

In[*]:= (*daden e uravnenieto $\frac{x^2-2x+5}{(x+1)(x-2)}-2=0$ *)

(*1) da se nameri broqt na vsichki koreni i da se lokalizira nay-golemiq i nay-malkiq*)

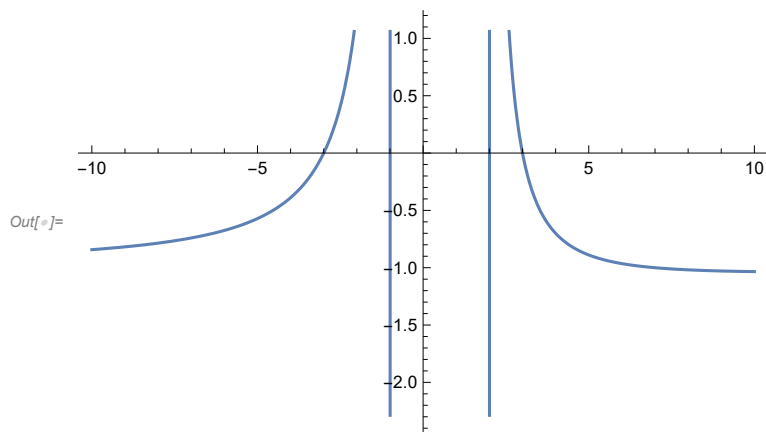
(*2) napravete 2 iteracii po metoda na nyuton*)

(*3) kakva e tochnostta na poslednata iteraciq*)

(*4) da se nameri lokaliziraniq ot 1) koren s tochnost 10^{-14} *)

f[x_] := $\frac{x^2 - 2x + 5}{(x + 1)(x - 2)} - 2$;

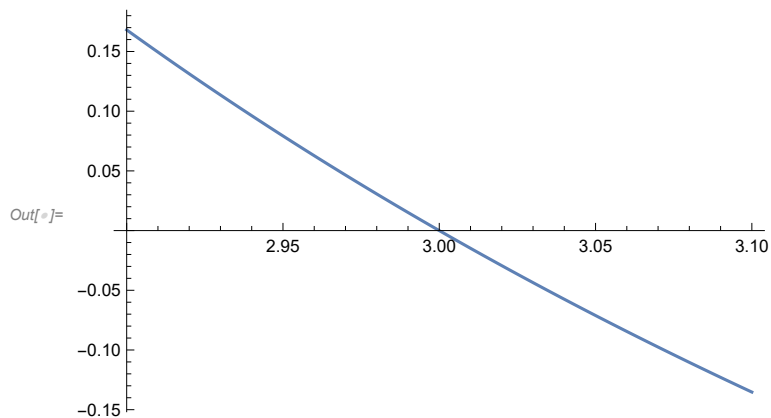
Plot[f[x], {x, -10, 10}]



(*uravnenieto ima dva korena*)

(*lokalizirane na golemiq koren*)

In[*]:= Plot[f[x], {x, 2.9, 3.1}]



In[*]:= f[2.9]

Out[*]= 0.168091

In[*]:= f[3.1]

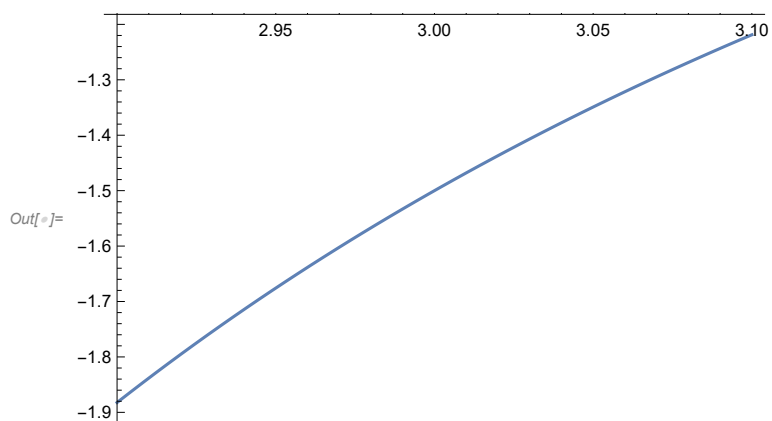
Out[*]= -0.135255

In[*]:= f[2.9] * f[3.1]

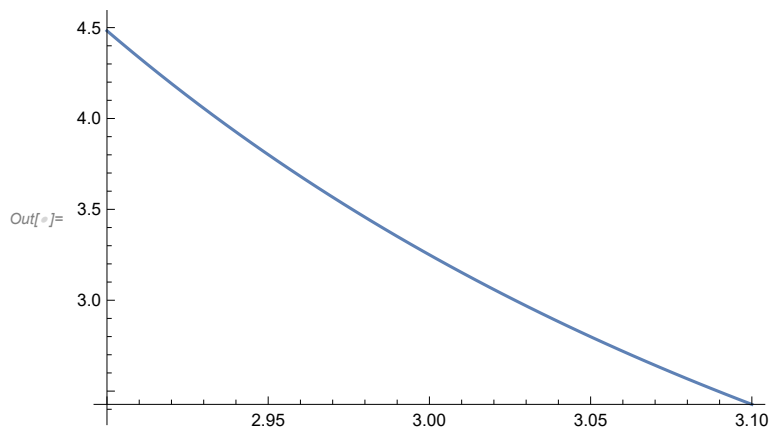
Out[*]= -0.0227352

(*v izbraniq interval [2.9;3.1] ima koren*)

```
In[ ]:= Plot[f'[x], {x, 2.9, 3.1}]
```



```
In[ ]:= Plot[f''[x], {x, 2.9, 3.1}]
```



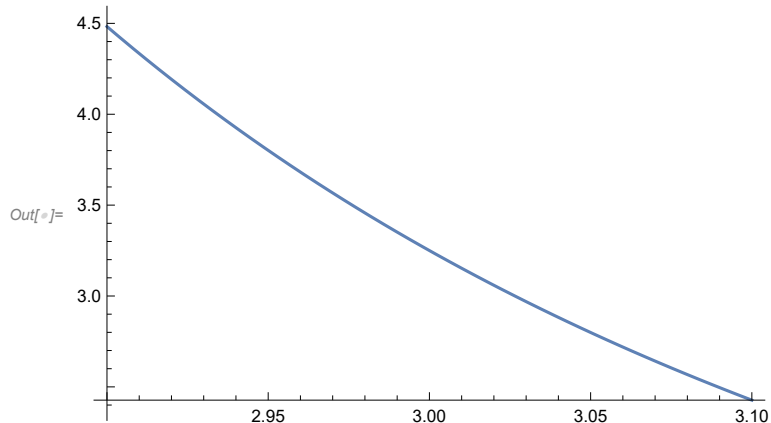
```
(*prvata proizvodna ima samo otricateľni stoynosti v intervala [2.9; 3.1]*)
```

```
(*vtorata proizvodna ima samo polojitelni stoynosti v intervala [2.9; 3.1]*)
```

```
(*opredelqma nachalno priblijenje  
(tuk nqma nujda da opredelqme postoqnna tochka)*)
```

```
(*tuy kato vtorata proizvodna e  
polojitelna izbirame tursim takova x0 che f(x0) > 0*)
```

```
x0 = f[2.9];
Plot[Abs[f''[x]], {x, 2.9, 3.1}]
```

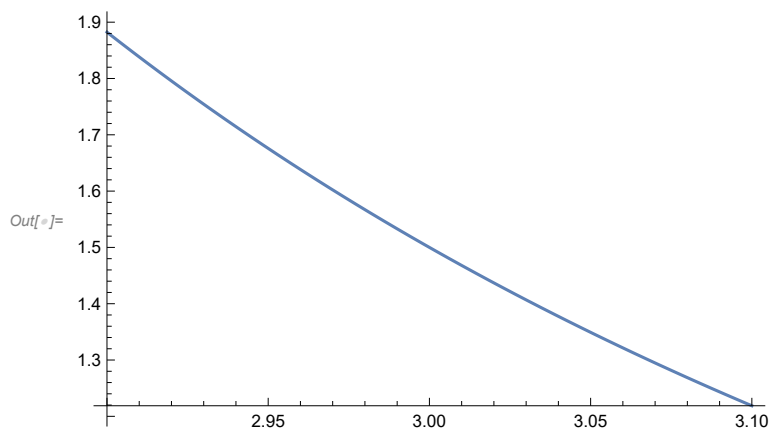


(*absolutnata stoynost na vtorata proizvodna
dostiga svoq maksimum v leviq kray na intervala *)

```
In[ ]:= M2 = Abs[f''[2.9]]
```

Out[]:= 4.48256

```
In[ ]:= Plot[Abs[f'[x]], {x, 2.9, 3.1}]
```



(*absolutnata stoynost na purvata proizvodna
dostiga svoq minimum v desniq kray na intervala *)

```
In[ ]:= m1 = Abs[f'[3.1]]
```

Out[]:= 1.21877

```
In[ ]:= K =  $\frac{M2}{2 m1}$ 
```

Out[]:= 1.83896

(*zapochvame s iteraciite*)

```

x0 = 2.9;
f[x0]
f'[x0]
(*nuleva iteraciq*)
x1 = x0 -  $\frac{f[x0]}{f'[x0]}$ 

Out[ ]:= 0.168091

Out[ ]:= -1.88229

Out[ ]:= 2.9893

In[ ]:= 2.9 -  $\frac{0.16809}{-1.882289}$ 

Out[ ]:= 2.9893

In[ ]:= f[x1]
f'[x1]

Out[ ]:= 0.0162359

Out[ ]:= -1.53535

In[ ]:= eps1 = K Abs[x1 - x0]^2

Out[ ]:= 0.0146653

In[ ]:= (*vtora iteraciq*)
x = x0;
Print["n=0", " x=", x, " f(x)=", f[x], " f'[x]=", f'[x]];
For[n = 1, n ≤ 10, n++,
  xnew = x -  $\frac{f[x]}{f'[x]}$ ;
  epsn = K (xnew - x)^2;
  x = xnew;

  Print["n=", n, " x=", x, " f(x)=", f[x], " f'[x]=", f'[x], " eps=", epsn]
]

n=0 x=2.9 f(x)=0.168091 f'[x]=-1.88229
n=1 x=2.9893 f(x)=0.0162359 f'[x]=-1.53535 eps=0.0146653
n=2 x=2.99988 f(x)=0.000185767 f'[x]=-1.5004 eps=0.000205643
n=3 x=3. f(x)=2.49165×10-8 f'[x]=-1.5 eps=2.81901×10-8
n=4 x=3. f(x)=8.88178×10-16 f'[x]=-1.5 eps=5.07415×10-16
n=5 x=3. f(x)=0. f'[x]=-1.5 eps=3.62672×10-31
n=6 x=3. f(x)=0. f'[x]=-1.5 eps=0.
n=7 x=3. f(x)=0. f'[x]=-1.5 eps=0.
n=8 x=3. f(x)=0. f'[x]=-1.5 eps=0.
n=9 x=3. f(x)=0. f'[x]=-1.5 eps=0.
n=10 x=3. f(x)=0. f'[x]=-1.5 eps=0.

```