

# Database Management Systems (CSN-351)

## Relational Database Design

**BTech 3rd Year (CS) + Minor + Audit**

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# Design Alternative: Larger Schemas

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- Creation of new department with no instructor

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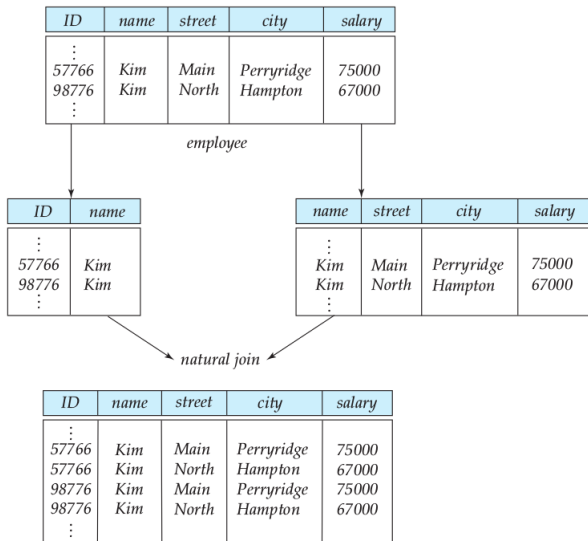
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**Functional Dependency:**  $dept\_name \rightarrow budget$

# Bad Decomposition



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- Use of set-valued attributes can lead to designs with redundancy.
- Modern database systems do support many types of nonatomic values.

# Constraints of the University Database

- Students and instructors are uniquely identified by their ID.
- Each student and instructor has only one name.
- Each instructor and student is (primarily) associated with only one department.
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Legal instance

# Keys and FDs

## Definition (Superkey)

Let  $r(R)$  be a relation schema. A subset  $K$  of  $R$  is a superkey of  $r(R)$  if, in any legal instance of  $r(R)$ , for all pairs  $t_1$  and  $t_2$  of tuples in the instance of  $r$  if  $t_1 \neq t_2$ , then  $t_1[K] \neq t_2[K]$ .

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- Superkey is a set of attributes that uniquely identifies an entire tuple.
- A functional dependency allows us to express constraints that uniquely identify the values of certain attributes.

# Keys and FDs (contd.)

## Definition (Functional Dependency)

Consider a relation schema  $r(R)$ , and let  $\alpha \subseteq R$  and  $\beta \subseteq R$ .

- Given an instance of  $r(R)$ , we say that the instance **satisfies** the functional dependency  $\alpha \rightarrow \beta$  if for all pairs of tuples  $t_1$  and  $t_2$  in the instance such that  $t_1[\alpha] = t_2[\alpha]$ , it is also the case that  $t_1[\beta] = t_2[\beta]$ .
- We say that the functional dependency  $\alpha \rightarrow \beta$  **holds** on schema  $r(R)$  if, in every legal instance of  $r(R)$  it satisfies the functional dependency.

# Which FDs are satisfied?

<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>
<i>a</i> <sub>1</sub>	<i>b</i> <sub>1</sub>	<i>c</i> <sub>1</sub>	<i>d</i> <sub>1</sub>
<i>a</i> <sub>1</sub>	<i>b</i> <sub>2</sub>	<i>c</i> <sub>1</sub>	<i>d</i> <sub>2</sub>
<i>a</i> <sub>2</sub>	<i>b</i> <sub>2</sub>	<i>c</i> <sub>2</sub>	<i>d</i> <sub>2</sub>
<i>a</i> <sub>2</sub>	<i>b</i> <sub>3</sub>	<i>c</i> <sub>2</sub>	<i>d</i> <sub>3</sub>
<i>a</i> <sub>3</sub>	<i>b</i> <sub>3</sub>	<i>c</i> <sub>2</sub>	<i>d</i> <sub>4</sub>



# Which FDs are satisfied?

A	B	C	D
$a_1$	$b_1$	$c_1$	$d_1$
$a_1$	$b_2$	$c_1$	$d_2$
$a_2$	$b_2$	$c_2$	$d_2$
$a_2$	$b_3$	$c_2$	$d_3$
$a_3$	$b_3$	$c_2$	$d_4$

- A functional dependency of the form  $\alpha \rightarrow \beta$  is *trivial* if  $\beta \subseteq \alpha$

# Which FDs are satisfied?

<i>building</i>	<i>room_number</i>	<i>capacity</i>
Packard	101	500
Painter	514	10
Taylor	3128	70
Watson	100	30
Watson	120	50

# Question 1

Consider a relational table with a single record for each registered student with the following attributes.

- *Registration\_Num*: Unique registration number of each registered student
- *UID*: Unique identity number, unique at the national level for each citizen
- *BankAccount\_Num*: Unique account number at the bank. A student can have multiple accounts or join accounts. This attribute stores the primary account number.
- *Name*: Name of the student
- *Hostel\_Room*: Room number of the hostel

Which one of the following option is INCORRECT?

- *Registration\_Num* can be a primary key
- *UID* is candidate key if all students are from the same country
- If  $S$  is a superkey such that  $S \cap UID$  is *NULL* then  $S \cup UID$  is also a superkey
- *BankAccount\_Num* is candidate key

## Question 2

Consider the relation schema  $R = \{E, F, G, H, I, J, K, L, M, N\}$  and the set of functional dependencies  $\{\{E, F\} \rightarrow \{G\}, \{F\} \rightarrow \{I, J\}, \{E, H\} \rightarrow \{K, L\}, \{K\} \rightarrow \{M\}, \{L\} \rightarrow \{N\}\}$  on  $R$ . What is a candidate key for  $R$ ?

- $\{E, F\}$
- $\{E, F, H\}$
- $\{E, F, H, K, L\}$
- $\{E\}$