TPG4190 Seismic data acquisition and processing Lecture 3: The CMP method

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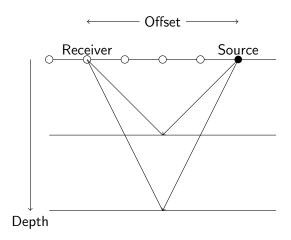
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Overview

- ► Seismic data acquisition
- ► CMP method 2D
- CMP method 3D
- ► NMO and stack
- ► Wide azimuth

Seismic marine data acquisition



Schematic shot record

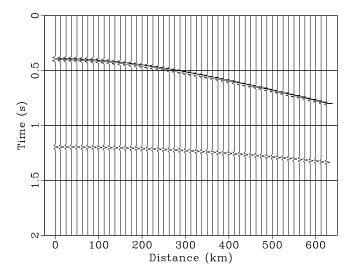


Figure: Schematic shot

Real shot record

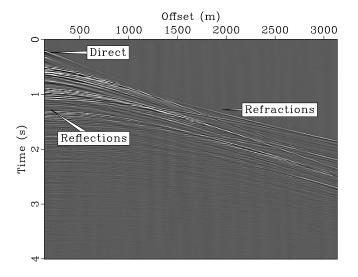
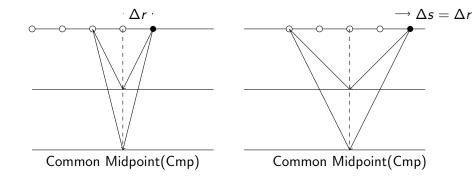
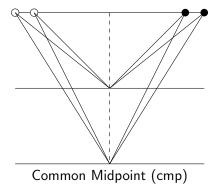


Figure: Real shot

The cmp method



Common midpoint (cmp) gather



$$x_m = \frac{s+r}{2}, \qquad (1)$$

$$h = \frac{s-r}{2}, \qquad (2)$$

$$h = \frac{s-r}{2}, \tag{2}$$

- $\triangleright x_m$: Midpoint coordinate
- ▶ h: Offset
- s: Source coordinate
- r: Receiver coordinate

Assume that we change the source and receiver coordinates a small amount δs and δr . The corresponding change in x_m and h are:

$$\delta x_m = \frac{1}{2} (\delta s + \delta r), \qquad (3)$$

$$\delta h = \frac{1}{2} (\delta s - \delta r). \tag{4}$$

If we consider a single cmp then $\delta x_m = 0$

$$0 = \frac{1}{2} (\delta s + \delta r), \qquad (5)$$

(6)

which implies

$$\delta s = -\delta r \tag{7}$$

Inserting equation (7) into equation (4) I get

$$\delta h = \delta s = \delta r \tag{8}$$

We can now deduce the number of traces in each cmp, or the fold. The largest (half offset) is equal to

$$h_{max} = \frac{N_r}{2} \Delta r \tag{9}$$

where

 $ightharpoonup \Delta r$: Distance between receiver groups

 $ightharpoonup N_r$: Number of receivers

The fold N_f is then

$$N_f = \frac{h_{max}}{\delta h} = \frac{N_r}{2} \frac{\Delta r}{\delta s} \tag{10}$$

It remains to specify δs . The simplest assumption we can make is that $\delta s = \Delta s$, where Δs is the distance between shots. The final expression for the fold N_f is then

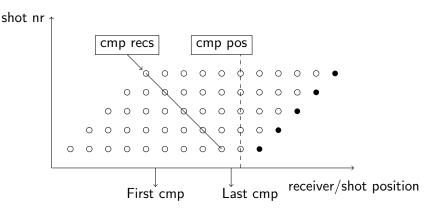
$$N_f = \frac{h_{max}}{\delta h} = \frac{N_r}{2} \frac{\Delta r}{\Delta s} \tag{11}$$

We can also figure out the distance between consecutive cmp's if we assume that the change in δr is equal to the receiver group spacing Δr and that $\Delta r < \Delta s$ and use equation (3)

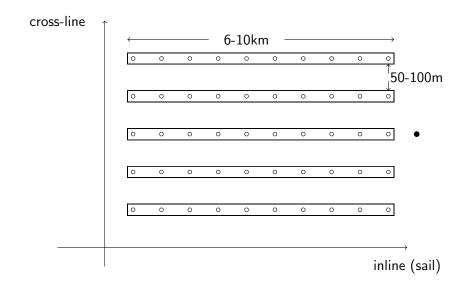
$$\delta x_m = \frac{1}{2} \Delta r \tag{12}$$

Example:

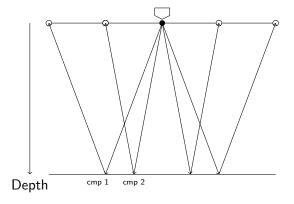
- ▶ No of receivers: 10
- No of shots: 5
- $ightharpoonup \Delta r = \Delta s = 25.0 \text{m}$
- $\triangle x_m = 12.5 \text{m}, N_f = 10/2 = 5$



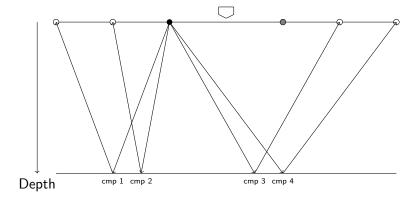
Aqcuisition geometry 3D



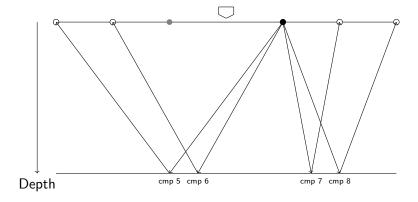
3D Seismic marine data acquisition single source



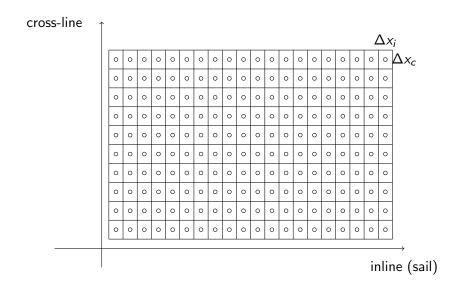
3D Seismic marine data acquisition flip-flop (left)



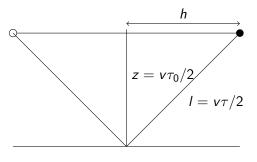
3D Seismic marine data acquisition flip-flop (right)



3D Binning



NMO and Stack



The traveltime $\tau(h)$ is:

$$I^2 = z^2 + h^2$$

which gives by inserting $v\tau/2$ for I and $v\tau_0/2$ for z

$$\tau(h) = \sqrt{\tau_0^2 + 4h^2/v^2}.$$
 (14)

(13)

NMO and Stack

Nmo-correction:

$$\Delta \tau = \tau(h) - \tau_0, \tag{15}$$

Cmp

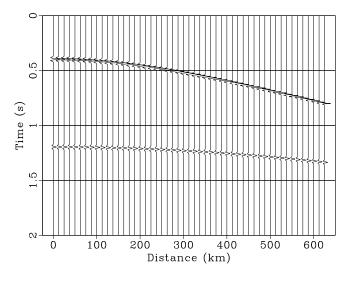


Figure:

Nmo

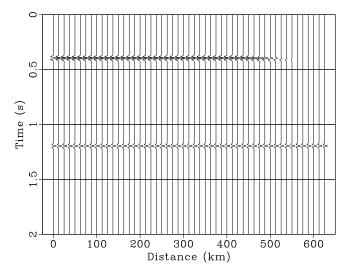
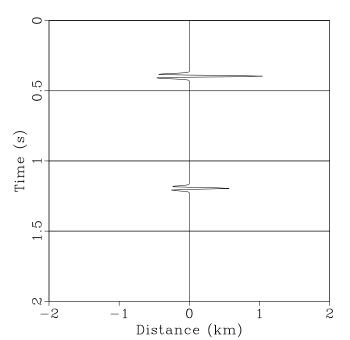


Figure: Synthetic cmp

Stack



NMO and Stack

Average velocity v_{rms} defined by

$$v_{rms}^2(t_0) = \frac{1}{t_0} \int_0^{t_0} v^2(t) dt \tag{16}$$

v(t): Interval velocity. The traveltime equation (14) then becomes

$$\tau(h) = \sqrt{t_0^2 + 4h^2/v_{rms}^2(t_0)}.$$
 (17)

Real cmp

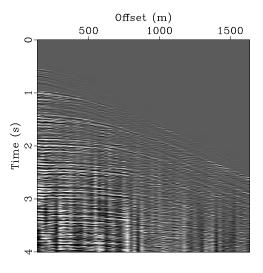


Figure: Real cmp

Real stack

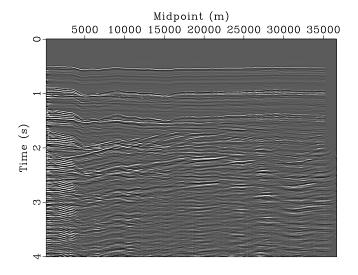


Figure: Real stack

Wide azimuth

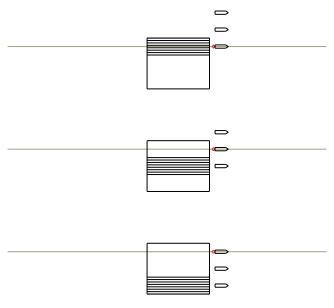


Figure: Real stack

Wide azimuth

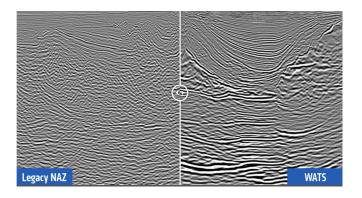


Figure: Real stack

Source: https://www.pgs.com/publications/feature-stories/why-more-azimuths-is-a-good-thing/