

Data Anomalies refers to data inconsistency:

- Due to data redundancy

- Improper database designing

Usually 3 types of anomalies:

1. Insertion

2. Deletion

3. Updation

<u>Sno</u>	<u>Cono</u>	<u>Sname</u>	<u>Address</u>	<u>Cname</u>
S21	9201	Jack	Patna	AI
S21	9267	Jack	Patna	DBDM
S24	9267	Sam	Coo	DBDM
S30	9201	Richa	Delhi	AI
S30	9322	Richa	Delhi	Meth

Updation Anomaly:

One or more instances of duplicated data is updated, but not all

For example, if S30 updates the address: need to update all instances to avoid updation anomaly

<u>Sno</u>	<u>cno</u>	<u>Sname</u>	<u>Address</u>	<u>Course</u>
S21	9201	Jack	Patna	AI
S21	9267	Jack	Patna	DBDM
S24	9267	Sam	Guat	DBDM
S30	9201	Richa	Delhi	AI
S30	9322	Richa	Delhi	Math

Consider, what happens if we want to remove the record of S30
cno: 9322 will be completely lost

Deletion Anomaly occurs when:

Certain attr. are lost due to deletion of other attributes

<u>Sno</u>	<u>Cno</u>	<u>Sname</u>	<u>Address</u>	<u>Course</u>
S21	9201	Jack	Patna	AI
S21	9267	Jack	Patna	DBDM
S24	9267	Sam	Crat	DBDM
S30	9201	Riche	Delhi	AI
S30	9322	Riche	Delhi	Math

~~S31 9444 X42 Kuma ML~~

Insertion anomaly occurs when

certain attr. can't be inserted into DB without presence of other attr.

For example, we can't add a new course unless we have at least ONE STUDENT ENROLLED on the course (provided NULL insertion is not allowed)

Normalization:

A process of organizing data in DB to avoid:
data redundancy,
ins, del, upd. anomalies

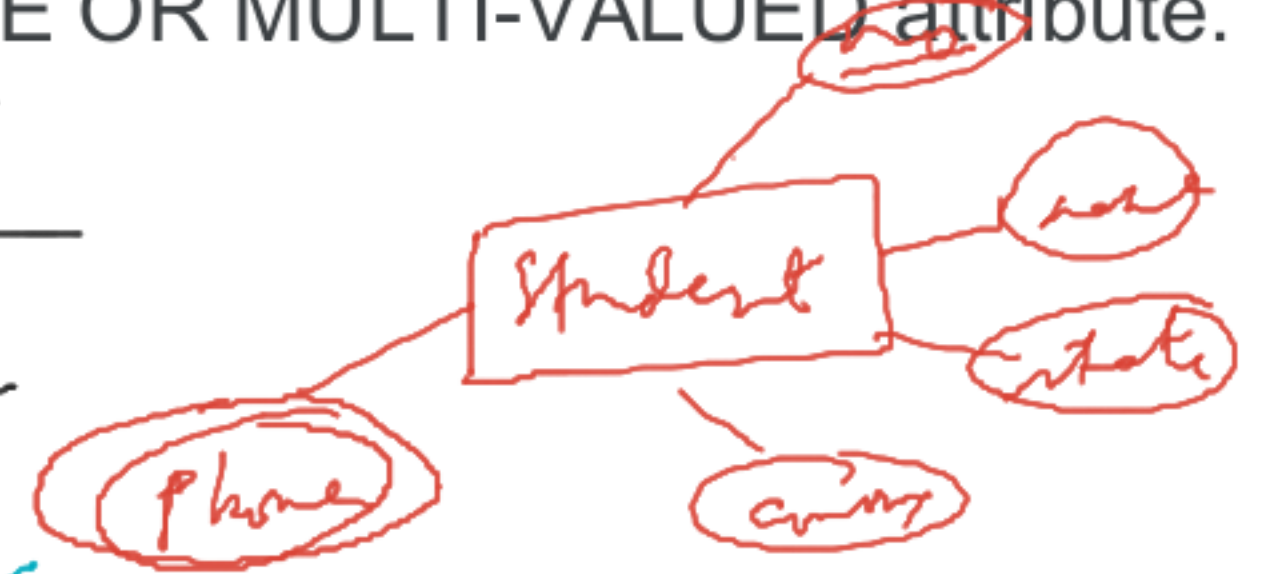
Helps to minimize the redundancy in relation

First Normal Form (1NF)

①

A relation is in 1NF if it ~~DOES NOT~~ contain any COMPOSITE OR MULTI-VALUED attribute.

No	name	Phone	state	Country
1	Ram	98740000, 7003721	Haryana	India
2	Ram	89104...	Bihar	India
3	Swetha	61003...	Punjab	India



not in 1NF
 $\{No\} : PK \rightarrow A$

A no	B name	C Phone	D state	E Country
1	Ram	9874	Hr	Ind
1	Ram	70037-	Hr	Ind
2	Ram	8910	Bihar	Ind
3	Swetha	61000	Punjab	Ind

$PK: \{no, Phone\}$
 $\rightarrow AC$

Student (no, name, phone, state, country)

γ (A, B, C, D, E)

P.K. : {no}

→ not in 1NF

since student can have multiple phones

PK : {no, phone}

② Break the relation in
Student (no, name, state, country)
StudentContact (no, phone)

no	name	state	country
1	Ram	—	—
2	Ram	—	—
3	Suresh	—	—

no	phone
1	—
2	—
3	—

Example

Partial Dependency (PD): If a non-prime attribute (i.e., an attr. which is not part of ANY C.K) is dependent on any proper subset of any CK of a relation, the dependency is called PD

$$\{cno\} \subset \{sid, cno\}$$

A rel. is in 2NF:

1. It is in 1NF

2. Rel. must NOT contain any PD.

or EVERY NON-PRIME (non-key) attribute is fully func. depen. on EACH PART OF CK ✓

CS (sid, cno, cname, marks)

S1	C1	DBMS	80
S1	C2	AI	70

|| P.K. = {sid, cno}

cno → cname

1. There is no MVA, ⇒ in 1NF

⇒ P.D.

2. P.D. found ⇒ not in 2NF

We need to add a new course:

without student info, we can't add new course



$r2, r3$ are in 1NF \therefore no MVA

$r2$ $\text{cno} \rightarrow \text{cname} \Rightarrow$ no P.D.

$r3$ $\{ \text{sid}, \text{cno} \} \rightarrow \text{marks} \Rightarrow$ no P.D.

\Rightarrow in 2NF

3NF

Transitive Dependency: If $A \rightarrow B$ and $B \rightarrow C$ are two FDs then $A \rightarrow C$ is TD (TD)

A relation is in 3NF

✓ 1) the relⁿ is in 2NF

✓ 2) the relⁿ must NOT contain any TD for non-prime attr. *

Every FD $\alpha \rightarrow \beta$ is in 3NF, it should satisfy either of the following

✓ 2.i) It is trivial dependency ($A \rightarrow A$)

✓ ii) α is a SK

✓ iii) β is a prime attribute (each element of β is part of some C.K)

with no. \rightarrow with no.

81 Student (no, name, state, country, age) | in 2NF
 (check)

FDs: $\{ R \rightarrow N, R \rightarrow S, R \rightarrow A, S \rightarrow C \}$

CU: $\{ R \}$

FD1: $R \rightarrow N$
 FD2: $R \rightarrow S$
 FD3: $R \rightarrow A$
 FD4: $S \rightarrow C$
 $\alpha \rightarrow \beta$
 γ_1
 γ_2
 γ_3

$R \rightarrow S$

$S \rightarrow C$

\Rightarrow T.D for non-prime attr.

C is tr. dep. on R

\Rightarrow not in 3NF

FD1: α is a S.K

FD2: "

FD3: "

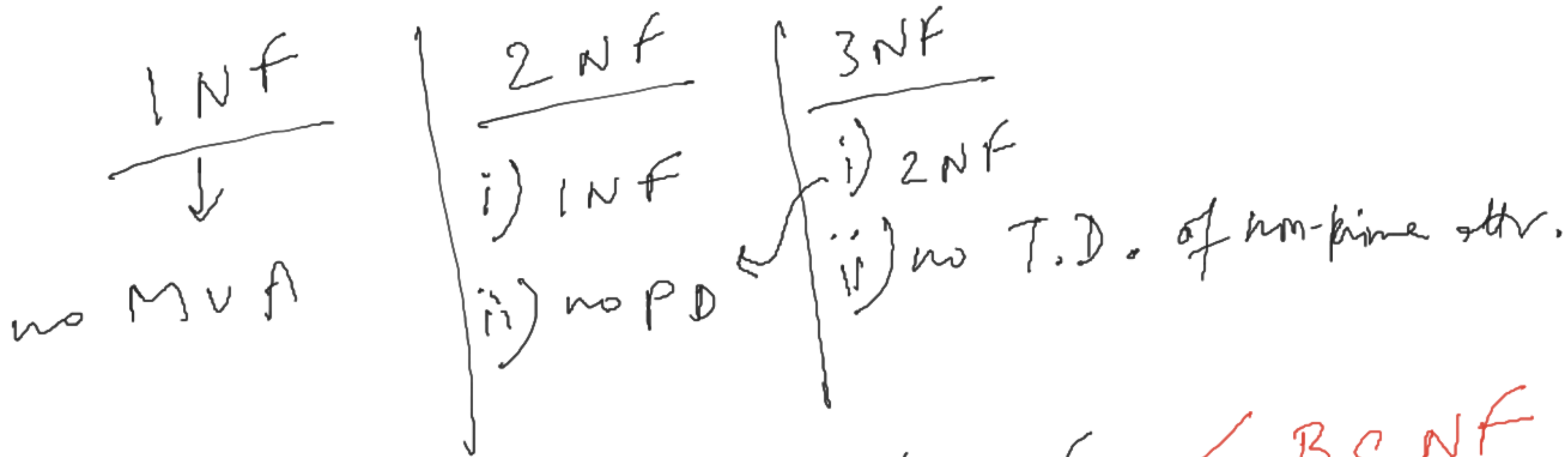
FD4:

not trivial dep.

α is not SK

β is not prime attr.

\Rightarrow not in 3NF



1NF < 2NF < 3NF < BCNF

Boyce Code Normal Form (BCNF)

- 1) in 3NF
- 2) Every FD $\alpha \rightarrow \beta$ in a relⁿ has to satisfy EITHER of the following
 - i) It is trivial dependency
 - ii) α is a S.K.

$R(S^{s}, C^{c}, T^{t}) \equiv R(S, C, T)$

Studentno. CourseNo TeacherNo

FDs: $\{SC \rightarrow T, T \rightarrow C\}$

key: $\{SC\}, \{ST\}$

1) R is in 3NF (checked)

2) i) α
ii)

$(SC)^+ = \{S, C, T\}$

~~$(ST)^+ = \{S, T, C\}$~~

$\alpha \rightarrow \beta$

$T \rightarrow C$

$\uparrow \uparrow$ not in BCNF

α is not S.K. \Rightarrow

Decomposition: To convert R into BCNF, we have to decompose R

The decomposition should be LOSSLESS.

$$\textcircled{1} R_1 = \{S, C\}, R_2 = \{C, T\}$$

$$\textcircled{2} R_3 = \{S, T\}, R_4 = \{T, C\}$$

OR

$$R(S, C, T)$$
$$FD \{ SC \rightarrow T, T \rightarrow C \}$$

$$C.K. = \{ SC, ST \}$$

H.W.

Dependency Preserving Decomposition:

A decomposition $\mathcal{D} = \{R_1, R_2, \dots, R_n\}$ of a relation R is dep. pres. w.r.t. a FD set F of R if $(F_1 \cup F_2 \cup \dots \cup F_n)^+ = F^+$, where F_i is FD set of R_i .

F^+ denotes closure of F , i.e., the set of all FDs can be derived from F

$$FD \supseteq F$$

example $R(A, B, C, D)$
 $FD_1: \{A \rightarrow B, C \rightarrow B, C \rightarrow D, B \rightarrow D\}$
The decomposition of R into $R_1(\underline{A, B})$, $\underline{R_2(B, C)}$, $\underline{R_3(B, D)}$.

$FD_1: \{A \rightarrow B\}$, $FD_2 = \{C \rightarrow B\}$, $FD_3 = \{B \rightarrow D\}$

$$(FD_1 \cup FD_2 \cup FD_3)^+ = \left\{ A \rightarrow B, \underbrace{C \rightarrow B, B \rightarrow D}_{C \rightarrow D} \right\} \\ = (FD)^+$$

Lossless decomposition (LLD)

A decomposition of R into R_1 and R_2 is LLD w.r.t. a FD set F of R if $R_1 \bowtie R_2 = R$.

In other words, $R_1 \cap R_2 \Rightarrow R_1$ ✓
or $R_1 \cap R_2 \Rightarrow R_2$ ✓

Example
 $R(A, B, C)$ has $F: \{A \rightarrow B, B \rightarrow C\}$

decomposition $R_1(A, B)$, $R_2(\underline{B}, C)$

$F_1: \{A \rightarrow B\}$, $F_2: \{B \rightarrow C\}$

$$R_1 \cap R_2 = \{B\} \Rightarrow R_2$$

\Rightarrow The decomp. is lossless

$B \rightarrow C$