

Subject Code : 06ECL57	IA Marks : 25
No. of Practical Hrs/Week: 03	Exam Hours : 03
Total no. of Practical Hrs. : 42	Exam Marks : 50

Error! No table of contents entries found.**EXPERIMENTS USING MATLAB**

1. Verification of Sampling theorem.

```

clc;
T=0.04; % Time period of 50 Hz signal
t=0:0.0005:0.02;
f = 1/T;
n1=0:40;
size(n1)

xa_t=sin(2*pi*2*t/T);

subplot(2,2,1);
plot(200*t,xa_t);
title('verification of sampling theorem');
title('Continuous signal');
xlabel('t');
ylabel('x(t)');

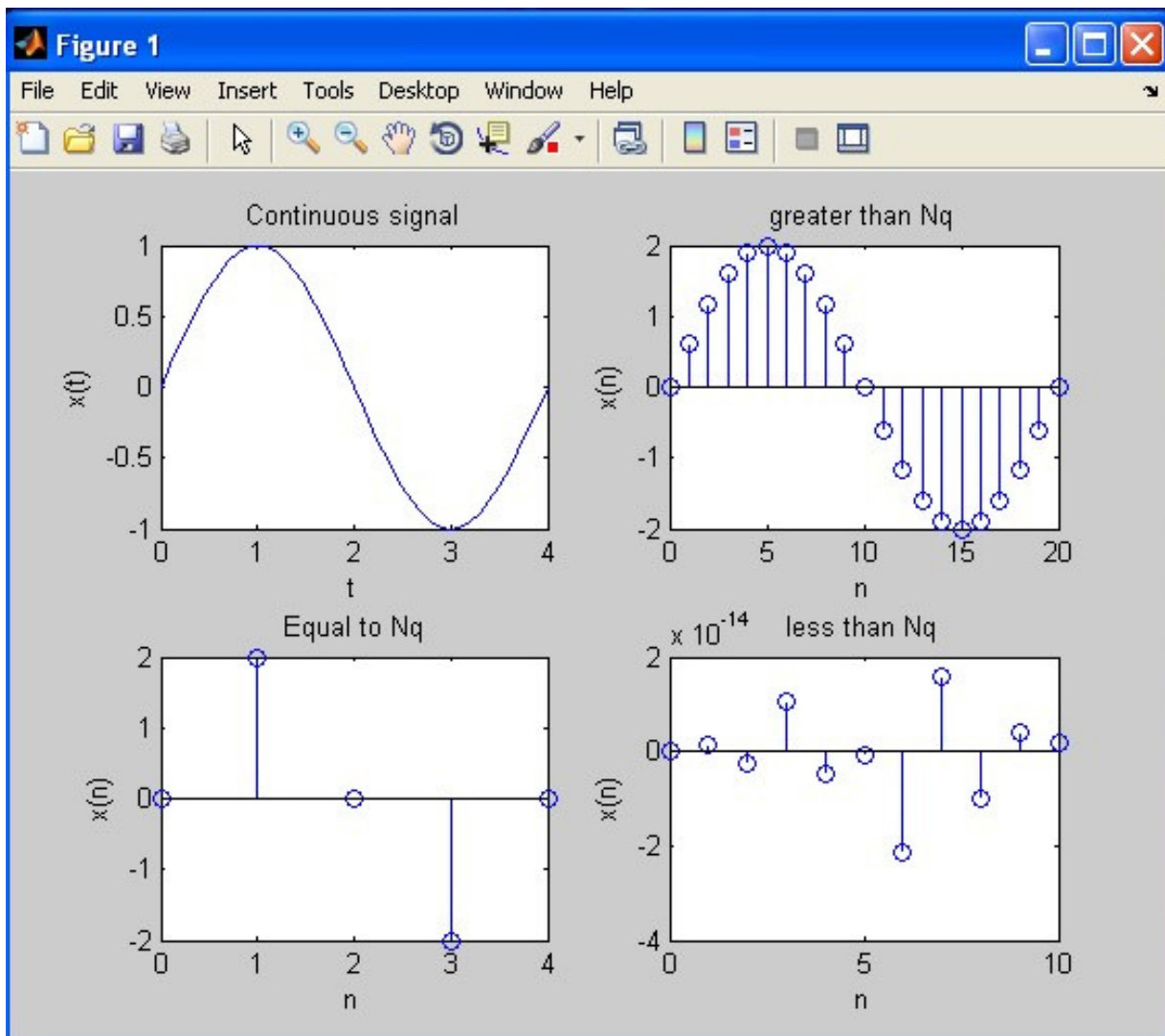
ts1=0.002;%>niq rate
ts2=0.01;%=niq rate
ts3=0.1;%<niq rate

n=0:20;
x_ts1=2*sin(2*pi*n*ts1/T);
subplot(2,2,2);
stem(n,x_ts1);
title('greater than Nq');
xlabel('n');
ylabel('x(n)');

```

```
n=0:4;  
x_ts2=2*sin(2*sym('pi')*n*ts2/T);  
subplot(2,2,3);  
stem(n,x_ts2);  
title('Equal to Nq');  
xlabel('n');  
ylabel('x(n)');
```

```
n=0:10;  
x_ts3=2*sin(2*pi*n*ts3/T);  
subplot(2,2,4);  
stem(n,x_ts3);  
title('less than Nq');  
xlabel('n');  
ylabel('x(n)');
```



2. Impulse response of a given system

```

clc;
clear all;
close all;
% Difference equation of a second order system
%  $y(n) = x(n) + 0.5x(n-1) + 0.85x(n-2) + y(n-1) + y(n-2)$ 

b=input('enter the coefficients of x(n),x(n-1)-----');
a=input('enter the coefficients of y(n),y(n-1)----');
N=input('enter the number of samples of imp response ');

[h,t]=impz(b,a,N);
plot(t,h);
title('plot of impulse response');
ylabel('amplitude');

```

```
xlabel('time index----->N');
disp(h);
grid on;
```

Output

```
enter the coefficients of x(n),x(n-1)-----[1 0.5 0.85]
enter the coefficients of y(n),y(n-1)-----[1 -1 -1]
enter the number of samples of imp respons 4
1.0000
1.5000
3.3500
4.8500
```

Calculation

$$y(n) = x(n) + 0.5x(n-1) + 0.85x(n-2) + y(n-1) + y(n-2)$$

$$y(n) - y(n-1) - y(n-2) = x(n) + 0.5x(n-1) + 0.85x(n-2)$$

Taking Z transform on both sides,

$$Y(Z) - Z^{-1}Y(Z) - Z^{-2}Y(Z) = X(Z) + 0.5Z^{-1}X(Z) + 0.85Z^{-2}X(Z)$$

$$Y(Z)[1 - Z^{-1} - Z^{-2}] = X(Z)[1 + 0.5Z^{-1} + 0.85Z^{-2}]$$

$$\text{But, } H(Z) = Y(Z)/X(Z)$$

$$= [1 + 0.5Z^{-1} + 0.85Z^{-2}] / [1 - Z^{-1} - Z^{-2}]$$

By dividing we get

$$H(Z) = 1 + 1.5Z^{-1} + 3.35Z^{-2} + 4.85Z^{-3}$$

$$h(n) = [1 \ 1.5 \ 3.35 \ 4.85]$$

3. Linear convolution of two given sequences.

% Linear convolution using conv command

Using **CONV** command.

```
clc;
x1=input('enter the first sequence');
subplot(3,1,1);
stem(x1);
ylabel('amplitude');
title('plot of the first sequence');

x2=input('enter 2nd sequence');
subplot(3,1,2);
stem(x2);
```

```

ylabel('amplitude');
title('plot of 2nd sequence');

f=conv(x1,x2);
disp('output of linear conv is');
disp(f);
xlabel('time index n');
ylabel('amplitude f');
subplot(3,1,3);
stem(f);
title('linear conv of sequence');

```

Output

enter the first sequence[1 2 3]

enter 2nd sequence[1 2 3 4]

output of linear conv is

1 4 10 16 17 12

Linear convolution Using DFT and IDFT / Linear convolution using circular convolution

```
clc;
clear all;
x1=input('enter the first sequence');
x2=input('enter the second sequence');
n=input('enter the no of points of the dft');

subplot(3,1,1);
stem(x1,'filled');
title('plot of first sequence');

subplot(3,1,2);
stem(x2,'filled');
title('plot the second sequence');

n1 = length(x1);
n2 = length(x2);
m = n1+n2-1; % Length of linear convolution

x = [x1 zeros(1,n2-1)]; % Padding of zeros to make it of
                        % length m
y = [x2 zeros(1,n1-1)];

x_fft = fft(x,m);
y_fft = fft(y,m);
dft_xy = x_fft.*y_fft;
y=ifft(dft_xy,m);

disp('the circular convolution result is .....');
disp(y);

subplot(3,1,3);
stem(y,'filled');
title('plot of circularly convoluted sequence');
```

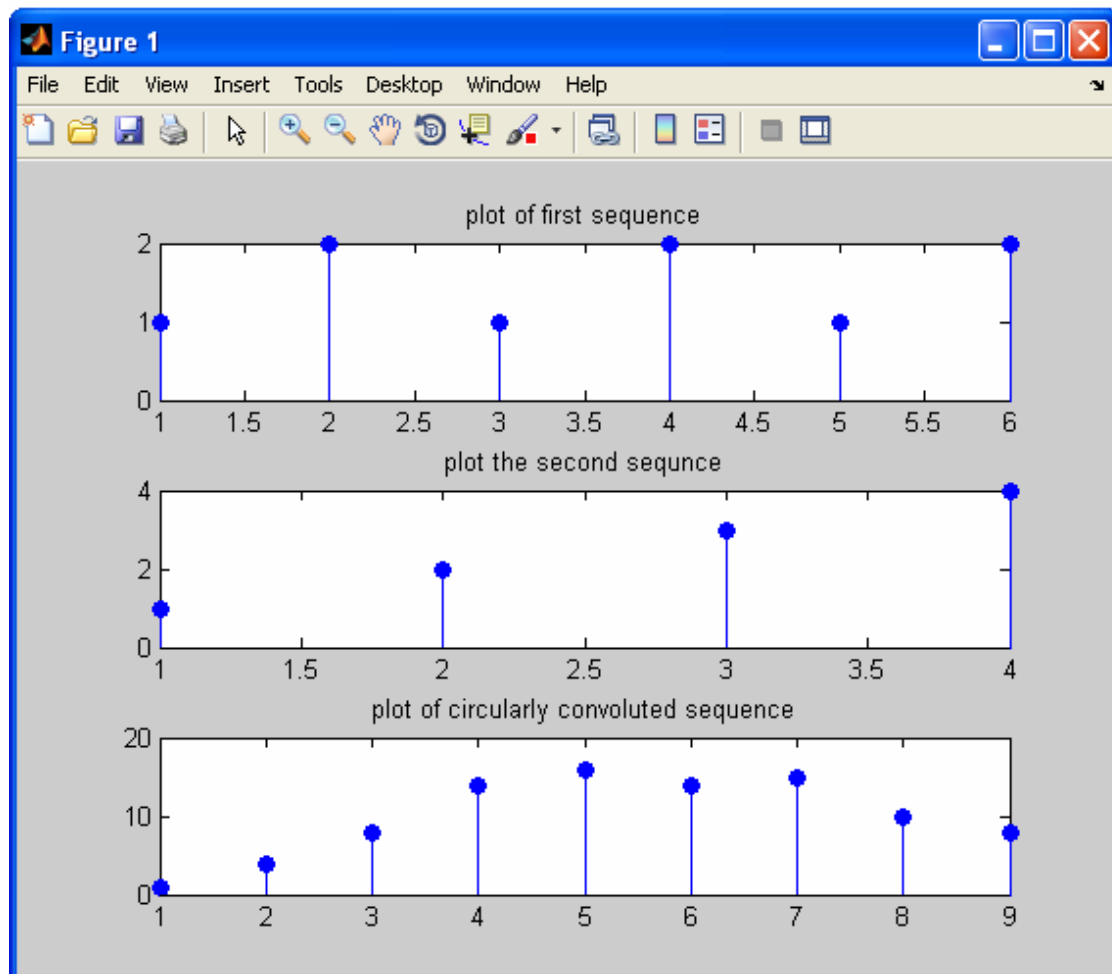
Output

enter the first sequence[1 2 1 2 1 2]

enter the second sequence[1 2 3 4]

the circular convolution result is

1.0000	4.0000	8.0000	14.0000	16.0000	14.0000
15.0000	10.0000	8.0000			



4. Circular convolution of two given sequences

```
clc;
clear all;
x1=input('enter the first sequence');
x2=input('enter the second sequence');
n1 = length(x1);
n2 = length(x2);

subplot(3,1,1);
stem(x1,'filled');
title('plot of first sequence');

subplot(3,1,2);
stem(x2,'filled');
title('plot the second sequence');

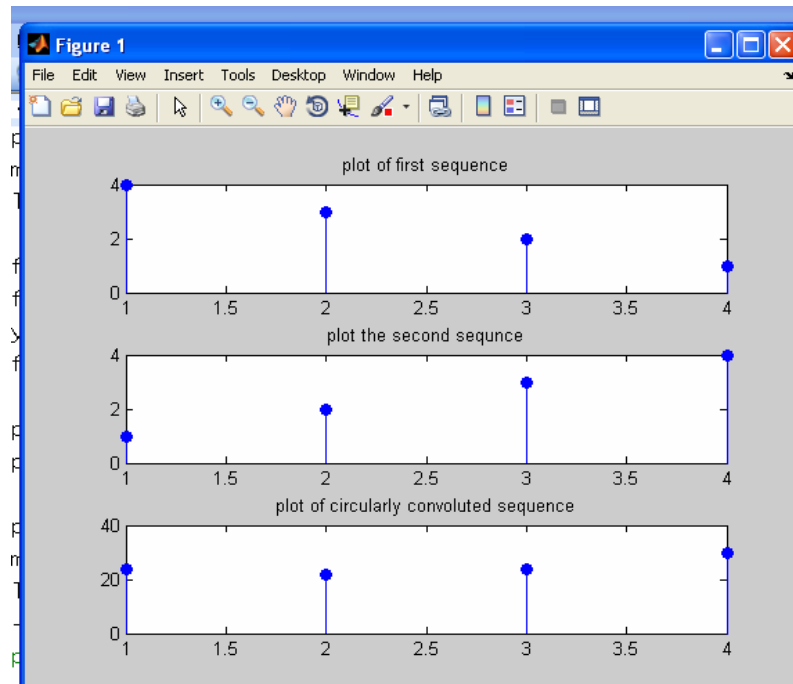
y1=fft(x1,n);
y2=fft(x2,n);
y3=y1.*y2;
y=ifft(y3,n);

disp('the circular convolution result is .....');
disp(y);

subplot(3,1,3);
stem(y,'filled');
title('plot of circularly convoluted sequence');
-----*****-----
```


Output

enter the first sequence[1 2 3 4]
enter the second sequence[4 3 2 1]
the circular convolution result is
24 22 24 30



5. Autocorrelation of a given sequence and verification of its properties.

```
% Read the signal
x=[1,2,3,6,5,4]
% define the axis
n=0:1:length(x)-1
% plot the signal
stem(n,x);
xlabel('n');
% auto correlate the signal
Rxx=xcorr(x,x);
% the axis for auto correlation results
nRxx=-length(x)+1:length(x)-1
% display the result
stem(nRxx,Rxx)

% properties of Rxx(0) gives the energy of the signal
% find energy of the signal
energy=sum(x.^2)

%set index of the centre value
centre_index=ceil(length(Rxx)/2)

% Acces the centre value Rxx(0)
Rxx_0==Rxx(centre_index)
Rxx_0==Rxx(centre_index)

% Check if the Rxx(0)=energy
if Rxx_0==energy
    disp('Rxx(0) gives energy proved');
else
    disp('Rxx(0) gives energy not proved');
end
Rxx_right=Rxx(centre_index:1:length(Rxx))
Rxx_left=Rxx(centre_index:-1:1)
if Rxx_right==Rxx_left
    disp('Rxx is even');
else
    disp('Rxx is not even');
```

end

x = 1 2 3 6 5 4

n = 0 1 2 3 4 5

nRxx = -5 -4 -3 -2 -1 0 1 2 3 4
5

energy = 91

centre_index = 6

Rxx(0) gives energy not proved

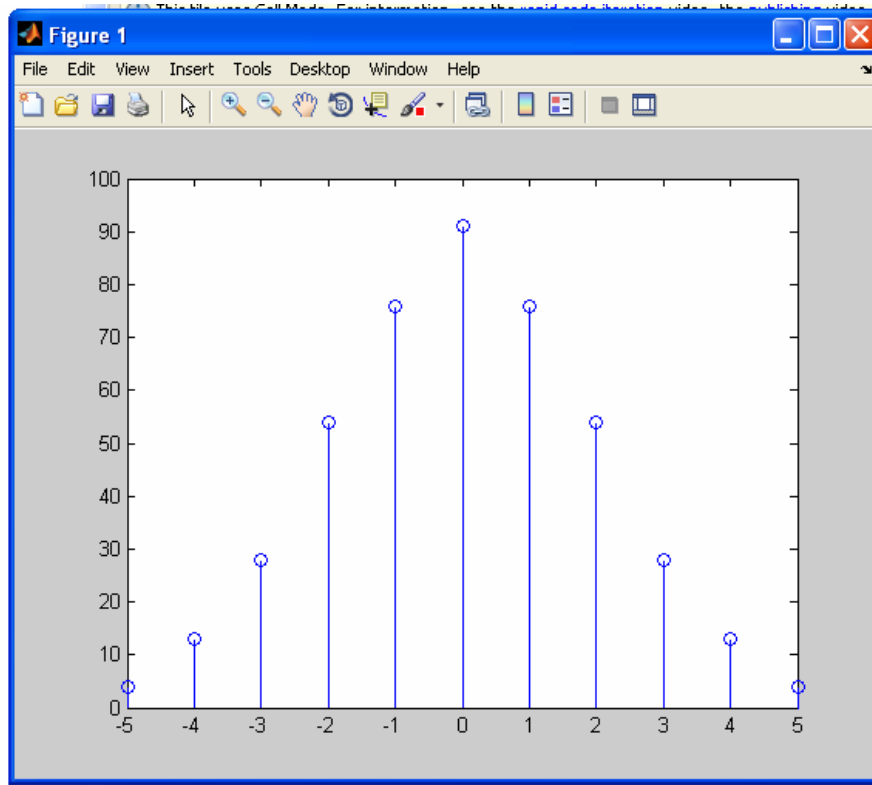
Rxx_right =

91.0000 76.0000 54.0000 28.0000 13.0000 4.0000

Rxx_left =

91.0000 76.0000 54.0000 28.0000 13.0000 4.0000

Rxx is even



6. Solving a given difference equation.

```
x = [1 2 3 4];
% Compute the output sequences
xcoeff = [0.5 0.27 0.77]; % x(n), x(n-1), x(n-2)... coefficients

y1 = filter(xcoeff,ycoeff,x); % Output of System
% Plot the output sequences
subplot(2,1,1);
plot(n,y1);
ylabel('Amplitude');

-----*****-----

% to find out h(n) of the difference equation
%  $y(n) - (1/2)y(n-1) = (1/2)x(n) + (1/2)x(n-1)$ 
    For manual calculation of h(n), take the Z transform on both sides,
    find  $H(Z) = Y(Z)/X(Z)$ . Take inverse Z transform to get h(n)

b=input('enter the coefficients of x(n),x(n-1)-----');
a=input('enter the coefficients of y(n),y(n-1)----');
N=input('enter the number of samples of imp respons');

[h,t]=impz(b,a,N);
plot(t,h);
title('plot of impulse response');
ylabel('amplitude');
xlabel('time index----->N');
disp(h);
grid on;
```

7. Computation of N point DFT of a given sequence and to plot magnitude and phase spectrum.

```
N = input('Enter the the value of N(Value of N in N-Point DFT)');
x = input('Enter the sequence for which DFT is to be calculated');
n=[0:1:N-1];
k=[0:1:N-1];
WN=exp(-1j*2*pi/N);
nk=n'*k;
WNNk=WN.^nk;
Xk=x*WNNk;
MagX=abs(Xk) % Magnitude of calculated DFT
PhaseX=angle(Xk)*180/pi % Phase of the calculated DFT
figure(1);
subplot(2,1,1);
plot(k,MagX);
subplot(2,1,2);
plot(k,PhaseX);
```

-----*****-----

OUTPUT

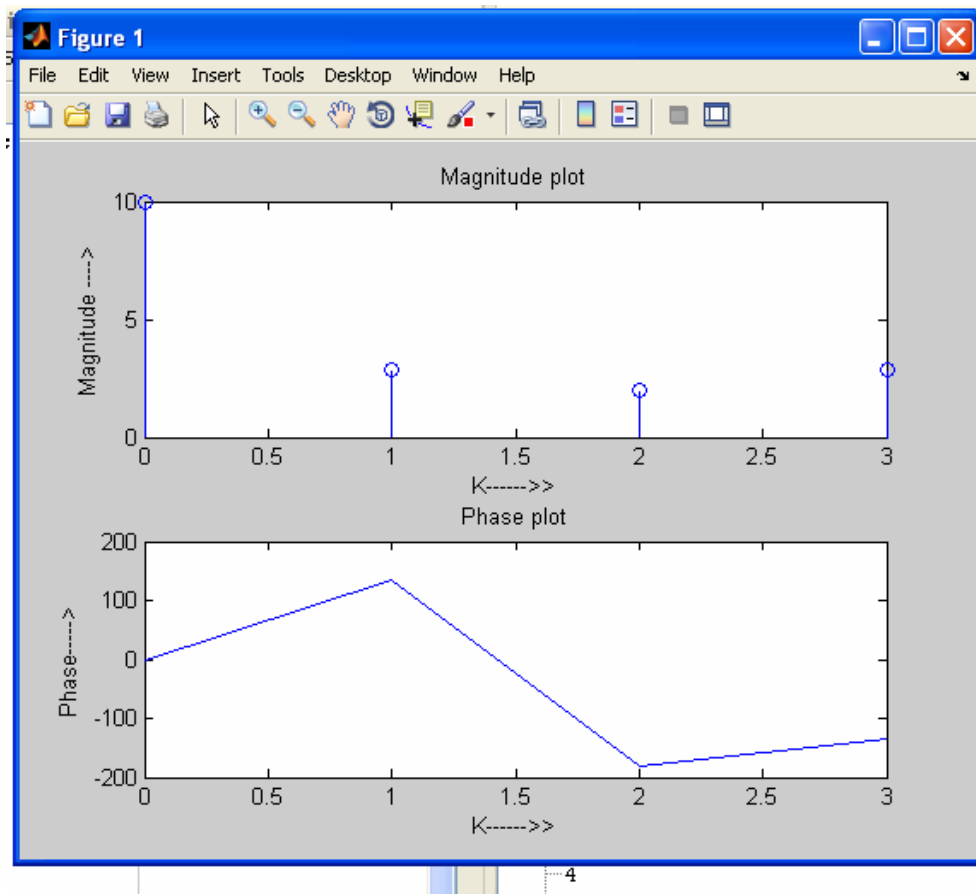
```
Enter the the value of N(Value of N in N-Point DFT)4
Enter the sequence for which DFT is to be calculated
[1 2 3 4]
```

```
MagX = 10.0000    2.8284    2.0000    2.8284
```

```
PhaseX = 0 135.0000 -180.0000 -135.0000
```

DFT of the given sequence is

```
10.0000          -2.0000 + 2.0000i  -2.0000 - 0.0000i  -2.0000 -
2.0000i
```



8. Circular convolution of two given sequences using DFT and IDFT

```
clc; % Program for circular convolution
clear all;
x1=input('enter the first sequence');
x2=input('enter the second sequence');
n=input('enter the no of points of the dft');

subplot(3,1,1);
stem(x1,'filled');
title('plot of first sequence');

subplot(3,1,2);
stem(x2,'filled');
title('plot the second sequence');

y1=fft(x1,n);
y2=fft(x2,n);
y3=y1.*y2;
y=ifft(y3,n);

disp('the circular convolution result is .....');
disp(y);

subplot(3,1,3);
stem(y,'filled');
title('plot of circularly convoluted sequence');
```

Output

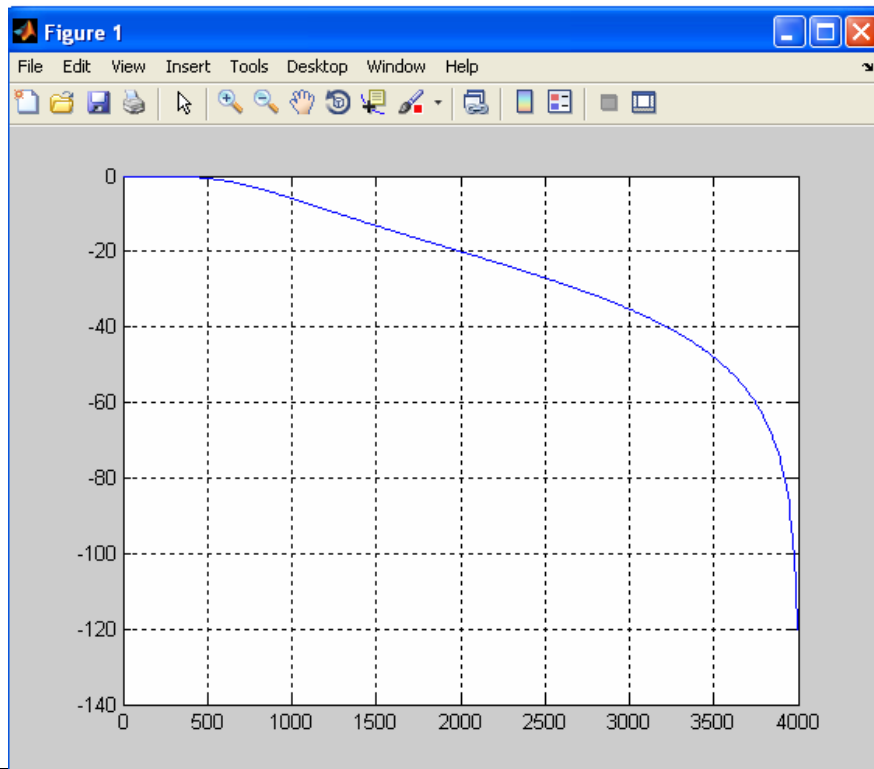
```
enter the first sequence[4 3 2 1]
enter the second sequence[1 2 3 4]
enter the no of points of the dft4
the circular convolution result is .....
    24    22    24    30
```

9. Design and implementation of IIR BUTTERWORTH filter to meet given specifications.

```
clc;
clear all;
close all;
wp=500; % Enter the pass band frequency
ws=2000; % Enter the stop band frequency

Rp=3; % Enter the pass band ripple
Rs=20; % Enter the stop band attenuation
Fs=8000; % Enter the sampling frequency
Fn=Fs/2; % Normalized sampling frequency

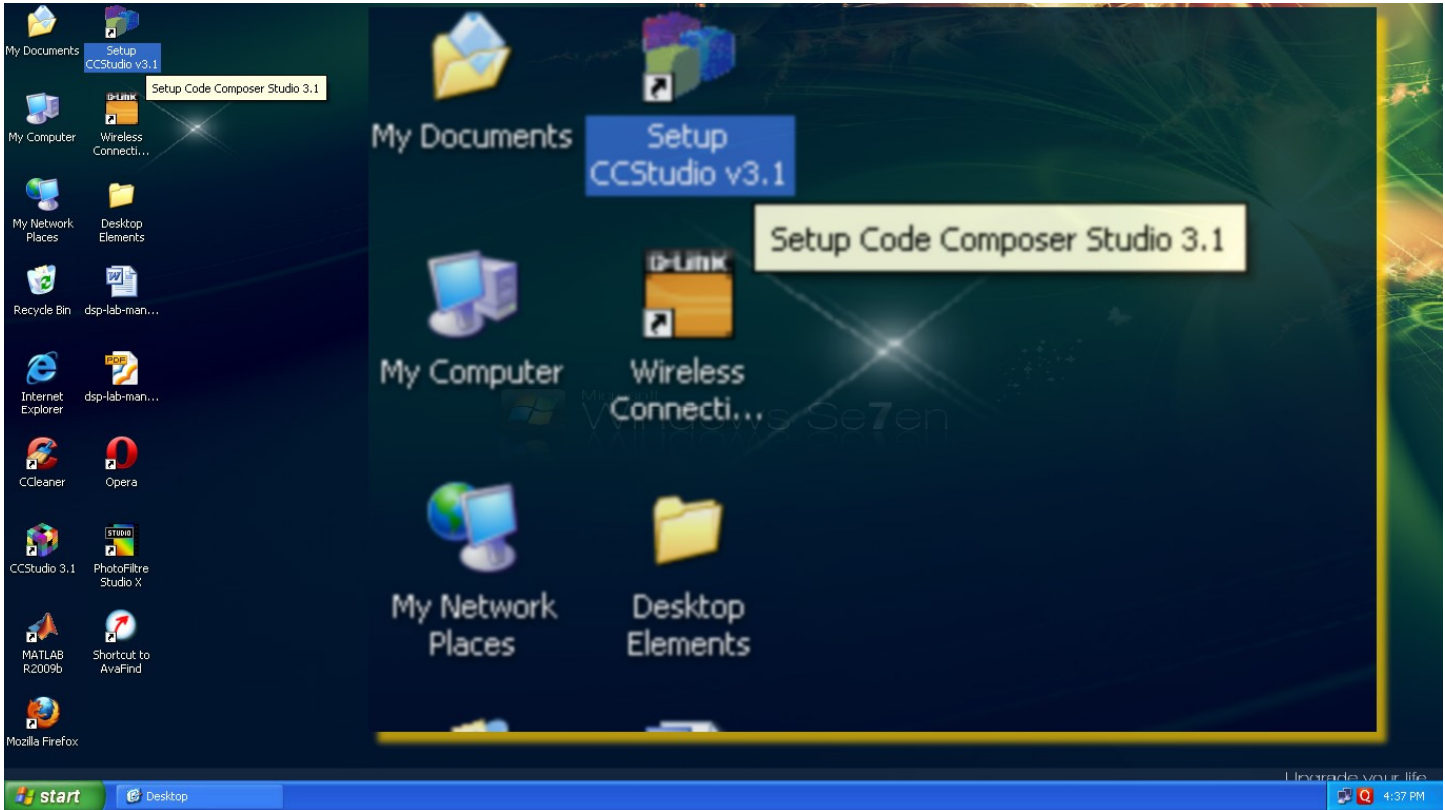
% Find the order n and cutt off frequency
[n,wc]=buttord(wp/Fn,ws/Fn,Rp,Rs);
% Find the filter co-efficients
[b,a]=butter(n,wc);
disp(n)
% Plot the frequency response
[h,f]=freqz(b,a,512,8000);
plot(f,20*log10(abs(h)))
grid;
```



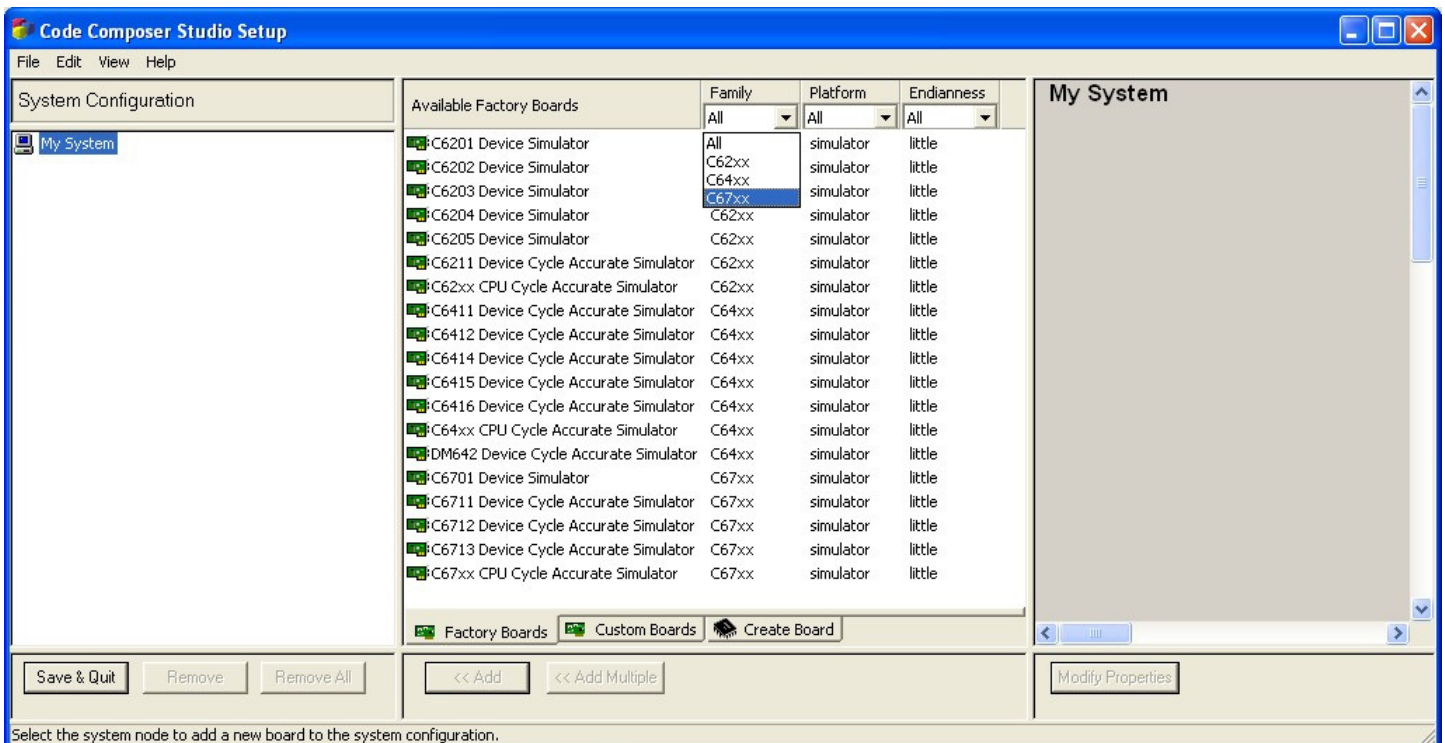
Part B: EXPERIMENTS USING DSP PROCESSOR

Procedure for execution in TMS3206713 Simulator

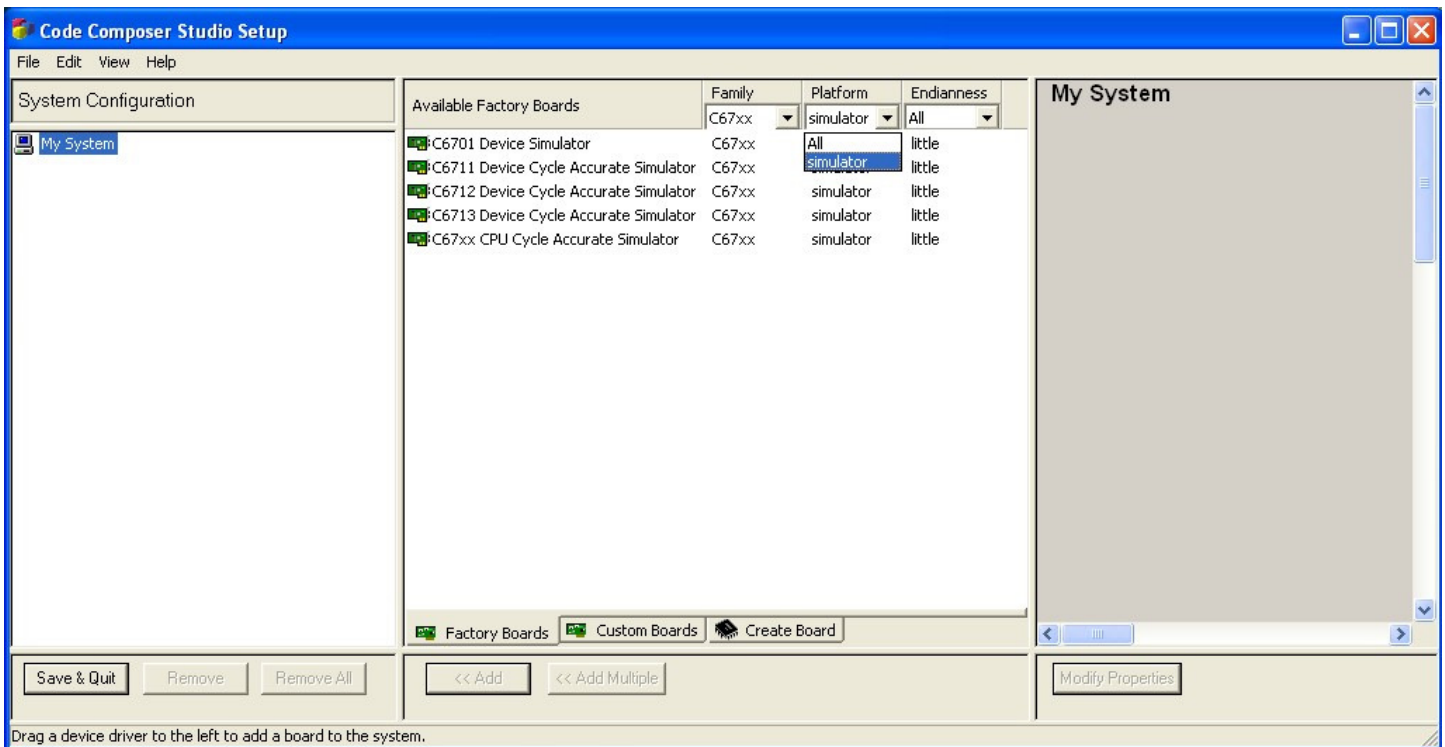
- Open CCS Studio Setup3.1



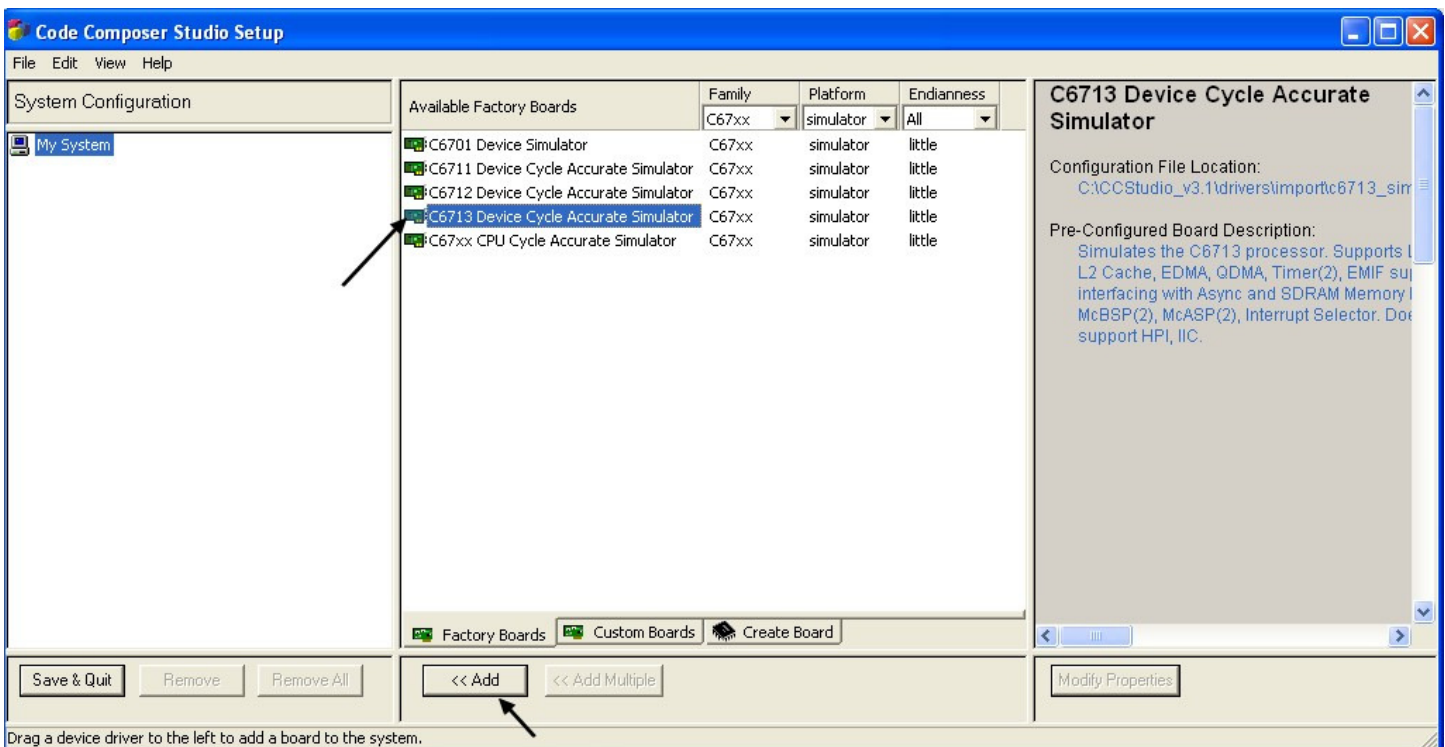
- Select Family → 67xx



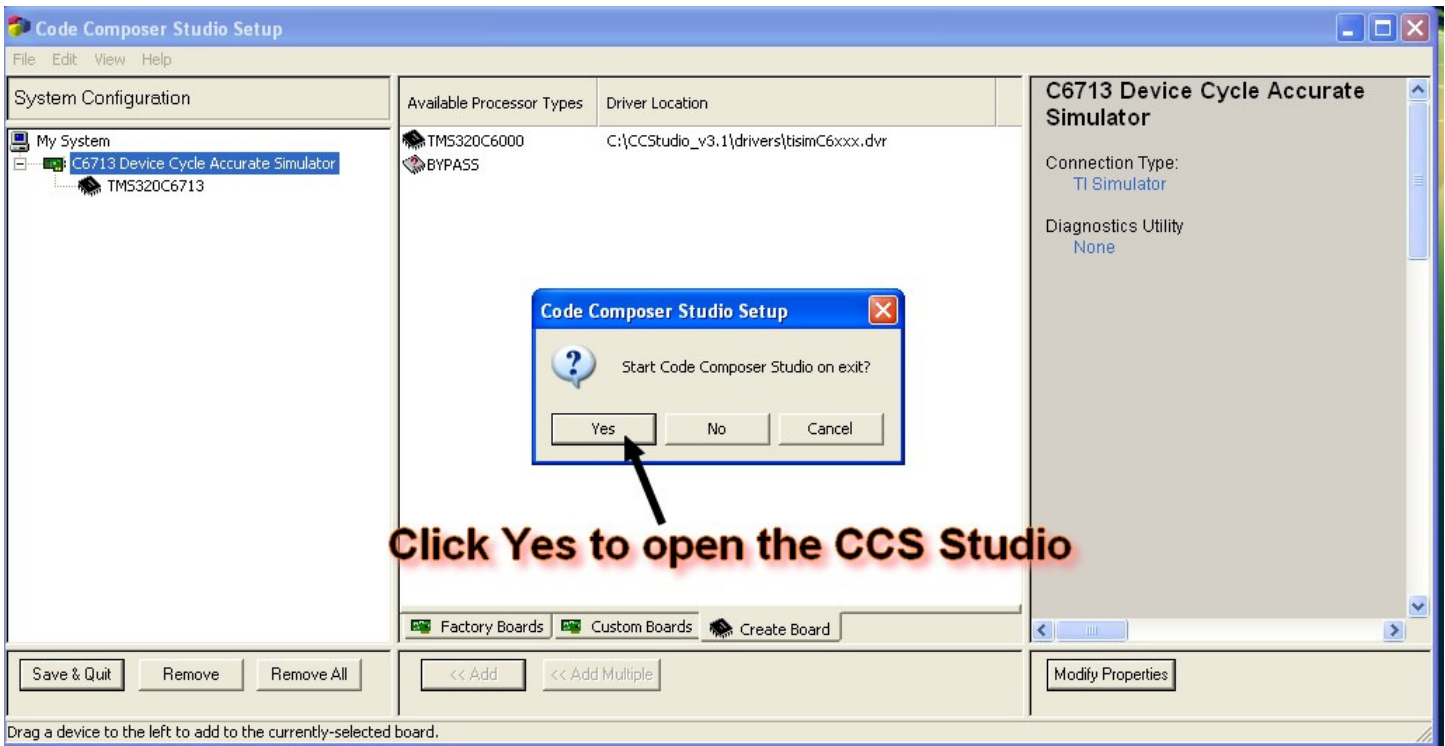
- Platform → Simulator



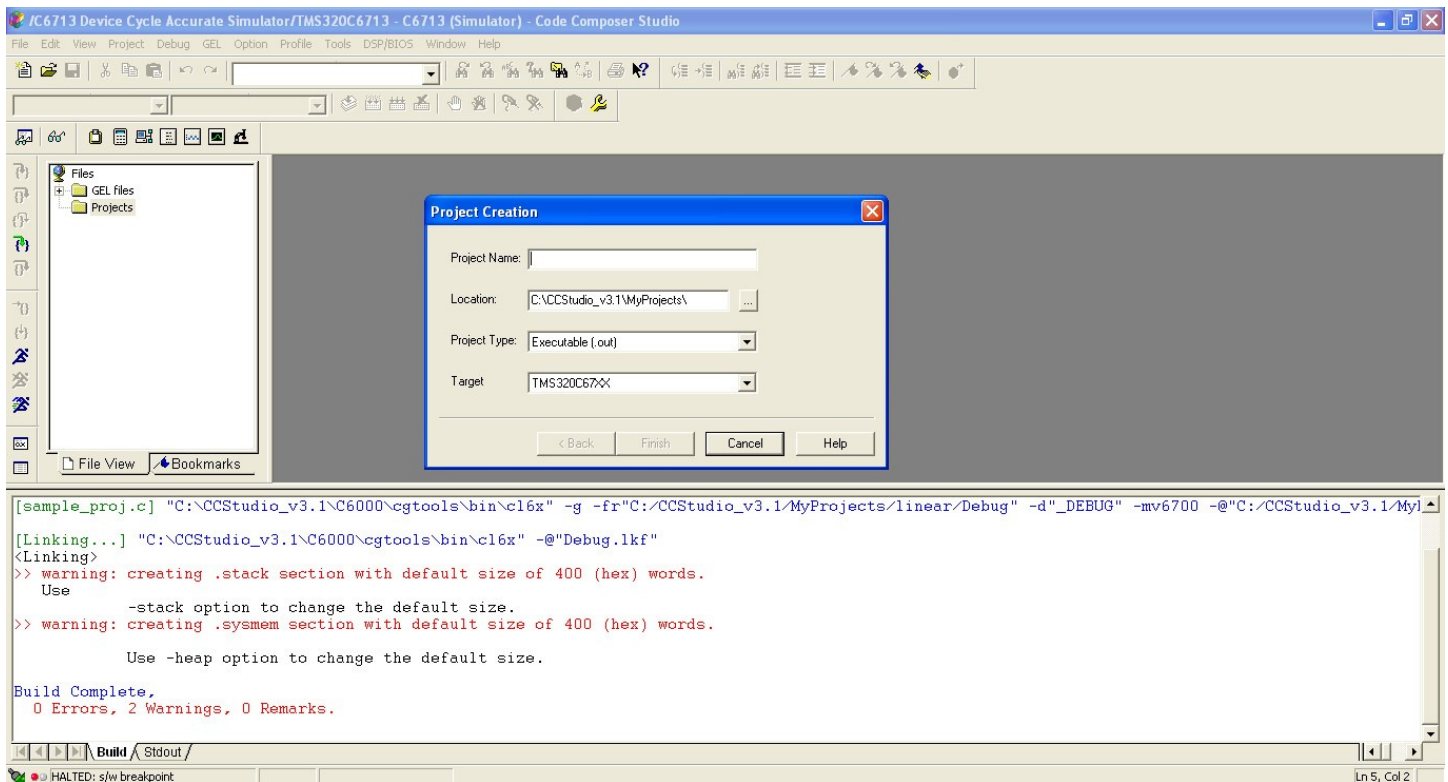
- Select 6713 Device cycle accurate simulator



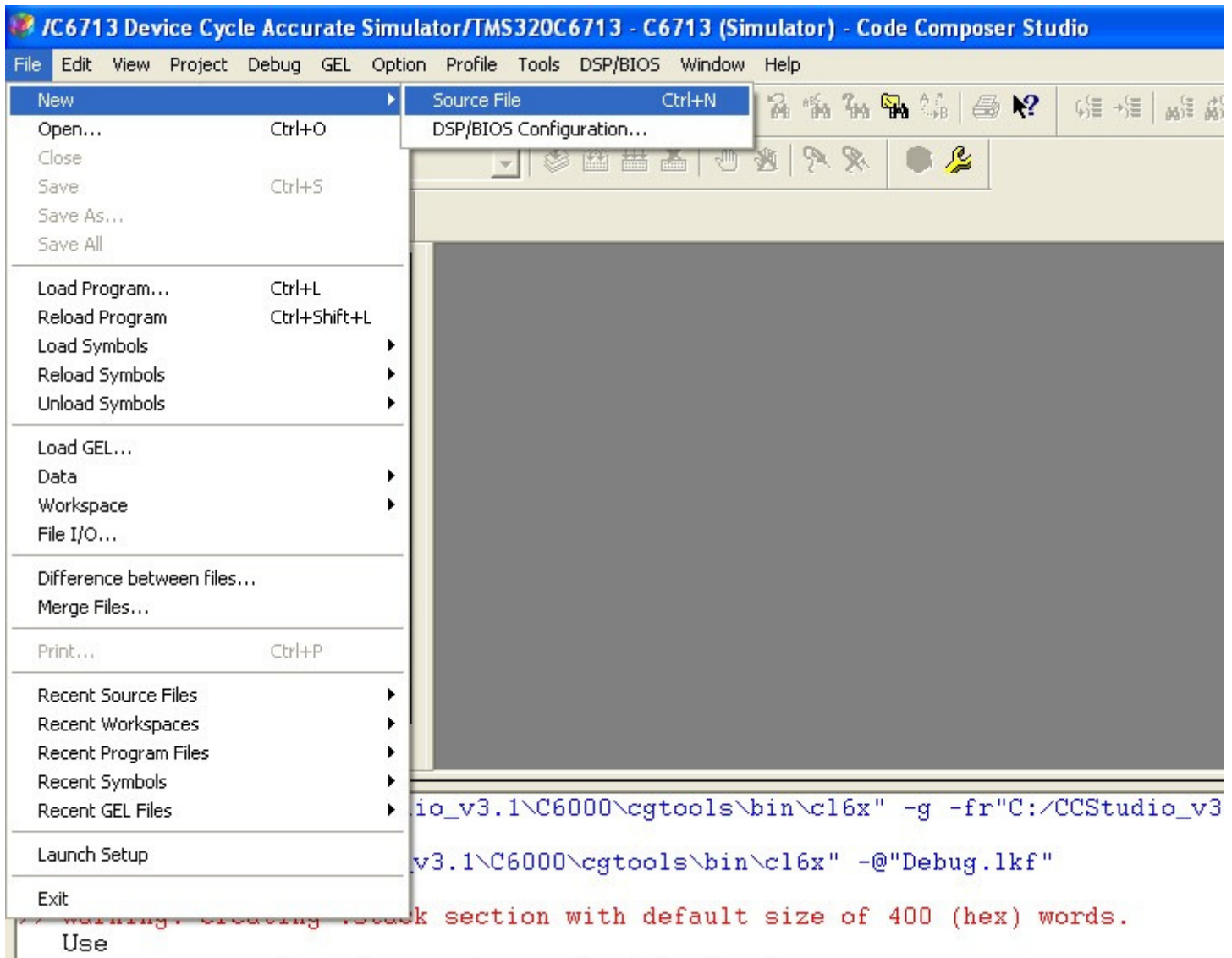
- Select Little endian. If little endian is not selected, building/linking error can occur. Add it to the left panel. Save and quit.



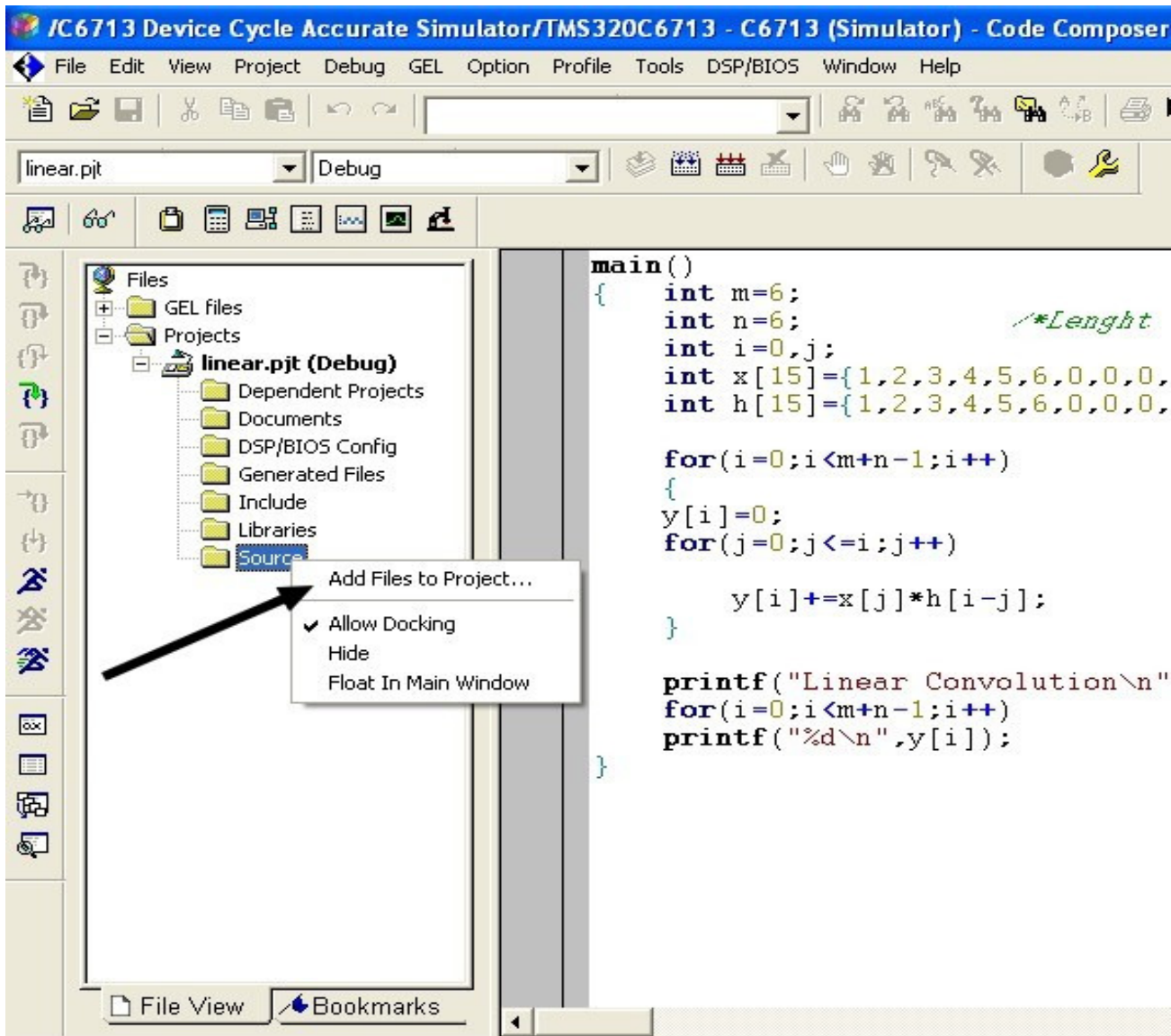
- Project → New → Project Name → Location (Location of project) → Project type (.out Executable) → Target (TMS320C67xx)



- Write the code in a new source file. Save it in the project folder with .C file format.



- Write the code in a new source file. Save it in the project folder with .C file format.
- Add this to the project. Project will be having .pj1 extension. Right click on .pj1 file created, add the .c file you have written.



- Two other files are to be added to project. One is library file (*.lib) and other is Linker command file (*.cmd)
- Add rts6713.lib C:\CCStudio_v3.1\C6000\cgtools\librts6700.lib
- Add hello.cmd C:\CCStudio_v3.1\tutorial\dsk6713\hello1\hello.cmd
- Debug → Build
- File → Load Program (Often this is the most common mistake to forget this..!)
Load the .out file which is in the DEBUG folder of the project folder. Select this and open.
- Debug → Debug Run

Procedure for execution in TMS320DSK6713 kit

- CCS Studio Setup v3.1 → Family (67xx) → Platform (dsk) → Endianness → Little endian → Add it to panel. Click on 6713dsk, save and quit.
- Connect the power card to the DSP kit.
- Connect the data cable → USB from PC
- After getting the project window, **DEBUG** → **CONNECT**.
- Rest of the procedure is same as compared to simulator running.

1. Linear convolution of two given sequences.

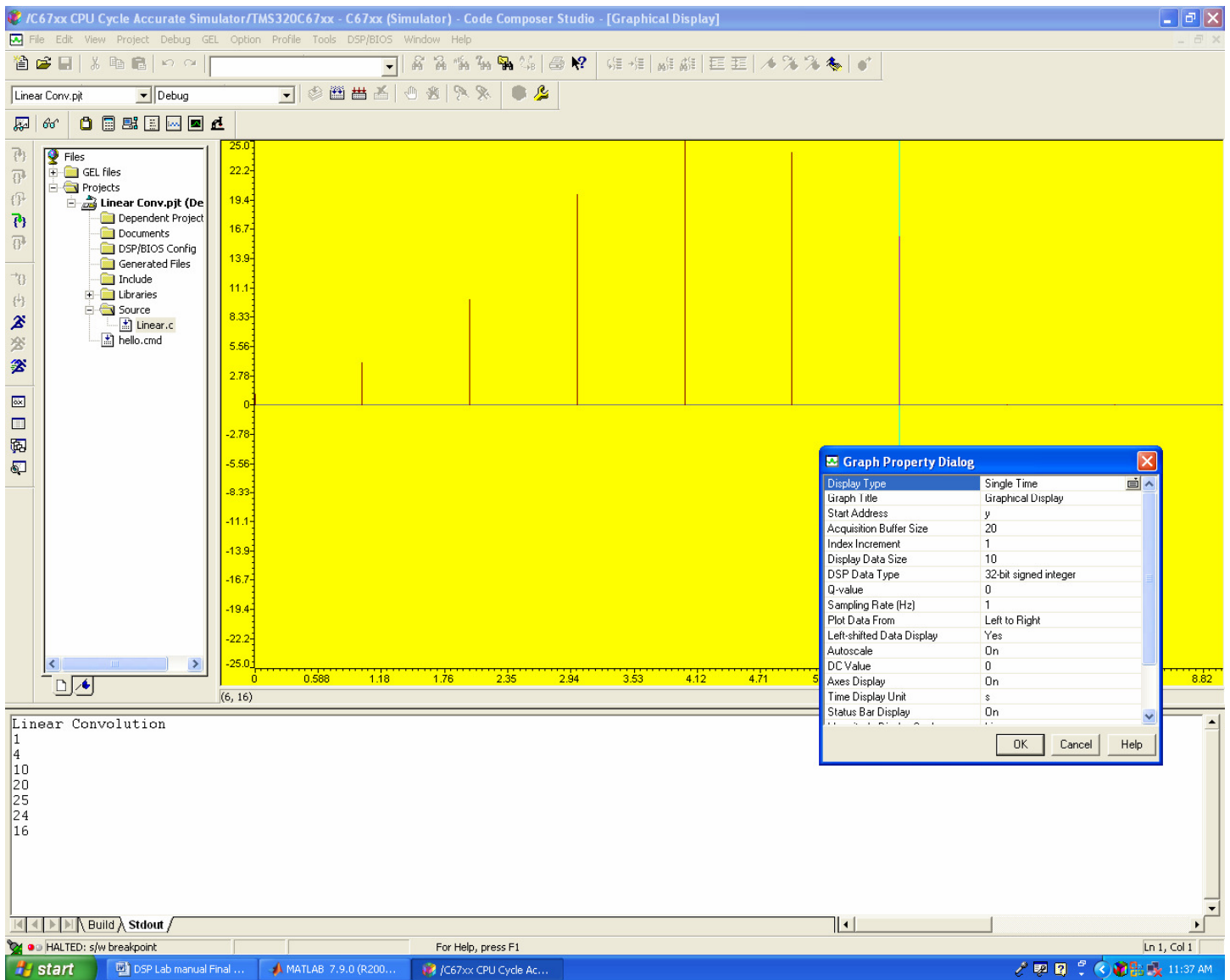
```
/* prg to implement linear convolution */
#include<stdio.h>
#include<math.h>
int y[20];

main()
{
    int m=6; /*Lenght of i/p samples sequence*/
    int n=6; /*Lenght of impulse response Co-efficients */
    int i=0,j;
    int x[15]={1,2,3,4,5,6,0,0,0,0,0,0}; /*Input Signal Samples*/
    int h[15]={1,2,3,4,5,6,0,0,0,0,0,0}; /*Impulse Response Co-
efficients*/

    for(i=0;i<m+n-1;i++)
    {
        y[i]=0;
        for(j=0;j<=i;j++)

            y[i]+=x[j]*h[i-j];
    }

    printf("Linear Convolution\n");
    for(i=0;i<m+n-1;i++)
        printf("%d\n",y[i]);
}
```



Verification using matlab

```
x = [1,2,3,4];
y = [1,2,3,4];
output = conv(x,y)
```

output =

1 4 10 20 25 24 16

2. Circular convolution of two given sequences.

```
#include<stdio.h>
#include<math.h>
int m,n,x[30],h[30],y[30],i,j,temp[30],k,x2[30],a[30];
void main()
{
    printf(" enter the length of the first sequence\n");
    scanf("%d",&m);
    printf(" enter the length of the second sequence\n");
    scanf("%d",&n);
    printf(" enter the first sequence\n");
    for(i=0;i<m;i++)
        scanf("%d",&x[i]);
    printf(" enter the second sequence\n");
    for(j=0;j<n;j++)
        scanf("%d",&h[j]);
    if(m-n!=0)          /*If length of both sequences are not equal*/
    {
        if(m>n)          /* Pad the smaller sequence with zero*/
        {
            for(i=n;i<m;i++)
                h[i]=0;
            n=m;
        }
        for(i=m;i<n;i++)
            x[i]=0;
        m=n;
    }
    y[0]=0;
    a[0]=h[0];
    for(j=1;j<n;j++)          /*folding h(n) to h(-n)*/
        a[j]=h[n-j];
    /*Circular convolution*/
    for(i=0;i<n;i++)
        y[0]+=x[i]*a[i];
    for(k=1;k<n;k++)
```



```

{
    y[k]=0;
    /*circular shift*/
    for(j=1;j<n;j++)
        x2[j]=a[j-1];
    x2[0]=a[n-1];
    for(i=0;i<n;i++)
    {
        a[i]=x2[i];
        y[k]+=x[i]*x2[i];
    }
}
/*displaying the result*/
printf(" the circular convolution is\n");
for(i=0;i<n;i++)
printf("%d \t",y[i]);

}

```

-----*****-----

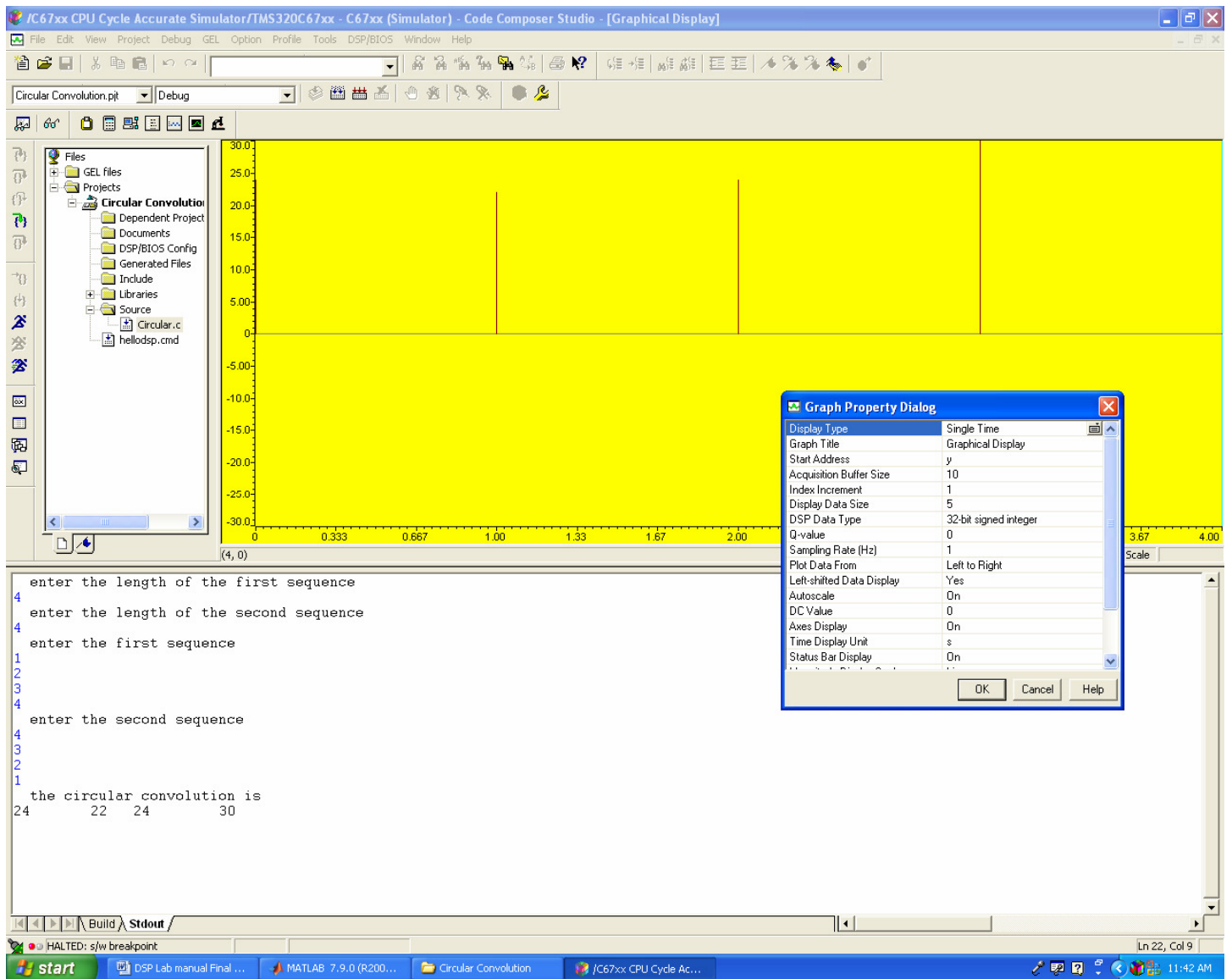
Verification of circular convolution using matlab

```

x1=[1 2 3 4];
x2=[4 3 2 1];
n = 4;

x1=fft(x1,n);
x2=fft(x2,n);
Y=x1.*x2;
y=ifft(Y,n);
disp(y)
y = 24 22 24 30

```



3. Computation of N- Point DFT of a given sequence

```
#include<stdio.h>
#include<math.h>

void main()
{
    short N = 8;
    short x[8] = {1,2,3,4,5,6,7,0}; // test data
    float pi = 3.1416;
    float sumRe = 0, sumIm = 0; // init real/imag components
    float cosine = 0, sine = 0; // Initialise cosine/sine components

    // Output Real and Imaginary components

    float out_real[8] = {0.0}, out_imag[8] = {0.0};
    int n = 0, k = 0;

    for(k=0 ; k<N ; k++)
    {
        sumRe = 0;
        sumIm = 0;
        for (n=0; n<N ; n++)
        {
            cosine = cos(2*pi*k*n/N);
            sine    = sin(2*pi*k*n/N);
            sumRe = sumRe + x[n] * cosine;
            sumIm = sumIm - x[n] * sine;
        }

        out_real[k] = sumRe;
        out_imag[k] = sumIm;
        printf("[%d] %7.3f %7.3f \n", k, out_real[k], out_imag[k]);
    }
}
```

Output

```
[0] 28.000 0.000
[1] -9.657 4.000
[2] -4.000 -4.000
[3] 1.657 -4.000
[4] 4.000 -0.000
[5] 1.657 4.000
[6] -4.000 4.000
[7] -9.657 -3.999
```

Verification in matlab

```
x = [1,2,3,4,5,6,7,0]
```

```
fft(x)
```

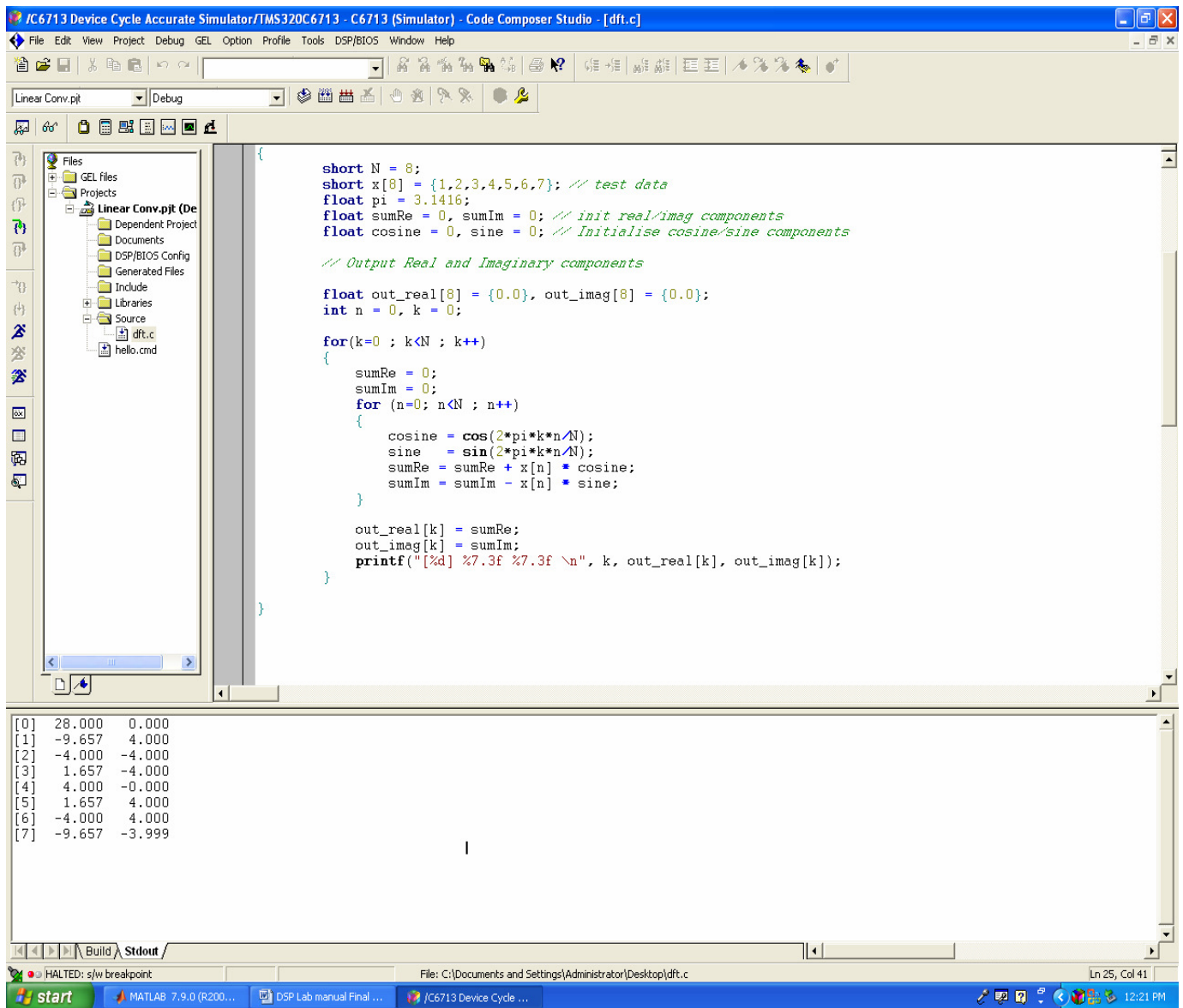
Output

Columns 1 through 4

```
28.0000    -3.5000 + 7.2678i    -3.5000 + 2.7912i    -3.5000 + 0.7989i
```

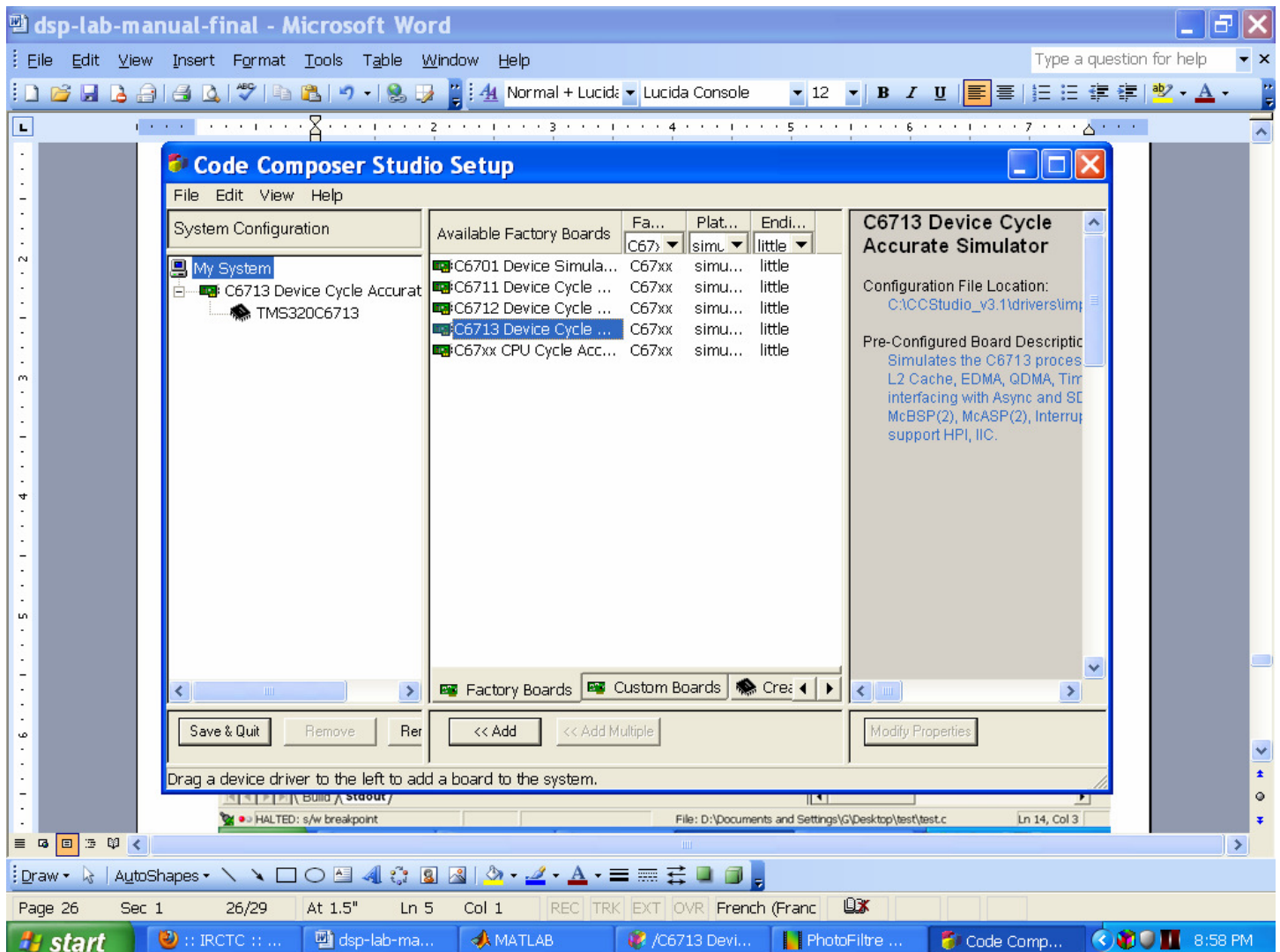
Columns 5 through 7

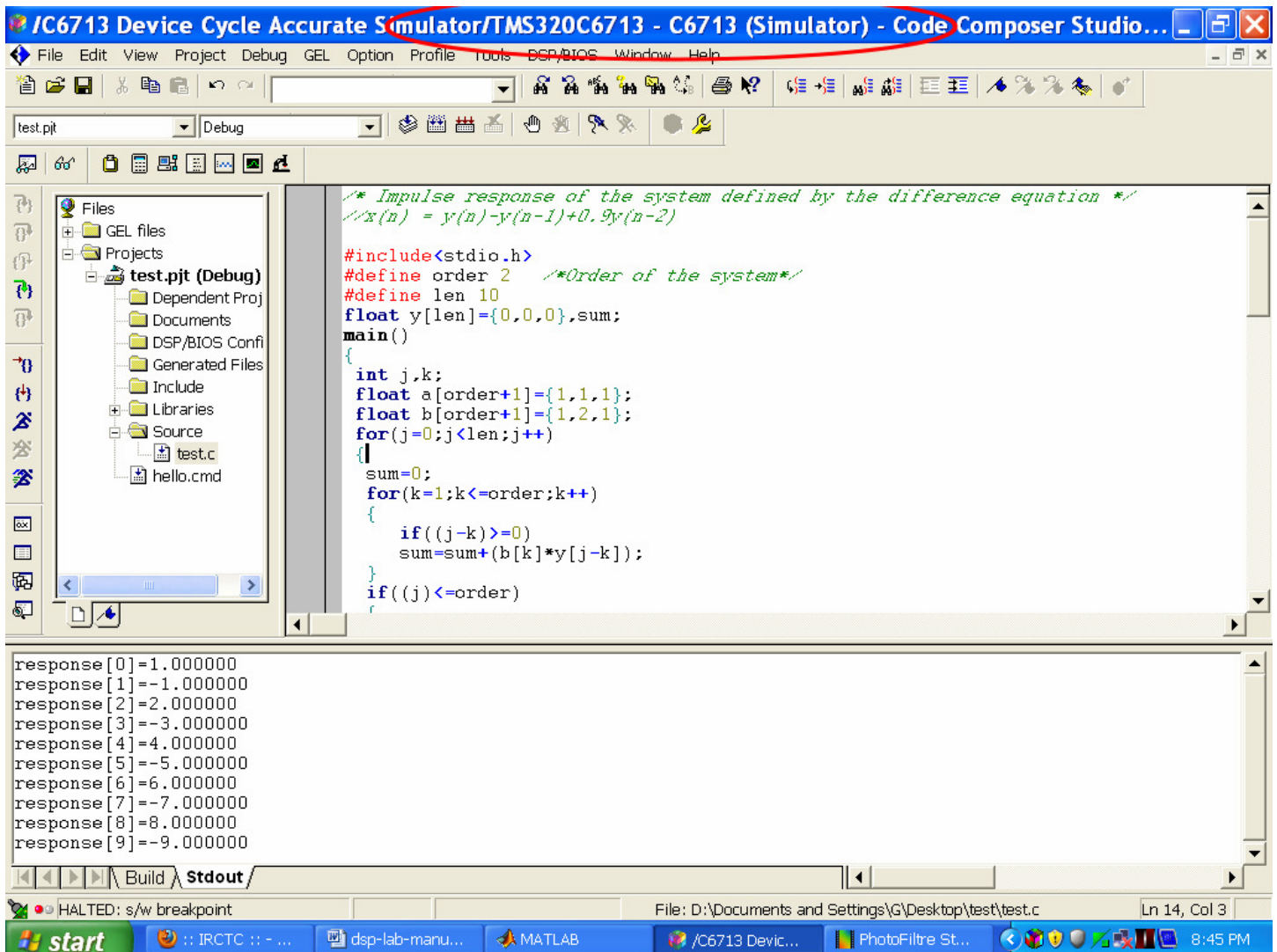
```
-3.5000 - 0.7989i    -3.5000 - 2.7912i    -3.5000 - 7.2678i
```



4. Impulse response of first order and second order system

/* Impulse response of the system defined by the difference equation */
// $x(n) = y(n) - y(n-1] + 0.9y(n-2)$





Please select DEVICE CYCLE ACCURATE SIMULATOR

```

/*Impulse response of the system

$$y[n] + a_1 y[n-1] + a_2 y[n-2] + \dots = b_0 x[n] + b_1 x[n-1] + b_2 y[n-2] + \dots$$

Example :

$$1 y[n] + 1 y[n-1] + 1 y[n-2] = 1 x[n] + 2 x[n-1] + 1 y[n-2]$$

*/
#include<stdio.h>
#define order 2    /*Order of the system*/
#define len 10     /*Length of the output pulses*/
float y[len]={0,0,0},sum;
main()
{
    int j,k;
    float a[order+1]={1,1,1};
    /* y coefficients - may change in accordance with the difference
    equation */

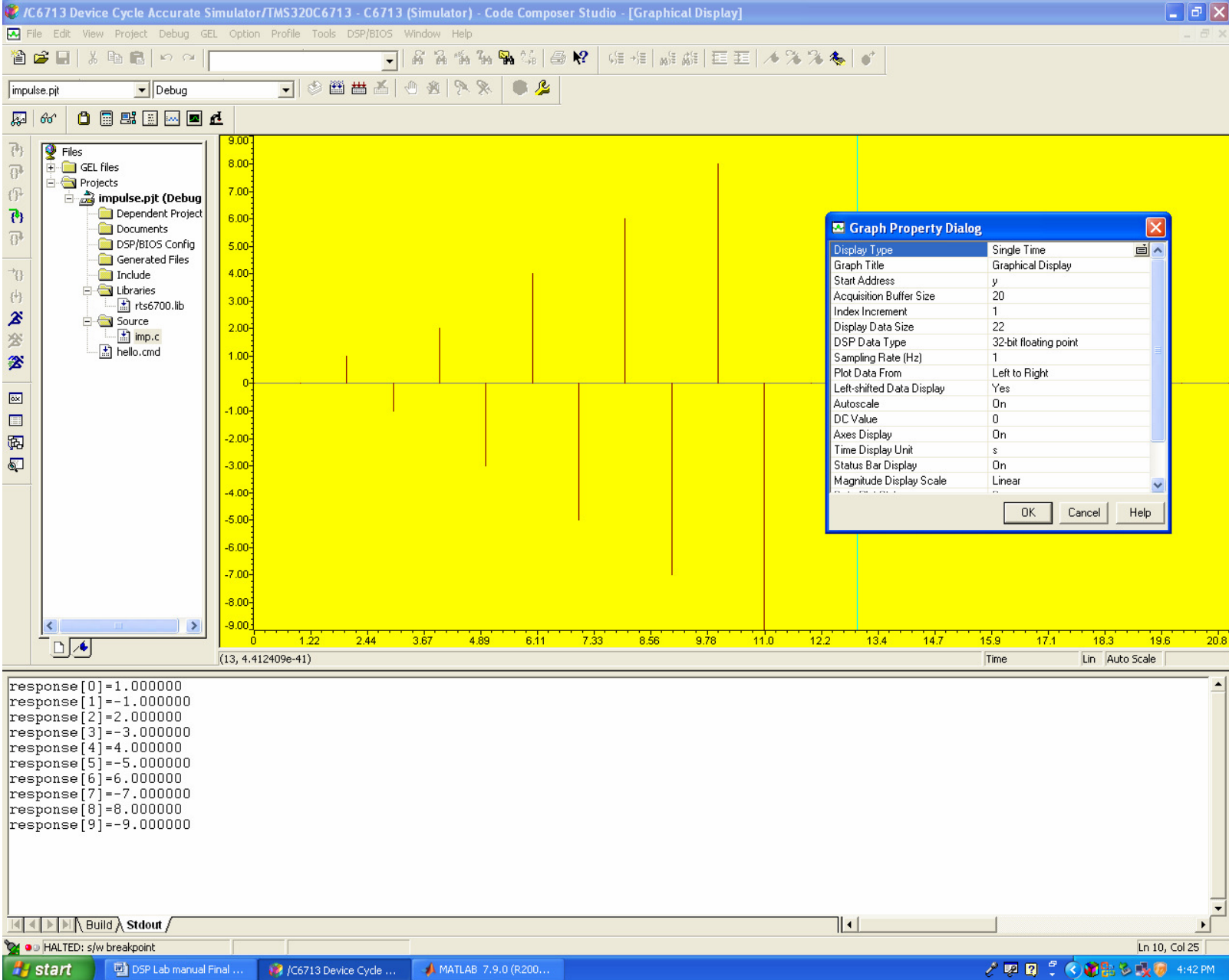
    float b[order+1]={1,2,1};
    /* x coefficients - may change in accordance with the difference
    equation */

    for(j=0;j<len;j++)
    {
        sum=0;
        for(k=1;k<=order;k++)
        {
            if((j-k)>=0)
                sum=sum+(b[k]*y[j-k]);
        }
        if((j)<=order)
        {
            y[j]=a[j]-sum;
        }
        else
        {
            y[j]=-sum;
        }
        printf("response[%d]=%f\n",j,y[j]);
    }
}

```


}

}



OUTPUT:

```

response[0]=1.000000
response[1]=-1.000000
response[2]=2.000000
response[3]=-3.000000
response[4]=4.000000
response[5]=-5.000000
response[6]=6.000000
response[7]=-7.000000
response[8]=8.000000
response[9]=-9.000000
  
```

Matlab verification of impulse response of LTI system

```
xcoeff = [1 1 1]
ycoeff = [1 2 1]
imp_resp = filter(xcoeff,ycoeff,[1 zeros(1,9)])
```

```
imp_resp =
```

```
1    -1    2    -3    4    -5    6    -7    8    -9
```

REFERENCE BOOKS:

1. **Digital signal processing using MATLAB** - Sanjeet Mitra, TMH, 2001
2. **Digital signal processing using MATLAB** - J. G. Proakis & Ingale, MGH, 2000
3. **Digital Signal Processors**, B. Venkataramani and Bhaskar, TMH,2002