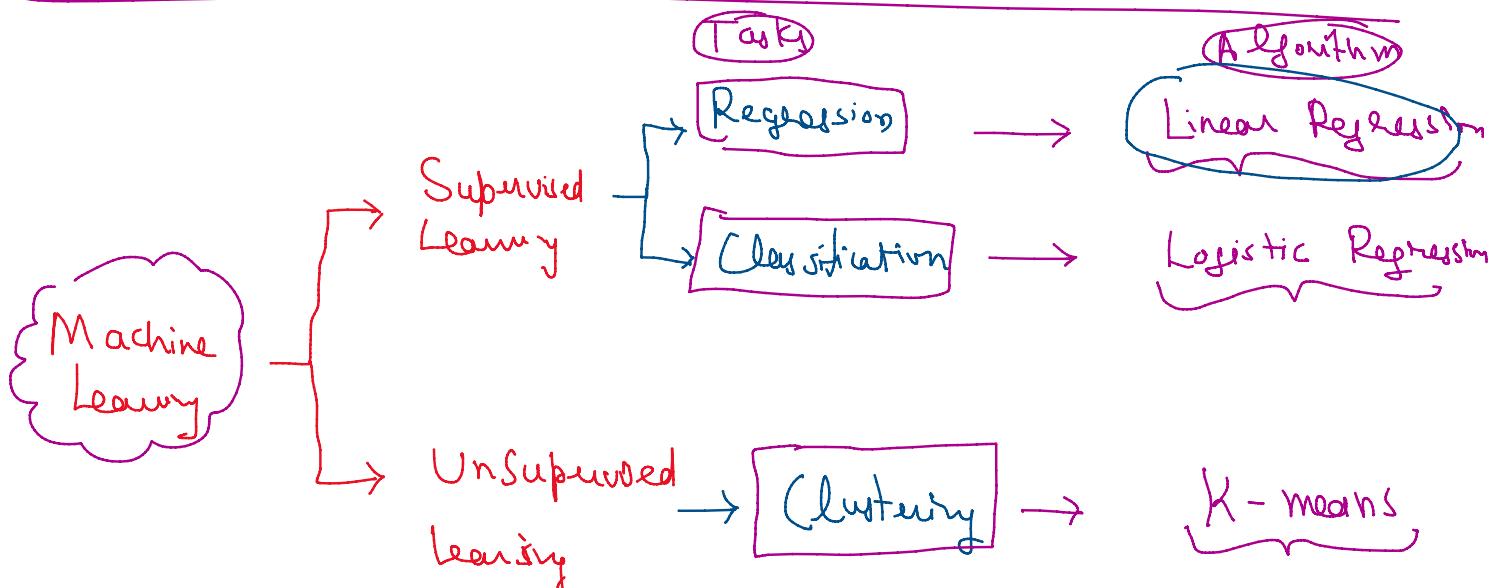
$$D_n = \{ (x_i, y_i)_{i=1}^n \mid x_i \in \mathbb{R}^d, y_i \in \mathbb{R} \}$$

Target Variable

Classification Task

$$D_n = \{ (x_i, y_i)_{i=1}^n \mid x_i \in \mathbb{R}^d, y_i \in \{0, 1\} \}$$

Target Variable

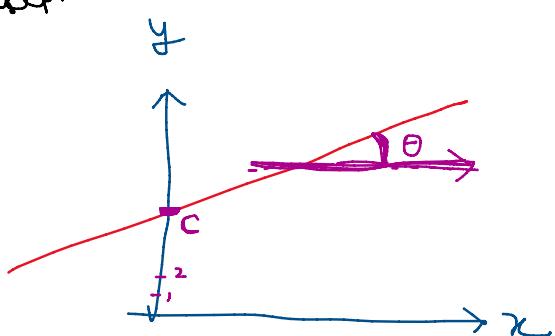


Linear

Linear Regression Algorithm

$$y = mx + c$$

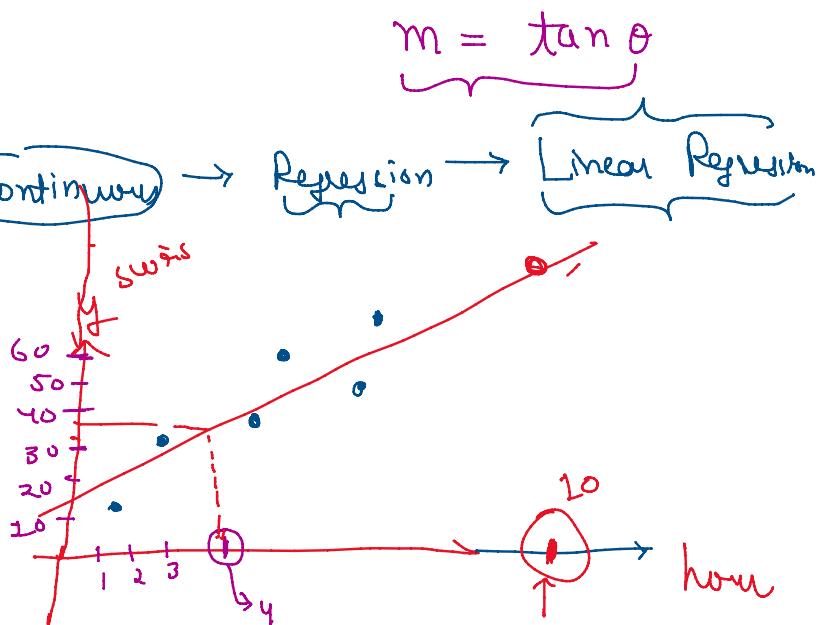
slope intercept



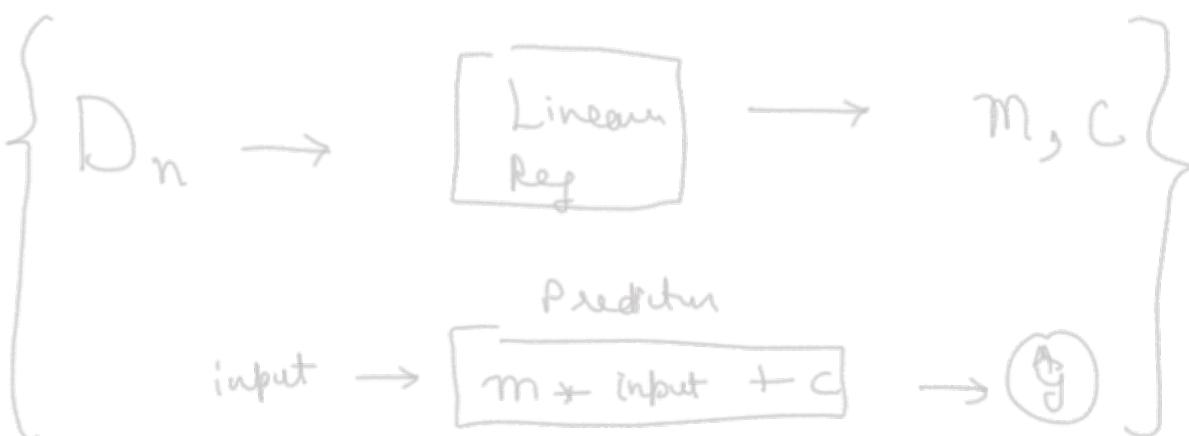
hours Score

hours	Score
5	50
3	25
8	90
1	1
1	1

x input y output

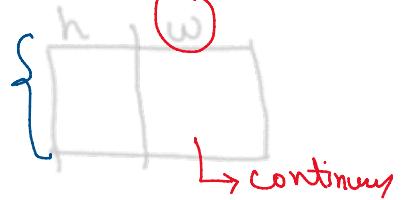
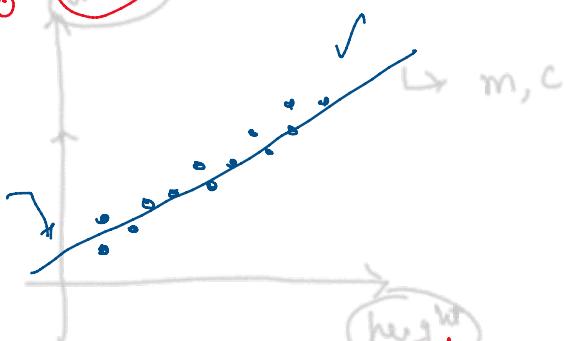


$$\left\{ \begin{array}{l} \text{Score} = m * \text{hours} + c \\ \rightarrow \text{Score} = m * 10 + c \end{array} \right.$$



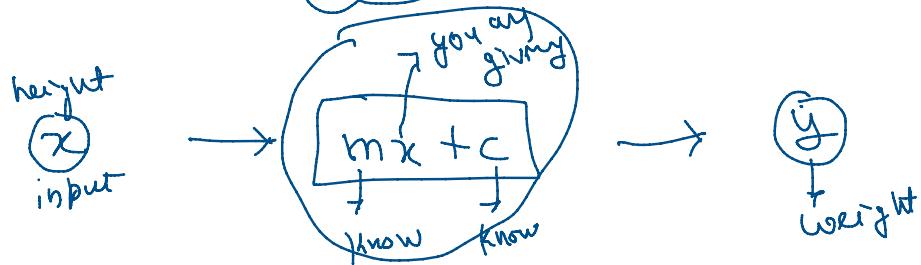
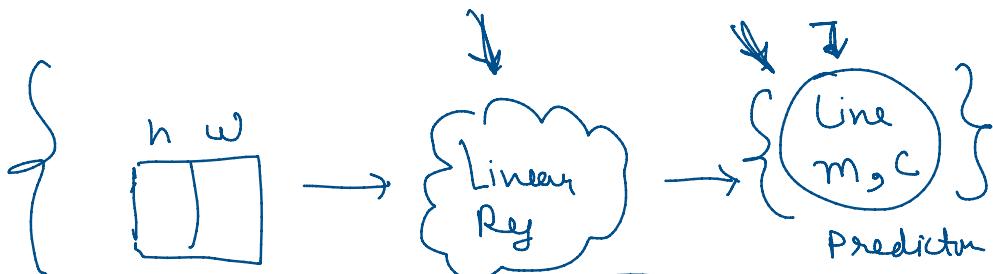
Linear Reg - ↗

Task → Trying to find a line that best fits the data



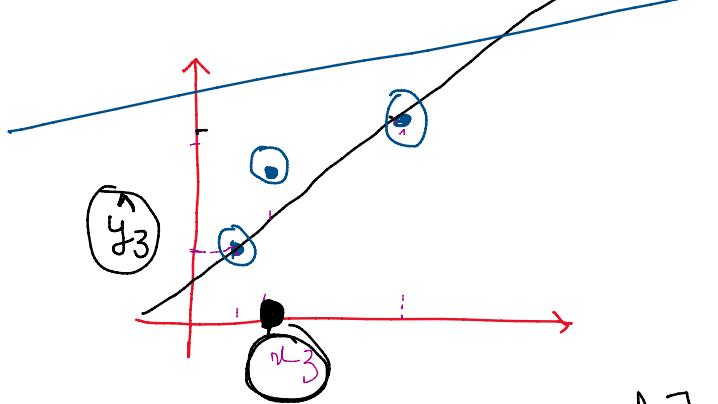
$$y = mx + c$$

weight



To find a line that 'best fits' the given data

① error → 0



② error → 0

actual
error → $y_3 - \hat{y}_3$
pred

Total ↗

$\wedge + \wedge + \wedge - \wedge \rightarrow \text{error}$

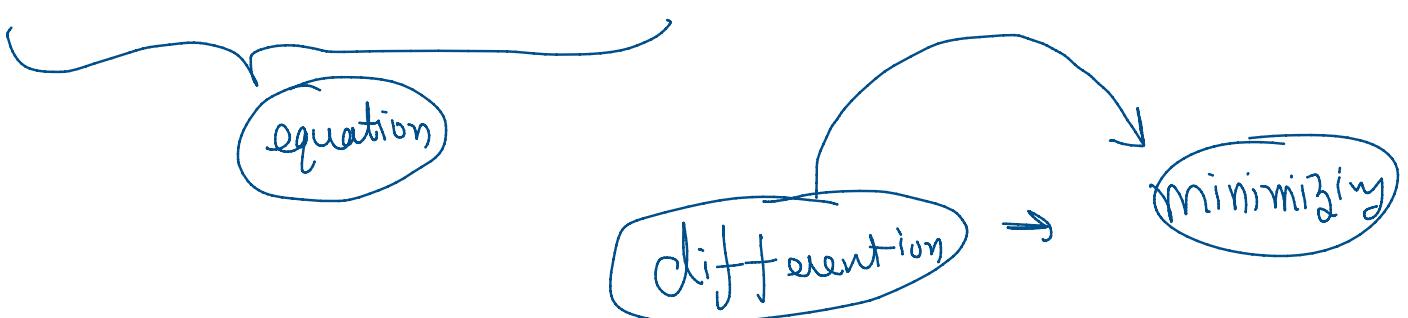
White line \rightarrow Total $\rightarrow 0 + 0 + y_3 - \hat{y}_3 \rightarrow$ error less

Blue line $\rightarrow e_1 + e_2 + e_3 \rightarrow$ more error
 χ^2_n \rightarrow 20 min

$$l_i = \text{Actual} - y_i - \text{pred} - y_i$$

$$m^*, c^* = \underset{m, c}{\arg \min} \sum_{i=1}^n l_i$$

Optimisation Theory

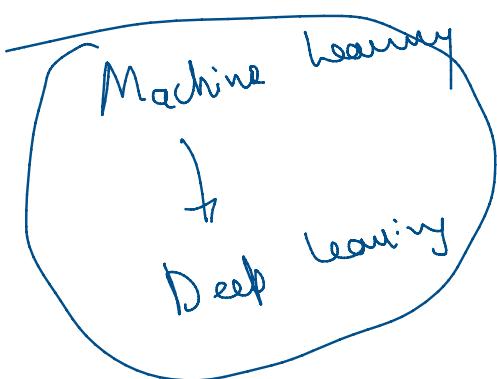


{ Linear Regression \rightarrow Ordinary Least Square }

Gradient Descent \rightarrow Solving Linear Reg Optimization Problem



GD + Optimization Problem



Revise

{ Mathematics }

Totally new

Revise

GD

SGD

MB SGD

Assumptions

