### **Greek characters**

Name	Symbol	Typical use(s)
alpha	$\alpha$	angle, constant
beta	β	angle, constant
gamma	$\gamma$	angle, constant
delta	$\delta$	limit definition
epsilon	$\epsilon$ or $\varepsilon$	limit definition
theta	$\theta$ or $\vartheta$	angle
pi	$\pi$ or $\pi$	circular constant
phi	$\phi$ or $\varphi$	angle, constant

### Named sets

empty set	Ø
real numbers	$\mathbf{R}$
ordered pairs	${f R}^2$

integers	$\mathbf{Z}$
positive integers	$\mathbf{Z}_{>0}$
positive reals	$\mathbf{R}_{>0}$

# Set symbols

Meaning	Symbol
is a member	€
subset	C
intersection	$\cap$

Meaning	Symbol
union	U
complement	$superscript^{C}$
set minus	\

# Logic symbols

Meaning	Symbol
negation	Г
and	$\wedge$
or	V
implies	$\implies$

Meaning	Symbol
equivalent	=
iff	$\iff$
for all	$\forall$
there exists	∃

# Arithmetic properties

$$\begin{array}{ll} (\forall a,b \in \mathbf{R})(a+b=b+a) & \text{commutivity} \\ (\forall a,b,c \in \mathbf{R})(a+(b+c)=(a+b)+c) \text{commutivity} \\ (\forall a,b \in \mathbf{R})(ab=ba) & \text{commutivity} \\ (\forall a,b,c \in \mathbf{R})(a(bc)=(ab)c) & \text{commutivity} \\ (\forall a,b,c \in \mathbf{R})(a(b+c)=ab+ac) & \text{distrutity} \end{array}$$

### Exponents m,n real:

$$a^{0} = 1,$$
  $0^{a} = 0$   
 $1^{a} = 1,$   $a^{n}a^{m} = a^{n+m}$   
 $a^{n}/a^{m} = a^{n-m},$   $(a^{n})^{m} = a^{n \cdot m}$   
 $a^{-m} = 1/a^{m},$   $(a/b)^{m} = a^{m}/b^{m}$ 

### Solution of Equations

#### Algebraic

$$\begin{aligned} [ab = 0] &\equiv [a = 0 \text{ or } b = 0] \\ [a^2 = b^2] &\equiv [a = b \text{ or } a = -b] \\ \left[\frac{a}{b} = 0\right] &\equiv [a = 0 \text{ and } b \neq 0] \\ \left[\frac{a}{b} = \frac{c}{d}\right] &\equiv [ad = bc \text{ and } b \neq 0 \text{ and } d \neq 0] \\ [|a| = |b|] &\equiv [a = b \text{ or } a = -b] \\ \left[\sqrt{a} = b\right] &\equiv [a = b^2 \text{ and } b \geq 0] \end{aligned}$$

For  $a \neq 0$ ,

$$\left[ax^{2} + bx + c = 0\right] \equiv \left[x = \frac{-b \pm \sqrt{b^{2} - 4ac}}{2a}\right]$$

## **Function notation**

dom(F)	domain of function $F$
range(F)	range of function $F$