

## Agenda

- Longest Substring Without Repeat
- First Non Repeating Element
- Check if there exists a subarray with sum = 0
- Check if there exists a subarray with sum = K

Q.

a b c a b c b b

abc  
bca  
cab  
abc

} 3

b b b b b = 1

p w w k e w = 3

Brute force:

$O(N^3)$

generate all substrings  $O(N^2)$

$O(N)$   $\left\{ \begin{array}{l} \rightarrow \text{check if all characters are unique} \\ \rightarrow \text{Keep track of length of longest} \end{array} \right.$

substring

5 mins

4

<sup>s.....</sup>  
a b c d b b c  
                    s

expand till  
repeat  
happens

b  
| a  
| b  
| c  
| d  
|

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16  
a b c d e a f g h i b j k l m n e  
                    ↑  
                    s

i  
~~f~~  
~~a~~  
j k  
c l  
d m  
e n  
a  
g  
h  
b

biggest possible length — <sup>index</sup> e → repeating char  
e - s

$$16 - 2 = 14$$

start = 0

end = 0

maxL = 0

str

hashset = empty set

```
while (end < N) {  
    while (end < N &&  
           hashset.search  
              (str.charAt(end)) ==  
              false) {  
        hashset.add(str.charAt(end))  
        end++  
    }  
}
```

}

mylen = end - start

if (mylen > maxL) { maxL = mylen }

if (end == N) break;

remove

from start

}

```
while (start != end &&  
      hashset.search(str.charAt(end)) == true) {  
    hashset.remove(str.charAt(start))  
    start++  
}
```

0 1 2 3 4 5 6 7  
 n a v d e e p

$$\text{mylen} = e - s = 5$$

$$e - s = \underline{2}$$

$$\underline{\underline{\text{maxL} = 5}}$$

e  
p

0 1 2 3 4 5 6 7 8 9 10  
 p i n a l j a k h a r

$$\text{mylen} = 6 - 0 = 6$$

$$\text{maxL} = 6$$

$$\text{I} \\ \underline{S == e}$$

$$s != e$$

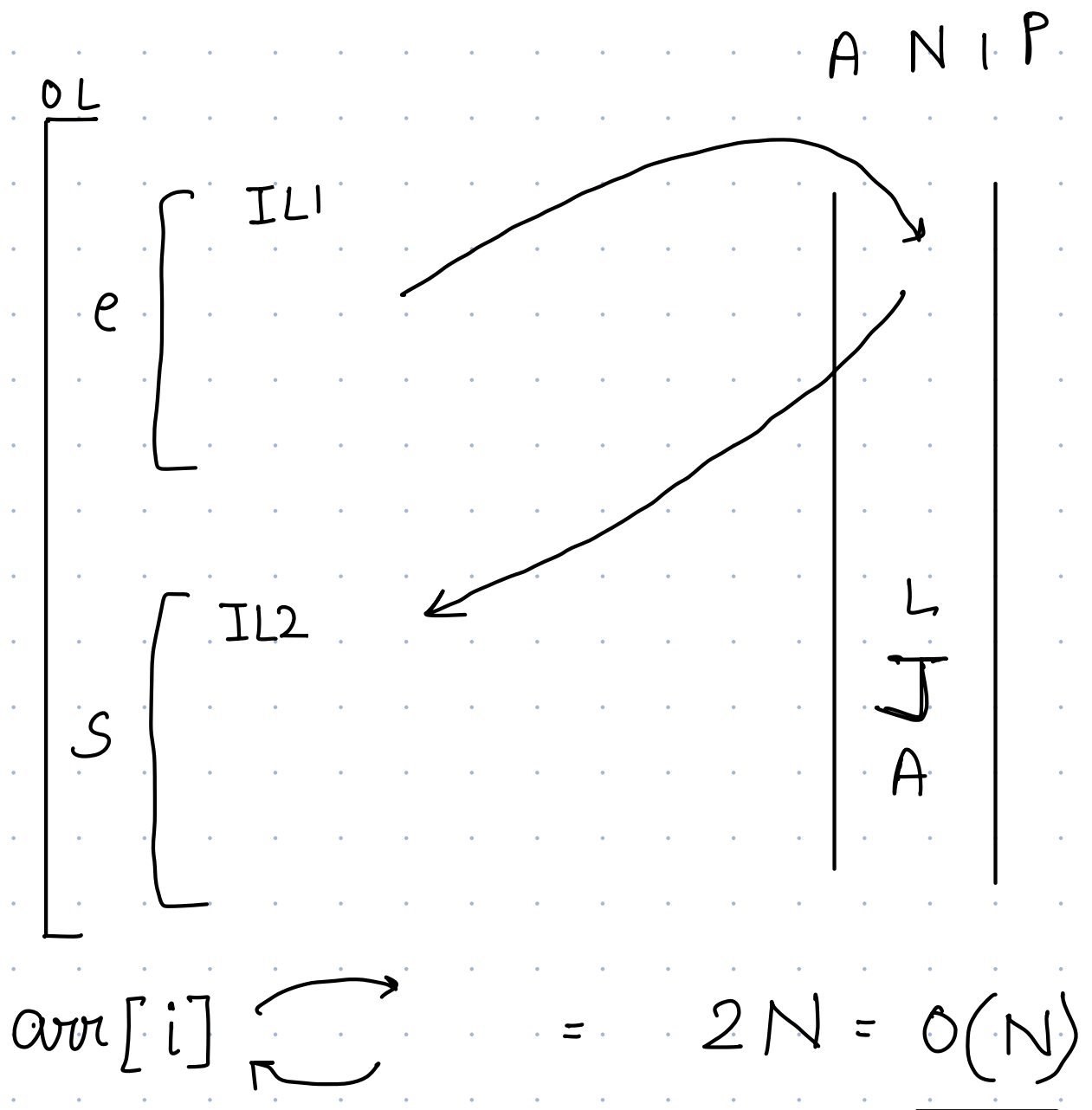
II

$$\text{hashset.search}(a) == \text{false}$$

$$\text{hs.search}(a) == \text{true}$$

l  
j

[expanding — window  
shrinking] ✓



Q2

1    2    3    1    2    5  
ans = 3

4    3    3    2    5    6    4    5  
ans = 2

arr = [ 2    6    8    4    7    2    9 ]  
ans

SI freq on map == 1  
No  
Yes == 1

elements are added in random order

8	1
6	1
4	1
2	2
7	1
9	1

S2: Iterate using array on hm  $\Rightarrow$  Yes == 1

## Problem Statement

Given an array of N elements, check if there exists a subarray with a sum equal to 0.

### Example

if subarray with sum = 0?

Input:

N = 10

2 2 1 -3 4 3 1 -2 -3 2 true

Output:

if we add elements from index 1 to 3, we get 0; therefore, the answer is **true**.

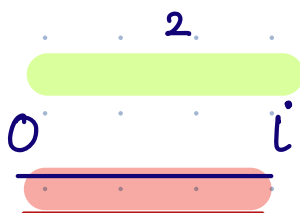
1)  $\Rightarrow$  N = 6  
2, 2, 1, -3, 4, 3 Yes

2) N = 6  
4 5 -6 -3 8 9 Yes

N = 6

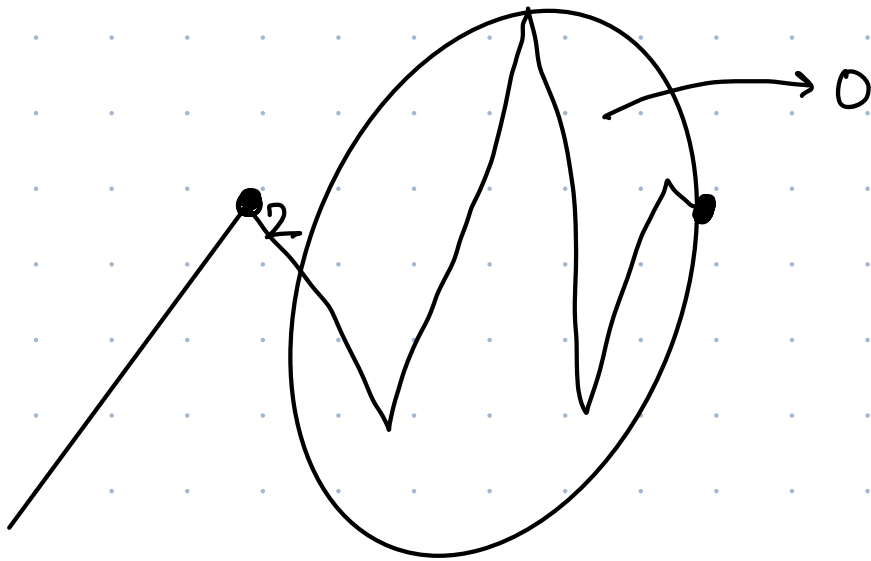
2, 2, 1, -3, 4, 3

2 4 5 2 6 9



$$ar[0] + ar[1] + ar[2] + ar[3] = 2 = psum[3]$$

$$ar[0] = 2 \quad psum[0]$$



$$j > i$$

$$0 - i = 0 - j$$

$$\underbrace{0 + 1 + 2 + \dots + i}_{\text{Sum } 0 \text{ to } i} = \underbrace{0 + 1 + 2 + \dots + i + \dots + j}_{\text{Sum } 0 \text{ to } j}$$

Sum  $i+1$  to  $j$

$\Rightarrow$  if psum value repeats, <sup>then</sup> yes  $\rightarrow$  subarray  
sum = 0

	$\alpha$			$\alpha$
psum[0]	psum[1]	psum[2]	psum[3]	psum[4]
0-0	0-1	0-2	0-3	0-4



$$\text{psum}[1] = \text{sum}(0 + 1)$$

$$= \text{psum}[4] = \text{sum}(0 + 1 + 2 + 3 + 4)$$

S1: find psum array

S2: keep on adding psum values in hashset  $\rightarrow$  if repetition comes return true.

$$\Rightarrow [-1, 1]$$

psum = -1, 0      repetition of psum  $\times$   
 $\hookrightarrow$  directly psum = 0

S1: find psum array

S1.1 = check if  $\text{psum}[i] == 0$  ✓  
return true

S2: keep on adding psum values  
in hashset → if repetition comes  
return true

return false .

## Problem Statement

Given an array  $arr[n]$  check if there exists a subarray with  $sum = K$

### Example:

We have the following array

Index 0 1 2 3 4 5 6 7 8

$arr[7] = \underline{2 \ 3 \ 9 \ -4 \ 1} \ 5 \ 6 \ 2 \ 5$

Check if  
it exists

Possible subarrays for the following values of  $K$  are,

- $k = 11$ :  $\{2 \ 3 \ 9 \ -4 \ 1\}$ ,  $\{5, 6\}$  Yes
- $k = 10$ :  $\{2 \ 3 \ 9 \ -4\}$  ✓ Yes
- $k = 15$ :  $\{-4, 1, 5, 6, 2, 5\} = 15$  Yes
- $k = 22$ :  $\{2 \ 3 \ 9 \ -4 \ 1 \ 5 \ 6\}$  Yes

$$0 = \text{psum}[R]$$

$$0 = \text{psum}[R] - \text{psum}[L-1]$$

$$K = \text{psum}[R]$$

$$K = \text{psum}[R] - \text{psum}[L-1]$$

$K = 11$

2 3 9 -4 1 5 6 2 5

$\underline{2} \quad \underline{5} \quad 14 \quad \underline{10} \quad \underline{11} \quad 16 \quad \underline{22} \quad 24 \quad 29$

$\text{pair} = 2 - K$   
 $= -9$

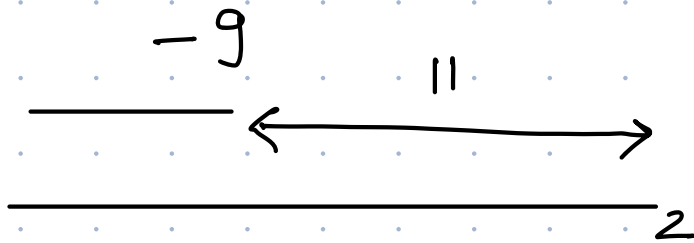
$5 - 11 = -6$   
 $14 - 11 = 3$   
 $10 - 11 = -1$   
 $11 - 11 = 0$   
 $16 - 11 = 5$

$5_K = \text{psum}[R] - \text{psum}[L-1]$

$\text{psum}[R] = K + \text{psum}[L-1]$

or  $\text{psum}[L-1] = \frac{\text{psum}[R] - K}{1}$

$= \frac{22 - 11}{1}$   
 $= 11$



Element traversal - one by one

psum[i]

pair psum[i] - K

Count  
arr = 2

3

9 -4 1 5

6

2

5

psum = 2

5

14

10

11

16

22

24

29

2-11

5-11

14-11

10-11

11-11

16-11

22-11

24-11

29-11

Pair -9

-6

3

-1

0

5

11

13

18

Count sub = K  
Sum

K=11

2 3 9 -4 1  
9 -4 1 5  
5 6

count = 0 + 1 + 1 + 1 +  
3

29	1
24	1
0	1
2	1
15	1
22	1
14	1
16	1
10	1

2

3

-5 -4

9

11

0 1 pair

2 = -9

5 = -6

0 -11

-4 -15

5 = -6

16 = 5

16 - 11 = 5

K = 11

2	1	16	11	5
5	2			
0	2			
-4	1			

2 pairs

11 [5-5]

-5 -4 3 11 [2-5]

$$\text{count} = \text{count} + \text{freq}[\text{pair}]$$

psum ✓

hm.add(0, 1)

for every psum value →

$$\text{pair} = \text{psum} - K$$

$$\text{count} = \text{count} + \text{freq}[\text{pair}]$$

$$\text{hm.add}(\text{psum}, \frac{\pm 1}{1})$$

return count