

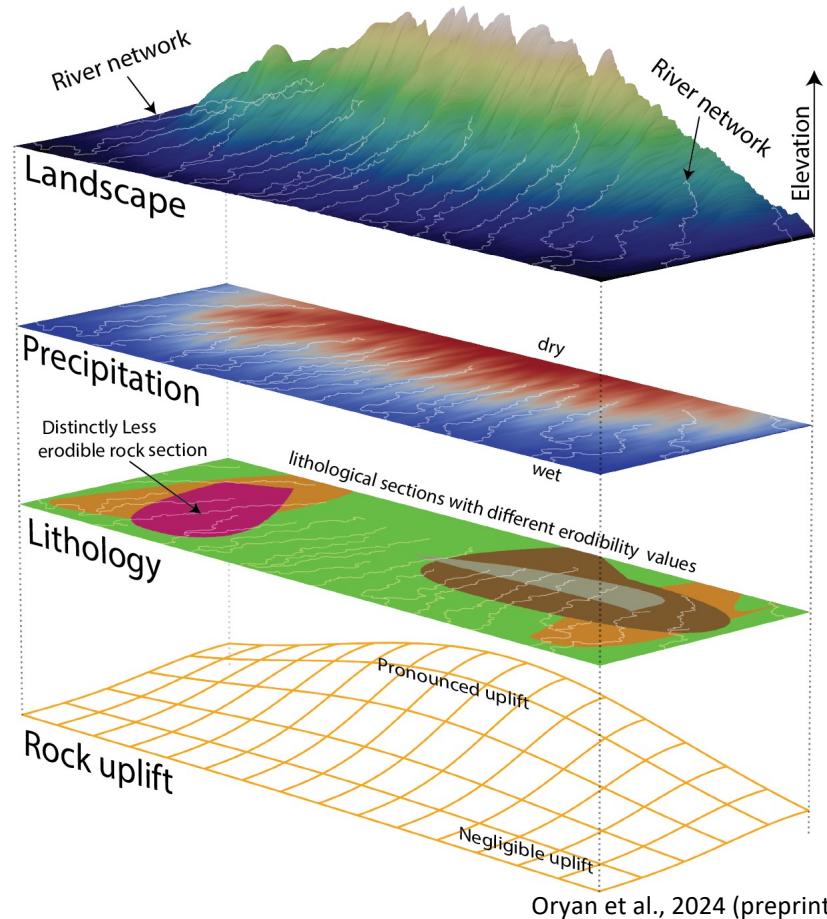
Inferring Spatially-Variable Rock Uplift from Fluvially-Incised Landscapes: a Bayesian Inversion Framework in χ -space

Arthur Olive, Bar Oryan , Boris Gailleton , Luca Malatesta and
Romain Jolivet

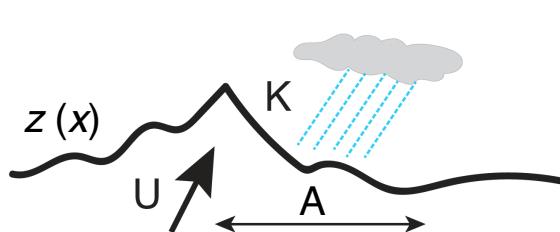


SHAPING FLUVIAL LANDSCAPES

- Landscapes encode the combined forcing of tectonics, climate and erodibility.
- Separating fluvial contributions is challenging but essential for using landscapes as quantitative records of crustal deformation.



RIVER INCISION AT STEADY STATE



$$U(X) \uparrow = K(x)A^m(x)S^n(x)$$

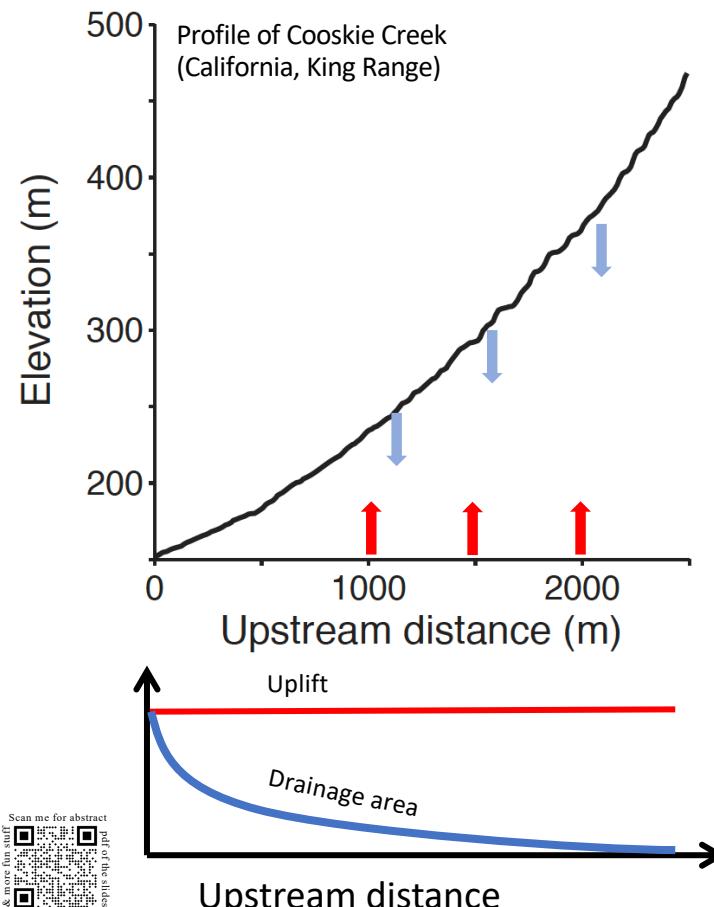
Tectonic
uplift

Local incision rate
(faster for steeper
slope S , with more
water flowing)

Parameters:

- erodibility (K)
- drainage area (A)
- exponents (m, n)

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Tectonic uplift

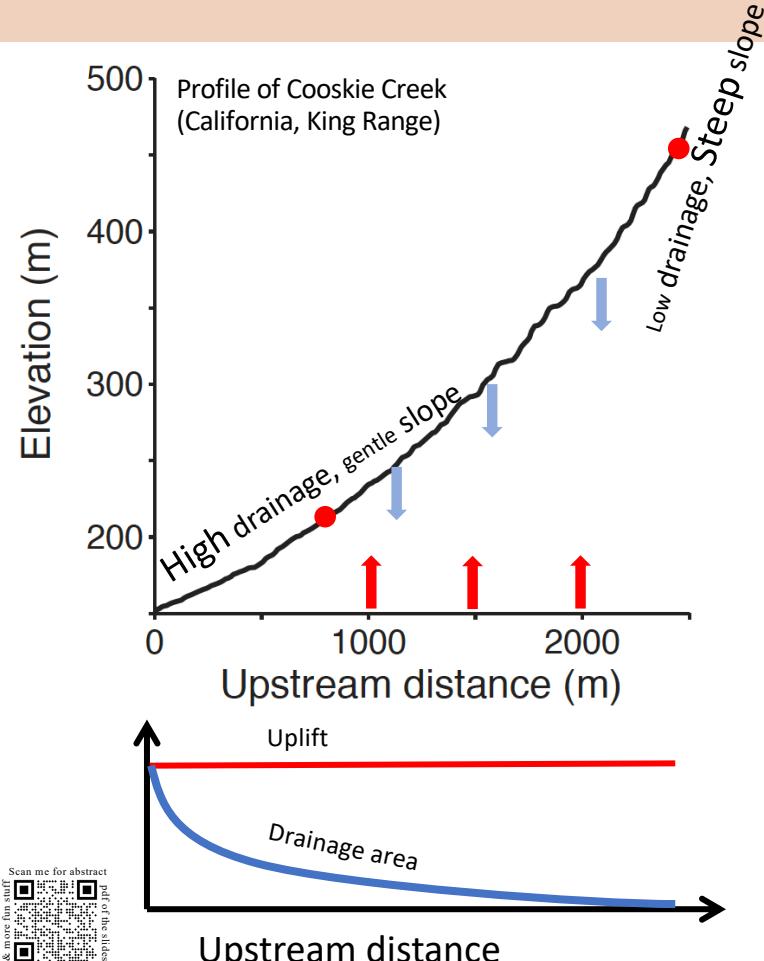
Local incision rate
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Parameters:

- Upstream decrease in drainage area
- Shape of uplift
- Spatially variable erodibility
- climate

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RIVER INCISION AT STEADY STATE



$$U(X) \uparrow = K(x)A^m(x)S^n(x) \downarrow$$

Tectonic uplift

Local incision rate
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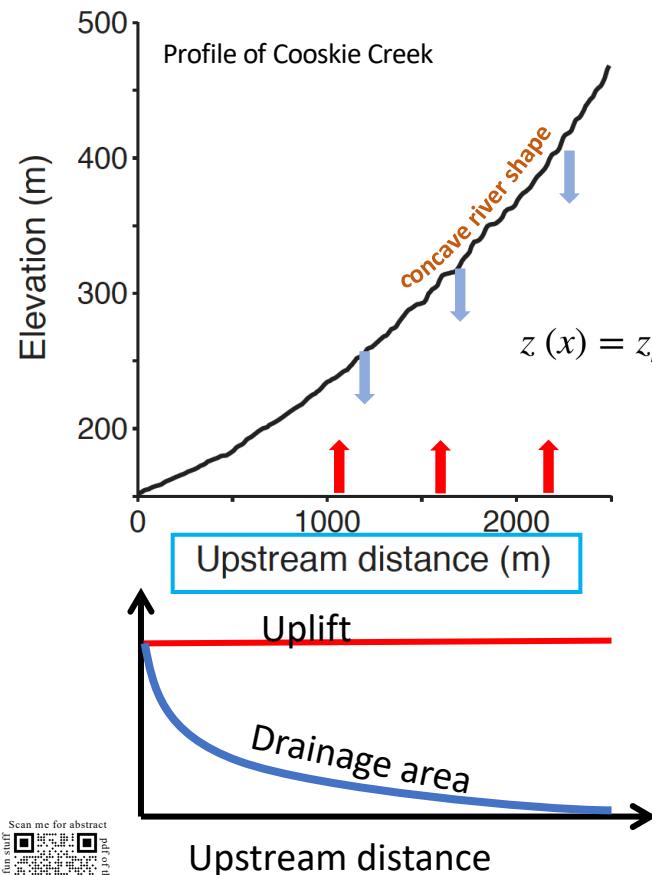
Parameters:

- erodibility (K)
- drainage area (A)
- exponents (m, n)

River concavity reflects:

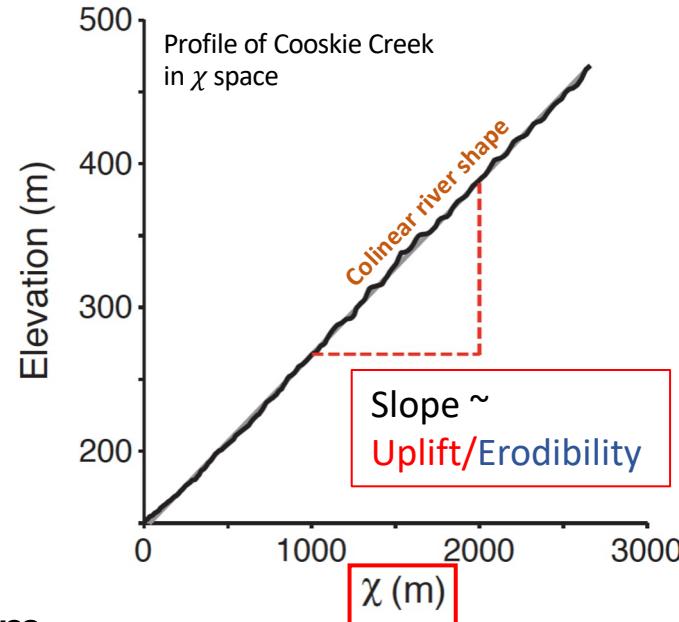
- Upstream decrease in drainage area
- Shape of uplift
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χ – TRANSFORMATION OF RIVERS



$$\chi - \text{TRANSFORMATION}$$
$$z(x) = z_b + \left(\frac{U_0}{K_0 A_0} \right)^{\frac{1}{n}} \int_{x_b}^x \left(\frac{A_0}{A^*(x)} \right)^{\frac{m}{n}} dx$$

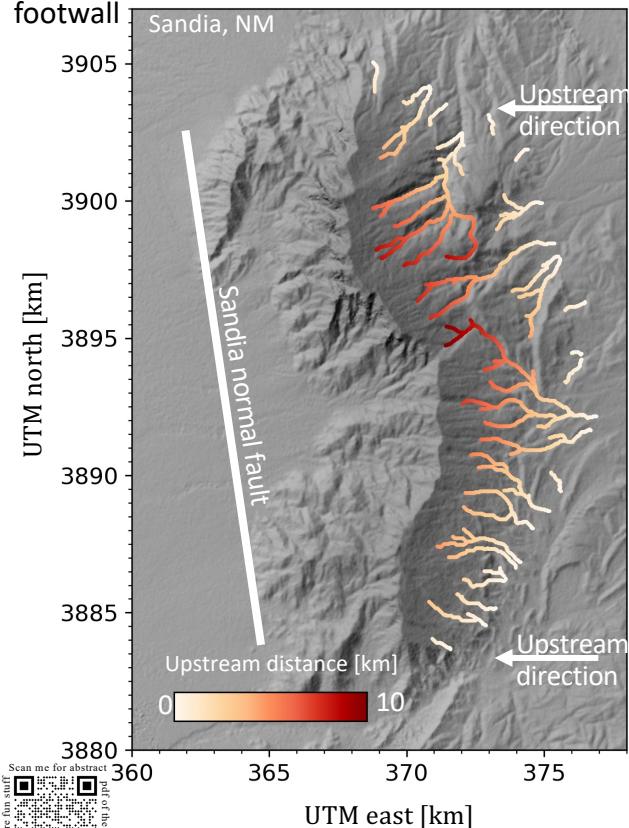
χ



Corrects for upstream decrease in drainage area while assuming uniform spatial uplift

χ - TRANSFORMATION OF RIVER PROFILES IN SANDIA

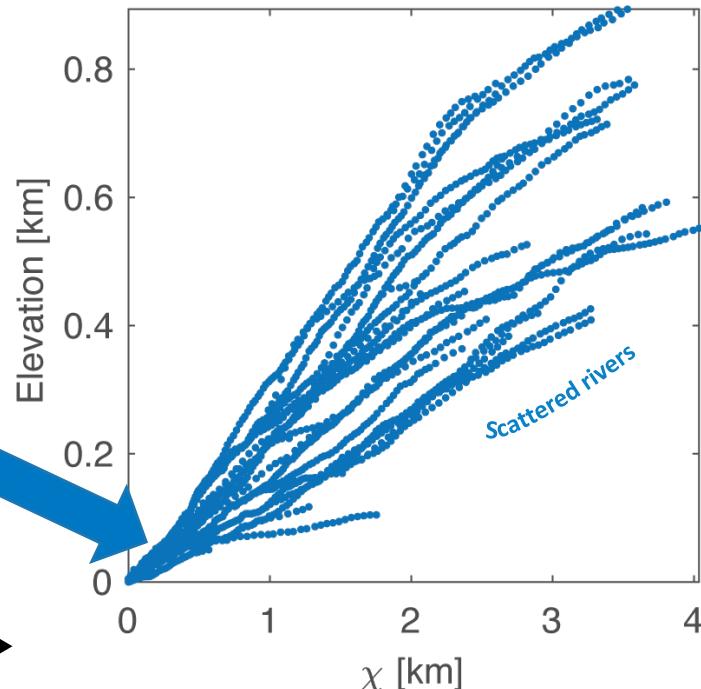
Application to simple tectonic settings - normal fault footwall



River concavity reflects:

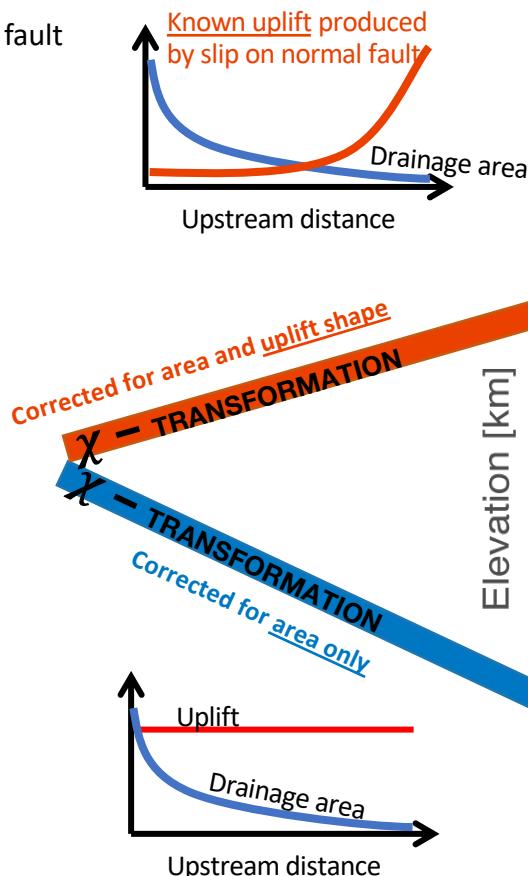
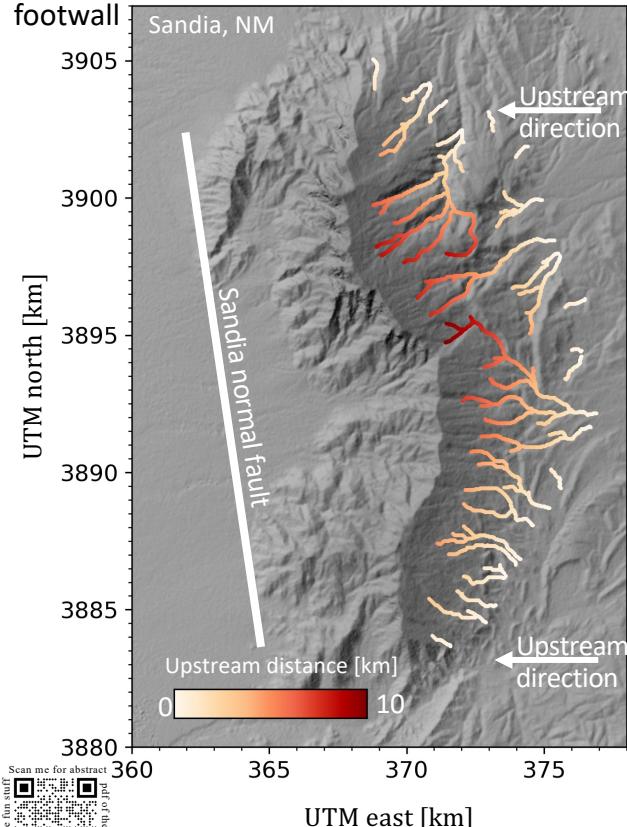
- Upstream decrease in drainage area
- Shape of uplift
- Spatially variable erodibility and climate

χ space —Sandia rivers



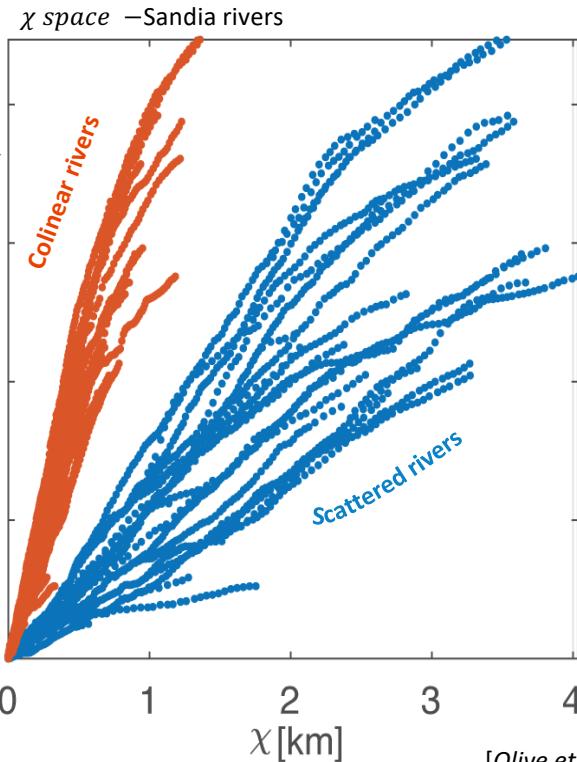
χ – TRANSFORMATION OF RIVER PROFILES IN SANDIA

Application to simple tectonic settings - normal fault footwall

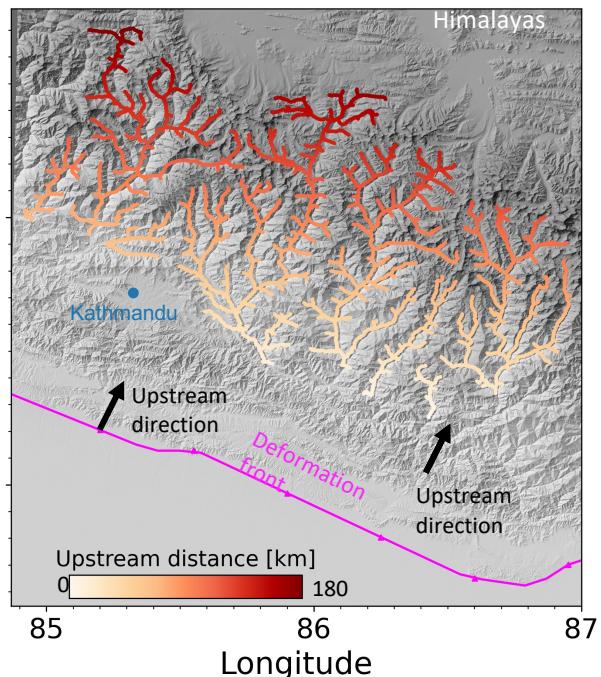


River concavity reflects:

- Upstream decrease in drainage area
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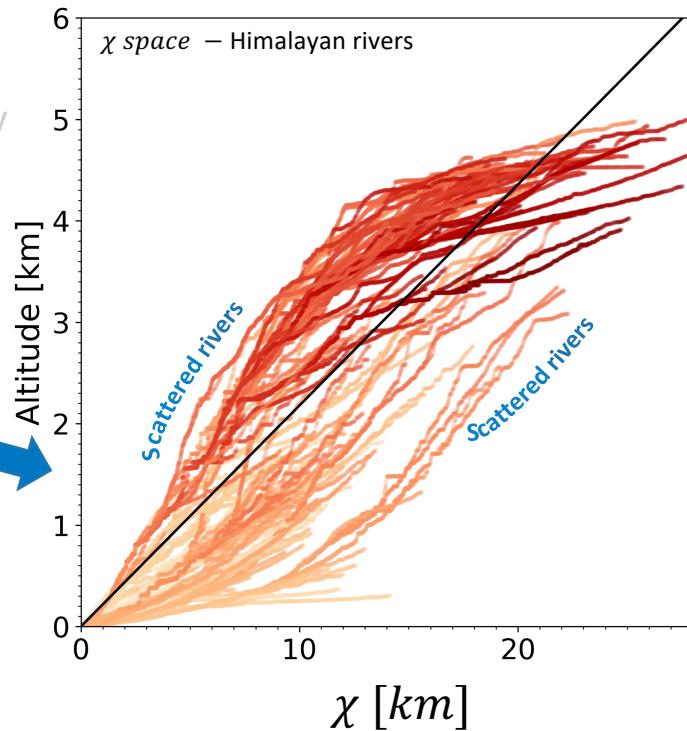
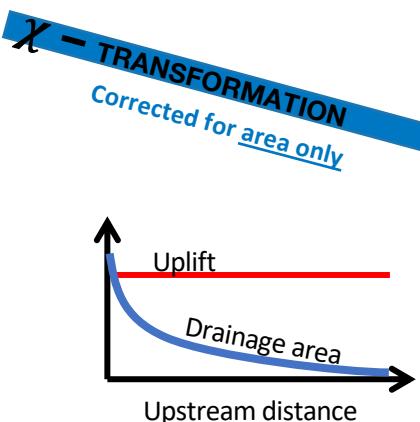


χ – TRANSFORMATION OF RIVER PROFILES IN THE HIMALAYAS

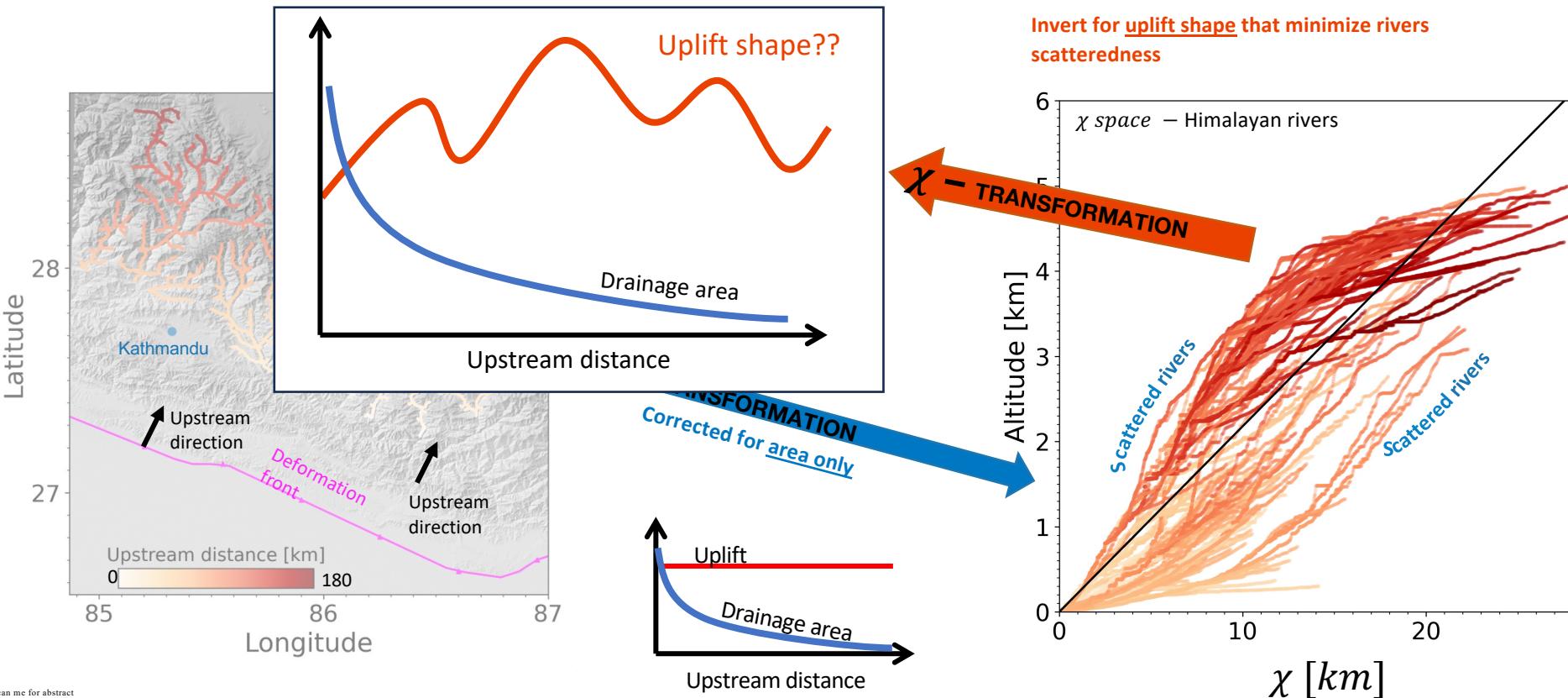


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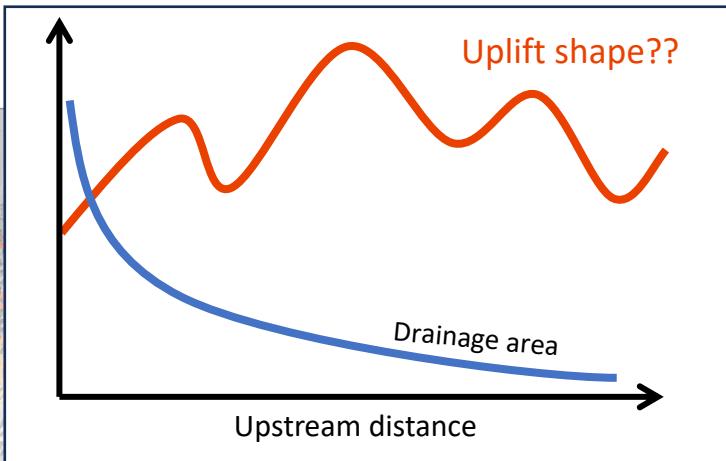
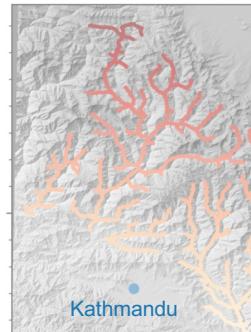
- Upstream decrease in drainage area
- Shape of uplift
- Spatially variable erodibility
- climate



χ – TRANSFORMATION OF RIVER PROFILES IN THE HIMALAYAS

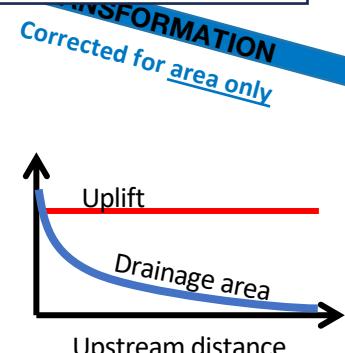


χ – TRANSFORMATION OF RIVER PROFILES IN THE HIMALAYAS

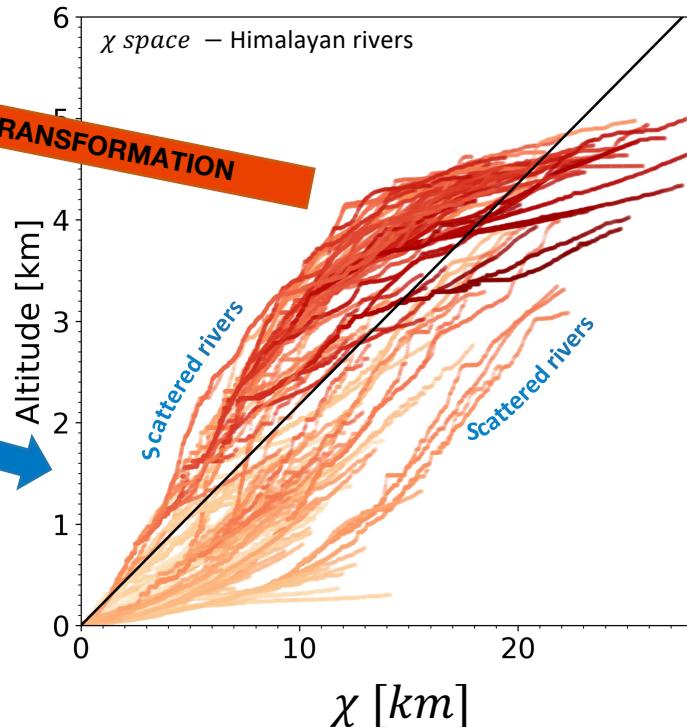


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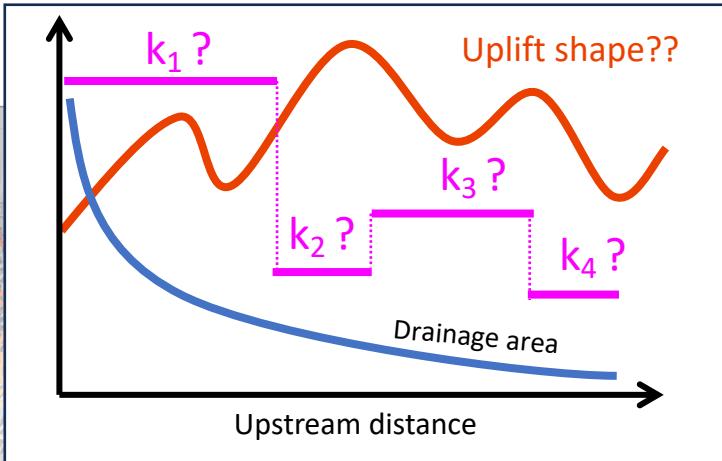
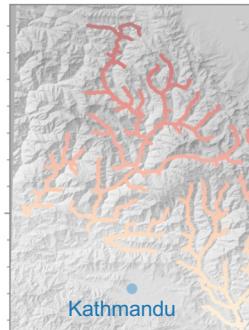
- Upstream decrease in drainage area
- Shape of uplift
- **Spatially variable erodibility**
- climate



Invert for uplift shape that minimize rivers scatteredness

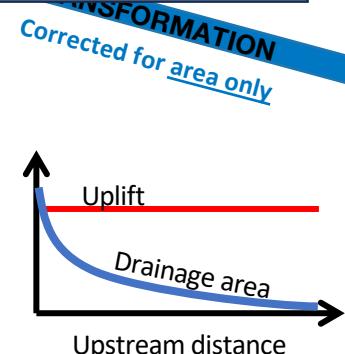


$\chi_{\mu,k}$ – TRANSFORMATION OF RIVER PROFILES IN THE HIMALAYAS

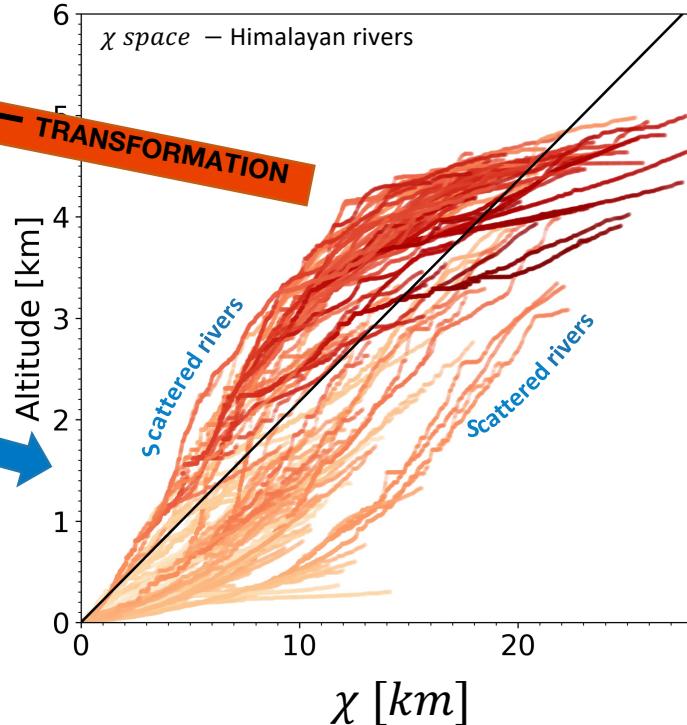


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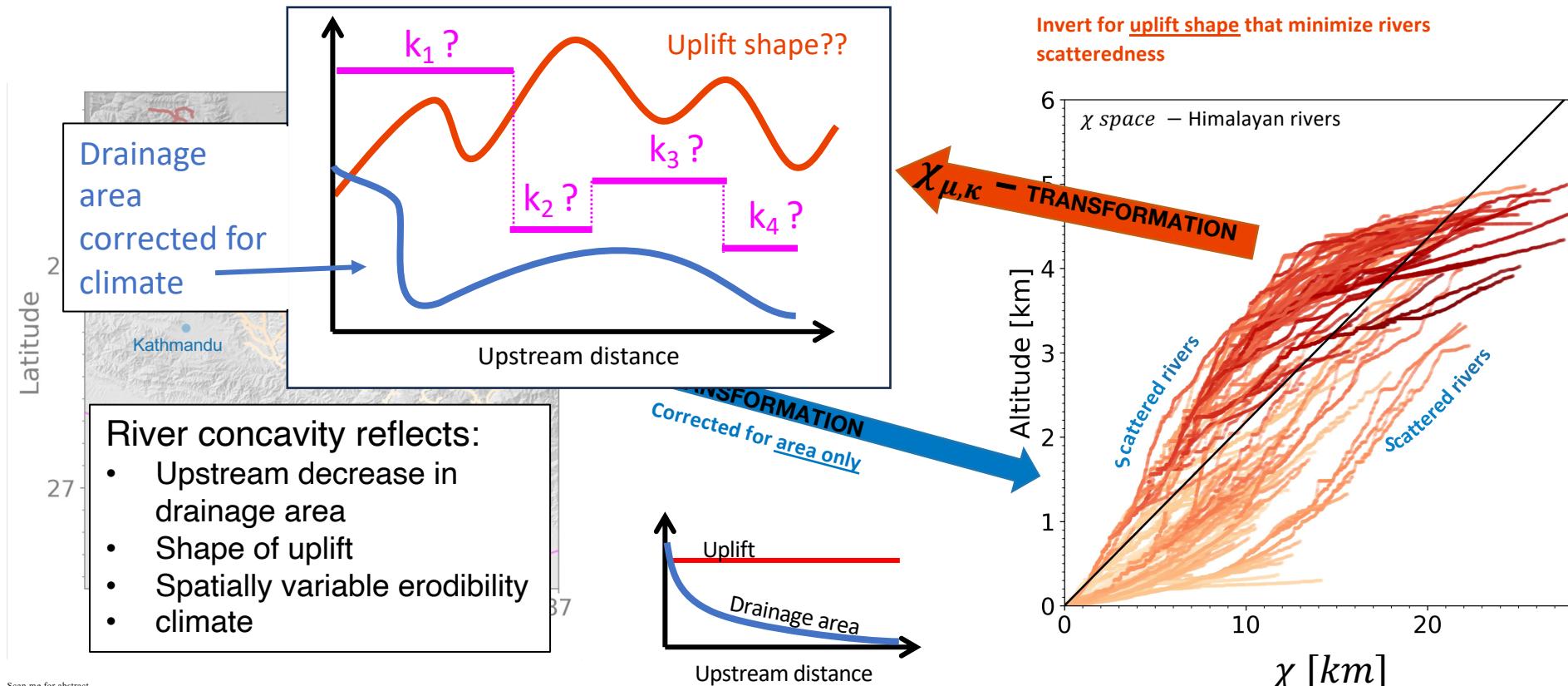
- Upstream decrease in drainage area
- Shape of uplift
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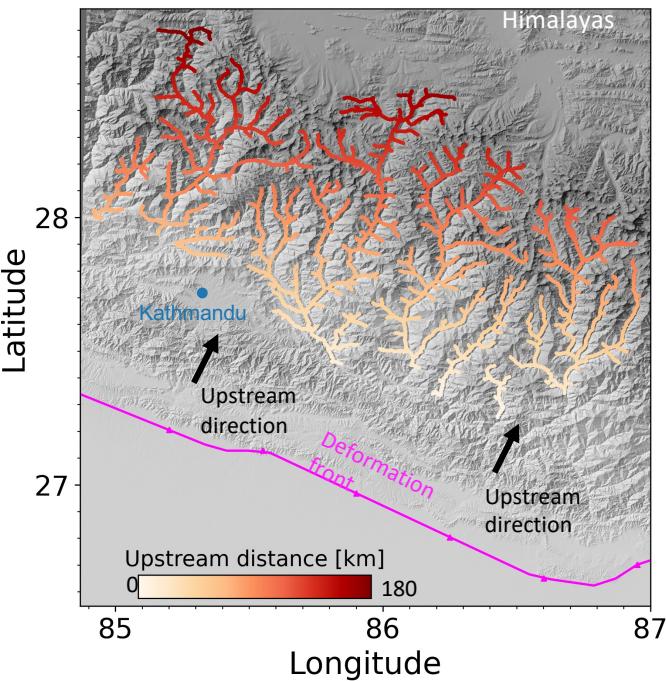
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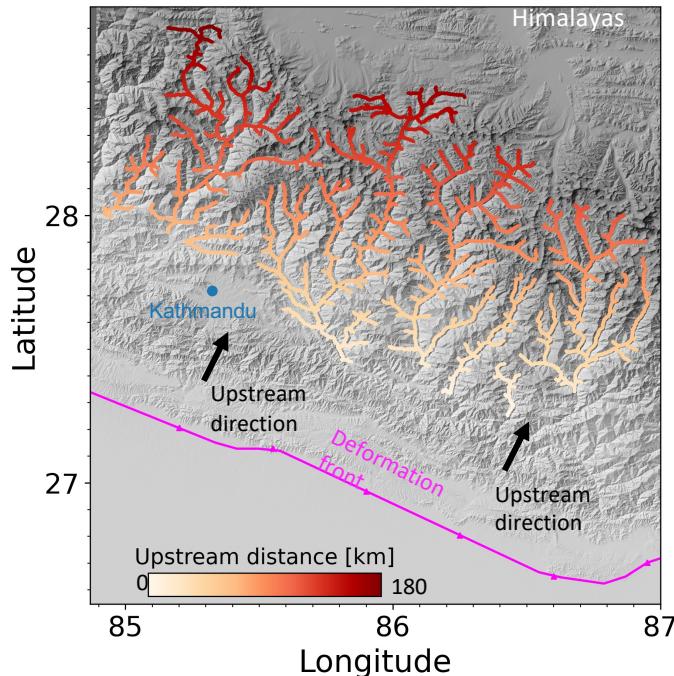
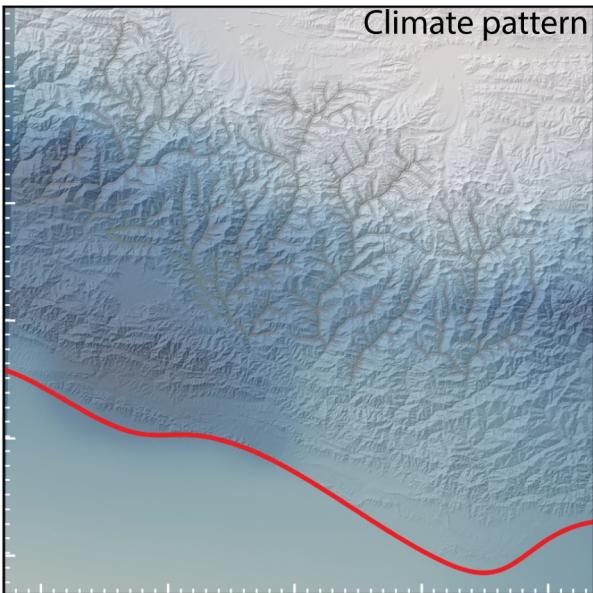
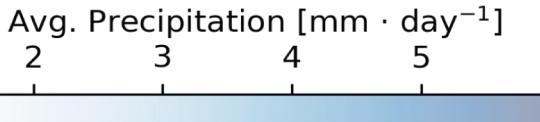


INVERTING HIMALAYAS USING $\chi_{\mu,\kappa}$ TRANSFORMATION



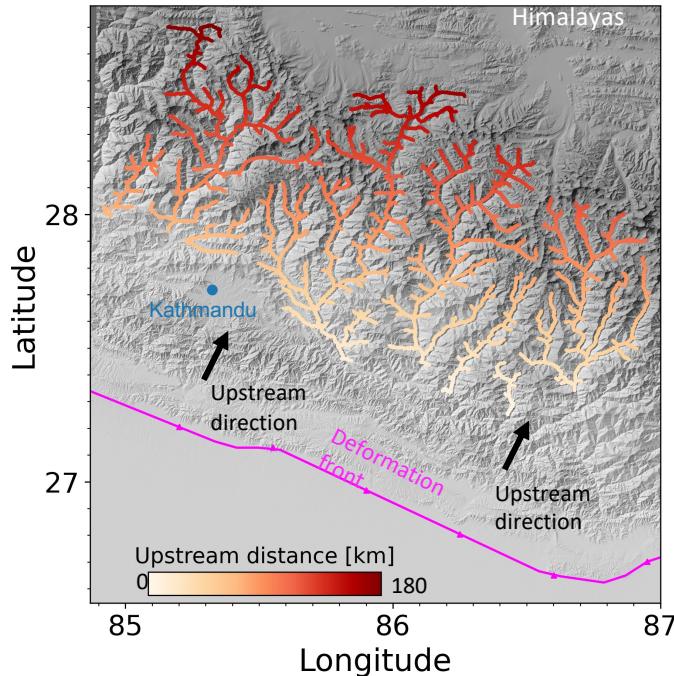
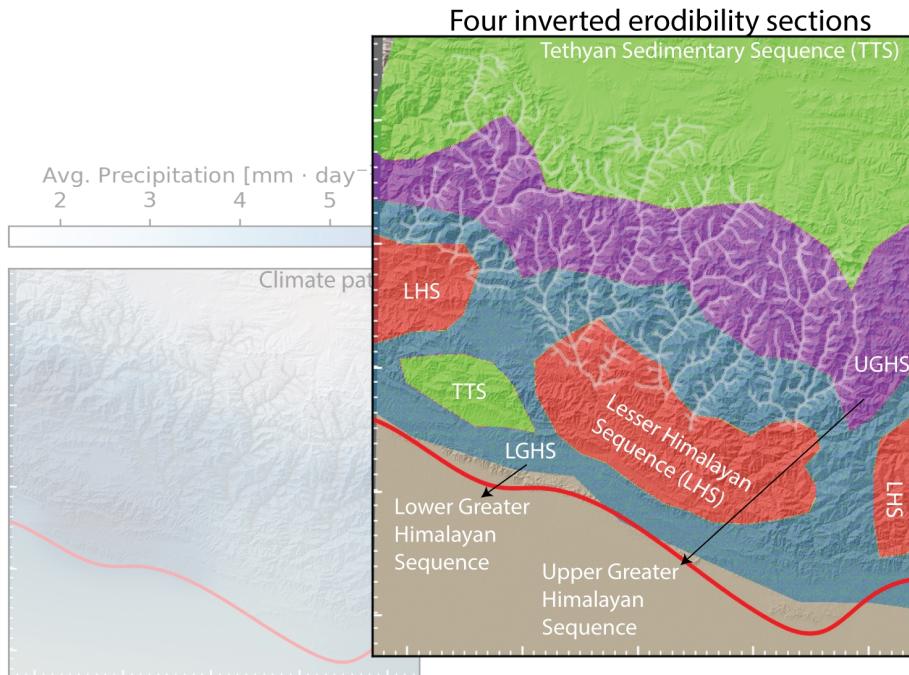
INVERTING HIMALAYAS USING $\chi_{\mu,\kappa}$ TRANSFORMATION

1. Compute drainage area corrected for climate [e.g., Leonard & Whipple, 2021; Leonard 2023].



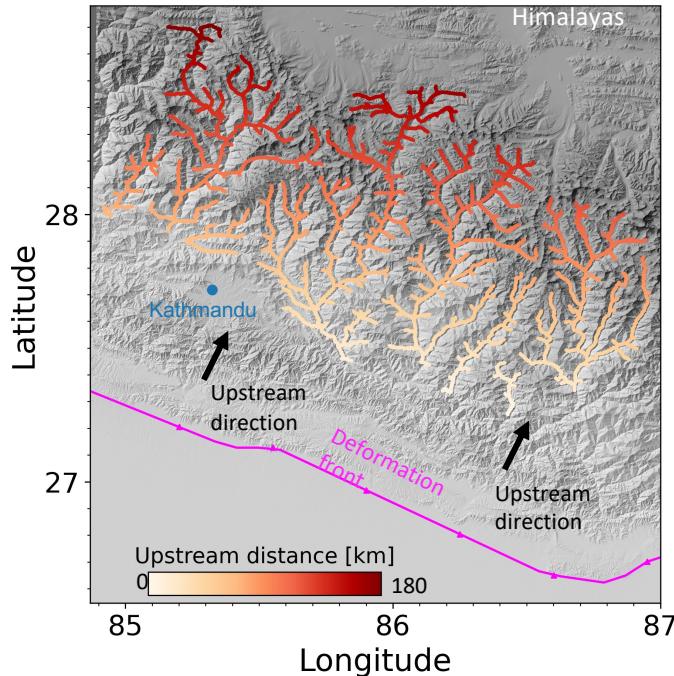
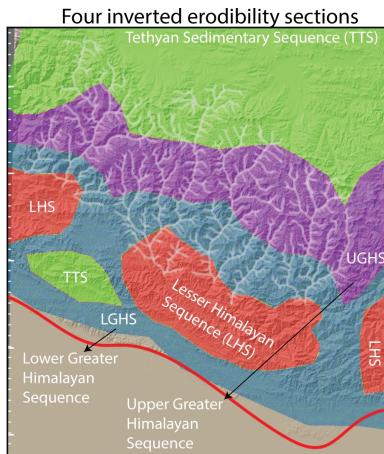
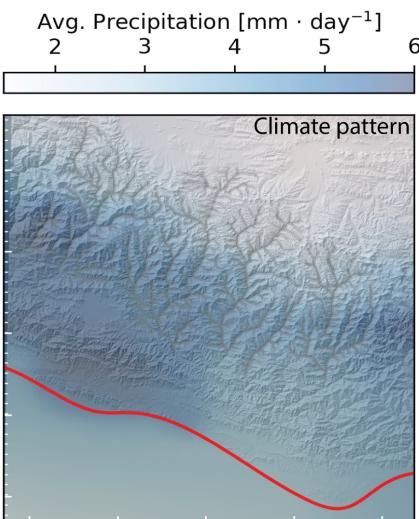
INVERTING HIMALAYAS USING $\chi_{\mu,\kappa}$ TRANSFORMATION

1. Compute drainage area corrected for climate [e.g., Leonard & Whipple, 2021; Leonard 2023].
2. Map the spatial distribution of major lithological sections for piecewise erodibility values.



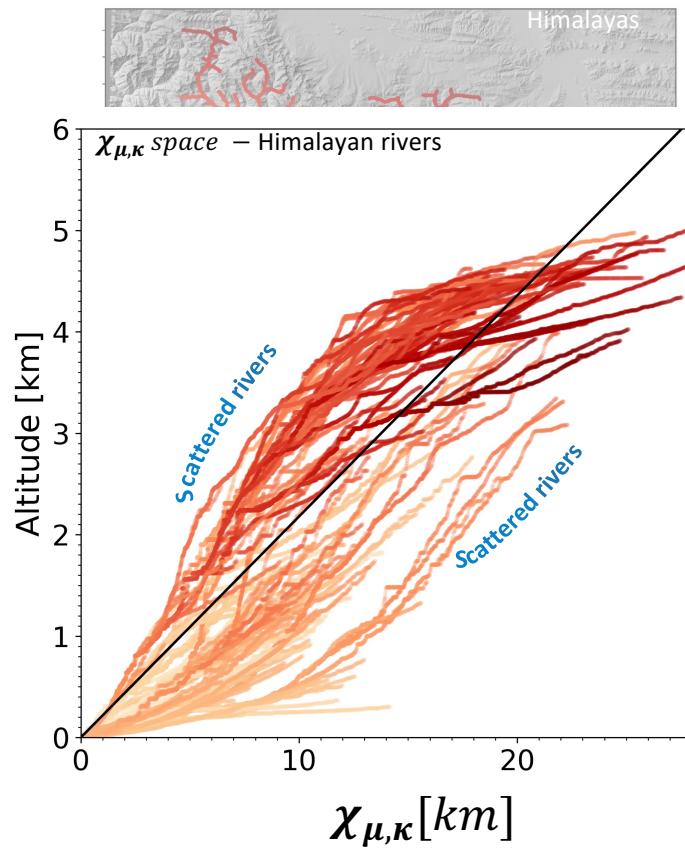
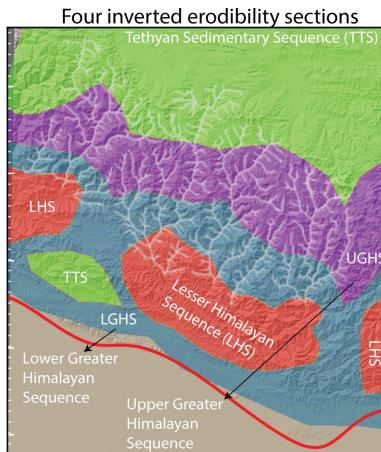
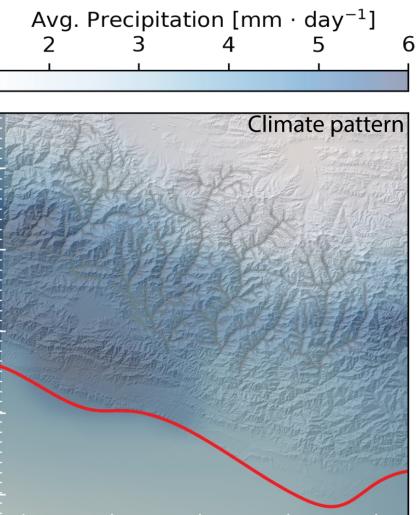
INVERTING HIMALAYAS USING $\chi_{\mu,\kappa}$ TRANSFORMATION

1. Compute drainage area corrected for climate [e.g., Leonard & Whipple, 2021; Leonard 2023].
2. Map the spatial distribution of major lithological sections for piecewise erodibility values.
3. Describe uplift using B-spline interpolating functions that extend across river network.



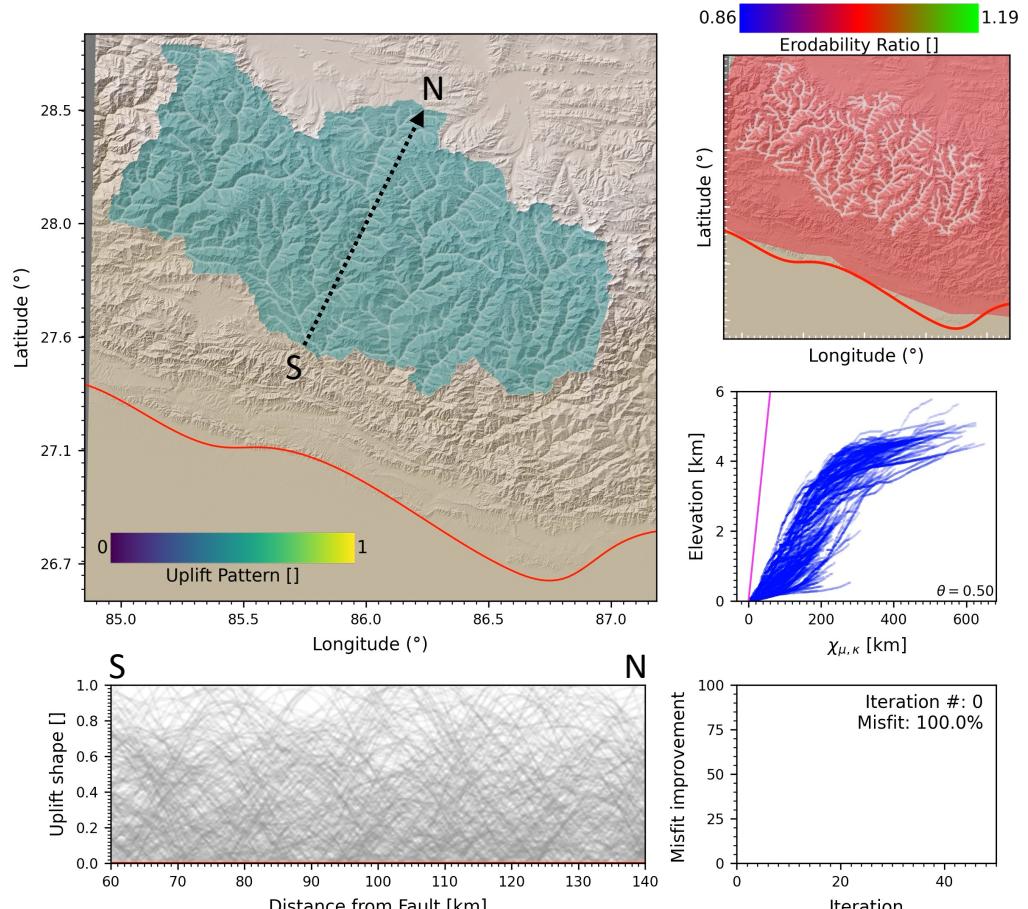
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2. Map the spatial distribution of major lithological sections for piecewise erodibility values.
3. Describe uplift using B-spline interpolating functions that extend across river network.
4. Invert for uplift and erodibility values minimizing $\chi_{\mu,\kappa}$.



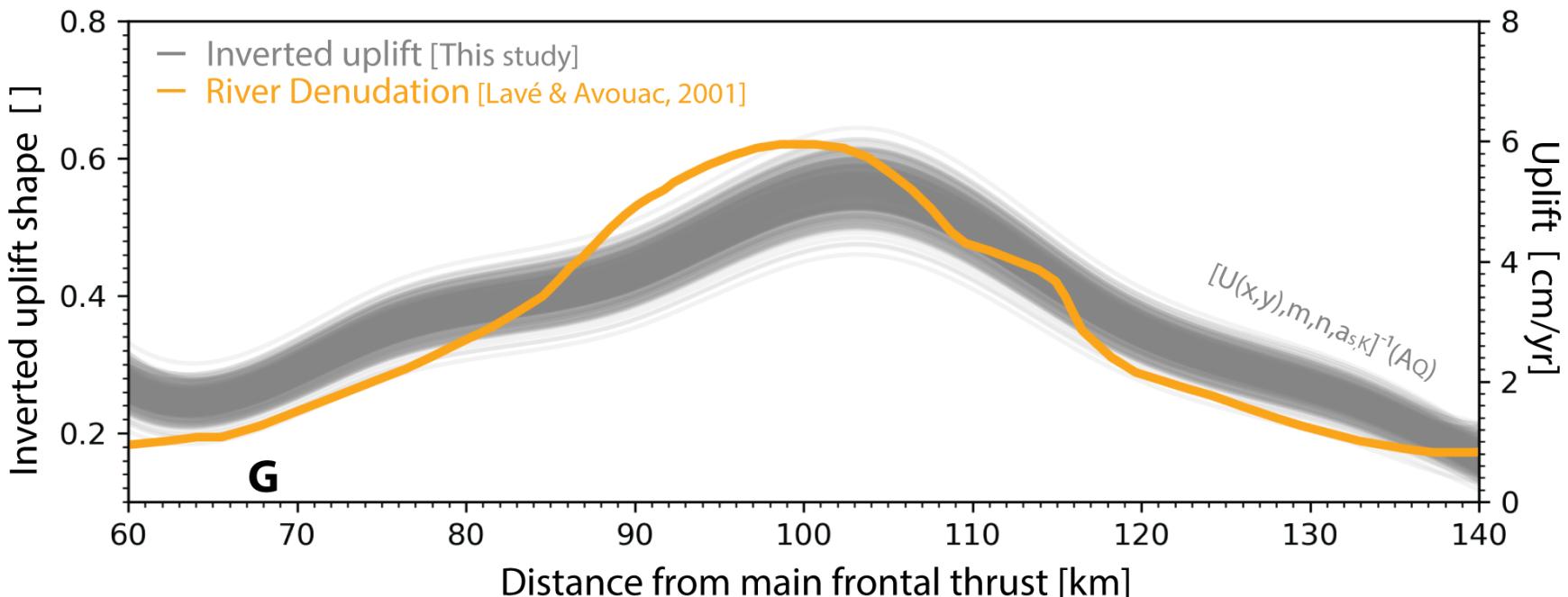
INVERTING HIMALAYAS USING $\chi_{\mu,\kappa}$ TRANSFORMATION

- Quasi-Newton inversion method with 120,000 river nodes spanning 18,000 km².
- Inversion finds 144 parameters describing uplift shape and 4 erodibility values that best linearizes river profile in χ space.



RETRIEVED UPLIFT PATTERN RESEMBLE PREVIOUS ESTIMATES

- Inferred long-term uplift matches denudation rates.



TAKE AWAY MESSAGE

- We demonstrate how we can disentangle the contributions of tectonics, climate and erodibility from landscapes.
- This opens the door to leveraging time-averaged signals captured and infer crustal deformation on different timescales.

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