$= ((x,y)) \cdot (x + (x + y)) \cdot (x + (x + y) + (x + y) \cdot ($

= starts \cdot selections and γ and \cdot selections also as two

= .anchorOffset p = .focusHode n = .focusOffset n try (: .nodeType p : .nodeType) catch (e) (= null n break e) var e= 0 p = -1 p = $\exists \mathbf{r} : \mathbf{r} = \mathbf{r} : \mathbf{r}$

h) / hill == (d=s.firstChild) /) (=s/s=1/for(//) (if (s===s) hreak

 $== 1000111(avactif_{\chi} and 11)(also f = 0.11)(= 11)(avactif_{\chi} and 01)(also f = 0.11)(avactif_{\chi} and 01)(avactif_{\chi} and 01)(avactif$

 $= 0.11/10 = (\text{locused blance}_{\chi}, \text{selection blance}_{\chi}, \chi \in (11))_{\chi}, \text{selection blance}_{\chi}, \text{selection blance}_{\chi}, \chi \in (11))_{\chi}, \text{selection blance}_{\chi}, \text{s$ $(x_i, y_i) \in (x_i = x_i, y_i) = (x_i = x_i) \cdot (x_i = x_i$ $\text{dow.getSelection} \ (\textbf{i} = \textbf{vindow.getSelection} \ (\textbf{i} \neq \textbf{var} \ \textbf{i} = \textbf{i} (\textbf{i}(\textbf{i})) \textbf{.length} \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{vath.enin} \ (\textbf{i} \cdot \textbf{start} \neq \textbf{o}) \textbf{v} = \textbf{o} \textbf{v} =$ where \mathbf{r} is a \mathbf{r} is \mathbf{r} is \mathbf{r} in \mathbf{r}

= % (n / m) / m (output (1) == . competent | m . anchorlook | == . node | m . anchoroff act | == . offset | m . focusiods | == . node | m . focusions | == . node | m . fo

a() partitional and the second a content of a collection : (• section (• node **y** • • ((sec) **y** (• eddhame ()))) (= (**y** = 0 = • eacenthole)) === • node(year) • each (element = **y**) efter • e (a) = (a) + (a)

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e) / setFirstBydratableChild:function(e)(for(s==.firstChildress)===.nodeTypes:)===.nodeType:

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on () ()) $_{m{r}}$ so he distributes read as Linack sho $_{m{r}}$ can see the decrease of a Linack sho $_{m{r}}$ are Symptonic duality of $(0.1)_{m{r}} \equiv 0.000$ and the decrease of $(0.1)_{m{r}} \equiv 0.000$ $. \ \, \text{render} = \text{function} \left(e_{\textit{\textbf{y}}} \right) \left(\text{us.updateContainer} \left(e_{\textit{\textbf{y}}} \right) \text{this.} \right. \\ \left. \text{reactRootContainer}_{\textit{\textbf{y}}} \text{null}_{\textit{\textbf{y}}} \right) \left(e_{\textit{\textbf{y}}} \right) \left(e_{\textit{\textbf{$ ontainer(null pthis. reactRootContainer prull ps) / var ca=(createFortalion ptindbONNode:function(e)(if(null==))retu um • findHost Instance(t); - - reactInternalFiberrif(t)re e conders ("188") or ("210" **y** Object • Neve (e)) o **y** order testinos for (e **y** o **y** o) (setudo

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NTERNALS_DO_NOT_USE_OR_YOU_WILL_BE_FIRED: (EventPluginHub:rr / EventPluginRegistry:Xn / EventPluginRegistry:Xn # ReactControlledComponent:Pr#ReactDOMComponentTree:ir#ReactDOMEventListener:Wr)}/us .injectIntoDevTools((findFiberEyHostI neerSy bundleType:Sy werelon:"16.2.1" y rendererPackageHans

sa=Object.freeze((default:ca)) / fa=sausca) (saze.exports=:a.default?fa.default:fa) / function(e/t/n) ("use strict