

A Systematic Description of the Wobbling Motion in Odd-Mass Nuclei Within a Semi-Classical Formalism

PhD Candidate

Robert Poenaru^{1,2}

Scientific Supervisor

Prof. Dr. Em. A. A. Raduta²

¹Doctoral School of Physics, UB

²Department of Theoretical Physics, IFIN-HH

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1 Aim and Motivation

2 Introduction


- Nuclear Shapes
- Nuclear Triaxiality
- Wobbling Motion

Aim

Research Objectives

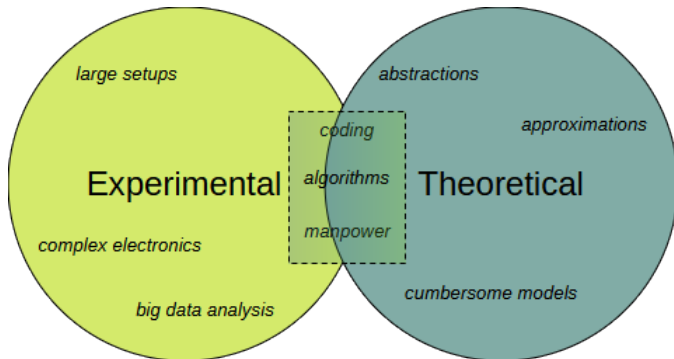
- Extend the current interpretation of the **nuclear triaxiality** in the context of its unique fingerprint: **Wobbling Motion**
- Adopt a framework that is as close as possible to **classical physics**.
- Provide new formalisms for the phenomena related to **nuclear deformation**.

Objectives exclusive to the thesis

- Give the reader enough context towards a better understanding of the underlying concepts, methods, and results.
-  create a completely *open-source* project.

Motivation

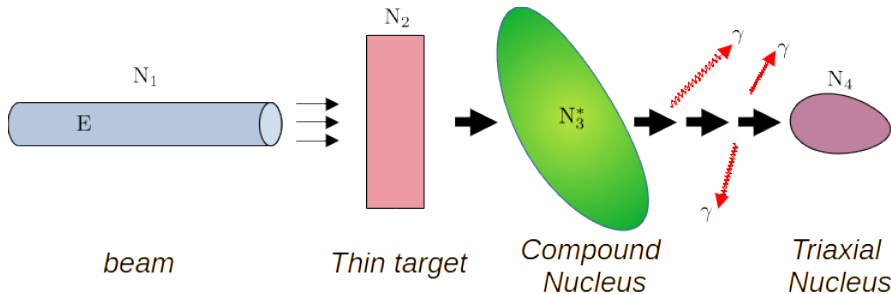
- **Nuclear Triaxiality** has become a *hot topic* within the scientific community.
- Identifying nuclei with triaxial deformations represents a real **experimental** and **theoretical** challenge.



Q Probing triaxiality in nuclei

Triaxial nuclei can be observed/obtained in several experiments:

- Nuclear fission: $A \rightarrow B + C$
- Nuclear fusion: $X + Y \rightarrow Z$
- **Fusion-evaporation reactions:** Long-lived + enhanced deformation
 $Beam(N_1, E) + Target(N_2) \rightarrow N_3^* \rightarrow \dots \rightarrow triaxial(N_4)$



Q Nuclear facilities



Figure: Gammasphere detector, ANL-ATLAS USA. *Source: aps.org*

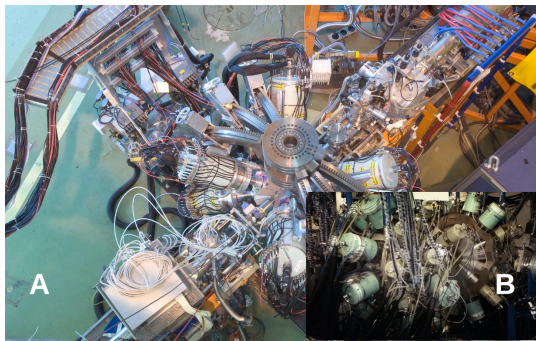


Figure: a) IDS detector, CERN. *Source: isolde.web.cern.ch* b) JUROGAM II, Finland. *Source: twitter.com*

Nuclear Shapes (in the context of WM)

Nuclear Radius

The **shape** of the nucleus is most generally described in terms of the *nuclear radius*:

$$R(\theta, \varphi; t) = R_0 \left(1 + \sum_{\lambda=0}^{\infty} \sum_{\mu=-\lambda}^{\lambda} \alpha_{\lambda\mu}(t) Y_{\lambda}^{\mu}(\theta, \varphi) \right) \quad (1)$$

Quadrupole deformations

- **For us:** Most relevant modes are the **quadrupole vibrations** $\lambda = 2$
 \implies *Play a crucial role in the rotational spectra of nuclei:*

$$R(\theta, \varphi) = R_0 \left(1 + \sum_{\mu=-2}^2 \alpha_{2\mu} Y_2^{\mu}(\theta, \varphi) \right), \quad (2)$$

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Thank you for your attention ♥