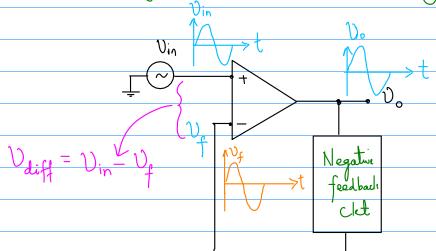
Op-Amp.: Negative Feedback
Recap: (i) Ideal & Practical Op-Amp. Parameters
(°i) Differential & Common mode Operation
Inverting Op-Amp. (ACL(IN) = -Re) Tune the gain as per the choice of the external resistors R, 2 Re
Tune the gain as per the
Choice Uf the external
resistors K, ERe
Q: Lets us understand what will happen when we connect the ckt. as per the following:
the ckt. as per the following:
l J ()
V10= 1mV Sinust + 12V
1 2 1 2 1 mV Sin wit
U ₀ = 100 V Sinust /
5
Assuming practical value of $A_{OL} = 10^{5}$ Vin (mV) Vo (V)
$\frac{0}{V_{in}(mV)} = \frac{V_{o}(V)}{V_{o}(V)}$
Sinusoidal Signal +12V Non- sinusoidal Signal
\Rightarrow t (s) \Rightarrow t (s)
-loV

Negative Feedback:

- 1. Tune the gain of the op-amp with help y external cht. element (Resistor)
- 2. By tuning the gain, we can restrict the op-amp to operate in livear regime.

 (Not to go into Saturation regime).

Mon-inverting Amp. Cht. with negative feedback:



$$V_{\text{diff}} = V_{\text{in}} - V_{\text{f}}$$

$$V_{\text{f}} = V_{\text{f}} + V_{\text{f}}$$

$$V_{\text{f}} = V_{\text{f}} + V_{\text{f}}$$

$$V_{\text{f}} = V_{\text{f}} + V_{\text{f}}$$

```
Where B = Ki
Ri+Rf
 Now, with the negative feedback cht; the op-amp
have effective differential input voltage,
        Ddiff (input) = Vin - Dr
applied to applied to
NI input interting input
           Udiff (input) = Din - BVO Where B = Ri
Ri+Rg
If we have open-loop gain ADL
               V_0 = A_{0L} \cdot V_{in} - B_{0o} \cdot V_{o}

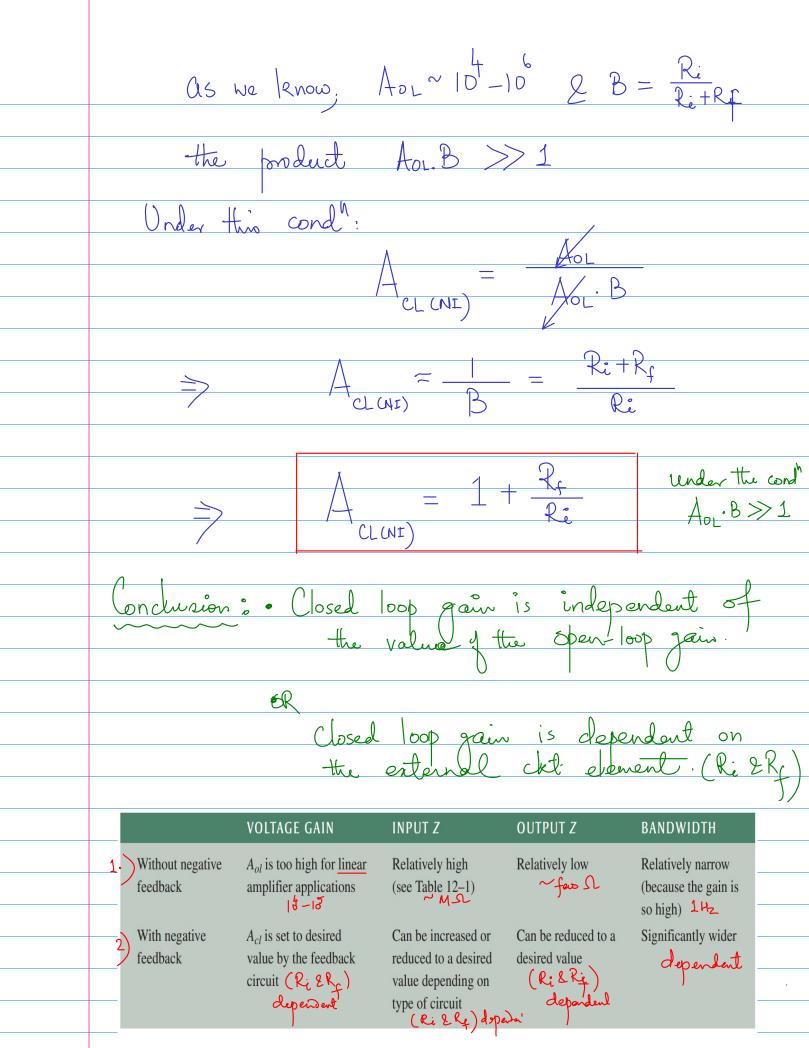
V_0 = A_{0L} \cdot (V_{in} - B_{0o})

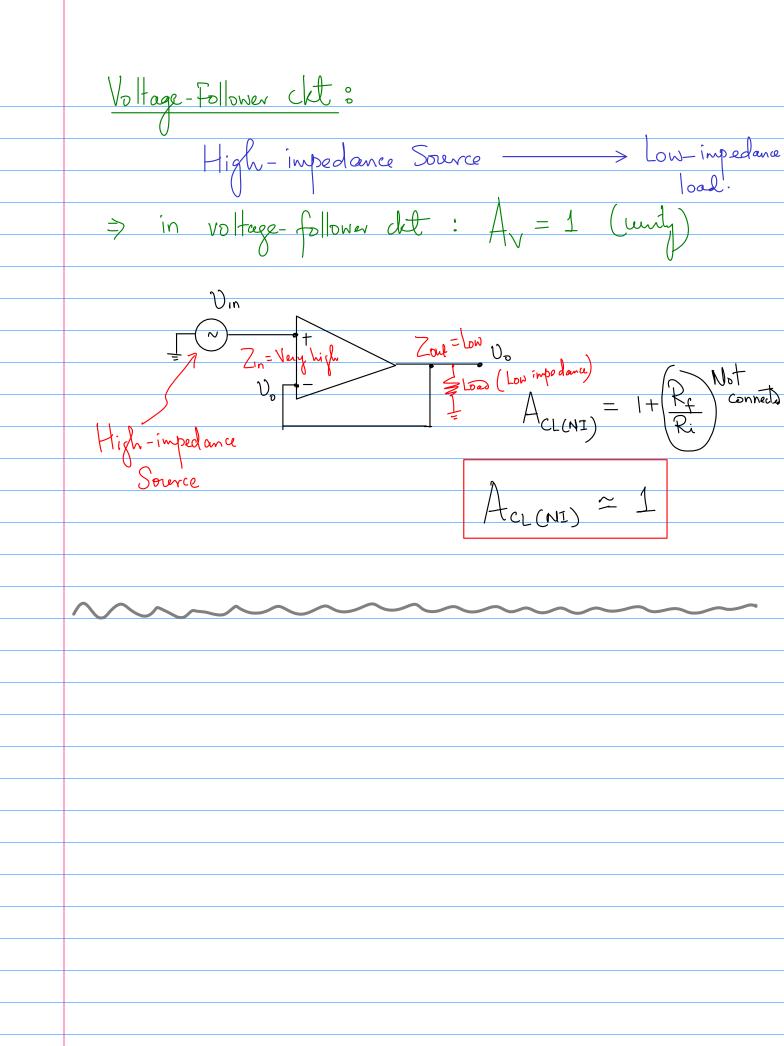
Span-loop

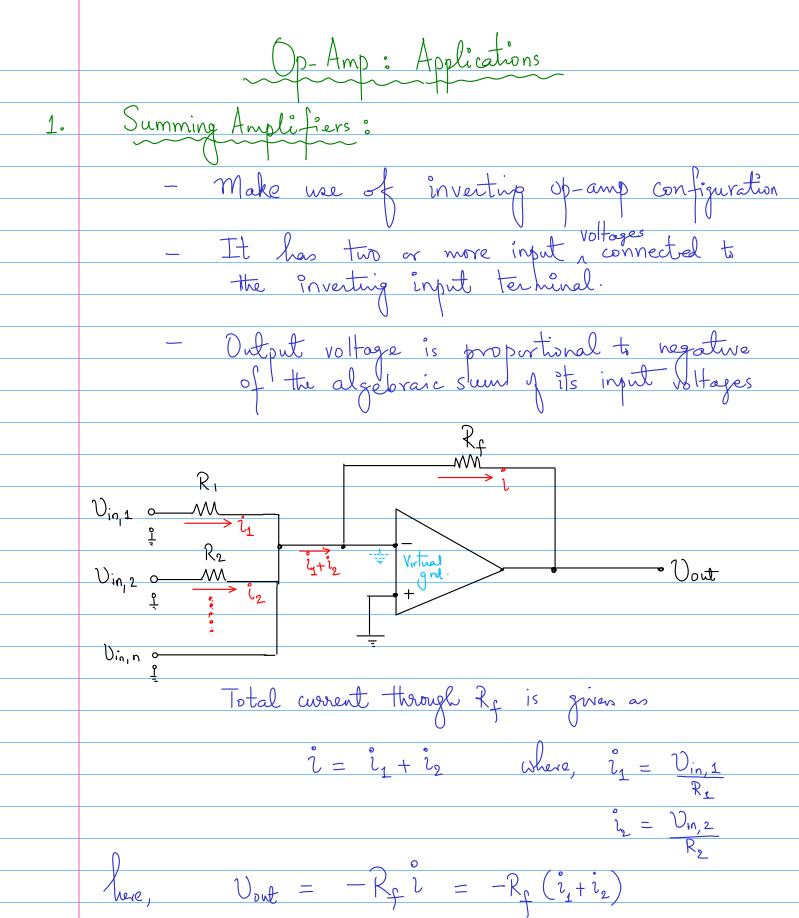
gain
                 Do = ADL' Daiff (input)
           Vo+ Aor. B.Vo = Aor. Din
            V_o (I + A_{ol}B) = A_{ol}V_m
                 1 - Aol
Din - 1 + Aol B
    \Rightarrow A_{CL(NE)} = \frac{V_o}{V_{iN}} = \frac{A_{oL}}{I + A_{oL}B}
      = AOL

ACL(NI) = AOL

1+ AOLB
```







$$\mathcal{V}_{\text{out}} = -\left[\frac{\mathcal{V}_{\text{in}1}}{R_1} + \frac{\mathcal{V}_{\text{in},2}}{R_2}\right] R_f$$

$$\mathcal{D}_{\text{out}} = -\frac{\mathcal{V}_{\text{in}_{1}}\left(\frac{\mathcal{R}_{\text{f}}}{\mathcal{R}_{1}}\right) + \mathcal{V}_{\text{in}_{1}^{2}}\left(\frac{\mathcal{R}_{\text{f}}}{\mathcal{R}_{2}}\right)}{\mathcal{R}_{2}}$$

$$R_1 = R_2 = R_f = R$$

Special Case:
$$R_1 = R_2 = R_f = R$$
 $V_{out} = -(V_{in_1 1} + V_{in_1 2})$

$$\mathcal{V}_{out} = - \left(\mathcal{V}_{in,1} + \mathcal{V}_{in,2} + \cdots + \mathcal{V}_{in,n} \right)$$

$$R_1 = R_2 = R_3 = - - - R_n = R$$

factor with which the sum of inputs is multiplied with.

(iii) Lets choose $\frac{R_f}{R} = \frac{1}{N}$ where 'n' is the number of input voltages. $\mathcal{D}_{out} = -\frac{1}{N} \left[\mathcal{V}_{in,1} + \mathcal{V}_{in,2} + \cdots + \mathcal{V}_{in,n} \right]$ Vout (ave.). -> Averaging Operation. (iv) Scaling Adder:

- Assigning different weights to each of the input
of the sluming amplifier. Integrator Circuit:

Integration of Vin (t) dt = Vin (t) dt + (Vin (t) dt = Vin (t) dt + (Vin (t) dt = Vin (t) dt = V Constant (writ't) = Ust Integration of input voltage, is a linear function of t'. Ideal Integrator Cht: C (Feedback Element) Din O World GND.

P Vinhal GND.

Dout I'm = Din = Constant Ic = Iin = Constant We know that the charge on the capacitor at any time?

in grien as $V_c = Q = (I_c)t$ $V_{C} = \left(\frac{I_{c}}{C}\right) + \left($

Now,
$$v_{\text{out}} = -v_{\text{c}} = -\left(\frac{v_{\text{c}}}{c}\right) + \frac{v_{\text{c}}}{c}$$

$$\mathcal{D}_{out} = -\left(\frac{\mathcal{D}_{in}}{RiC}\right) +$$

$$Y = Mx$$

$$M = -\frac{V_{i}}{Q_{i}Q_{i}}$$

