Assignment 4

Julia Haaf & Nicole Cruz

2025-08-26

Packages

```
library(tidyverse)  # Graphs with ggplot()
library(knitr)  # Tables with kable()
library(ggokabeito)  # colorblind friendly colors
library(viridis)  # colorblind friendly colors
library(brms)  # Hierarchical Bayesian models
library(rstan)  # Interface to Stan
library(shinystan)  # Model output graphs
library(bayesplot)  # Model output graphs

# General settings
options(mc.cores = parallel::detectCores())
rstan_options(auto_write = TRUE)
options(contrasts = c("contr.equalprior_pairs", "contr.poly"))
set.seed(1234)  # For reproducibility
```

Preparation

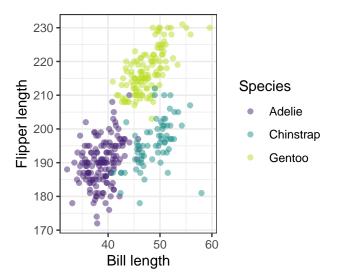
Data: penguins head(penguins)

##	species	island	bill_len	bill_dep	flipper_len	body_mass	sex	year
## 1	Adelie	Torgersen	39.1	18.7	181	3750	male	2007
## 2	Adelie	Torgersen	39.5	17.4	186	3800	${\tt female}$	2007
## 3	Adelie	Torgersen	40.3	18.0	195	3250	${\tt female}$	2007
## 4	Adelie	Torgersen	NA	NA	NA	NA	<na></na>	2007
## 5	Adelie	Torgersen	36.7	19.3	193	3450	female	2007
## 6	Adelie	Torgersen	39.3	20.6	190	3650	male	2007

The data consist of several measurements of penguins of the Palmer archipel in Antarctica.

Variable	Description
species	Factor: Adelie, Chinstrap, Gentoo
island	Factor: Biscoe, Dream, Torgensen
bill_len	Numeric: Mean = 43.91 , range $[32.10, 59.6]$
bill_dep	Numeric: Mean = 17.15 , range $[13.10, 21.5]$
flipper_len	Numeric: Mean = 200.9 , range [172, 231]
body_mass	Numeric: Mean = 4202 , range [2700, 6300]
sex	Factor: female, male
year	Numeric: 2007, 2008, 2009

```
g1 <- ggplot(penguins, aes(x = bill_len, y = flipper_len, color = species))+
  geom_point(alpha = .5)+
  scale_color_viridis_d(begin = .1, end = .9)+
  labs(x = "Bill length", y = "Flipper length", color = "Species")+
  theme_bw()
g1</pre>
```



Excercise 1

Analyse the penguins dataset to investigate the hypothesis that flipper length is influenced by bill length and / or bill depth. Do so following a series of steps in the Bayesian workflow:

- 1. Translate the hypothesis into a Bayesian mathematical model. What is the general structure of this model?
- 2. Define prior distributions for the model.
- 3. Conduct prior predictive checks.
- 4. Apply the model to the data with brm(). What convergence parameters would you to look at? Briefly interpet the output.
- 5. Plot the posterior densities for the parameters and compute their credible intervals.
- 6. Define two alternative models and compare them to your initial model via Bayes factors. Briefly interpret the results.
- 7. Conduct posterior predictive checks.
- 8. Consider the evidence for your model as a whole after applying it to the data. What implications do the outcomes have for the hypothesis, if any? What can we learn from the analysis results?