# Applications of GAs and QGAs on theoretical fully autonomous road networks

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October 30, 2020

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#### Abstract

# Introduction

#### Background

#### 2.1 Genetic Algorithms

Genetic algorithms are optimisation techniques that employ the same rationale as classical Evolution as seen in nature.

Genetic Algorithms can trace their origins back to the late 1960s when they were first proposed by John Holland. Holland went on to write the first book on the subject titled *Adaptation in Natural and Artificial Systems* [1] in 1975.

In a general sense, optimisation techniques work to find the set of parameters  $\mathcal{P}$  that minimise an objective function  $\mathcal{F}$ . Genetic algorithms approach this by representing these sets as individuals in a population, P. Over the course of multiple generations, the best solutions are determined and promoted until termination criteria are met or the maximum number of generations is reached.

As our candidates are essentially a collection of parameters to the function we are trying to optimise, we can extend our metaphor further by mapping each element of a individual to a *gene* in a individual's genome.

The representation we use in a GA is problem specific. Often we have to provide functions to facilitate the mapping between the problem specific set of possible solutions and the encoded genotype space in which we optimise. The most basic representation being a string of binary numbers.

Genetic algorithms are both probabilistically optimal and probabilistically complete [2] meaning that: given infinite time, not only will the algorithm find a solution, (if one exists), it will find the optimal solution from the set of all possible solutions,  $\mathcal{P}^*$ .

```
Algorithm 1: Generic Genetic Algorithm
```

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Result: Best Solution, p_{best}
Generate initial population, P_0 of size n;
Evaluate fitness of each individual in P_0, \{F(p_{0,1},\ldots,p_{0,n})\};
while termination criteria are not met do

| Selection: Select individuals from P_t based on their fitness;
| Variation: Apply variation operators to parents from P_t to produce offspring;
| Evaluation: Evaluate the fitness of the newly bred individuals;
| Reproduction: Generate a new population P_{t+1} using individuals from P_t as well as the newly bred candidates.;
| t++
end
| return p_{best}
```

- 2.1.1 Selection
- 2.1.2 Variation
- 2.1.3 Evaluation
- 2.1.4 Reproduction
- 2.2 Autonomous Road Networks
- 2.3 Quantum Genetic Algorithms
- 2.4 Alternative Technologies

#### Literature Review

- 3.1 Classical GAs
- 3.2 Quantum GAs
- 3.2.1 Quantum Computing

# Classical Approach

- 4.1 Approach
- 4.2 Implementation
- 4.2.1 Language Choice
- 4.3 Results

# Quantum Approach

- 5.1 Approach
- 5.2 Implementation
- 5.3 Results

# Evaluation

# Conclusion

### Bibliography

- [1] John H. Holland. Adaptation in Natural and Artificial Systems: An Introductory Analysis with Applications to Biology, Control, and Artificial Intelligence / John H. Holland. Complex Adaptive Systems. MIT Press, Cambridge, Mass.; London, 1st mit press ed. edition, 1992.
- [2] Rahul Kala. On-Road Intelligent Vehicles: Motion Planning for Intelligent Transportation Systems / Rahul Kala. Butterworth-Heinemann is an imprint of Elsevier, Kidlington, Oxford, UK, 2016.