## McMasterPandemic: getting started

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4 Abstract

McMasterPandemic is an R package that provides tools for simulating and forecasting infectious disease outbreaks, using compartmental epidemic models. The primary mechanistic framework is a susceptible-exposed-infectious-removed (SEIR) model, with additional compartments for individuals in acute and intensive care units in hospitals.

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19	1	Installation	

Use remotes::install\_github("bbolker/McMasterPandemic") to install the latest version of the package.

#### library(McMasterPandemic)

In this vignette we'll also use some other packages:

```
library(ggplot2); theme_set(theme_bw())
library(cowplot)
```

#### 2 Data requirements

Parameters To run simulations, a few parameter values must be specified. Set these by editing the example params file, which is converted to a params\_pansim object by read\_params(). In the example, the time unit is assumed to be days.

The term "in acute care" means "in hospital but not in the intensive care unit (ICU)".

```
params1 <- read_params("ICU1.csv")</pre>
```

- (by default read\_params looks first in the working directory for CSV files, then in the params directory installed with the package (system.file("params", package="McMasterPandemic")).
- All the built-in parameter files can be found as follows:

If you want to edit one of these files, you need to copy it to your working directory first. To find the full path to ICU1.csv, for example, use:

```
system.file("params/ICU1.csv", package="McMasterPandemic")
#> [1] "/Users/runner/work/_temp/Library/McMasterPandemic/params/ICU1.csv"
```

If p is a parameter set (e.g., the result of read\_params), then print(p, describe=TRUE) or, equivalently, describe\_params(p) will return a data frame with a column giving the meaning of each parameter.

```
knitr::kable(describe_params(params1))
```

symbol	value	meaning		
beta0	1	Baseline (non-intervention) transmission across categories		
Ca	0.667	relative asymptomatic transmission (or contact)		
Ср	1	relative presymptomatic transmission (or contact)		
Cm	1	relative mildly symptomatic transmission (or contact)		
Cs	1	relative severely symptomatic transmission (or contact)		
alpha	0.333	Fraction of cases asymptomatic		
sigma	0.192	1/time in exposed class		
gamma_a	0.143	1/time for asymptomatic recovery		
gamma_m	0.143	1/time for mildly symptomatic recovery		
gamma_s	0.175	1/time for severely symptomatic transition to hospital/death		
gamma_p	2	1/time in pre-symptomatic class		
rho	0.1	1/time in hospital (acute care)		
delta	0	Fraction of acute-care cases that are fatal		
mu	0.956	Fraction of symptomatic cases that are mild (or moderate)		
N	1e+06	Population size		
E0	5	Initial number exposed		
nonhosp_mort	0	probability of mortality without hospitalization		
iso_m	0	Relative self-isolation/distancing of mild cases		
iso_s	0	Relative self-isolation/distancing of severe cases		
phi1	0.76	Fraction of hospital cases to acute care		
phi2	0.5	Fraction of ICU cases dying		
psi1	0.05	Rate of ICU back to acute care		
psi2	0.125	Rate of ICU to death		
psi3	0.2	Rate of post-ICU to discharge		
c_prop	0.1	fraction of incidence reported as positive tests		
c_delay_mean	11	average delay between incidence and test report		
c_delay_cv	0.25	coefficient of variation of testing delay		
proc_disp	0	dispersion parameter for process error (0=demog stoch only)		
zeta	0	phenomenological heterogeneity parameter		

The summary method for params\_pansim objects returns the initial exponential growth rate  $(r_0)$ , the doubling time  $(\log 2/r_0)$ , the mean generation interval  $(\overline{G})$ , and the basic reproduction number

$$\mathcal{R}_0 = \beta_0 \left\{ \alpha \frac{C_{\rm a}}{\gamma_{\rm a}} + (1-\alpha) \left[ \frac{C_{\rm p}}{\gamma_{\rm p}} + \mu (1-\mathrm{iso_m}) \frac{C_{\rm m}}{\gamma_{\rm m}} + (1-\mu) (1-\mathrm{iso_s}) \frac{C_{\rm s}}{\gamma_{\rm s}} \right] \right\} \,. \label{eq:R0}$$

knitr::kable(round(t(summary(params1)),2))

r0	R0	Gbar	CFR_gen	dbl_time
0.23	6.52	12.19	0.04	3.04

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The components of  $\mathcal{R}_0$  (the reproduction number associated with each infectious compartment) can also be extracted.

```
knitr::kable(round(t(get_R0(params1, components=TRUE)),2))
```

asymptomatic	pre-symptomatic	mild	severe
1.56	0.33	4.46	0.17

- Initial conditions The initial state must also be set, but it is sufficient to specify the
- parameter set (a params\_pansim object), in which case the population size and initially ex-
- posed population will be taken from the parameters (in this case all non-exposed individuals
- are assumed to be susceptible).

```
state1 <- make_state(params=params1)</pre>
```

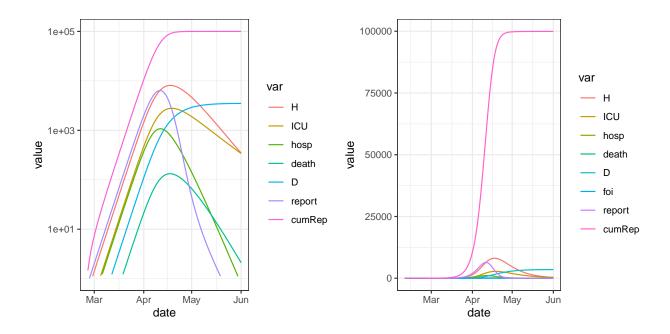
- Start and end dates Dates on which the simulation starts and ends must be stated. If
- there are no observations that you are aiming to match, then these dates are arbitrary and
- only the length of time matters.

```
sdate <- "2020-02-10"
edate <- "2020-06-01"
```

#### 51 3 Running a simulation

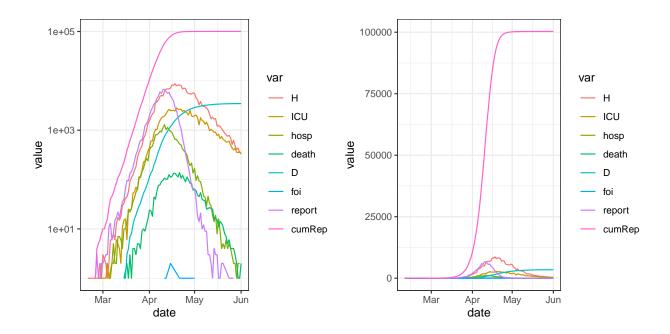
- A simple deterministic simulation is run as follows, and returns a pansim object. The
- summary method computes the times and magnitudes of peak demands on acute care (H)
- and intenstive care (ICU), and the basic reproduction number  $\mathcal{R}_0$ .

The plot method for pansim objects returns a ggplot object, optionally on a log scale.



#### 3.1 Stochasticity

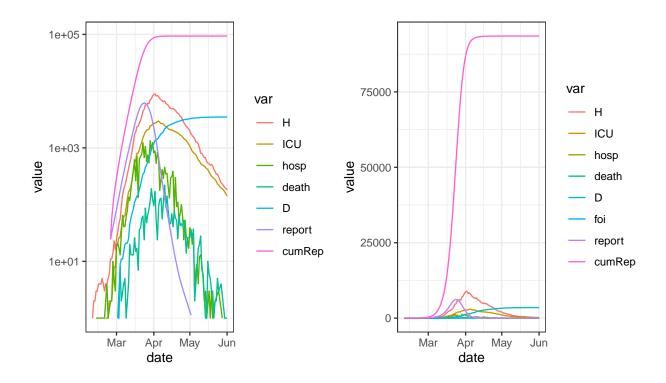
The effects of observation error are easy to explore with the stoch argument to run\_sim. The obs\_disp parameter is the dispersion parameter for a negative binomial (if the mean and variance are  $\mu$  and  $\sigma^2$ , respectively, then  $\sigma^2 = \mu + \frac{\mu^2}{\text{obs\_disp}}$ ).



To simulate with process error, use stoch=c(..., proc=TRUE). By default, this simulates only demographic stochasticity, which has little effect in a large epidemic.

Making proc\_disp positive simulates with additional process noise:

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Technical note. Demographic noise is included by calculating probabilities from the rates and then drawing a multinomial sample to determine how many individuals move from one compartment to each of the others. With pure demographic noise, the CV is very small with only  $\sim 1000$  individuals moving among compartments. Process dispersion (proc\_disp; "overdispersed demographic stochasticity") is implemented using pomp::reulermultinom, which adds gamma white noise to the event rates. For some discussion of this, see p. 274 and Appendix A of the "plug-and-play" paper by He et al. (2010, J. R. Soc. Interface 7, 271–283, doi:10.1098/rsif.2009.0151. [DE: The intensity of the gamma white noise process (proc\_disp) has units (cf.  $\sigma_{SE}$  in He et al.); it would be easier to think about the cofficient of variation (CV) rather than standard deviation (sd).]

[DE: Notes scribbled from discussion with BB: To get CIs on a forecast, we could hack by adjusting proc\_disp until getting CIs that are plausibly wide; estimating this number is a can of worms. A slighty more principaled way to decide on that number: fit params, then run sims with different combinations of obs and proc noise that yield noise like in the data: then infer how observed noise is divided btw proc and measurement error.]

[**DE:** DC commented on 19 Apr 2020 ('MP updates' thread): "5/ I have had the same question for a while regarding noise amplitude... I usually look at the variance of the data as a guidance, but never did anything formal. 6/ I often find myself starting with MCMC, just to give it up for ABC or something else a few days/weeks down the road because I end up spending way too much time in trying to fix more or less technical issues regarding convergence (I use Stan nearly all the time, maybe that's why...)."]

#### 3.2 Time-dependent transmission rate

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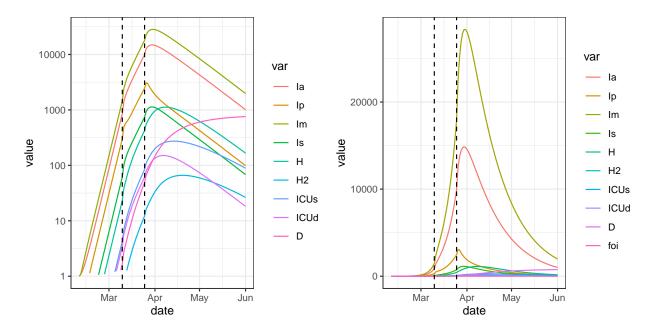
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Implementing known changes in transmission rate (e.g., resulting from social distancing measures) is straighforward via the time\_pars argument. The following reduces  $\beta_0$  (and hence  $\mathcal{R}_0$ ) to 50% of its original value on 10 March 2020, and to 10% of its original value on 25 March 2020.

Setting ndt=20 forces 20 intermediate time steps to occur between each saved step. (Try it with ndt=1 to see why this is a good idea.)

Setting condense=FALSE retains all variables in the output, rather than collapsing into a single I class etc.



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#### 4 Changing parameters

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Some parameters you might wish to change are not directly available in the parameter file. Instead, you can adjust them using fix\_pars(). For example, if you would like to change the default value of  $\mathcal{R}_0$  implied in the parameter list params1 you can do the following.

```
print(summary(params1))
#>
           r0
                       R0
                                 Gbar
                                          CFR_gen
                                                     dbl_time
                                        0.0352000
    0.2278149
                6.5180089 12.1897402
                                                   3.0425898
## Change RO to 2
newparams1 <- fix_pars(params1, target=c(R0=2))</pre>
print(summary(newparams1))
#>
             r0
                          RO
                                    Gbar
                                              CFR_gen
                                                          dbl_time
    0.06649208
                 2.00002038 12.18974018
                                          0.03520000 10.42450796
```

[DE: See refactor.Rmd for functions not yet described here.]

#### 5 Calibration

In a typical epidemic forecasting application, we have imperfect information about the parameters and a time series of reported events (e.g., cases, hospitalizations, deaths, etc.). Our goal is to predict the future course of the outbreak, and to determine how it will differ under various intervention scenarios.

The natural approach is to find a set of parameters that lies within the estimated constraints and best fits the observed part of the epidemic. This is referred to as "calibrating" the model to the data.

Unsurprisingly, there is a function calibrate() for doing just this.

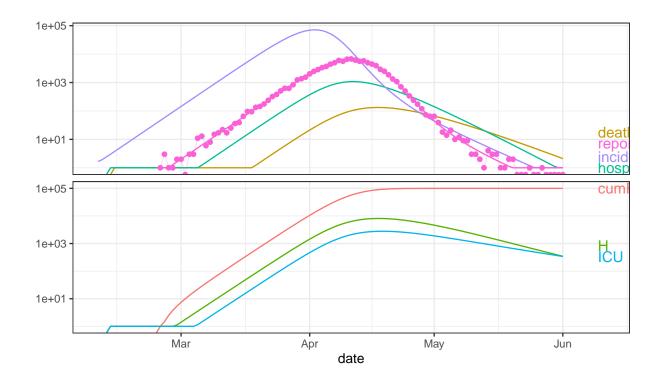
Imagine that the simulated data saved in **res1obs** were the observed data to which want to fit the model. We can calibrate to these data as follows.

Note that calibrate() requires the data come in "long form", which means that for each date on which we have data, there are separate rows for each type of data (report, death, hospitalization, etc). This is in contrast to "wide form", for which there is one row for each date, and separate columns for each observed variable.

[DE: I am not supressing warnings so users aren't alarmed when they see these warnings themselves. We should, of course, consider revisions that either avoid warnings or explain clearly to the user how to resolve them.]

```
library(dplyr)
```

```
## pull out only the reported cases and convert to long form:
report_data <- (res1obs
    %>% mutate(value=round(report), var="report")
    %>% select(date, value, var)
    %>% na.omit()
head(report_data)
#>
           date value
                         var
#> 16 2020-02-25 1 report
                  3 report
#> 17 2020-02-26
#> 18 2020-02-27
                  1 report
#> 21 2020-03-01
                    2 report
## beta0 is the only parameter we're going to optimize:
opt_pars <- list(time_params = c(value=0.1))</pre>
## fit beta0 based on the report data:
fitted.mod <- calibrate(</pre>
   data = report_data
  , start_date = sdate
  , time_args = list(break_dates = NULL)
  , base_params = params1obs
  , opt_pars = opt_pars
  ##, debug_plot = TRUE # instructive plotting during optimization
)
## plot the resulting fit
plot(fitted.mod, data=report_data)
```



```
## spit out fitted parameters (in this case, just beta0)
coef(fitted.mod, "fitted")

#> $time_params
#> value
#> 0.1
```

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That worked well, given that the value of beta0 used for the simulation was 1. You might want to try running the above interactive without commenting out "debug\_plot = TRUE". This will allow you to see the process of fitting the model to the data. Note, however, that this instructive visualization of the optimization process will slow down the optimization by an order of magnitude.

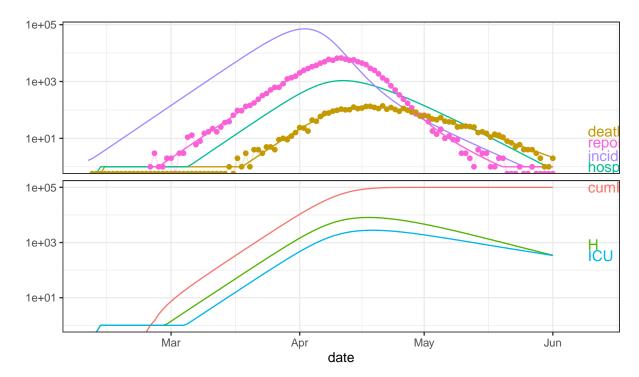
Let's now now try to fit the model to both reports and deaths. It is easiest to create the required long-form data frame using the pivot\_longer function in the tidyr package.

```
library(tidyr)
```

```
report_death_data <- (res1obs</pre>
    %>% select(date, report, death)
    %>% pivot_longer(names_to = "var", -date)
    %>% mutate(value=round(value))
    %>% na.omit()
head(report_death_data, n=12)
#> # A tibble: 12 x 3
#>
     date
               var
                       value
#>
               <chr> <dbl>
      <date>
#> 1 2020-02-11 death
#> 2 2020-02-12 death
                           0
#> 3 2020-02-13 death
#> 4 2020-02-14 death
#> 5 2020-02-15 death
                           0
#> 6 2020-02-16 death
                           0
#> 7 2020-02-17 death
#> 8 2020-02-18 death
#> 9 2020-02-19 death
                           0
#> 10 2020-02-20 death
                           0
#> 11 2020-02-21 death
                           ()
#> 12 2020-02-22 death
```

Now let's fit to both reports and deaths.

```
## beta0 is the only parameter we're going to optimize:
opt_pars <- list(params = c(beta0=0.1))
fitted.mod <- calibrate(
    data = report_death_data
, start_date = sdate
    ## skip breaks that are present by default:
, time_args = list(break_dates = NULL)
, base_params = params1obs
, opt_pars = opt_pars
##, debug_plot = TRUE # instructive plotting during optimization
)
plot(fitted.mod, data=report_death_data)</pre>
```

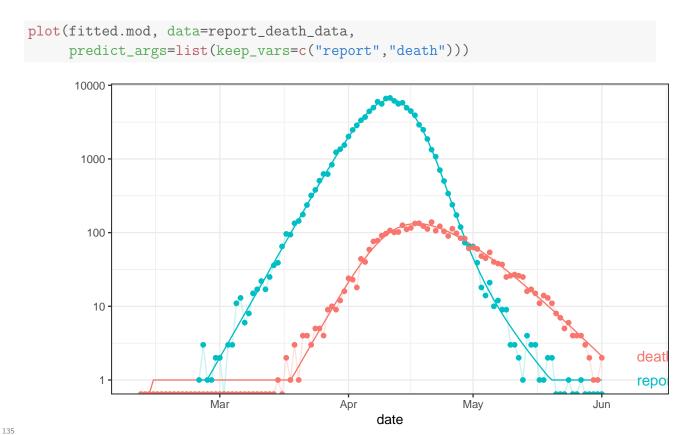


If you wish, you can plot just the data being fitted, and the fitted model, via:

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That fit looks remarkably good. Let's see how good:

```
coef(fitted.mod, "fitted") # spit out fitted parameters

#> $params
#> beta0
#> 1

summary(coef(fitted.mod))

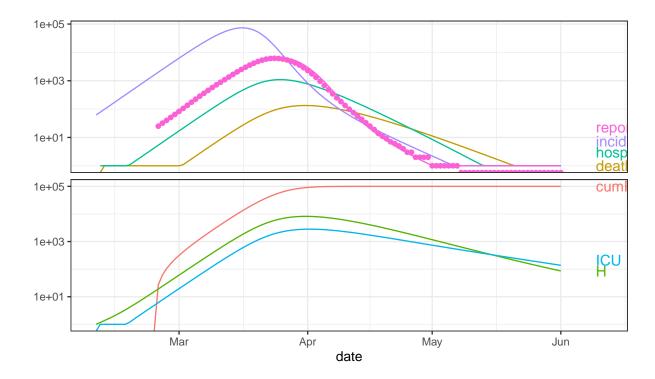
#> r0 R0 Gbar CFR_gen dbl_time
#> 0.2278149 6.5180089 12.1897402 0.0352000 3.0425898
```

Amazing: our fitted beta0 is exactly the value used in the simulation that generated the data. Note that in the summary at the end, r0 refers to the initial exponential growth rate from the fitted model. This provides an alternative to the epigrowthfit package for fitting epidemic growth rates.

Finally, consider the case where we have both observation and process noise. Fitting to these data won't do as well, because calibrate() does not have a way of fitting to process noise. Consequently, the quality of our fit can be expected to be worse. Of course, real data always contain process noise...

```
report_data <- (res1proc2
    %>% mutate(value=round(report), var="report")
    %>% select(date, value, var)
    %>% na.omit()
)

## beta0 is the only parameter we're going to optimize:
opt_pars <- list(params = c(beta0=0.1))
fitted.mod <- calibrate(
    data = report_data
    , start_date = sdate
    , time_args = list(break_dates = NULL)
    , base_params = params1proc2
    , opt_pars = opt_pars
    ##, debug_plot = TRUE # instructive plotting during optimization
)
plot(fitted.mod, data=report_data)</pre>
```



```
coef(fitted.mod, "fitted") # spit out fitted parameters

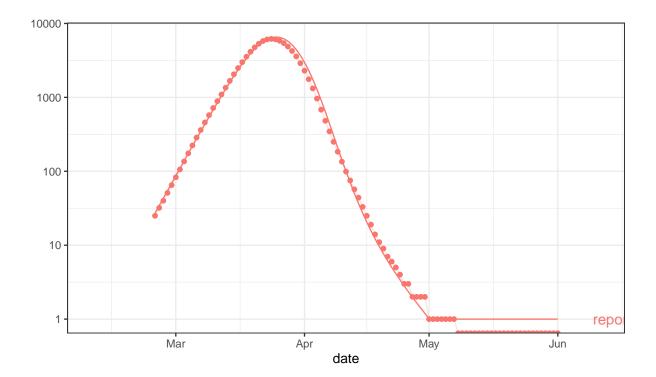
#> $params
#> beta0
#> 1.0325

summary(coef(fitted.mod,"all"))

#> r0 R0 Gbar CFR_gen dbl_time
#> 0.2332004 6.7298442 12.1897402 0.0352000 2.9723236
```

As above, you can plot just the data being fitted, and the fitted model, via:

```
plot(fitted.mod, data=report_data, predict_args=list(keep_vars="report"))
```



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#### 5.1 Troubleshooting calibrations

If you find that the fitted model trajectory is peculiarly jagged, the likely culprit is the time step. In this case, increase the number of internal time steps per time step (ndt), via adding sim\_args to your calibrate() call, e.g. sim\_args = list(ndt=2).

You may need to experiment with ndt to get a smooth result.

### 6 Scenario exploration

Typically, after calibrating to observed data, you are likely to be interested in forecasting what might happen in the future, under various scenarios of possible changes in control measures/policies. Here, we give an example involving changing the transmission rate  $(\beta)$  in the future.

First we load some data manipulation packages for convenience.

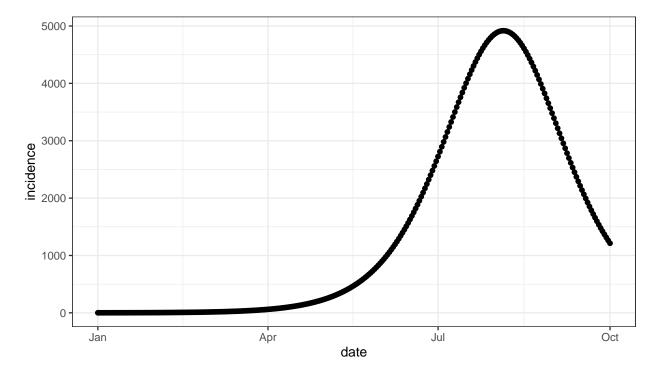
```
library(zoo)
library(tidyverse)
```

Now we modify the run\_sim example (Section 3). We first check that setting Relative\_value=1 and using non-timevar run\_sim yield the same results.

```
params <- read_params("ICU1.csv")</pre>
```

```
pp <- fix_pars(params, target = c(R0 = 1.3, Gbar=6))
state <- make_state(params=pp)
startdate <- as.Date("2020-01-01")
enddate <- as.Date("2020-10-01")</pre>
```

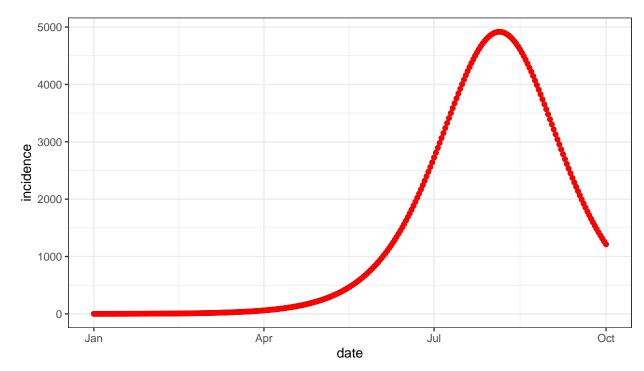
This is checking if we can get the same thing if we don't add stoch:



We want a dataframe that includes the time varying relative  $\beta$  at each saved time point. If relative  $\beta$  is constant though time, it should give back the same trajectory.

```
time_pars <- data.frame(Date=as.Date(startdate:enddate)
    , Symbol="beta0"
    , Relative_value=1
)
    # , stringsAsFactors=FALSE)</pre>
```

This fits a timevar dataframe where beta0=1:



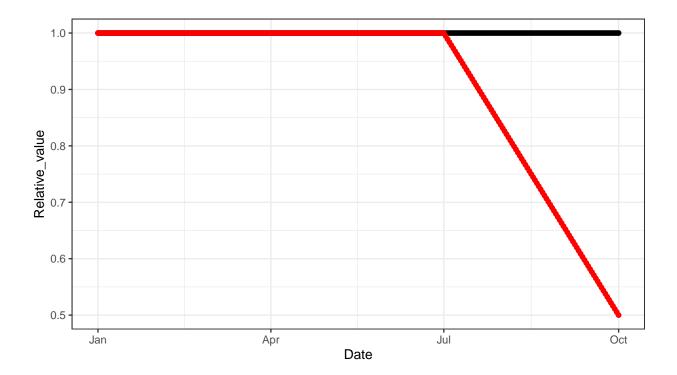
Now, as an example, we set relative  $\beta$  to drop by a factor of 2 (linearly) between 1 July 2020 and 1 Oct 2020.

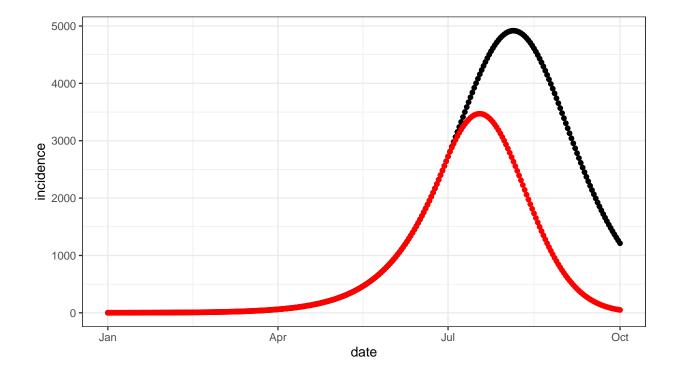
```
lockdown <- as.Date("2020-07-01")</pre>
```

```
time_pars2 <-
   data.frame(Date=as.Date(startdate:enddate)
             , Symbol="beta0"
             , Relative_value =
                   c(rep(1, length(startdate:lockdown)-1)
                   , seq(1,0.5,length.out = length(lockdown:enddate))
##print(time_pars2)
head(time_pars2)
#>
          Date Symbol Relative_value
#> 1 2020-01-01 beta0
                                    1
#> 2 2020-01-02 beta0
                                    1
#> 3 2020-01-03 beta0
                                    1
#> 4 2020-01-04 beta0
                                    1
#> 5 2020-01-05 beta0
                                    1
#> 6 2020-01-06 beta0
```

We can now look at the relative value of  $\beta$  in each scenario, and the corresponding forecasted epidemic curves.

```
print(gg_rel_beta)
```





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