<b>MATH 202, S</b>	<b>pring 2024</b>
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Name: \_\_\_\_

In class work 13

Row and Seat:\_\_\_\_

In class work 13 has questions 1 through 1 with a total of 6 points.

"Folks are usually about as happy as they make their minds up to be."

ABRAHAM LINCOLN

Fun facts to know and tell: For all  $k \in \mathbb{Z}_{\geq 0}$ , we have

$$(k+1)! = (k+1)k!$$

$$(k+2)! = (k+1)(k+2)k!$$

$$(2k+1)! = (2k+1)(2k)!$$

$$(2k+2)! = (2k+1)(2k+1)(2k)!$$

- 1. Use the RT to determine all real numbers *x* that make the given series converge absolutely.
- $\boxed{2} \qquad \text{(a) } \sum_{k=1}^{\infty} \frac{x^k}{\sqrt{k}}$

(b) 
$$\sum_{k=1}^{\infty} \frac{(k!)^2}{(2k)!} x^k$$

2 (c)  $\sum_{k=0}^{\infty} \frac{(2x+1)^k}{k^2+1}$