

CLASSICAL SIMULATION OF QUANTUM SYSTEMS

1 Introduction/Background

Quantum simulation permits the study of quantum systems that are difficult to study in the laboratory and impossible to study with supercomputers. Richard Feynman suggested that it takes a quantum computer to simulate large quantum systems, but a new study shows that a classical computer can work when the system has loss and

2 Background

Only very few problems in physics can be solved exactly or even in closed form. In the vast majority of cases, more or less sophisticated numerical techniques are needed. As the computational effort may be large, the number and kinds of problems accessible to computational physics increases steadily with the ever increasing power of computers. Many tasks scale in a characteristic way with the problem size. The canonical example is a system of N interacting, point-like, classical particles: this system has a phase space of dimension $6N$, and tracking the time evolution caused by the Hamiltonian, i.e., following a trajectory in phase space, means working with an amount of data linear in the system size. The computational effort to describe generic classical systems typically scales as a low polynomial in N . Thus, simulations of many-body systems are now possible for quite large particle numbers N . Nevertheless, classical many-body physics is far from being fully explored.

3 Problem Statement

4 Aim and Objectives

4.1 Main objectives

Feynman stated that calculating properties of arbitrary quantum model on a classical device is a seemingly very inefficient thing to do but a quantum system might be able to do this efficiently taking a time that scales at most polynomially with the particle number.

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| 4.2 | Specific Objectives |
| 5 | Scope |
| 6 | Literature review |
| 7 | Methodology |
| 8 | References |