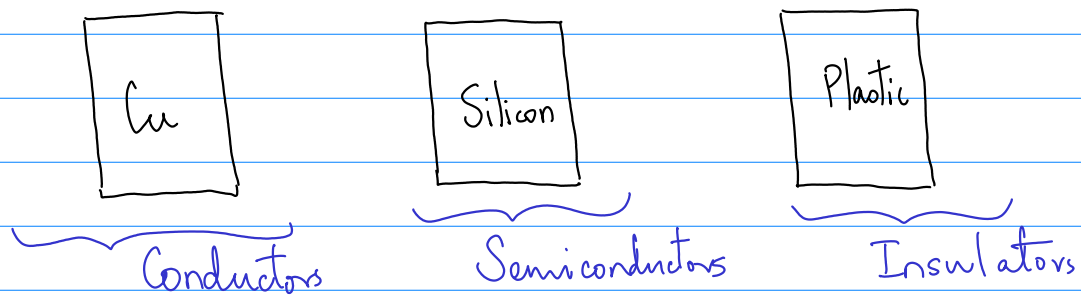
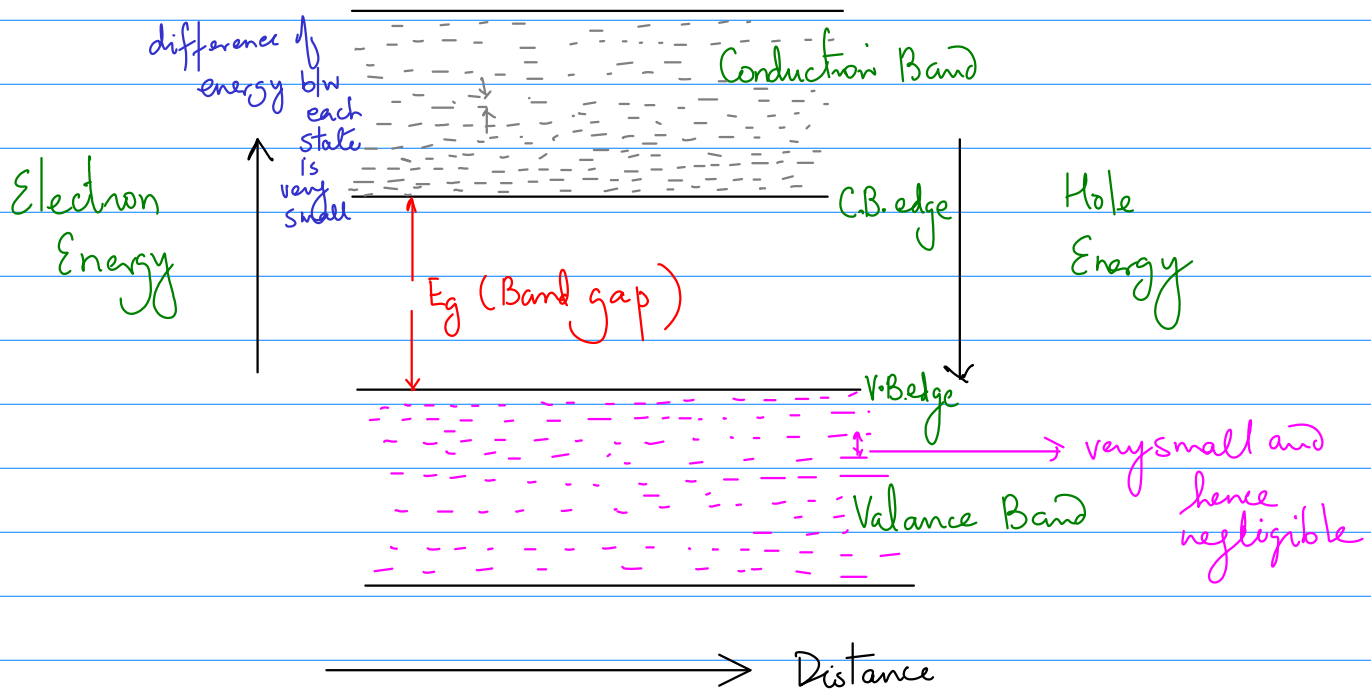


Semiconductors



In terms of Energy gap : $E_g(\text{semiconductors}) \sim 1-3 \text{ eV}$ (typical)
 $E_g(\text{Insulators}) \sim > 3 \text{ eV}$ (typical)

Simplified Band Diagram of a Semiconductor:



In each energy band, we have discrete energy states, however, the ^{energy} separation b/w them is very small and hence assumed negligible. Therefore,

We visualize each band is having continuum energy states.

Typically, at room temperature (300K)

$$E_g(\text{Silicon}) = 1.12 \text{ eV}$$

$$E_g(\text{Ge}) = 0.66 \text{ eV}$$

$$E_g(\text{GaAs}) = 1.42 \text{ eV}$$

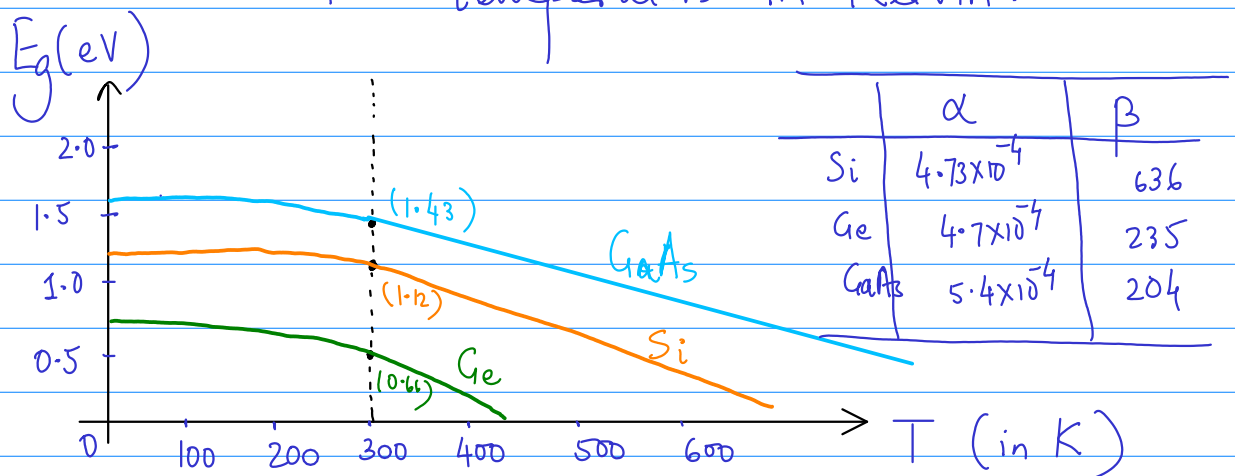
Band gap depend on temperature

$$E_g(T) = E_g(0) - \frac{\alpha T^2}{(T + \beta)}$$

where $E_g(0)$ = Band gap at $T=0\text{K}$

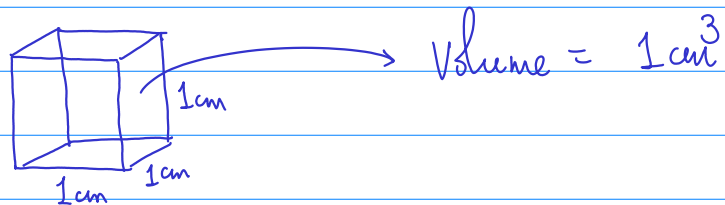
α, β are the parameters

T = temperature in Kelvin.



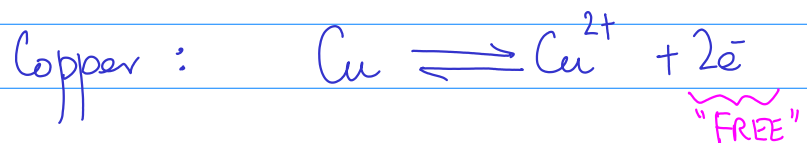
Charge-carrier density in Conductors, Semiconductors & Insulation.

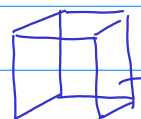
Charge-carrier density \equiv No. of electrons/holes per unit volume (cm^{-3})



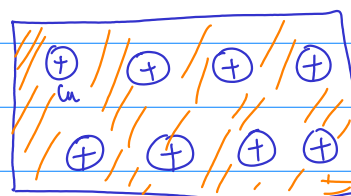
In any solid; atomic density $\sim 10^{22} \text{ cm}^{-3}$

Let take specific example:



 1cm^3 of Copper $\equiv 10^{22}$ atoms $= 2 \times 10^{22}$ electrons
The electrons (2×10^{22}) are underlined and labeled "FREE" in pink.

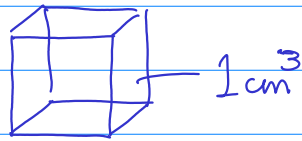
In metals (conductors), we have $\sim 10^{22}$ "FREE" electrons cm^{-3} which are available for the conduction of electrical energy.



Drude's Model

Sea of "FREE" charge carriers

What about semiconductors? (say silicon)



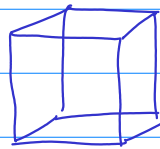
$$\# \text{ atoms} = 10^{22}$$

at $T = 0\text{K}$; "FREE" electrons/holes $\approx 0 \text{ cm}^{-3}$

at $T = 300\text{K}$ (RT) "FREE" electron/holes $\sim 10^{10} \text{ cm}^{-3}$

Thermal Energy at RT $= k_B T \approx 25 \text{ meV}$

Insulators :



1 cm^3 atom $\sim 10^{22}$

at RT (300K); "FREE" electron $\ll 10^5 \text{ cm}^{-3}$

