A Book of Abstract Algebra | (2nd Edition)

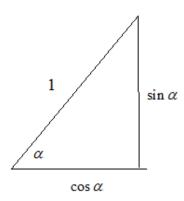
Chapter 30, Problem 4EC Problem An angle α is called constructible iff there exist constructible points A , B , and C such that $\angle LABC = \alpha$. Prove the following: $\cos (2\alpha) \in \mathbb{D}$ iff $\cos \alpha \in \mathbb{D}$. Step-by-step solution Step 1 of 3 Here, objective is to prove that $\cos 2\alpha \in D$, if and only if $\cos \alpha \in D$ Comment Step 2 of 3 Constructible point is the end point of given unit segment or it is intersection of two lines	Charles Charle
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	Comment
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determined by constructional points.	Step 2 of 3

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Comment

Step 3 of 3

Consider the below figure:



Consider $\cos \alpha \in D$, then the point $(\cos \alpha, 0)$ is constructible from $\{O, I\}$

$$\cos(2\alpha) = 2\cos^2\alpha - 1$$

If $\cos \alpha$ is constructible then $\cos 2\alpha$ is also constructible.

If $\cos 2\alpha$ is constructible then $\cos 2\alpha \in D$.

Therefore, $\cos(\alpha + \beta), \cos(\alpha - \beta) \in D$, if $\cos \alpha, \cos \beta \in D$.

Hence, proved

Comment

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