

Homework #7 due to be announced

Questions

(1)

(a) Show that the languages $L_1, L_2 \subseteq \{a,b,c,d\}^*$ given below are context-free languages (CFL) :
 $L_1 = \{a^n b^n c^m d^m; n, m \geq 0\}$; $L_2 = \{a^n b^m c^m d^n; n, m \geq 0\}$

(b) Is the language $L = \{\omega \in \{a,b,c,d\}^* \mid \text{in } \omega : \#a\text{'s} = \#b\text{'s and } \#c\text{'s} = \#d\text{'s}\}$ a CFL ? If so find a CFG that generates L or a PDA that accepts L ; if not prove your claim using the *pumping lemma* for CFGs.

(2) A CFG is called *right linear* if **all** productions are of the form $A \rightarrow a B$ or $A \rightarrow e$ and called *left linear* if **all** productions are of the form $A \rightarrow B a$ or $A \rightarrow e$ where $A, B \in V$ and $a \in T$ and e is the empty string. Show that both *right linear* and *left linear* grammars generate *regular languages*. Specify finite state machines corresponding respectively to right and left linear grammars.

Main Text: Exercise 7.1.4, 7.4.3(b), (c)