# Image to LaTeX

#### **DE-LE-PE Team:**

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### **Problem Statement**

implement Deep Learning approaches for the problem of image-to-markup generation (image math equation to LaTeX code).

$${\cal L}=ar{\psi}(i\gamma^{\mu}D_{\mu}-m)\psi-rac{1}{4}F_{\mu
u}F^{\mu
u},$$

### Motivation

Solutions already exists, but with "free" limitations.



Mathpix: 20 snips are free, then 5\$/month;



yhshin/latex-ocr: slow processing (up to minutes or errors),
 and low quality)

$$g(\mathbf{x}) = \det \nabla_{\mathbf{x}} \mathcal{F}(\mathbf{x}, \lambda) = 0.$$

$$\mathcal{L} = \bar{\psi}(i\gamma^{\mu}D_{\mu} - m)\psi - \frac{1}{4}F_{\mu\nu}F^{\mu\nu},$$

$$=$$

$$g() = \det \nabla_{\times} \mathcal{P}(x, \lambda) = 0.$$

$$vec\psi (\dot{\nu}\gamma^{\mu}D_{\ell} -) \psi - \frac{1}{4} \overset{F}{\omega} F$$

<sup>[1] &</sup>lt;a href="https://mathpix.com/">https://mathpix.com/</a>

## **General Description**

Image to LaTeX problem is basically image captioning technique that involves:

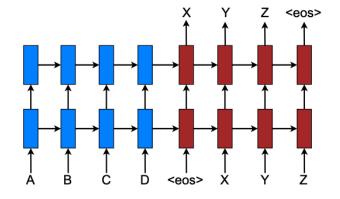
looking at an image → Computer Vision (CV)

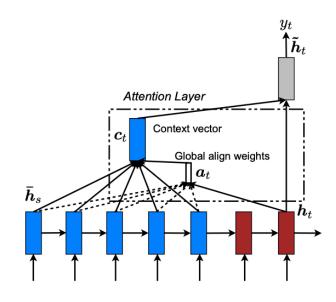
generating LaTeX → Natural Language Processing (NLP)

### **Literature Review**

1) multilayered Long Short-Term Memory (LSTM) to map the input sequence to a vector of a fixed dimensionality → deep LSTM to decode the target sequence from the vector [1].

2) the introduction of attention by [2, 3] eventually established a new standard in Machine Translation systems, allowing impressive performance like zeroshot translation like in [4].

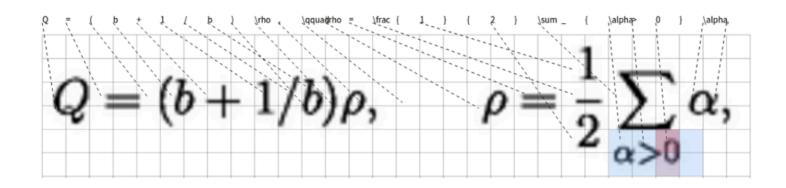


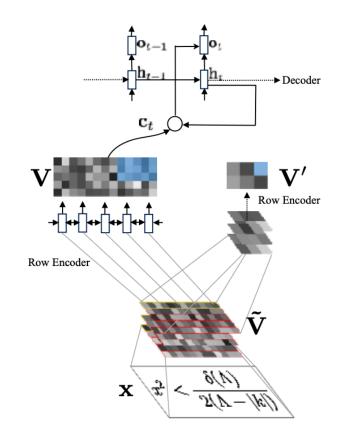


- [1] I. Sutskever et al "Sequence to Sequence Learning with Neural Networks", 2014, https://arxiv.org/pdf/1409.3215.pdf
- [2] D. Bahdanau et al "Neural Machine Translation by Jointly Learning to Align and Translate", 2014, https://arxiv.org/abs/1409.0473
- [3] Minh-Thang Luong el all "Effective Approaches to Attention-based Neural Machine Translation", 2015, https://arxiv.org/pdf/1508.04025.pdf
- [4] Johnson et all "Google's Multilingual Neural Machine Translation System: Enabling Zero-Shot Translation", 2017, https://arxiv.org/pdf/1611.04558.pdf

### **Literature Review**

3) Deng's model [5] incorporates a multi-layer convolutional network over the image with an attention-based recurrent neural network decoder.

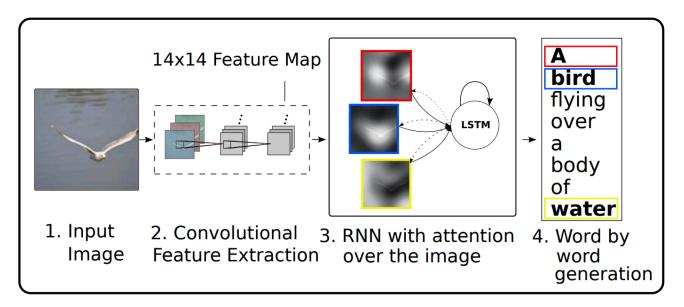




### **Literature Review**

Combining sequence-to-sequence with Image Captioning techniques, [6] encode the image in a fixed size vector with a CNN, and then decoding the vector step by step, generating at each step a new word of the caption and feeding it as an input to the next step.

An attention mechanism was added, enabling the decoder at each time step to look and attend at the encoded image, and compute a representation of this image with respect to the current state of the decoder



## **Our Model**

#### pretrained; ViT Encoder (from the scratch): - the first layer changed (as one-channel image); patching 16x16; - no dense layers and the end; - embedding on the outcome. - added final convolutional layer. Transformer Decoder **Feed Forward Neural Network** Encoder **Encoder-Decoder Self-Attention** Patch + Position Embedding 6 7 5 **Masked Self-Attention** \* Extra learnable Linear Projection of Flattened Patches [class] embedding **Positional-Embeddings Output-Embeddings** Text-caption

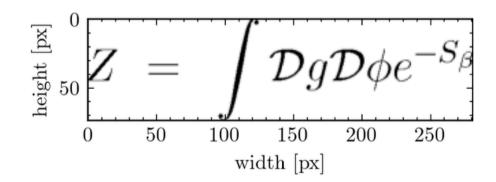
CNN Encoder (resnet101):

### **Dataset**

**I2L-140K** dataset was used.

Dataset contains a total of 154,944 LaTeX images and formulas. LaTeX formulas length is varied from 1 to 2177 symbols.

```
Z ~ = ~ \\int { \\cal D } g { \\cal
D } \\phi e ^ { -S _ { \\beta } }
```



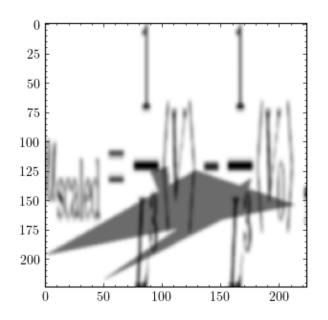
$$\frac{\mathbb{E}}{\mathbb{E}} \left| \begin{array}{c} 0 \\ b_j | \Psi_j(t) \rangle = \Phi_j(t) | \Psi_j(t) \rangle \\ 0 & 100 & 200 & 300 \end{array} \right|$$
width [px]

## **Dataset Processing**

The dataset was partially augmented using:

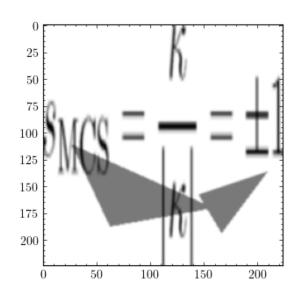
- Resize;
- RandomBrightnessContrast;
- RandomShadow;
- GaussianBlur.

$$u_{\text{scaled}} = \frac{1}{L^3} \langle V \rangle - \frac{1}{L^3} \langle V_0 \rangle ,$$

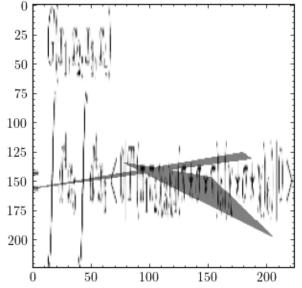


## **Dataset Processing**

$$s_{\text{MCS}} = \frac{\kappa}{|\kappa|} = \pm 1$$



$$G(x_1, x_2, x_3, x_4) = \int d^4x_5 \int d^4x_6 < 0 |T(\pi_1 \pi_2 \chi_3 \chi_4 (\pi \star \sigma \star \pi)_5 (\chi \star \sigma \star \chi)_6)|0>,$$



## **Experiments**

Also, two optimizers were tested: Adamax and Adam. Surprisingly, Adam with Ir=1e-4 provided a bit better results.

To check the model correctness, we start with small subsets.

Subset (items in train)	Epochs	Result
50	300	Overfitting
500	300	Overfitting
•••	•••	•••

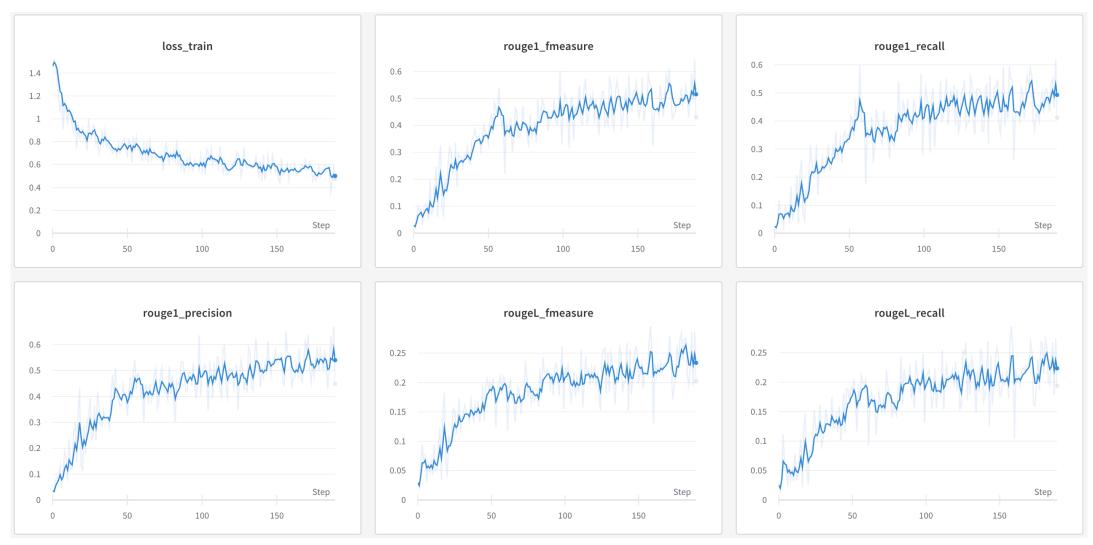
## **Experiments**

Started with whole dataset, but 1 epoch took ~ 1 hour. After the 1<sup>st</sup> epoch the cross entropy loss was ~2 providing awful results.

To check the model correctness, we start with small subsets and testing different hyperparameters.

Hyperparameter Name	Value
	512
Embedding Size	1024
	2048
	512
Hidden Size	1024
	2048
	8
Number of Heads	64
	128
	3
Number of Blocks	5
	6

## **Experiments: CNN decoder**



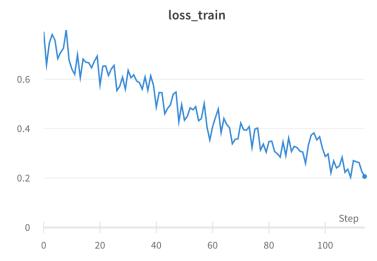
batch size = 20; number of epochs = 2.

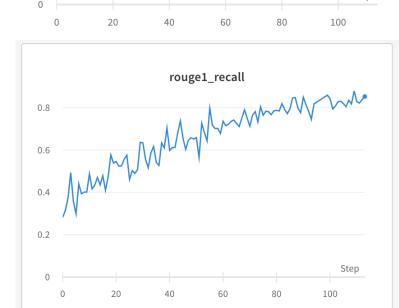
## **Experiments: ViT decoder**

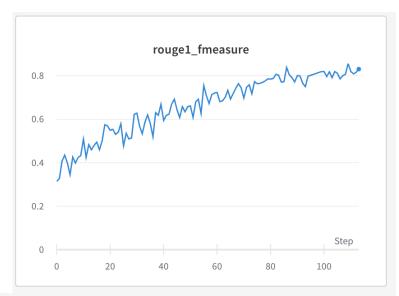
- NVIDIA A100-SXM4-40GB;
- batch size = 64;
- number of epochs = 6;

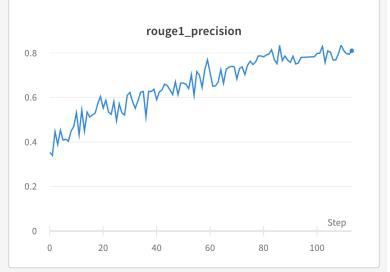
– Train Loss: 0.206

- Test Loss: 0.514









## Results: test set

original:

$$\vec{P}_{2T} = \xi' \vec{k}_T + \overrightarrow{\rho'} - \frac{(\vec{P}_1 \overrightarrow{\rho'})}{P_1^2} \vec{P}_1,$$

generated:

$$\vec{P}_{TT} = \xi \vec{k}_T + \vec{\rho} - \frac{(\vec{P}_T \vec{\rho})}{P_{11}^2} \vec{P}_1,$$

original:

$$\frac{d^2(x-x_0)}{dt^2} + 2\gamma \frac{d(x-x_0)}{dt} + \nu_0^2(x-x_0) = 0,$$

generated:

$$\frac{d^2(x-x_1)}{dt^2} + 2\gamma \frac{d(x-x_1)}{dt} + \sigma(x-x_0) = 0,$$

original:

$$\begin{pmatrix} A_{\mu} \\ Z_{\mu} \end{pmatrix} = \begin{pmatrix} c_W & s_W \\ -s_W & c_W \end{pmatrix} \begin{pmatrix} B_{\mu} \\ W_{\mu}^3 \end{pmatrix}.$$

generated:

$$\begin{pmatrix} A_{\mu} \\ Z_{\mu} \end{pmatrix} = \begin{pmatrix} \alpha_W & s_W \\ -m_W & h_W \end{pmatrix} \begin{pmatrix} \beta_{\mu} \\ \beta_W \end{pmatrix}.$$

original:

$$\Delta \langle \phi_q^2 \rangle = \frac{1}{4\pi} \ln \frac{2c^2}{3\phi_c^2 - c^2 + 3\Delta \langle \phi_q^2 \rangle}.$$

generated:

$$\Delta \Delta \phi_q^2 = \frac{1}{4\pi} \ln \frac{2\nu^2}{3\pi^2 - (\nu + \Delta)(\Delta q)^2}.$$

## **Team Member's Contribution**

#### Antonina Kurdyukova (20% of work)

- Project idea inspiration
- Preparing the report
- GitHub repo description

### Matvey Skripkin (20% of work)

- Assemble and train the model
- Perform experiments

#### Dmitrii Baluev (20% of work)

- Preparing the presentation slides
- Final project speech
- Perform experiments

#### Nikita Logitsaev (20% of work)

- Preparing the dataset
- Data preprocessing and augmentation
- Dataset and data preprocessing description

### Nikolay Kalmykov (20% of work)

- Trying CNN-based approach
- Perform experiments

### Sources

### Transformer weights (ViT):

https://drive.google.com/file/d/17wLr29AGupBcCSTeOuloi\_zHQ3BrJytA/view?usp=share\_link

### Model parameters (ViT):

https://drive.google.com/file/d/1jsCX7nVeAtS9zW0MUB2H942FApZVhJUN/view?usp=share\_link

#### GitHub:

https://github.com/barracuda049/imgtolatex

# Thx.

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