end

```
Km = (p+q)*nu*K;
fprintf('K = \%.15f',K)
fprintf('
           (p+q)*nu*Ks/2 = %.15f \n', Km/2)
fprintf('sum(lambda) = %.15f ',sum(lamb))
fprintf('sum(mu) = %.15f \n', sum(mu))
if (numsvl1 > 0 \mid | numsvm1 > 0) \&\& badnu == 0
   if eta < 10^{-9}
         fprintf('** Warning, eta too small or negative ** \n')
   end
   delta = eta/nw:
  fprintf('delta = %.15f \n',delta)
   tolxi = 10^{(-10)};
   % tols < lambda_i < K - tolh or K - tolh <= lambda_i and epsilon_i < tolxi</pre>
   [lamsv,psf,epsilon] = findsvl2(lamb,w,b,u,eta,K,tols,tolh,tolxi);
   % tols < mu_i < K - tolh or K - tolh <= mu_i and xi_i < tolxi
   [musv,qsf,xi] = findsvm2(mu,w,b,v,eta,K,tols,tolh,tolxi);
  fprintf('psf = %d ',psf)
  fprintf(' qsf = %d \n',qsf)
   fprintf('pf - psf = %d ',pf - psf)
   fprintf(' qf - qsf = %d \n', qf - qsf)
   % computes eta from the duality gap
  errterm = w'*(sKv - sKu) + (pf - qf)*b;
  Pterm = (1/K)*(lam'*P2*lam);
  denom = (p+q)*nu - pf -qf;
  fprintf('denom = \%.15f \n',denom)
   if denom > 0
      eta1 = (errterm + Pterm)/denom;
      fprintf('eta1 = \%.15f \n',eta1)
   end
end
end
```

The constraint matrix and the matrices defining the quadratic program are constructed by the function buildSVMs2pb.

```
function [A,c,X,Pa,q] = buildSVMs2pb(nu,u,v,K)
% builds the matrix of constraints A for
% soft margin nu-SVM s2'
```