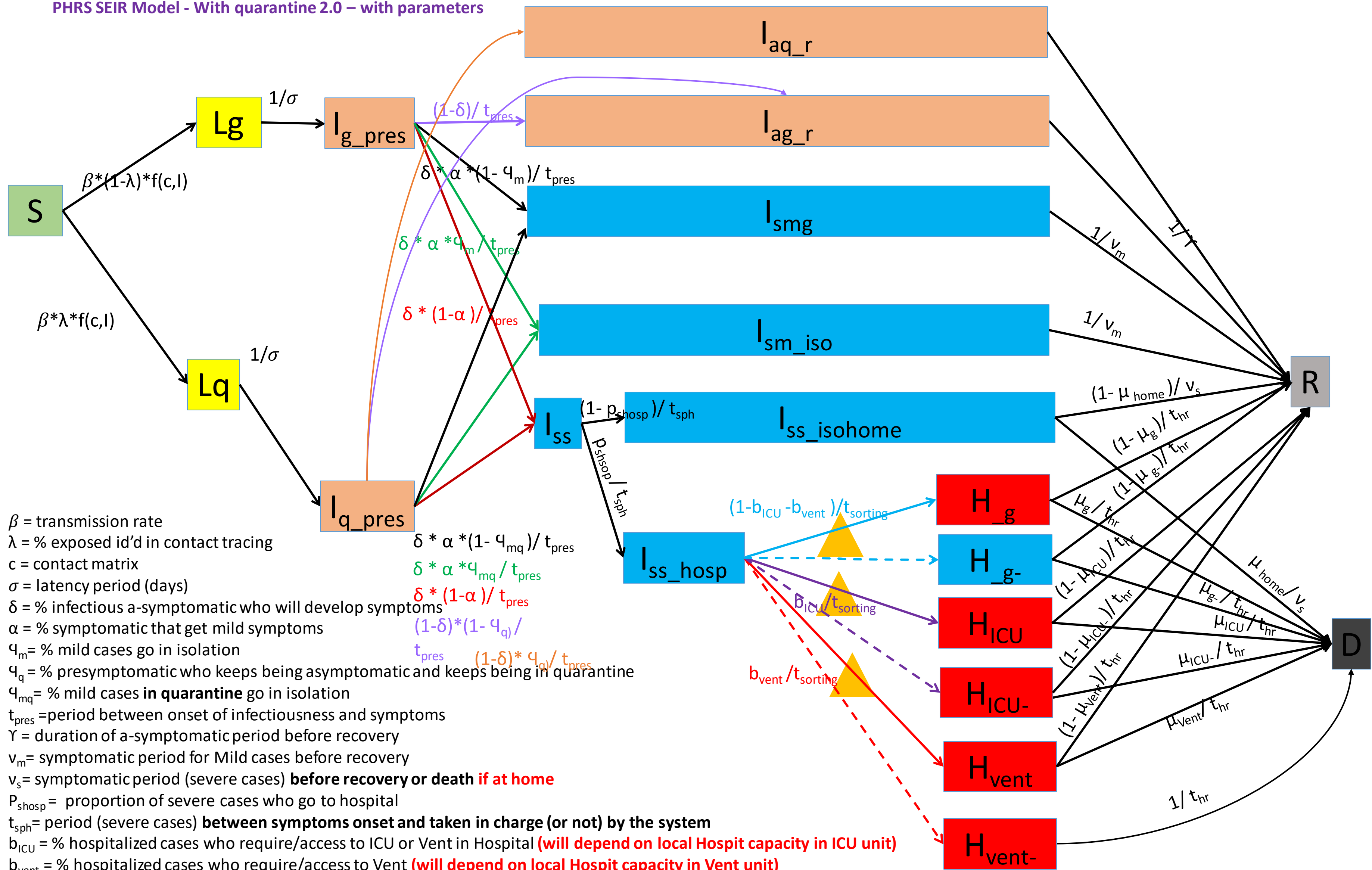


# PHRS SEIR Model - With quarantine 2.0 – with parameters



$\beta$  = transmission rate  
 $\lambda$  = % exposed id'd in contact tracing  
 $c$  = contact matrix  
 $\sigma$  = latency period (days)  
 $\delta$  = % infectious a-symptomatic who will develop symptoms  
 $\alpha$  = % symptomatic that get mild symptoms  
 $q_m$  = % mild cases go in isolation  
 $q_q$  = % presymptomatic who keeps being asymptomatic and keeps being in quarantine  
 $q_{mq}$  = % mild cases **in quarantine** go in isolation  
 $t_{pres}$  = period between onset of infectiousness and symptoms  
 $\gamma$  = duration of a-symptomatic period before recovery  
 $v_m$  = symptomatic period for Mild cases before recovery  
 $v_s$  = symptomatic period (severe cases) **before recovery or death if at home**  
 $p_{shosp}$  = proportion of severe cases who go to hospital  
 $t_{sph}$  = period (severe cases) **between symptoms onset and taken in charge (or not) by the system**  
 $b_{ICU}$  = % hospitalized cases who require/access to ICU or Vent in Hospital **(will depend on local Hospit capacity in ICU unit)**  
 $b_{vent}$  = % hospitalized cases who require/access to Vent **(will depend on local Hospit capacity in Vent unit)**  
 $t_{sorting}$  = time for sorting severe cases (before ICU or Vent or other services)  
 $\mu_g$  = % severe case dying in hospital (general)  
 $\mu_{ICU}$  = % severe case dying in hospital (ICU)  
 $\mu_{vent}$  = % severe case dying in hospital (Vent)  
 $t_{hr}$  = Time spent in hospital (general, ICU or Vent) before recover or death  
 $\mu_g$  = % severe case dying in hospital (general)  
 $\mu_{ICU-}$  = % severe case dying in hospital because of missing access to ICU  
 $\mu_{home}$  = % severe cases dying at home  
 $\mu_{g-}$  = % severe cases dying because they don't access to hospital

$$dS = - \left[ \beta*(1-\lambda) * c_{gg} (I_{ag} + I_{smg}) + c_{gq}(I_{aq}) \right] - \left[ \beta*\lambda * c_{gg} (I_{ag} + I_{smg}) + c_{gq}(I_{aq}) \right]$$

$$dLg = + \left[ \beta*(1-\lambda) * c_{gg} (I_{ag} + I_{smg}) + c_{gq}(I_{aq}) \right] - \left[ \frac{1}{t_{\sigma}} \right]$$

$$dLq = + \left[ \beta*\lambda * c_{gg} (I_{ag} + I_{smg}) + c_{gq}(I_{aq}) \right] - \left[ \frac{1}{t_{\sigma}} \right]$$