



Classification of motor vehicle crash injury severity: A hybrid approach for imbalanced data



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ABSTRACT

This study aims to classify the injury severity in motor-vehicle crashes with both high accuracy and sensitivity rates. The dataset used in this study contains 297,113 vehicle crashes, obtained from the Michigan Traffic Crash Facts (MTCF) dataset, from 2016–2017. Similar to any other crash dataset, different accident severity classes are not equally represented in MTCF. To account for the imbalanced classes, several techniques have been used, including under-sampling and over-sampling. Using five classification learning models (i.e., Logistic regression, Decision tree, Neural network, Gradient boosting model, and Naïve Bayes classifier), we classify the levels of injury severity and attempt to improve the classification performance by two training-testing methods including Bootstrap aggregation (or bagging) and majority voting. Furthermore, due to the imbalance present in the dataset, we use the geometric mean (G-mean) to evaluate the classification performance. We show that the classification performance is the highest when bagging is used with decision trees, with over-sampling treatment for imbalanced data. The effect of treatments for the imbalanced data is maximized when under-sampling is combined with bagging. In addition to the original five classes of injury severity in the MTCF dataset, we consider two additional classification problems, one with two classes and the other with three classes, to (1) investigate the impact of the number of classes on the performance of classification models, and (2) enable comparing our results with the literature.

1. Introduction

According to the National Highway Traffic Safety Administration Research Note, motor-vehicle crashes in 2015 led to 35,092 fatalities in the United States, an increase of 7.2% from 2014 (National Center for Statistics and Analysis, 2015). A crash analysis report published in the U.S. Department of Transportation indicates that the total economic cost of motor vehicle crashes occurred in 2010 was more than \$200 billion, including the costs due to approximately 33,000 fatalities, 3.9 million non-fatal injuries, and 24 million damaged vehicles (Blincoe et al., 2015). About 31 percent of the total economic costs were in form of property damage costs, while 10 percent of the total costs were in medical costs. Based on these statistics, a better understanding of the relationship between crash risk factors and the injury severity can help enhance driving safety, curb the economic impact of crashes, and reduce the number of fatal crashes.

In classifying crash injury severity, the classification power of a model cannot be simply captured by its correct classification rate.

Accident severity datasets are typically imbalanced, with the non-fatal class containing disproportionately more data points compared to the fatal class. If untreated, such a structure could lead to training models that look promising on the outside with high accuracy rates (the accuracy is defined as the ability of the model to correctly predict accident severity classes on a test set; see Eq. (1)), but fail to be informative in reality. An extreme example of a weak model is a trivial model that predicts all accidents to be non-fatal, in a 2-class problem with fatal and non-fatal classes. Such a model would have a very high accuracy rate, while the value of a crash classification model lies mostly on correct classifications of higher severity classes (e.g., fatal crashes), typically referred to as “sensitivity” (i.e., the ability of the model to correctly classify the severity level as ‘fatal’ (Farchi et al., 2007; Parikh et al., 2008; see Eq. (2)). On the other hand, a model that classifies all accidents as fatal would produce a high sensitivity, but a low accuracy score. Hence, there is a clear trade-off between accuracy and sensitivity scores of crash severity models that can only be resolved through appropriate handling of imbalanced data. This imbalanced data structure,

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Table 1
Confusion Matrix and the Four Measurements for 2-Class Classification.

| | Predicted Positive (fatal) | Predicted Negative (non-fatal) |
|--------------------------------|-------------------------------|-----------------------------------|
| Actual Positive (fatal) | True Positive (TP) | False Negative (FN) |
| Actual Negative (non-fatal) | False Positive (FP) | True Negative (TN) |

therefore, necessitates additional steps in model training and evaluation: (i) using appropriate evaluation metrics, and (ii) balancing the dataset before training.

Limitations of classification accuracy rate in evaluating model performance could be addressed through using additional statistical measures, namely, true positive, true negative, false positive, and false negative (see Table 1 for a detailed description) to create more informative metrics. Using these measurements, accuracy, sensitivity, and specificity, as defined in Eqs. (1)–(3), respectively, can be easily computed for a 2-class classification problem. These metrics collectively help depict a more comprehensive picture of the overall model performance (Parikh et al., 2008). Ultimately, geometric mean (or G-mean) of sensitivity and specificity can be used as a compact evaluation metric to compare the general performance of different models. The G-mean is calculated as the square root of the product of sensitivity and specificity and will have high values when both sensitivity and specificity are high and the difference between the two metrics is small (Kubat et al., 1997). Finally, while reporting a variety of metrics that can provide a comprehensive picture of model performance is necessary, measures need to be taken to produce high-performance models in the first place. This can be obtained by generating a balanced dataset based on the original imbalanced dataset on which models can be trained.

$$\text{Accuracy} = \frac{TP + TN}{TP + TN + FN + FP} \quad (1)$$

$$\text{Sensitivity} = \frac{TP}{TP + FN} \quad (2)$$

$$\text{Specificity} = \frac{TN}{FP + TN} \quad (3)$$

Using a different terminology, the G-mean in binary classification can be the square root of the product of class 1's accuracy (former sensitivity measure) and class 2's accuracy (former specificity measure). As such, in a C-class classification problem the definition of G-mean can be expanded to C classes as the following:

$$\text{G-mean} = (\text{Class 1 accuracy} \times \text{Class 2 accuracy} \times \dots \times \text{Class C accuracy})^{1/C}$$

Traditionally, motor vehicle crash injury severity has been modeled using statistical methods, with the goal of identifying the significance of each potential factor in the severity of the outcome of a crash. This type of analysis is valuable in informing future safety-focused planning efforts. Although the proposed methodology here can be used for the same purposes through conducting sensitivity analysis, our main goal is to learn an ensemble of models that can predict the severity of crashes in a fraction of a second and with a high degree of accuracy. Such a model is needed by autonomous vehicles, where fast evaluation of the circumstances and decision making is critical. An autonomous vehicle, having access to such prediction, can take the necessary cautionary measures to avoid (or mitigate the impact of) any potential accidents.

Although autonomous vehicles are equipped with a variety of sensors to help them browse through the surrounding environment, they are highly susceptible to low-quality sensor readings as well as anomalous sensor readings, either due to faulty sensors or malicious cyber-attacks. As such, redundancy in information plays a great role in increasing the reliability of autonomous vehicles under various scenarios, and in the absence of (reliable) sensor readings. With focus on factors

that are easy to measure (e.g., whether the driver is under the influence of alcohol using in-vehicle cameras), and can be reliably obtained from other sources (e.g., the roadway alignment using high definition maps, the weather conditions), we provide a prior model on the severity of potential accidents, should they occur. This information can help the autonomous system make better choices, e.g., take over the control of the motor vehicle from the human driver in case the driver is perceived to be under the influence (in semi-autonomous vehicles), or drive at lower speeds in the presence of adverse weather conditions, such as fog, which may reduce the precision of sensors.

The contributions of this paper to the literature are three-fold. First, we use a total of 5 machine learning techniques to model crash injury severity levels. These models are trained in isolation, and as ensemble models, providing insights on the degree to which various machine learning techniques are appropriate for crash injury severity classification. Second, we use under-sampling and over-sampling to treat the inherent imbalance of the crash dataset before learning and discuss the effects of these treatments. Finally, we provide various performance statistics and show that several of our models out-perform models in the literature by achieving both high accuracy and sensitivity rates at the same time.

2. Literature review

To date, many previous studies have modeled the traffic crash injury severity with potential risk factors, using statistical and machine learning methods (e.g., Abdelwahab and Abdel-Aty, 2001; Chang and Wang, 2006; Eluru et al., 2008; Zhu and Srinivasan, 2011; Castro et al., 2013; Xu et al., 2013; Yu and Abdel-Aty, 2013; Lee and Li, 2015; Chen et al., 2015, 2016). For example, Abdelwahab and Abdel-Aty (2001) used two neural network models (namely, multilayer perceptron and fuzzy adaptive resonance theory) to classify driver injury severity with driver, vehicle, roadway, and environmental factors. Chang and Wang (2006) estimated the effect of several risk factors (e.g., driver/vehicle, highway/environmental variables) on injury severity (i.e., fatal, injury, and no-injury) using classification and regression tree (CART). They analyzed crash data from police records collected in Taiwan and found that vehicle type is the most important factor associated with injury severity. Chen et al. (2015) used a hybrid method that combines multinomial logit and Bayesian network to classify the driver injury severity, with crash data from New Mexico. They identified several risk factors for motor vehicle crash fatalities, including environmental factors such as windy weather and inferior lighting conditions.

Among the studies on classifying motor vehicle crash injury severity in the literature (e.g., Abdelwahab and Abdel-Aty, 2001; Chang and Wang, 2006; Eluru et al., 2008; Castro et al., 2013; Chang and Chien, 2013; Xu et al., 2013; Yu and Abdel-Aty, 2013; Lee and Li, 2015; Chen et al., 2016), some report only the classification accuracy (e.g., Abdelwahab and Abdel-Aty, 2001). Other studies report both the classification accuracy and the classification accuracy of the class of interest by reporting statistics such as sensitivity or specificity, but only the classification accuracy has been the focus of discussion (e.g., Chang and Chien, 2013; Chang and Wang, 2006). Table 2 summarizes studies in the literature that report more statistics than just the general classification accuracy. Moreover, none of these studies have taken measures to address data imbalance, although two studies (i.e., Chang and Wang, 2006; Chen et al., 2015) have pointed out this issue as a limitation of their work.

3. Data description

Crash data used for fatality analysis were obtained from the Michigan Traffic Crash Facts (MTCF) database that contains official Michigan year-end crash data (Office of Highway Safety Planning, 2017). In this study, two years of crash data (restricted to vehicle crashes only; neither pedestrian nor bicycle) were collected (from 2016 to

Table 2
Summary of Classification Performance in Previous Studies.

| Studies | Data (year) • Number of crash data (training: testing data) • Number of variables | Number of classes • Class break-down (%; from Class 1 to 5) | Algorithms to classify crash injury severity | Classification results on the test set (ordered from most to least severe) | | | | | | |
|-----------------------------|---|---|---|--|---------------------|----------------------|----------------------|-------------------|-------------------|----------------------|
| | | | | Overall accuracy (%) | Class 1 | Class2 | Class 3 | Class 4 | Class 5 | G-mean (%) |
| [1] Chang and Wang (2006) | • Crash data in Taipei, Taiwan (2001) • N = 26,831 (16,960:9,871) • 20 | • 3 • Fatality (0.4) / Injury (59.9) / No-injury (39.7) | Classification and regression tree (CART) | 91.7 | 0 | 96.4 | 85.1 | N/A | N/A | 0 |
| [2] Li et al. (2012) | • Freeway crash data in Florida (2004-2006) • N = 5,538 (4:1) • 18 | • 5 • Fatal (0.9) / Incapacitating (5.1) / Non-incapacitating (15.1) / Possible (or invisible, 26.4) / No-injury (52.5) • 2 • Fatal (or injury, 47.5) / No-injury (52.5) • 5 • Fatal (0.9) / Incapacitating (5.1) / Non-incapacitating (15.1) / Possible (or invisible, 26.4) / No-injury (52.5) | Support vector machine (SVM) Support vector machine (SVM) Ordered probit (OP) | 48.8 | 1.7 | 2.3 | 10.1 | 25.4 | 77.0 | 9.5 |
| [3] Xie et al. (2012) | • Florida Traffic Crash Records Database (2005) • N = 4,285 (3,000:1,285) • 53 | • 5 • Fatal / Incapacitating / Non-incapacitating / Possible / No-injury (unknown) | Multinomial logit (MNL) Latent class logit (LCL) | 43.7 63.1 | 30.5 44.5 | 20.2 30.5 | 44.8 64.4 | 11.2 48.4 | 74.9 86.2 | 29.7 51.6 |
| [4] Chang and Chien (2013) | • Truck accidents in Taiwan (2005-2006) • N = 1,620 (1,134:486) • 21 | • 3 • Fatal (4.8) / Injury (35.0) / No-injury (60.2) | Non-parametric classification and regression tree (CART) | 67.7 | 47.8 | 42.6 | 84.7 | N/A | N/A | 55.7 |
| [5] Zhao and Khattak (2015) | • Highway-rail grade crossing crash data and the national highway (2009-2013) • N = 6874 (5,641:1,233) • 10 | • 3 • Fatal (8.2) / Injury (29.0) / No-injury (62.8) | Ordered probit (OP) Multinomial logit (MNL) Random parameter logit (RPL) | 65.0 57.4 57.5 | 2.2 22.8 23.7 | 42.0 36.8 36.8 | 84.3 72.0 72.1 | N/A N/A N/A | N/A N/A N/A | 19.7 39.3 39.8 |
| [6] Chen et al. (2015) | • Motor vehicle crashes in New Mexico (2010-2011) • N = 23,433 (11,486:11,947) • 27 | • 3 • Fatal (8.2) / Injury (29.0) / No-injury (62.8) | MNL & Bayesian network | 65.8 | 27.3 | 33.2 | 85.2 | N/A | N/A | 42.6 |

Note: Studies are ordered by publication date.

Table 3
Variable Summary.

| Category | No. | Features | Definitions/Details | Frequency | |
|----------------------|------------------------------|-----------------------------|---|-------------------|------------------|
| | | | | Training | Testing |
| Driver factor | 1 | Alcohol | Whether the crash involved alcohol (at least one individual) 1 = alcohol 0 = non-alcohol | 7,867 200,133 | 3,293 85,840 |
| | 2 | Drug | Whether the crash involved drugs (at least one individual) 1 = drug 0 = non-drug | 2,161 205,819 | 914 88,219 |
| | 3 | Young Age | Whether the crash involved one driver aged 24 or less 1 = young driver (< 24 y.o.) 0 = non- young driver | 61,436 146,544 | 26,268 62,865 |
| | 4 | Old Age | Whether the crash involved one driver aged 64 or more 1 = old driver (≥ 64 y.o.) 0 = non-old driver | 44,903 163,077 | 19,479 69,654 |
| | 5 | Distracted | Whether the driver distraction was involved 1 = distracted 0 = non-distracted | 9,522 198,458 | 4,031 85,102 |
| Environmental factor | 6 | Curve | Whether the crash involved curved road alignment 1 = curved 0 = non-curved | 19,436 188,544 | 6,616 82,517 |
| | (Weather) | | The prevailing atmospheric conditions that existed at the time of the crash | | |
| | 7 | Cloudy | 1 = cloudy 0 = non-cloudy | 43,749 164,231 | 18,706 70,427 |
| | 8 | Rain | 1 = rain 0 = non-rain | 17,313 190,667 | 7,408 81,725 |
| | 9 | Snow | 1 = snow 0 = non-snow | 19,436 188,544 | 8,365 80,768 |
| | 10 | Fog/smoke | 1 = fog/smoke 0 = non-fog/smoke | 2,087 205,893 | 885 88,248 |
| | 11 | Severe wind | 1 = severe wind 0 = non-severe wind | 737 207,243 | 357 88,776 |
| | 12 | Sleet/hail | 1 = sleet/hail 0 = non-sleet/hail | 783 207,197 | 365 88,768 |
| | (Traffic control device) | | The traffic control device present at the site of the crash | | |
| | 13 | Signal device | 1 = signal device 0 = non-signal device | 20,745 187,235 | 8,905 80,228 |
| | 14 | Stop sign | 1 = stop sign 0 = non-stop sign | 5,272 202,708 | 2,281 86,852 |
| | 15 | Yield sign | 1 = yield sign 0 = non-yield sign | 1,094 206,886 | 477 88,656 |
| | (Other vehicles involvement) | | Whether the crash involved at least one following vehicle | | |
| | 16 | Commercial vehicle (or bus) | 1 = commercial vehicle 0 = non-commercial vehicle | 5,886 202,094 | 2,568 86,565 |
| | 17 | Emergency vehicle | 1 = emergency vehicle 0 = non- emergency vehicle | 1,690 206,290 | 691 88,442 |
| | 18 | Off road vehicle | 1 = off-road vehicle 0 = non-off-road vehicle | 302 207,678 | 98 89,035 |
| | 19 | Snowmobile | 1 = snowmobile 0 = non-snowmobile | 99 207,881 | 41 89,092 |
| | 20 | Pedestrian | 1 = pedestrian 0 = non-pedestrian | 1,3222 206,658 | 575 88,558 |
| | 21 | Bicyclist | 1 = bicyclist 0 = non-bicyclist | 695 207,375 | 270 88,863 |
| | 22 | Farm vehicle | 1 = farm vehicle 0 = non-farm vehicle | 208 207,772 | 92 89,041 |
| | 23 | Motorcycle | 1 = motorcycle 0 = non-motorcycle | 2,115 205,865 | 886 88,247 |
| | 24 | Train | 1 = train 0 = non-train | 8 207,972 | 7 89,126 |
| Temporal factor | (Season) | | The season in which the crash occurred | | |
| | 25 | Spring | 1 = spring (March, April, May) 0 = non-spring | 44,683 163,297 | 19,030 70,103 |
| | 26 | Summer | 1 = summer (June, July, August) 0 = non-summer | 44,010 163,970 | 18,819 70,314 |
| | 27 | Fall | 1 = fall (September, October, November) 0 = non-fall | 59,951 148,029 | 25,505 63,628 |
| | (Day of week) | | The day of the week on which the crash occurred | | |
| | 28 | Weekday | 1 = weekday (Monday, Tuesday, Wednesday, Thursday, Friday) 0 = weekend (Saturday, Sunday) | 159,213 48,767 | 67,973 21,160 |
| | (Time of day) | | The hour at which the crash occurred | | |
| | 29 | Peak | 1 = peak (6–9 am, 4–7 pm) 0 = non-peak | 78,546 129,434 | 33,553 55,580 |
| | 30 | Night | 1 = night (8 pm–5 am) 0 = non-night | 49,061 158,919 | 20,949 68,184 |

Table 4
Injury severity levels of crashes represented in dataset.

| Injury severity level | Train | Test | Total |
|-----------------------------------|------------------|-----------------|------------------|
| Level 1 Fatal injury | 715 (0.34%) | 306 (0.34%) | 1,021 (0.34%) |
| Level 2 Incapacitating injury | 3,076 (1.48%) | 1317 (1.48%) | 4,393 (1.48%) |
| Level 3 Non-incapacitating injury | 9,427 (4.53%) | 4039 (4.53%) | 13,466 (4.53%) |
| Level 4 Possible injury | 18,947 (9.11%) | 8,119 (9.11%) | 27,066 (9.11%) |
| Level 5 No injury | 175,815 (84.53%) | 75,352 (84.54%) | 251,167 (84.54%) |
| Overall | 207,980 | 89,133 | 297,113 |

2017). Initially, three categories of contributing factors including driver, environmental, and temporal factors were extracted from the database (i.e., alcohol, drug, age, distraction, area of road at crash, weather condition, traffic control device, other vehicle involvement, crash month, day of week, and time of day). These factors were then converted into 30 binary attributes. Table 3 provides detailed information on the 30 attributes. Records that included missing values (52.6% of the original dataset), such as the “unknown” and “not entered” categories were not included in the final dataset.

A total of 297,113 crashes (including 207,980 – 70% for training and 89,133–30% for testing, selected randomly) were used in this study. The original dataset provided five levels of crash severity based on the most severe injury level of any driver/passengers involved in the crash. Table 4 shows the description of injury severity of crashes. Level 1 represents fatal injury crashes which account for the smallest portion (0.34%). Levels 2 and 3 indicate incapacitating and non-incapacitating injury crashes, respectively, which account for 1.48% and 4.53% of all crashes. Level 4 represents possible injury crashes which account for 9.11% of all crashes. Level 5 indicates no-injury crashes with the largest

portion of 84.54%. In addition to the original five-class classification, we train two additional classification models, one with 3 classes, and one with two classes (binary classification). Clustering the original 5-class response variable to two and three classes enables us to (i) assess whether such clustering allows us to output better predictions and especially obtain better sensitivity results for the more severe classes, and (ii) compare our study with the literature, as different studies in the literature are conducted with different numbers of classes. For 3-class classification, the original five classes were categorized into three classes, with the first class containing levels 1 and 2, the second class containing levels 3 and 4, and the third class containing level 5. For the binary classification, we used levels 1 and 2 as the first class and levels 3, 4, and 5 as the second class.

4. Methodology

In this study, five classification models were used for training the data. This section provides a summary of these models, elaborates on algorithms used for training, and discusses parameter values for the final models, where applicable. In the rest of this section, we introduce several methods used to treat the imbalanced structure of the dataset and investigate whether we can improve the predictive power of the five models using bootstrap aggregation. The programming language R has been used in training the models in the following sections. Under each model, we specify the package that has been used.

4.1. Classification models

4.1.1. Logistic regression

The logistic regression is a special case of the generalized linear model (GLM), which generalizes the ordinary linear regression by allowing the linear model to be related with a response variable that follows the exponential family via an appropriate link function. When the response variable is binomially distributed with parameter p_i , the

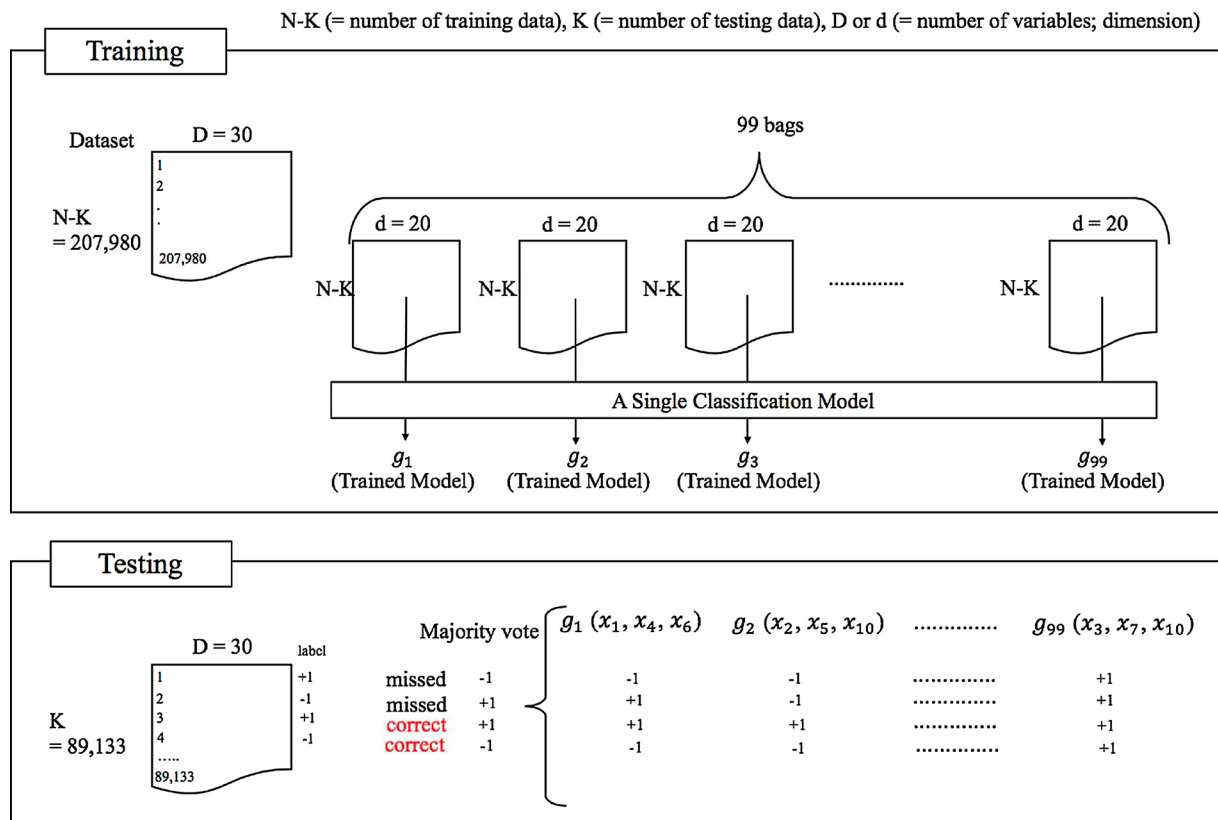


Fig. 1. Bagging process.

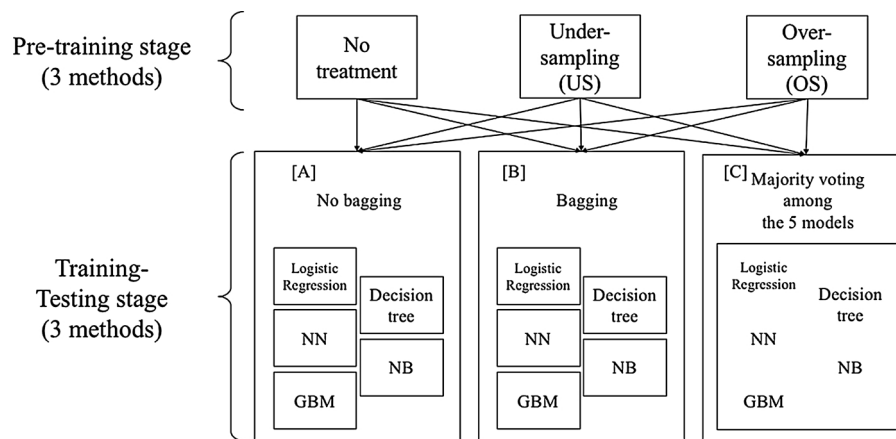


Fig. 2. Learning process.

Table 5a
5-class Classification Performance (%) and computation time (s) by Treatments and Methods [A] and [B].

| | | Method [A]: No bagging | | | Method [B]: Bagging | | |
|---|------------------|------------------------|----------------|----------------|---------------------|----------------|--------------------|
| Treatments ¹ | | No | US | OS | No | US | OS |
| Multinomial logistic regression | Overall accuracy | 84.65 | 1.44 | 0.35 | 84.66 | 0.35 | 0.35 |
| | Class 1 | 3.55 | 0 | 100 | 3.22 | 100 | 100 |
| | Class 2 | 4.43 | 100 | 0 | 2.72 | 0 | 0 |
| | Class 3 | 10.55 | 0 | 0 | 10.37 | 0 | 0 |
| | Class 4 | 1.16 | 0 | 0 | 1.02 | 0 | 0 |
| | Class 5 | 99.55 | 0 | 0 | 99.60 | 0 | 0 |
| | G-mean | 7.19 | 0 | 0 | 6.21 | 0 | 0 |
| | Time (s) | 23.4 | 1.33 | 39.17 | 2,127.63 | 352.12 | 5,694.35 |
| | Overall | 84.37 | 64.44 | 82.10 | 84.69 | 52.83 | 56.63 |
| Decision tree | accuracy | | | | | | |
| | Class 1 | 0 | 60.00 | 60.00 | 5.48 | 54.84 | 40.00 |
| | Class 2 | 0 | 14.54 | 12.36 | 5.83 | 23.25 | 28.93 |
| | Class 3 | 0 | 7.13 | 0 | 9.24 | 12.03 | 11.95 |
| | Class 4 | 0 | 21.82 | 0 | 1.11 | 36.30 | 40.22 |
| | Class 5 | 100 | 73.09 | 96.85 | 99.63 | 57.35 | 61.39 |
| | G-mean | 0 | 25.08 | 0 | 7.99 | 31.68 | ² 32.11 |
| | Time (s) | 3.37 | 0.25 | 134.70 | 79.43 | 3.48 | 288.42 |
| | Overall | 84.71 | 56.17 | 57.83 | 84.57 | 54.19 | 55.04 |
| GBM | accuracy | | | | | | |
| | Class 1 | 7.74 | 50.65 | 44.52 | 0 | 52.90 | 40.96 |
| | Class 2 | 6.07 | 23.87 | 27.29 | 3.42 | 24.41 | 28.53 |
| | Class 3 | 9.86 | 9.51 | 8.75 | 7.24 | 9.14 | 9.76 |
| | Class 4 | 1.21 | 36.99 | 39.73 | 0.35 | 41.38 | 41.90 |
| | Class 5 | 99.6 | 61.38 | 63.04 | 99.74 | 58.55 | 59.44 |
| | G-mean | 8.90 | 30.43 | 30.55 | 0 | 30.99 | 30.95 |
| | Time (s) | 52.29 | 6.55 | 193.02 | 3,891.42 | 3,311.83 | 67,438.66 |
| | Overall | 84.65 | 0.35 | 83.88 | 9.41 | 0.35 | 0.946 |
| NN | accuracy | | | | | | |
| | Class 1 | 100 | 100 | 28.39 | 4.83 | 100 | 0 |
| | Class 2 | 1.48 | 0 | 6.53 | 18.74 | 0 | 6.68 |
| | Class 3 | 12.69 | 0 | 1.53 | 5.42 | 0 | 8.65 |
| | Class 4 | 0.57 | 0 | 0.28 | 95.49 | 0 | 96.48 |
| | Class 5 | 99.56 | 0 | 99.07 | 0 | 0 | 0 |
| | G-mean | 10.13 | 0 | 6.01 | 0 | 0 | 0 |
| | Time (s) | 14.97 | 1.46 | 16.01 | 2,127.63 | 863.32 | 4,444.24 |
| | Overall | 84.54 | 57.86 | 57.19 | 84.66 | 67.11 | 66.58 |
| NB | accuracy | | | | | | |
| | Class 1 | 11.29 | 54.19 | 54.84 | 5.48 | 51.61 | 53.87 |
| | Class 2 | 8.71 | 19.67 | 22.47 | 5.36 | 12.44 | 12.90 |
| | Class 3 | 8.70 | 9.34 | 8.97 | 8.87 | 3.54 | 2.76 |
| | Class 4 | 1.46 | 34.26 | 36.17 | 1.07 | 25.07 | 25.95 |
| | Class 5 | 99.38 | 63.74 | 62.71 | 99.63 | 76.17 | 75.46 |
| | G-mean | 10.44 | 29.34 | 30.19 | 7.74 | 21.26 | 20.65 |
| | Time (s) | 1.41 | 0.30 | 3.76 | 793.33 | 248.31 | 3,135.09 |
| | Overall | 84.54 | 57.86 | 57.19 | 84.66 | 67.11 | 66.58 |
| Mean (SD) of G-means | | 7.3 (4.3) | 17.0 (15.6) | 13.4 (15.7) | 4.4 (4.1) | 16.8 (15.9) | 16.7 (15.9) |
| Increase (%) of G-means from no treatment | | N/A | 131.5 | 82.1 | N/A | 282.5 | 281.5 |

Note: ¹ No = No treatment, US = Under-sampling, OS = Over-sampling. ² The highest G-mean under all treatment-method-model combinations.

Table 5b
5-class Classification Performance (%) computation time (s) by Treatments and Method [C].

| | | Method [C]: Majority voting | | |
|---|------------------|-----------------------------|-------|-------|
| Treatments | | No | US | OS |
| All 5 models | Overall accuracy | 84.7 | 0.42 | 61.55 |
| | Class 1 | 3.98 | 94.83 | 65.44 |
| | Class 2 | 5.72 | 6.14 | 16.32 |
| | Class 3 | 10.09 | 0 | 4.91 |
| | Class 4 | 1.19 | 0 | 33.87 |
| | Class 5 | 99.57 | 0 | 68.25 |
| | G-mean | 7.71 | 0 | 26.10 |
| Increase (%) of G-means from no treatment | | N/A | –100 | 238.6 |

logit function is used for the link function. The logistic regression establishes the relationship between the response variable $Y = (y_1, \dots, y_n)$ given $p = (p_1, \dots, p_n)$ and a set of k predictors, $X = (x_1, \dots, x_k)$:

$$y_i | p_i \sim \text{Bernoulli}(p_i), \quad i = 1, \dots, n$$

$$\text{logit}(p_i) = \log\left(\frac{p_i}{1 - p_i}\right) = \beta_0 + \beta_1 x_{i1} + \dots + \beta_k x_{ki}$$

By solving for $\beta = (\beta_1, \dots, \beta_k)$ using the maximum likelihood method, the probability of occurrence of crash severity level i , denoted by p_i , can be estimated (Dobson and Barnett, 2008).

Table 6a
3-class Classification Performance (%) and computation time (s) by Treatments and Methods [A] and [B].

| | | Method [A]: No bagging | | | Method [B]: Bagging | | |
|---|------------------|------------------------|----------------|----------------|---------------------|----------------|--------------------|
| Treatments ¹ | | No | US | OS | No | US | OS |
| Multinomial logistic regression | Overall accuracy | 85.08 | 84.37 | 1.79 | 84.37 | 1.79 | 1.79 |
| | Class 1 | 7.33 | 0 | 100 | 0 | 100 | 100 |
| | Class 2 | 8.33 | 0 | 0 | 0 | 0 | 0 |
| | Class 3 | 99.32 | 100 | 0 | 100 | 0 | 0 |
| | G-mean | 18.24 | 0 | 0 | 0 | 0 | 0 |
| | Time (s) | 9.04 | 1.60 | 7.71 | 1,280.90 | 1,148.03 | 2,641.23 |
| Decision tree | Overall accuracy | 84.94 | 60.04 | 63.85 | 85.14 | 61.39 | 63.22 |
| | Class 1 | 0 | 53.07 | 54.63 | 8.27 | 58.02 | 40.06 |
| | Class 2 | 6.22 | 40.69 | 32.65 | 7.51 | 38.50 | 67.21 |
| | Class 3 | 99.66 | 63.36 | 69.15 | 99.51 | 65.22 | 63.22 |
| | G-mean | 0 | 51.53 | 49.78 | 18.35 | 52.62 | ² 55.42 |
| | Time (s) | 25.43 | 0.91 | 71.50 | 39.31 | 3.45 | 108.72 |
| GBM | Overall accuracy | 85.15 | 64.82 | 63.32 | 85.11 | 61.84 | 61.15 |
| | Class 1 | 7.21 | 61.22 | 56.20 | 8.14 | 58.77 | 57.51 |
| | Class 2 | 7.69 | 57.46 | 38.64 | 7.74 | 39.28 | 41.01 |
| | Class 3 | 99.51 | 39.78 | 67.52 | 99.44 | 65.61 | 64.53 |
| | G-mean | 17.67 | 51.92 | 52.73 | 18.43 | 53.30 | 53.39 |
| | Time (s) | 28.44 | 7.67 | 69.92 | 3,463.98 | 2,315.44 | 25,488.59 |
| NN | Overall accuracy | 85.09 | 1.79 | 85.01 | 84.37 | 1.79 | 84.39 |
| | Class 1 | 6.70 | 100 | 7.27 | 0 | 100 | 0 |
| | Class 2 | 8.69 | 0 | 7.73 | 0 | 0 | 0.17 |
| | Class 3 | 99.28 | 0 | 99.33 | 99.99 | 0 | 99.99 |
| | G-mean | 17.95 | 0 | 17.74 | 0 | 0 | 0 |
| | Time (s) | 59.08 | 6.78 | 79.98 | 3,046.21 | 1,088.49 | 3,088.44 |
| NB | Overall accuracy | 84.98 | 62.99 | 65.04 | 84.37 | 70.73 | 67.65 |
| | Class 1 | 14.79 | 59.02 | 58.96 | 0 | 47.79 | 52.00 |
| | Class 2 | 7.63 | 31.91 | 31.00 | 0 | 19.72 | 20.29 |
| | Class 3 | 99.16 | 68.18 | 70.76 | 100 | 79.59 | 75.76 |
| | G-mean | 22.37 | 50.45 | 50.57 | 0 | 42.17 | 43.08 |
| | Time (s) | 1.47 | 1.33 | 1.67 | 1,628.60 | 259.02 | 1,726.52 |
| Mean (SD) of G-means | | 15.2 (8.7) | 30.8 (28.1) | 34.2 (24.0) | 7.4 (10.1) | 29.6 (27.4) | 30.4 (28.1) |
| Increase (%) of G-means from no treatment | | N/A | 101.9 | 124.1 | N/A | 302.6 | 312.9 |

Note: G-means higher than 65% in Method [A] are underlined. ¹ No = No treatment, US = Under-sampling, OS = Over-sampling. ² The highest G-mean under all treatment-method-model combinations.

$$p_i = \frac{\exp\{\beta_0 + \beta_1 x_{i1} + \dots + \beta_k x_{ki}\}}{1 + \exp\{\beta_0 + \beta_1 x_{i1} + \dots + \beta_k x_{ki}\}}$$

Based on the estimated p_i , crash severity level can be predicted.

The logistic regression can be binomial or multinomial. Multinomial logistic regression (or multinomial logit) is used for the multi-class response variables. The multinomial regression with the multinomial response variable, $Y = (y_1, \dots, y_n)$ and multiple predictor variables, $X = (x_1, \dots, x_k)$, consists of $C-1$ non-overlapping logit models. The probability of occurrence of crash severity level c (i.e., c^{th} logistic model), p_{ic} , can be estimated.

$$p_{ic} = P(y_i = c | X) = \frac{\exp\{\beta_{c0} + \beta_{c1} x_{i1} + \dots + \beta_{ck} x_{ki}\}}{1 + \sum_{c=1}^{C-1} \exp\{\beta_{c0} + \beta_{c1} x_{i1} + \dots + \beta_{ck} x_{ki}\}}, \quad p, \quad c < C$$

Based on the estimated p_{ic} , crash severity level can be predicted. - In the program R, the 'h2o' function is used.

4.1.2. Decision tree and random forest

Classification and regression tree (CART) is a nonparametric decision tree learning method for classification and regression (Breiman et al., 1984). In CART, a decision tree is formulated by a collection of rules with respect to the variables in the training dataset. First, a rule for splitting the data at each node is selected. Next, with this rule, data at a given node are divided into two subsets. The same procedure is implemented recursively to each nested node. Splitting stops either

Table 6b
3-class Classification Performance (%) computation time (s) by Treatments and Method [C].

| Treatments | | Method [C]: Majority voting | | |
|---|------------------|-----------------------------|-------|-------|
| | | No | US | OS |
| All 5 models | Overall accuracy | 85.14 | 53.98 | 61.40 |
| | Class 1 | 6.89 | 59.64 | 59.27 |
| | Class 2 | 8.19 | 46.07 | 36.54 |
| | Class 3 | 99.43 | 55.16 | 65.52 |
| | G-mean | 17.77 | 53.32 | 52.16 |
| Increase (%) of G-means from no treatment | | N/A | 200.1 | 193.5 |

when CART detects that there is no more gain to be obtained by growing the tree deeper, or when some pre-determined criterion as the stopping rule is satisfied. Given the defined branches and nodes of the tree, each response variable falls into one terminal node. This tree structure can be used for prediction. A random forest (RF) is a bagged decision tree. RF trains multiple decision trees on bootstrapped data from the original training data, following the bootstrap aggregation method. Each tree casts a vote for the response variable. The final decision is made by taking the majority vote (Friedman, 2001). - In the program R, the package ‘rpart’ is used.

4.1.3. Gradient boosting model (GBM)

A gradient boosting machine trains a number of weak learners sequentially, where each weak learner is trained based on the error of the previous weak learner to obtain a strong learner. In this study, we used 50 shallow decision trees as our weak learners (Friedman, 2002). - In

the program R, the package ‘h2o’ is used.

4.1.4. Neural network (NN)

(Artificial) neural network is a learning algorithm inspired by the learning mechanism in the human brain. A neural network is constructed by three types of layers, namely input, hidden, and output layers. In a neural network, it is important to determine the appropriate number of hidden layers and the number of neurons (or nodes) in each hidden layer, since this structure severely affects the number of parameters, and hence the generalization behavior of NN (Ripley, 2007; Heaton, 2008). Based on several rule-of-thumb methods (e.g., the number of hidden nodes should be between the size of the input and output layers (Heaton, 2008)), a structure containing a single-hidden-layer with 10 nodes was used in the current study. - In the program R, the package ‘nnet’ is used.

4.1.5. Naïve Bayes classifier (NB)

A Naïve Bayes classifier is a model based on the Bayes’ theorem, under the assumption of conditional independence among features given the label (Zhang, 2004). Due to the conditional independence assumption on the features, the conditional distribution of the class variable over the features can be written as:

$$p(C_k | x_1, \dots, x_n) \propto p(C_k) \prod_{i=1}^n p(x_i | C_k)$$

where C_k is the k th possible outcome, and $\mathbf{x} = (x_1, \dots, x_n)$ represents a vector of n independent features. For parameter estimation, the maximum a posteriori method is used. In the current study, the likelihood distribution is assumed to be a Bernoulli distribution. - In the program R, the package ‘h2o’ is used.

Table 7a
2-class Classification Performance (%) and computation time (s) by Treatments and Methods [A] and [B].

| Treatments ¹ | | Method [A]: No bagging | | | Method [B]: Bagging | | |
|---|------------------|------------------------|----------------|----------------|---------------------|--------------------|----------------|
| | | No | US | OS | No | US | OS |
| Logistic regression | Overall accuracy | 94.07 | 93.94 | 93.93 | 93.67 | 85.76 | 6.34 |
| | Class 1 | 18.36 | 17.37 | 11.90 | 0.26 | 38.10 | 100 |
| | Class 2 | 99.19 | 99.12 | 99.49 | 99.99 | 88.98 | 0 |
| | G-mean | 42.67 | 41.49 | 34.41 | 5.10 | 58.22 | 0.00 |
| | Time (s) | 3.68 | 1.48 | 5.37 | 1,409.88 | 392.75 | 1,322.13 |
| Decision tree | Overall accuracy | 94.04 | 92.11 | 92.11 | 93.66 | 93.71 | 93.71 |
| | Class 1 | 15.79 | 35.25 | 35.25 | 0 | 5.67 | 5.67 |
| | Class 2 | 99.34 | 95.96 | 95.96 | 100 | 99.67 | 99.67 |
| | G-mean | 39.61 | 58.16 | 58.16 | 0.00 | 23.77 | 23.77 |
| | Time (s) | 26.49 | 2.51 | 52.96 | 230.91 | 187.78 | 427.38 |
| GBM | Overall accuracy | 94.12 | 94.04 | 94.10 | 94.10 | 89.33 | 90.70 |
| | Class 1 | 18.43 | 13.86 | 17.26 | 14.04 | 42.36 | 39.89 |
| | Class 2 | 99.24 | 99.46 | 99.30 | 99.52 | 92.51 | 94.14 |
| | G-mean | 42.77 | 37.13 | 41.40 | 37.38 | ² 62.60 | 61.28 |
| | Time (s) | 38.47 | 6.58 | 22.15 | 1,805.61 | 1,992.74 | 9,617.57 |
| NN | Overall accuracy | 93.90 | 93.76 | 94.01 | 94.15 | 93.74 | 93.66 |
| | Class 1 | 6.56 | 3.43 | 18.04 | 15.16 | 1.87 | 0 |
| | Class 2 | 99.81 | 93.76 | 99.15 | 99.49 | 99.95 | 100 |
| | G-mean | 25.59 | 17.93 | 42.29 | 38.84 | 13.67 | 0.00 |
| | Time (s) | 23.35 | 3.48 | 26.24 | 2,459.44 | 1,398.15 | 2,733.98 |
| NB | Overall accuracy | 93.90 | 93.87 | 93.89 | 93.97 | 93.78 | 93.60 |
| | Class 1 | 11.09 | 10.49 | 9.90 | 9.00 | 8.19 | 8.54 |
| | Class 2 | 99.50 | 99.52 | 99.57 | 99.72 | 99.57 | 99.36 |
| | G-mean | 33.22 | 32.31 | 31.40 | 29.96 | 28.56 | 29.13 |
| | Time (s) | 1.43 | 1.34 | 1.62 | 786.46 | 409.52 | 1,314.67 |
| Mean (SD) of G-means | | 36.8 (7.4) | 37.4 (14.6) | 41.5 (10.4) | 22.3 (18.4) | 37.4 (21.8) | 22.8 (25.3) |
| Increase (%) of G-means from no treatment | | N/A | 1.7 | 12.9 | N/A | 67.9 | 2.6 |

Note: G-means higher than 65% in Method [A] are underlined. ¹ No = No treatment, US = Under-sampling, OS = Over-sampling. ² The highest G-mean under all treatment-method-model combinations.

Table 7b
2-class Classification Performance (%) computation time (s) by Treatments and Method [C].

| Treatments | | Method [C]: Majority voting | | |
|---|------------------|-----------------------------|-------|-------|
| | | No | US | OS |
| All 5 models | Overall accuracy | 94.14 | 90.95 | 91.67 |
| | Class 1 | 17.58 | 39.13 | 37.87 |
| | Class 2 | 99.32 | 94.46 | 95.31 |
| | G-mean | 41.79 | 60.80 | 60.08 |
| Increase (%) of G-means from no treatment | | N/A | 45.5 | 43.8 |

4.2. Treating data imbalance

Machine learning techniques can be typically viewed as heuristic methods to solve optimization problems with the objective of minimizing the classification error on a training dataset. When working with imbalanced data, therefore, the traditional techniques that aim at maximizing training accuracy are not adequate, and measures need to be taken to put all classes on the same standing. Since the dataset used in this study has imbalanced classes with only 0.34% of the records pertaining to fatal accidents, two treatments, namely under-sampling and over-sampling, are used

Assume we have C classes, where n_C denotes the number of samples in class $c \in \{1, \dots, C\}$. Also assume that class IDs are ordered in an ascending order of the class size, i.e., $n_1 \leq n_2 \leq \dots \leq n_C$. In under-sampling, we randomly select n_1 samples from classes 2 to C , without replacement. In over-sampling, we randomly select n_C samples from classes 1 to $C-1$, with replacement.

4.3. Ensemble methods

Ensemble methods are machine learning algorithms that train a set of classifiers and use a weighted vote of the trained models when conducting classification. Ensemble methods help reduce the variance of out-of-sample error and therefore are helpful in avoiding overfitting. In this paper, we consider two ensemble methods, namely majority voting and bootstrap aggregation.

In the case of majority voting, we train a set of different models using various machine learning techniques and take the class with the highest number of votes as the final classification result of the ensemble method. We assume all models in the ensemble to have the same weight.

Bootstrap aggregating (also called bagging) is an ensemble meta-algorithm to learn from multiple classifiers, by re-sampling the training data with replacement and using majority voting on the classification results from the new (or bootstrapped) samples (Breiman, 1996). Fig. 1 shows how we have used bagging in this study. In the training stage,

ninety-nine additional datasets (or 99 bags) were randomly re-sampled from the original training dataset ($D = 30$ variables, $N - K = 207,980$ training data points). In each bag, the number of data points was identical to the original training dataset, but the number of variables was reduced ($d = 20$). For each single classification model (i.e., each of the 5 machine learning models), the following procedure was followed: first, 99 bags were trained. Next, in the testing stage, the 99 trained models were used to classify the test data ($K = 89,133$). Next, the ultimate classification result was determined using majority voting. Finally, the classification results were compared to the actual labels on the test set to determine model accuracy. For example, in binary classification, if more than 49 out of 99 models classify the first data point in the testing set as ‘-1’ and the original label of that element is ‘+1’, this prediction is considered as a ‘miss’. Once all the K test points are processed through this majority voting logic, the classification accuracy is calculated (based on the number of ‘missed’ and ‘correct’ classifications that exist among the total data elements).

5. Results

Fig. 2 shows the learning process used in this study. In the pre-training stage, three treatments (including no treatment) for the imbalanced data were applied to the training set. In the training-testing stage, three methods were used. First, with the three datasets created in the pre-training stage, five classification models were used to classify the fatality of motor vehicle crash injury (method [A]: No bagging). Second, a bagging approach was used for all the 5 models (method [B]: Bagging, meaning that bagging has been applied to each single model, and repeated for all 5 models). Third, we used majority voting on all the 5 models (method [C]: Majority voting among selected models). All executions regarding the learning and treatment processes were performed using R version 3.3.1. The computer specifications used in this study are: Intel® Xeon® Processor E31230 CPU at 3.2 GHz, 32.0 GB RAM.

Tables 5a and 5b show performance results of the 5-class classification obtained through the learning process shown in Fig. 2, as well as computation time of each process. The tables include overall accuracy, each class’s accuracy, and G-mean for the three treatments and three training-testing methods. Time for finding the optimal parameters using cross-validation is not included in the computational time. In the majority voting, we do not specify the learning time, because its prediction is based on the votes from 5 classifiers which are already trained. The 5-class classification performance was the highest (i.e., G-mean = 32.1) when bagging was used with decision trees and over-sampling treatment on the data.

The 3-class and 2-class classifications were also performed. The highest performance for 3-class classification (G-mean 55.4%; see Tables 6a and 6b), was obtained with bagged decision trees (i.e.,

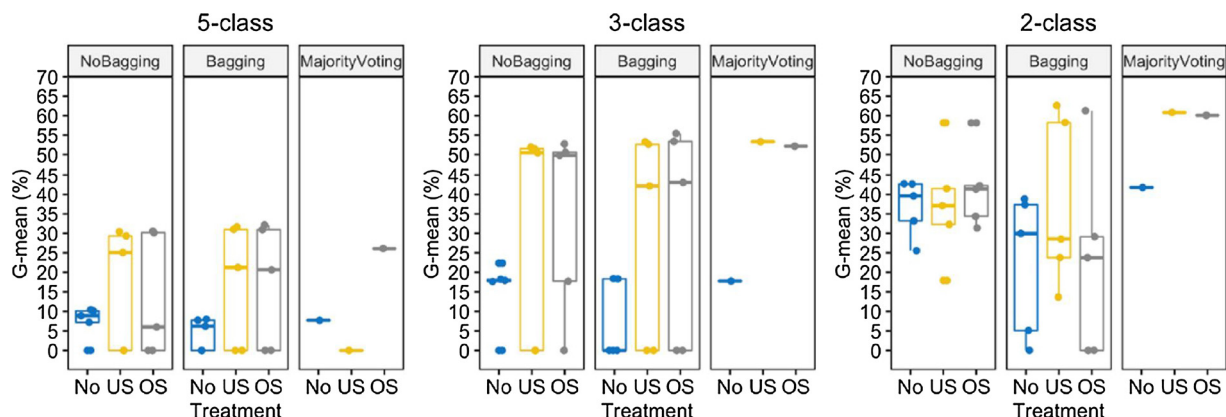


Fig. 3. G-means by treatments and training-testing methods.

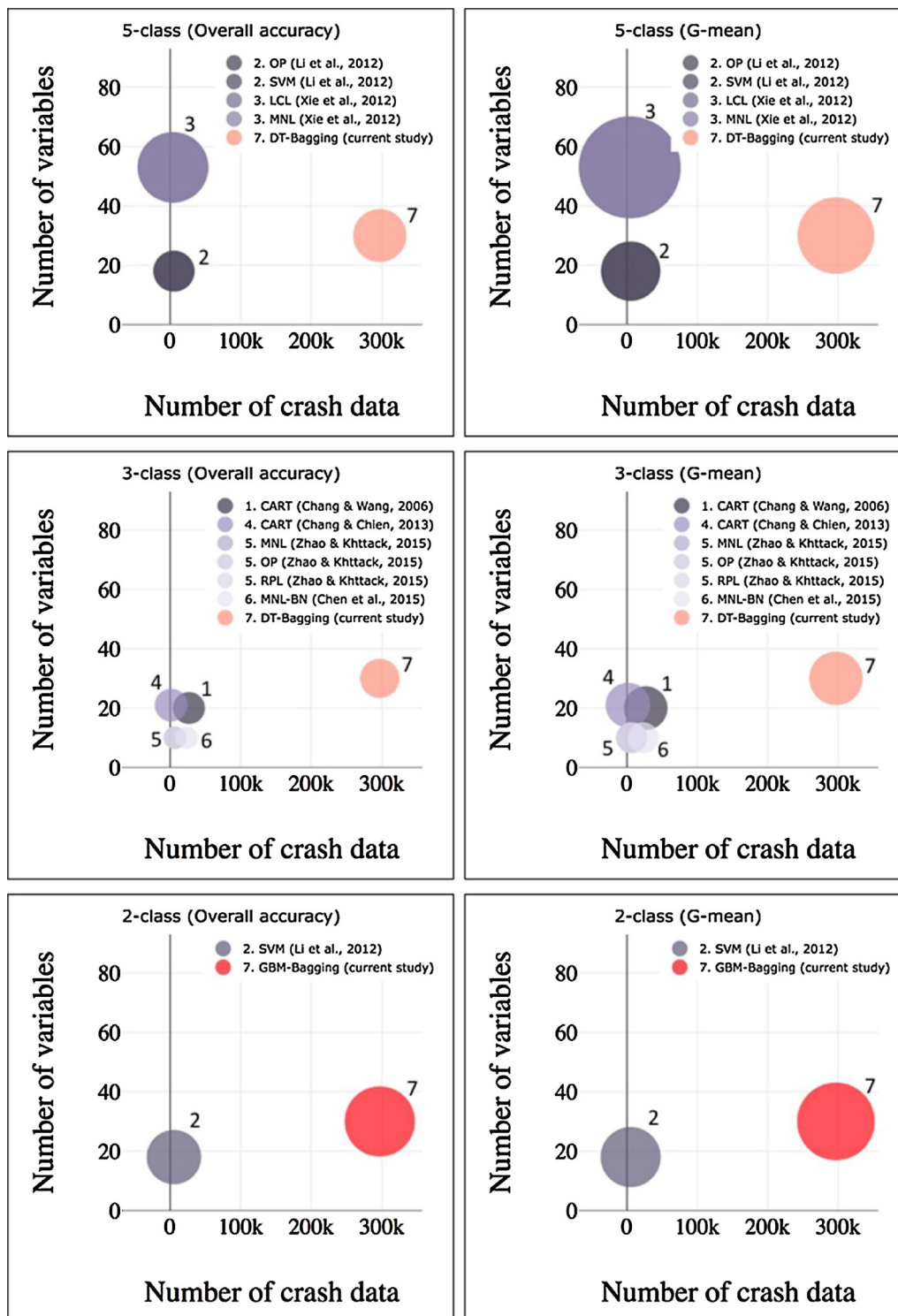


Fig. 4. Overall accuracy and G-mean comparisons by the numbers of crash data and variables.

random forest) and the over-sampling treatment, similar to the 5-class classification. In the 2-class classification, the GBM and under-sampling conditions produced the highest classification result (G-mean 62.6%; see Tables 7a and 7b).

6. Discussion

Fig. 3 displays the range for G-mean values of 5-, 3-, and 2-class classifications for the three methods [A- No Bagging], [B- Bagging], and

[C- Majority Voting], and under 3 different data imbalance treatments discussed in the previous section. The first observation is that reducing the number of classes from 5-class to 3- and 2-class produces better performance, which can be also seen in previous literature (e.g., Lachiche and Flach, 2003; Tax and Duin, 2002). The results of 5- and 3-class classifications show the similar pattern. In 5- and 3-class classifications, when applying under- and over-sampling treatments to the imbalanced data with no bagging (i.e., method [A]) and bagging (i.e., method [B]) methods, the results have higher performance and vary

widely based on the selected model, compared to no treatment. Bagging with over-sampling produces the best results in both 5- and 3-class classifications, where the algorithm producing the best G-mean is the decision tree. Bagging with under-sampling produces the best results in 2-class classifications, where the algorithm producing the best G-mean is GBM. Majority voting (method [C]) produces relatively high G-mean values with under- and/or over-sampling. From these observations, a general conclusion can be made that ensemble methods can be effective in treating imbalanced data when combined with either under-sampling or over-sampling treatments.

Fig. 4 shows the classification results (i.e., overall accuracy and G-mean) obtained from current and previous studies, by numbers of crash data and variables, based on all three categories of multi-class classification. In the 5-class classification, the current study does not outperform the result from Xie et al. (2012)' latent class logit model. However, the current study is based on a significantly larger and more recent dataset. In the 3-class classification, the current study matches the best results in the literature (i.e., CART model from Chang and Chien (2013)), with a higher number of variables and a larger dataset. In 2-class classification, our study outperforms the best classification results in the literature, obtained from Li et al. (2012)'s SVM model.

7. Limitations

Although the hybrid approach proposed in this study performed well in classifying motor vehicle injury severity levels, there are several factors that can allow for training classification models with higher predictive power. Specifically, the explanatory variables used in the current study could be expanded when used in the context of semi-autonomous vehicle systems. Although we extracted thirty variables from driver-related, environmental, and temporal conditions surrounding recorded accidents, most of which can be measured using sensors deployed on automated vehicles, other variables that can help improve the classification accuracy in semi-autonomous vehicle systems are missing. Examples include the vehicle's health status, an anomaly in driver performance, and the state of the surrounding traffic.

In this study, we used over-sampling and under-sampling to balance our crash injury severity dataset as a way to put all classes on the same footing when assessing the performance of our classification models. This allowed us to prevent the larger class from dominating the analysis. An alternative approach is to alter the cost function, by assigning higher costs to misclassification of more severe crashes. In this approach, the actual crash cost can be incorporated into the training model. As a future research direction, we will apply a crash costs-based approach (such as the one proposed in Iranitalab and Khattak (2017)), where we use the Actual Overall Crash Costs, Predicted Overall Crash Costs, Overall Prediction Error, and Specific Prediction Error, to train models that are informed by crash costs.

8. Conclusions

The purpose of this research is to train classification models that can predict the level of motor vehicle crash injury severity with both high accuracy and sensitivity rates at the same time. Paying special attention to sensitivity rates allows us to consider the harsher consequences of more severe accidents when training motor vehicle crash severity classification models. Such models can be used for two purposes: (i) identifying factors that contribute the most in the injury severity of motor vehicle crashes through conducting sensitivity analysis, and (ii) real-time prediction of crash injury severity in semi-autonomous vehicles. In the latter case, the models can inform the decision by the autonomous entity to take over the control from the human driver if the models predict severe accidents under the human control.

This study uses 5 machine learning algorithms, 2 treatments for balancing the originally imbalanced crash data, and 2 ensemble methods for classification of motor vehicle crash severity level, with a

large (~300 K) crash dataset. Among all the trained models, bagging applied to decision trees (also known as random forests), combined with the over-sampling treatment, provided the highest classification performance in the 5- and 3-class classifications. In the 2-class classification, GBM with bagging and under-sampling produced the best classification outcome. It is also observed that bagging applied to all trained models, although not producing the best G-mean values, but produces results that are more robust, with smaller variance.

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