

# New Results Concerning Collective Motion in Triaxial Nuclei

Robert POENARU<sup>1,2</sup>

<sup>1</sup>IFIN-HH

Magurele, Romania

<sup>2</sup>Doctoral School of Physics

Bucharest, Romania

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## 1 Nuclear Shapes

# Nuclear Deformation

Most of the nuclei are either *spherical* or *axially symmetric* in their ground-state.

Deformation parameter  $\beta$  (*Bohr, 1969*): preserves axial symmetry



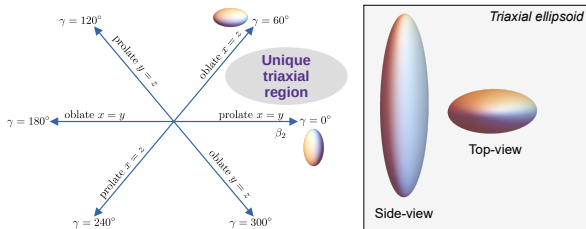
**Figure 1:** **spherical:**  $\beta = 0$  **prolate:**  $\beta > 0$  **oblate:**  $\beta < 0$

# Nuclear Triaxiality

## Non-axial shape

Deviations from symmetric shapes can occur across the chart of nuclides → **triaxial nuclei**.

The triaxiality parameter  $\gamma$  (*Bohr, 1969*): departure from axial symmetry



**Figure 2:** The  $(\beta, \gamma)$  plane divided into six equivalent parts, depicting nuclear surfaces.

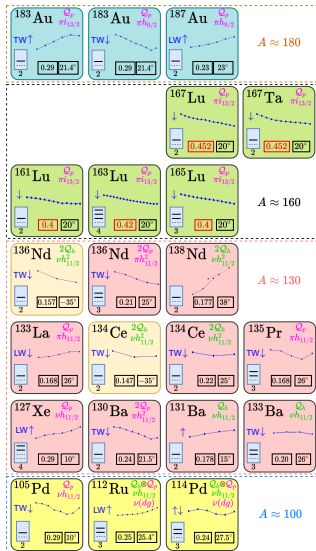
# Fingerprints for Triaxiality

- Experimentally, stable triaxial nuclei represent a real challenge
- Clear signatures for confirming stable triaxiality in nuclei
  - ① Chiral symmetry breaking (*Frauendorf, 1997*)
  - ② **Wobbling motion** (*Bohr & Mottelson, 1975*)

## Wobbling Motion (WM)

- Unique to non-axial nuclei
- Predicted 50 years ago for even- $A$  nuclei
- First experimental evidence for  $^{163}\text{Lu}$  (*Ødegård, 2001*)
- Currently: confirmed wobblers within the mass regions  $A \approx [100, 130, 160, 180]$ .

# Experimental Evidence

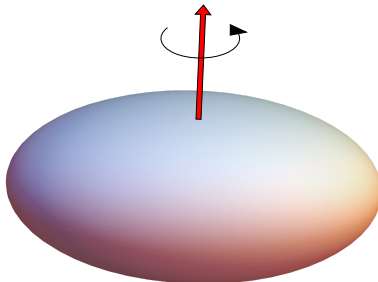


Wobbling nuclei (up to date)  
*Poenaru, 2022, in progress*

# Energy of Deformed Nuclei

## Collective Motion

- A nucleus - *droplet* - can generate angular momentum from the rotation and vibration of the droplet itself
- Each individual nucleon contributes to the total angular momentum  $\rightarrow$  *collectiveness*



# Triaxial Rotor Energy

- a triaxial nucleus can rotate about any of the three axes
- rotation about the axis with *the largest moment of inertia* (MOI) is energetically the most favorable:  $E_{\text{rot}} \propto \frac{\hbar^2}{2\mathcal{I}_{\text{max}}} I(I+1)$
- MOI anisotropy  $\rightarrow$  the *main rotation* around  $\mathcal{I}_{\text{max}}$  is disturbed by the other two axes  $\rightarrow$  *total motion has an oscillating behavior*