Introduction to Business Analytics [MSBA]

Homework #2

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(put your full name above (incl. any nicknames))

Note: This is an individual homework. Discussing this homework with your classmates is a violation of the Honor Code. If you borrow code from somewhere else, please add a comment in your code to make it clear what the source of the code is (e.g., a URL would sufficient). If you borrow code and you don't provide the source, it is a violation of the Honor Code.

Total grade:	out of	_150	_ points

1) (15 points) Would you frame the problem of e-mail spam detection as a supervised learning problem or an unsupervised learning problem? Please justify your answer.

I would frame the problem of e-mail spam detection as a supervised learning problem, because

- Like in supervised learning Problem, The goal is very clear here ,which is to classify an email whether it is a spam or not. A standard binary classification task
- The Response variable in this case would be spam/ no spam which can be encoded as 1 for spam or 0 for no spam
- Assumption we are making here is that our dataset would have a labelled column to label each mail as spam or not

2) (15 points) What is a test set and why would you want to use it?

A test dataset is a part of the whole dataset and is independent of the training dataset, but follows the same probability distribution as the training dataset.

Once we train the model using train data set, we want to know the performance of that model. In order to evaluate model, we use test data. Without test data, it's hard to determine the model's performance.

It helps us determine whether our model is overfitting, underfitting or should we increase complexity or decrease complexity of the model.

Test data set can be derived from the whole dataset in the following manners depending upon the goal we want to achieve.

1)Split validation:

We split the whole dataset into train and test usually in the ratio of 80-20 or 70-30

2) Nested holdout testing:

We split the whole dataset into train, validation and test usually in the ratio of 50-25-25 or 60-20-20.

3) K fold Cross validation:

We divide the whole dataset into K parts, and use each part as a test dataset in each iteration.

3) (20 points) What are the similarities and differences of decision trees and logistic regression? When might you prefer to use one over another?

1)DATAMINING TASKS:

 DT can be used for classification and Regressions tasks, while Logistic Regression is used exclusively for Regression

2)PROBABILITIES:

• DT classifies first and then can give probabilities for each prediction based on frequency based approach coupled with laplace correction, While Logistic Regression predicts the probabilities for each prediction and then classifies based on cutoff value we give.

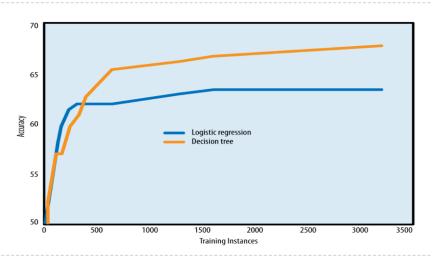
3)DECISION BOUNDARIES:

- DT has multiple decision boundaries which could divide the entire space into very small regions, while Logistic Regression can only have one decision boundary which means it can only bisect the space.
- DT can only have decision boundaries that are perpendicular to axis, but Logistic Regression has a decision boundary which can orient in any direction.
- DT doesn't have curved decision boundaries, but Logistic Regression can have a curved shape decision boundary when we add polynomial terms in the equation.

4)DATA SIZE:

Logistic Regression performs better on small datasets, while DT might not as DT will overfit for small datasets.
 DT needs more data in general. How each of them performs depending upon the size of the data can be seen as below.

Learning Curves



5)MULTICOLLINEARITY:

 Both of the models behave unstable if there is multi collinearity, so We choose to drop some variables in both of the model

6)USAGE OF ATTRIBUTES:

• DT uses one attribute at a time to build the entire tree, while Logistic Regression uses all variables together in model

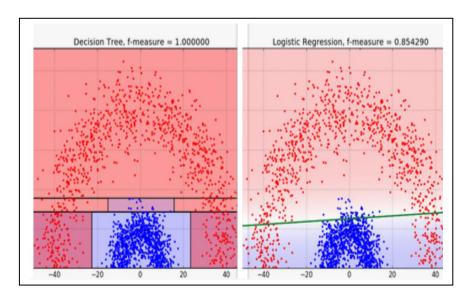
7)MODEL COMPREHENSIBILITY:

• DT has much better comprehensibility than Logistic Regression. Looking at the path from leaf node to parents node, we can easily interpret why we got a certain prediction.

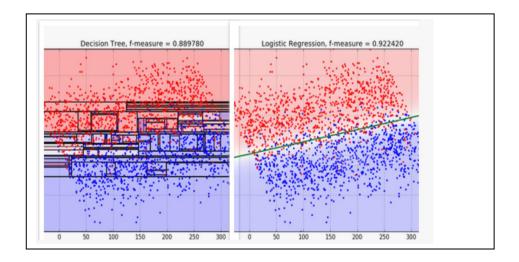
8)NONLINEAR RELATIONSHIPS:

• In the case of non linear relationships, DT performs better. This can be visually explained as follows.

<u>CASE 1</u>: In this example where the two classes are separated by a decidedly non-linear boundary, we see that trees can better capture the division, leading to superior classification performance.



<u>CASE 2:</u> when classes are not well-separated, trees are susceptible to overfitting the training data, so that Logistic Regression's simple linear boundary generalizes better.



9)MISSING VALUES:

• DT is Robust to Missing values than Logistic Regression

10)COMPLEXITY:

• DT uses max_depth to increase complexity, while Logistic Regression uses more number of attributes, transformed variables, and polynomial terms of variables to increase complexity in the model

11)OVERFITTING:

Differences:

 DT uses pre pruning and post pruning techniques to overcome Overfitting, while Logistic regression uses Regularization and feature selection

Similarities:

• If we use large number of variables, both of them tend to overfit because of curse of dimensionality, so we need to optimize variable selection to avoid overfitting in both of them

SUMMARY OF WHEN TO CHOOSE ONE OVER OTHER:

Choose Logistic over DT:

- If we have small dataset with not much of missing values, and comprehensibility is not our key issue, then prefer Logistic Regression
- When classes are not well-separated as I explained in point 8, then prefer Logistic Regression

Choose DT over Logistic

- If your data has non linear relationships
- If you want to go for flexibility
- If you want interpretability/comprehensibility

4) (30 points) You have a fraud detection task (predicting whether a given credit card transaction is "fraud" vs. "non-fraud") and you built a classification model for this purpose. For any credit card transaction, your model estimates the probability that this transaction is "fraud". The following table represents the probabilities that your model estimated for the validation dataset containing 10 records.

Actual Class (from	Estimated Probability of	Cut off =0.3	Cut off =	PRECISION=	RECALL=
validation data)	Record Belonging to Class		0.8		
vanuation uata)	"fraud"			100%	100%
fraud	0.95	fraud	fraud	fraud	fraud
fraud	0.91	fraud	fraud	fraud	fraud
fraud	0.75	fraud	non-fraud	fraud	fraud
non-fraud	0.67	fraud	non-fraud	non-fraud	fraud
fraud	0.61	fraud	non-fraud	non-fraud	fraud
non-fraud	0.46	fraud	non-fraud	non-fraud	fraud
fraud	0.42	fraud	non-fraud	non-fraud	fraud
non-fraud	0.25	non-fraud	non-fraud	non-fraud	non-fraud
non-fraud	0.09	non-fraud	non-fraud	non-fraud	non-fraud
non-fraud	0.04	non-fraud	non-fraud	non-fraud	non-fraud

Based on the above information, answer the following questions:

a) What is the overall accuracy of your model, if the chosen probability cutoff value is 0.3? What is the overall accuracy of your model, if the chosen probability cutoff value is 0.8?

Cutoff = 0.8

		ACTUAL	VALUES
		FRAUD	NON-FRAUD
PREDICTED	FRAUD	TP = 5	FP = 2
VALUES	NON-FRAUD	FN = 0	TN = 3

ACCURACY = 8/10 = 80%

Cutoff = 0.3

		ACTUAL VALUES		
		FRAUD	NON-FRAUD	
PREDICTED	FRAUD	TP = 2	FP = 0	
VALUES	NON-FRAUD	FN = 3	TN = 5	

b) What probability cutoff value should you choose, in order to have Precision fraud = 100% for your model? (Explain.) What is the overall accuracy of your model in this case?

Precision= TP / TP + FP

		ACTUAL VALUES		
		FRAUD	NON-FRAUD	
PREDICTED	FRAUD	TP = 3	FP = 0	
VALUES	NON-FRAUD	FN = 2	TN = 5	

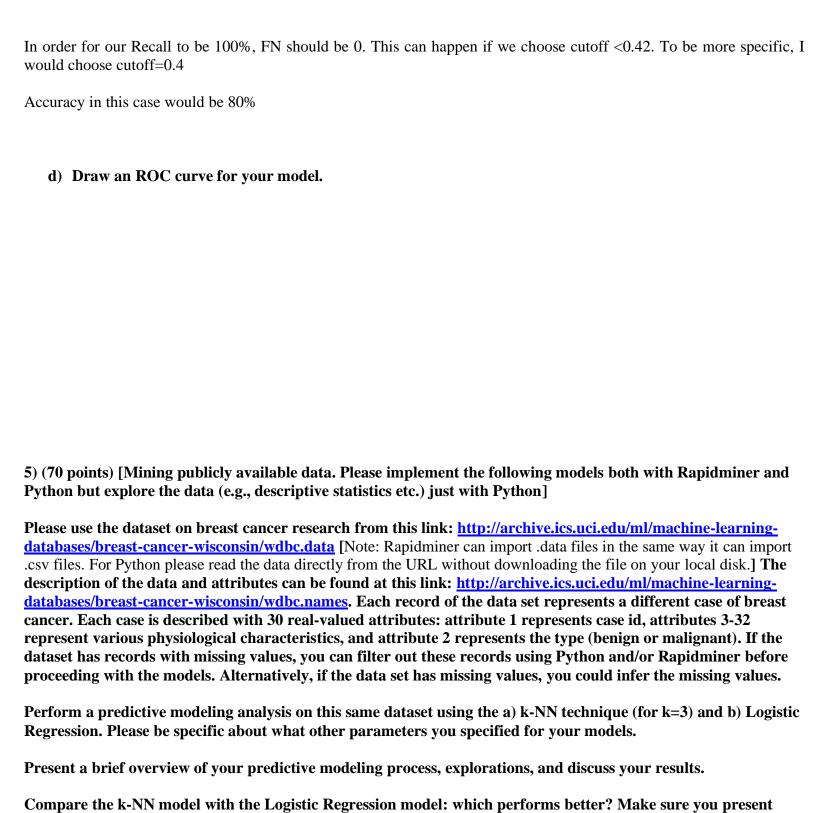
In order for precision to be 100%, FP should be 0. This can happen if we choose cutoff >0.67 and <0.75. To be more specific, I would choose 0.7

Accuracy in this case would be 80%

c) What probability cutoff value should you choose, in order to have Recall fraud = 100% for your model? (Explain.) What is the overall accuracy of your model in this case?

Recall = TP / TP + FN

		ACTUAL VALUES		
		FRAUD	NON-FRAUD	
PREDICTED	FRAUD	TP = 3	FP = 2	
VALUES	NON-FRAUD	FN = 0	TN = 5	



Please show screenshots of the models you have built with Rapidminer and Python, show screenshots of the performance results, and the parameters you have specified.

Please be clear about any assumptions you might make when you choose the best performing model.

information about the model "goodness" (i.e., confusion matrix, predictive accuracy, precision, recall, f-measure).

Appendix (Data Description)

1.Title: Wisconsin Diagnostic Breast Cancer (WDBC)

Results:

- predicting field 2, diagnosis: B = benign, M = malignant

- 2. Number of instances: 569
- 3. Number of attributes: 32 (ID, diagnosis, 30 real-valued input features)
- 4. Attribute information
- 1) ID number
- 2) Diagnosis (M = malignant, B = benign)

3-32)

Ten real-valued features are computed for each cell nucleus:

- a) radius (mean of distances from center to points on the perimeter)
- b) texture (standard deviation of gray-scale values)
- c) perimeter
- d) area
- e) smoothness (local variation in radius lengths)
- f) compactness (perimeter^2 / area 1.0)
- g) concavity (severity of concave portions of the contour)
- h) concave points (number of concave portions of the contour)
- i) symmetry
- i) fractal dimension ("coastline approximation" 1)

The mean, standard error, and "worst" or largest (mean of the three largest values) of these features were computed for each image, resulting in 30 features. For instance, field 3 is Mean Radius, field 13 is Radius SE, field 23 is Worst Radius.

All feature values are recoded with four significant digits.

- 5. Missing attribute values: none
- 6. Class distribution: 357 benign, 212 malignant

1)DATA UNDERSTANDING:

• Import the data:

Data can be directly imported from the link as follows. Since none of the columns have been labelled, we specify header =None. Now the first row will be considered as one of the instances, and not the header.

```
#Importing data directly from the website
data = pd.read_csv("http://archive.ics.uci.edu/ml/machine-learning-databases/breast-cancer-wisconsin/wdbc.data" ,header=None)
```

Structure of the dataset:

```
print(data.shape)
print()
print(data.info())
print()
print(data.head())
print()
type(data)
```

With the help of above commands, we could get a good idea of how our dataset looks like.

Number of Observations	Explanatory variables	Response Variable	Index column
569	30 Columns from 2 to 32	Column2	Column 1

Our Dataset has a fair number of observations, which help us to model better as it seems like a quality dataset.

• Response Variable:

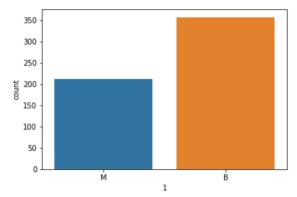
Our Response Variable has two classes.

1)Malignant = Harmful Tumor

2)Benign = Not harmful Tumor

Distribution of our response variable:

```
import matplotlib.pyplot as plt
#pyplot is matplotlib's plotting framework
import seaborn as sns
# Seaborn is a Python data visualization library based on matplotlib.
sns.countplot(data[1])
plt.show()
```



It shows that instances of benign(67%) are quite more than Malignant(33%). This is an unbalanced dataset. Hence **stratifying** while splitting the data into train and test would be a good idea.

2)DATA EXPLORATION:

In order to build a model to predict Malgnant or Benign from the provided dataset, It's good to examine the statistics of each attribute. This can be done by describe function in python. It gives statistics for each variable. Statistics for each variable seems fine. Nothing aberrant as yet.

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ор	NaN	I B	NaN	NaN		NaN		NaN	
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td	1.250206e+08	NaN 3	.524049 4	.301036	24.	298981	351.	914129	
nin	8.670000e+03	NaN 6	.981000 9	.710000	43.	790000	143.	500000	
5%	8.692180e+05	NaN 11	700000 16	.170000	75.	170000	420.	300000	
0%	9,060240e+05			.840000		240000		100000	
'5%	8.813129e+06	NaN 15	780000 21	.800000	104.	100000	782.	700000	
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td	6.146258	33.602542	569.35699				157336		
nin	12.020000	50.410000	185.200000				027290		
5%	21.080000	84.110000	515.30000				147200		
0%	25.410000	97.660000	686.50000				211900		
'5%	29.720000	125.400000	1084.000000				339100		
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0%	0.226700	0.099930	0.282200	0.080	040				
'5%	0.382900	0.161400	0.317900	0.092	080				

• DATA CHECK:

```
#To see if there are any missing values
print(data.isnull().any().sum())
```

We see that there are no missing values. No need of Data cleaning. We are good to go ahead

3)DATA VISUALIZATION:

It is helpful to have a look at a histogram of each individual attribute/feature. This allows us to see the distribution of classes within each feature. This can help us determine if the individual feature itself would be enough in predicting malignant/benign. Also, plots between each independent variable vs Response variable could give some insights. All of these graphs can be visualized using *sns.pairplot(data)*. Looking at the graphs, we see that there aren't much of insights.

Correlation:

For a deeper look at our data, we can also look at the correlation between features. This can help us identify which features are most related to our target variable. Especially, It is imperative to see correlation amongst Independent variables to avoid multi collinearity. With the following code we could get a correlation matrix

```
f, ax = plt.subplots(figsize=(20,20))
# creating correlation matrix
corr = data.iloc[:,2:].corr()
#using a heatmap to visualize the correlation matrix
sns.heatmap(corr,
                  xticklabels=corr.columns.values,
                 vticklabels=corr.columns.values, annot=True)
                1 0.99 0.17 0.51 0.68 0.82 0.15 -0.31
                                                        -0.097 0.67 0.74 -0.22 0.21 0.19 0.38 -0.1 -0.043 0.97 0.3 0.97 0.94 0.12 0.41 0.53 0.74 0.16 0.0071
                0.33 0.32 0.023 0.24 0.3 0.29 0.071 0.076 0.28 0.39 0.28 0.26 0.0066 0.19 0.14 0.16 0.00910.054 0.35 <mark>0.91</mark> 0.36 0.34 0.078 0.28 0.3 0.3 0.11 0.12
                1 0.99 0.21 0.56 0.72 0.85 0.18 -0.26
                                                        0.087 0.69 0.74 0.2 0.25 0.23 0.41 0.0820.005 0.97 0.3 0.97 0.94 0.15 0.46 0.56 0.77 0.19 0.051
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                              066 052 055 056 058 03 0.068 03 0.25 0.33 0.32 0.25 0.38 0.2 0.28 0.21 0.036 0.24 0.21 <mark>0.81</mark> 0.47 0.43 0.5 0.39 0.5
       051 0.24 0.56 0.5 0.66 1 0.88 0.83 0.6 0.57 0.5 0.046 0.55 0.46 0.14 0.74 0.57 0.64 0.23 0.51 0.54 0.25 0.59 0.51 0.57 0.87 0.82 0.82 0.51 0.5
                                                                                                                                                                 - 0.75
           0.3 0.72 0.69 0.52 0.88 1 0.92 0.5 0.34 0.63 0.076 0.66 0.62 0.099 0.67 0.69 0.68 0.18 0.45 0.69 0.3 0.73 0.68 0.45 0.75 0.88 0.86 0.41 0.51
                                                     0.7 0.021 0.71 0.69 0.028 0.49 0.44 0.62 0.095 0.26 0.83 0.29 0.86 0.81 0.45 0.67 0.75 0.91 0.38 0.37
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       0.97 0.39 0.0870.0660.0680.046.0076.0021 0.13 0.16 0.21 1 0.22 0.11 0.4 0.23 0.19 0.23 0.41 0.28 0.11 0.41 0.1 0.0830.0740.0920.069 0.12 0.13 0.046
                                                                                                                                                                 0.50
                   0.73 0.3 0.55 0.66 0.71 0.31 0.04 0.97 0.22 1 0.94 0.15 0.42 0.36 0.56 0.27 0.24 0.7 0.2 0.72 0.73 0.13 0.34 0.42 0.55 0.11 0.085
       0.74 0.26 0.74 0.8 0.25 0.46 0.62 0.69 0.22 0.09 0.95 0.11 0.94 1 0.075 0.28 0.27 0.42 0.13 0.13 0.76 0.2 0.76 0.81 0.13 0.28 0.39 0.54 0.074 0.018
       0.2200066-0.2 -0.17 0.33 0.14 0.099 0.028 0.19 0.4 0.16 0.4 0.15 0.075 1 0.34 0.27 0.33 0.41 0.43 -0.23 -0.075 0.22 -0.18 0.31 -0.0560 0.58 -0.1 -0.11 0.1
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                                                                                                                                                                  0.25
        0.1000910.0820.072 0.2 0.23 0.18 0.095 0.45 0.35 0.24 0.41 0.27 0.13 0.41 0.39 0.31 0.31 1 0.37 0.13-0.077 0.1 -0.11-0.013 0.06 0.037 0.03 0.078
       0.0430.0540.00550.02 0.28 0.51 0.45 0.26 0.33 0.69 0.23 0.28 0.24 0.13 0.43 0.8 0.73 0.61 0.37 1 0.0370.00320.0010.023 0.17 0.39 0.38 0.22 0.11 0.53
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        53 03 056 051 043 082 088 0.75 043 035 038 0.069 042 0.39 0.058 064 0.66 0.55 0.037 0.38 0.57 0.37 0.62 0.54 0.52 0.89 1 0.86 0.53 0.0
           03 0.77 0.72 0.5 0.82 0.86 0.91 0.43 0.18 0.53 0.12 0.55 0.54 0.1 0.48 0.44 0.6 0.03 0.22 0.79 0.36 0.82 0.75 0.55 0.8 0.86 1
                                               0.33 0.095 0.13 0.11 0.074 0.11 0.28 0.2 0.14 0.39 0.11 0.24 0.23 0.27 0.21 0.49 0.61 0.53 0.5 1
                                                                                                                                                                  -0.25
```

0071 0.12 0.0510.0037 0.5 0.69 0.51 0.37 0.44 0.77 0.05 0.0460.085 0.018 0.1 0.59 0.44 0.31 0.078 0.59 0.093 0.22 0.14 0.08 0.62 0.81 0.69 0.51 0.54

13 14 15 16 17 18 19 20 21 22

Looking at the correlation heat map, we see that the following pairs are highly correlated with a correlation value >=0.94 in each of the following pairs. We could select only one of them from each pair to avoid multicollinearity and make the model more stable.

Highly correlation	Correlation
feature pairs	value
2,5	0.99
2,22	0.97
2,24	0.97
2,25	0.94
4,5	0.99
4,22	0.96
4,24	0.97
4,25	0.94
5,22	0.96
5,24	0.96
5,25	0.96
12,14	0.97
12,15	0.95
14,15	0.94
22,24	0.99
22,25	0.98

4)SPLIT THE DATA:

Before modelling, It is important to split the data into train and test. Doing so, we can train the model with the train data set and evaluate its performance with test(out of sample) We split the data into train and test in the ratio of 70/30 here.

Since, it is an unbalanced dataset, it is good to do stratifying, because we could get the same ratio of malignant and benign cases in both train and test. We just want our test data to have substantial number of malignant cases in test as well.

```
X= data.iloc[: , 2: ]
Y= data.iloc[: , 1]

X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.3, random_state=1,stratify=Y)

print(X.head())
print(Y.head())
```

Once we split the data, we want to see how the target variable has been split across train, and test

It seems like a fair split.

Name: 1, dtype: int64

212

Labels counts in y_test: B

357

5)NORMALIZATION:

Since in the case of Knn, we use distance as a measure to find the nearest neighbours, it is important to standardize the variables so that the distance is unaffected by scaling of the variables We are using Z-score scaling method to standardize the variables.

```
sc= StandardScaler()
sc.fit(X_train)

X_train_std = sc.transform(X_train)
X_test_std = sc.transform(X_test)
```

6)BUILD THE MODEL WITH KNN:

Let's build the model with following parameters initially

- \circ k=3.
- o P = 2, indicating Eucledian distance
- O Weights = 'uniform'

Also do the prediction on out of sample , name it as Y_pred_n Insample, name it as Y_pred_n insample

```
clf_knn = KNeighborsClassifier(n_neighbors=3 , p=2 , metric ='minkowski' )
clf_knn.fit(X_train_std, Y_train)

#Prediction for test data set and train dataset
Y_pred= clf_knn.predict(X_test_std)
Y_pred_insample = clf_knn.predict(X_train_std)|
```

EXPERIMENTING MODEL WITH DIFFERENT PARAMETERS:

We could try different combinations of parameters such as

- 1)Eucledian vs Manhattan distance
- 2) Weights = uniform (All points in each neighborhood are weighted equally)

vs distance(weight points by the inverse of their distance. in this case, closer neighbors of a query point will have a greater influence than neighbors which are further away)

7)EVALUATION:

We evaluate the model by computing the confusion matrix using following code for 4models we tried.

We get performance generalization through the following code

```
print("Model Metrics:")
print()
print("Accuracy: " + str(accuracy_score(Y_test,Y_pred)*100))
print("Positive Precision: " + str(precision_score(Y_test, Y_pred, pos_label = 'M')))
print("Negative Precision: " + str(precision_score(Y_test, Y_pred, pos_label = 'B')))
print("Positive Recall: " + str(recall_score(Y_test, Y_pred, pos_label = 'M')))
print("Negative Recall: " + str(recall_score(Y_test, Y_pred, pos_label = 'B')))
print("Positive F-Measure: " + str(f1_score(Y_test, Y_pred, pos_label = 'M')))
print("Negative F-Measure: " + str(f1_score(Y_test, Y_pred, pos_label = 'B')))
```

Upon experimenting, we found out the following performances by each model we tried.

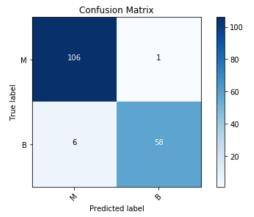
ACCURACY	PRECISIO	PRECISION	RECALL	RECALL	fmeasure+	fmeasure
	N+	-VE	+	-		-
95.9%	98.3%	94.6%	90.6%	99%	94.3%	96.8%
95.9%	98.3%	94.6%	90.6%	99%	94.3%	96.8%
94%	96%	93.75%	89%	98.1%	92%	95%
94.73%	96.6%	93.75%	89%	98%	92.6%	95.8%
	95.9% 95.9% 94%	N+ 95.9% 98.3% 95.9% 98.3% 94% 96%	N+ -VE 95.9% 98.3% 94.6% 95.9% 98.3% 94.6% 94% 96% 93.75%	N+ -VE + 95.9% 98.3% 94.6% 90.6% 95.9% 98.3% 94.6% 90.6% 94% 96% 93.75% 89%	N+ -VE + - 95.9% 98.3% 94.6% 90.6% 99% 95.9% 98.3% 94.6% 90.6% 99% 94% 96% 93.75% 89% 98.1%	N+ -VE + - 95.9% 98.3% 94.6% 90.6% 99% 94.3% 95.9% 98.3% 94.6% 90.6% 99% 94.3% 94% 96% 93.75% 89% 98.1% 92%

We see that there is some change in performance when we change eucledian to manhattan, but insignificant change when we change weights metric

I also tried removing various attributes which are highly correlated with eachother , but the model's overall performance didn't change much

FINAL MODEL:

Our final Model would be the one with k=3, weight =distance, p=2(Eucledian). It has the following confusion matrix



```
ACCURACY= 95.9%
PRECISION +VE= 98.3%
PRECISION -VE=94.6%
RECALL +VE = 90.6%
REALL -VE =99%
FMEASURE +VE= 94.3%
FMEASURE -VE =96.8%
```

NOTE:

Our final model has Recall +ve 90.6% which could be an issue, because we are misclassifying 9.4% of the M cases as B. We would discuss this at the end when we are comparing models

ARE WE OVERFITTING?

Looking at the performance on test data, It doesn't seem like overfitting, Since K=3 is very small. Smaller the K, higher the chances for overfitting. Let's just compare insample and out sample test performance.

```
#Comparision for insampleand outsample
# Accuracy
print('Accuracy (out-of-sample): %.2f' % accuracy score(Y test, Y pred))
print('Accuracy (in-sample): %.2f' % accuracy_score(Y_train, Y_pred_insample))
# F1 score
print('F1 score (out-of-sample): ', f1_score(Y_test, Y_pred, average='macro'))
print('F1 score (in-sample) : ', f1_score(Y_train, Y_pred_insample, average='macro'))
# Build a text report showing the main classification metrics (out-of-sample performance)
print(classification_report(Y_test, Y_pred, target_names=class_outcomes))
Accuracy (out-of-sample): 0.96
Accuracy (in-sample): 0.99
F1 score (out-of-sample): 0.9555629802873371
F1 score (in-sample) : 0.9864973978653675
               precision recall f1-score support
                    0.95
                               0.99
                                          0.97
                                                       107
            Μ
                    0.98
                               0.91
                                          0.94
   micro avg
                    0.96
                               0.96
                                          0.96
                                                       171
   macro avg
                    0.96
                               0.95
                                          0.96
                                                       171
weighted avg
                    0.96
                               0.96
                                          0.96
```

Looking at Accuracy, both of them are close enough, which says the model is good and not really overfitting.

LOGISTIC REGRESSION:

TRAIN THE MODEL:

Let's train the model and do the prediction on test data. We do two types of prediction here.

1)Classification

2)Probabilities

```
clf_logistic = linear_model.LogisticRegression(C=1e5)

clf_logistic.fit(X_train, Y_train)
print('The weights of the attributes are:', clf_logistic.coef_)

#classification predictions
Y_pred_logistic = clf_logistic.predict(X_test)

#class probabilities
Y_pred_logistic_prob = clf_logistic.predict_proba(X_test)

print()
print(Y_pred_logistic[0] ,Y_pred_logistic_prob[0])
print(np.sum(Y_pred_logistic_prob[0]))
```

We can also check the weights of the attributes by *clf_logsitic.coef* command

Fllowing are the weights of the attributes:

```
[-6.16e+00 -1.78e-01 7.86e-01 8.27e-03 3.22e+00 -3.87e-01 3.38e+00 5.84e+00 5.72e+00 -7.30e-01 -4.23e+00 -4.42e+00 9.59e-01 1.59e-01 8.78e-01 -5.17e+00 -6.67e+00 4.90e-01 -1.95e-01 -9.90e-01 -1.53e+00 6.82e-01 -8.01e-02 3.20e-02 8.84e+00 -2.52e+00 3.66e+00 1.21e+01 1.29e+01 -9.21e-01]]
```

- We could try experimenting different parameters such as changing the C value. C value helps us customize the regularization.
- Higher C value means lower regularization. Lower C value means Higher regularization.
- We do regularization because we want to add a little bias to the regression line in a hope that it would fit well for the test data. We are increasing it's performance on test data but decreasing performance on train data. regularization helps add penalty to the attributes, and tries to lower the multi collinearity effect.

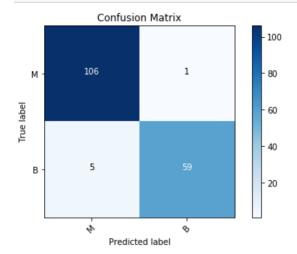
EVALUATION:

We could try 5 orders of C value. 10,100,1000,10000,100000

C value	ACCURACY	PRECISION+	PRECISION-VE	RECALL+	RECALL	fmeasure+	fmeasure
					-		-
1	95.3%	98.3%	94.6%	90.6%	99%	94.3%	96.8%
10	95.9%	98.3%	94.6%	90.6%	99%	94.3%	96.8%
100	95.9%	98.3%	94.6%	90.6%	99.1%	94%	96%
1000	94.73%	98.3%	94.6%	90.6%	99%	94.6%	96.8%
10000	94.73%	98.3%	94.6%	90.6%	99%	94.6%	96.8%
100000	96.49%	98.3%	94.6%	92%	99%	94.3%	96.8%

Upon Experimenting different C values, we see that Model's performance doesn't vary much. But when C=1e5, we are getting a very slightly better Accuracy and Recall+ values. So I would go with the model with C=100000, which essentially says that lamda is infitesimally small, which implies no penalty, implying no regularization is needed for this model.

FINAL MODEL:



```
print("Logistic Regression Model Metrics :")
print()
print("Accuracy: " + str(accuracy_score(Y_test,Y_pred_logistic)*100))
print("Positive Precision: " + str(precision_score(Y_test, Y_pred, pos_label = 'M')))
print("Negative Precision: " + str(precision_score(Y_test, Y_pred, pos_label = 'B')))
print("Positive Recall: " + str(recall_score(Y_test, Y_pred_logistic, pos_label = 'M')))
print("Negative Recall: " + str(recall_score(Y_test, Y_pred, pos_label = 'B')))
print("Positive F-Measure: " + str(f1_score(Y_test, Y_pred, pos_label = 'M')))
print("Negative F-Measure: " + str(f1_score(Y_test, Y_pred, pos_label = 'B')))
```

Logistic Regression Model Metrics :

Accuracy: 96.49122807017544

Positive Precision: 0.9830508474576272

Negative Precision: 0.9464285714285714

Positive Recall: 0.921875

Negative Recall: 0.9906542056074766

Positive F-Measure: 0.943089430894309

Negative F-Measure: 0.9680365296803651

COMPARING KNN AND LOGSITIC MODELS:

	KNN	LOGISTIC
ACCURACY	95.9%	96.49%
PRECISION +VE	98.3%	98.3%
PRECISION -VE	94.6%	94.6%
RECALL +VE	90.6%	92%
RECALL -VE	99%	99%
FMEASURE +VE	94.3%	94.3%
FMEASURE -VE	96.8%	96.8%

In all metrics, Logistic performs better than or same as Knn.

IMPORTANT NOTE:

Our False positives and False Negatives have different costs in our context.

Predicting Benign as Malignant is not that of an issue, but predicting malignant as Benign is a big issue, because it's a big risk. Patient's life would be at stake if we misclassify patient with malignant tumor with benign tumor. Thus we have different costs.

That means our Recall+ve should be as high as possible. So more than just Accuracy, Recall+ve is an important metric to compare between models.

Recall +ve = TP / (TP + FN). FN should be as low as possible. FN basically means, you predicted some one as benign but in reality the patient is malignant. We want to avoid this case as much as possible.

Since Logsitic has higher Recall+ve than Knn. I will choose **Logistic Regression Model** that I built.

RAPID MINER:

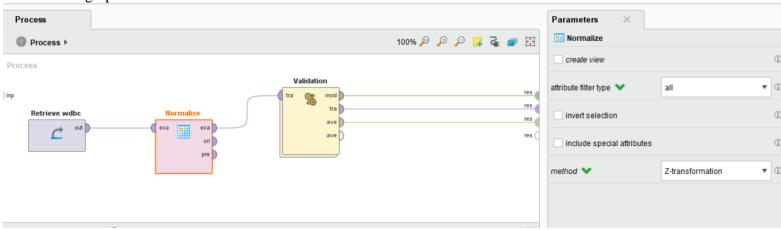
KNN:

The process taken in RapidMiner mirrors that of Python.

DESIGN:

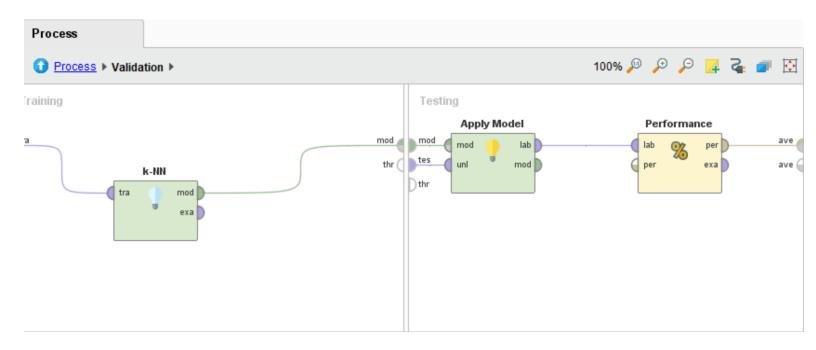
- Once we input the data, label the target variable as label, and index column as id.
- We use retrieve operator to read the data, then normalize operator to normalize the variables. I use z-transformation method
- We use Split validation operator to split the data into train and test. The ratio I chose is 70-30, and I chose stratifying strategy here.

Our Design process so far looks like this:



- Split validation has double layer, which has training on left, and testing on right.
- Add Knn operator on the left, and choose k=3, and Eucledian distance
- Add Apply Model, and Generalization performance on the right

Final Design inside split validation



After running, we see results as follows,

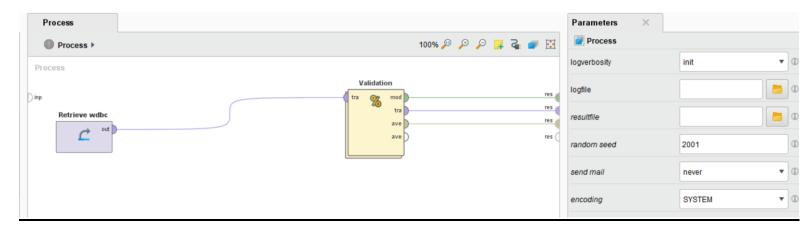


ACCURACY = 94.15%

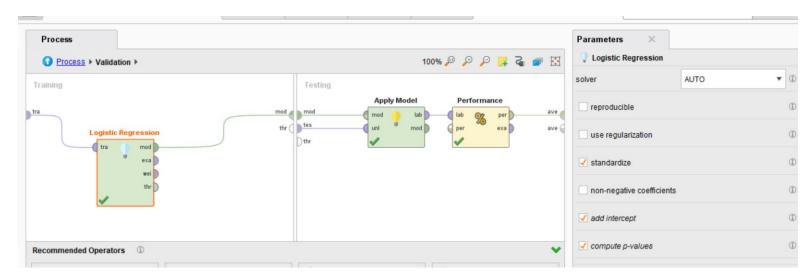
RECALL + VE = 87.5%

LOGISTIC REGRESSION:

DESIGN:

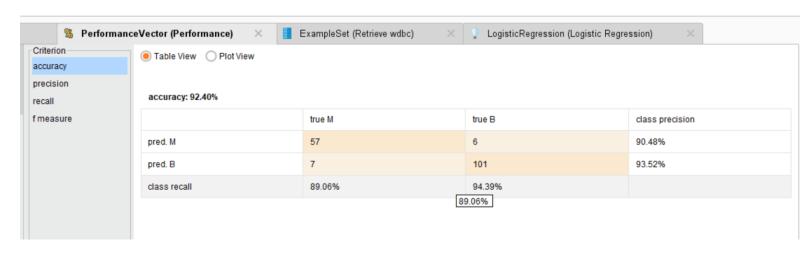


DESIGN INSIDE SPLIT VALIDATION:



I experimented with regularization and tried multiple Lamda values. Without regularization, I got the best model.

RESULTS OF MY FINAL BEST MODEL:



COMPARING BOTH MODELS ON RAPIDMINER:

	Knn	Logistic
ACCURACY	94.15%	92.4%
PRECISION+	91%	90.48%
PRECISION-	92%	93.52%
RECALL +	87.5%	94.39%
RECAL -	98.2%	89.06%
F MEASURE+	90%	93.95%

Knn has better accuracy, but Recall+ is the most important metric, and Logistic has better Recall+, so I would go with Logistic Regression over Knn.