FEEG6002 Advanced Computational Methods 1:

Laboratory-Assignment 6

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Prerequisites: pointers, dynamic memory allocation

1 Training 1: Determine pi using trapezoidal integration

The function $f(x) = \sqrt{1-x^2}$ for $x \in [-1,1]$ describes a half-circle. If we integrate it from -1 to 1, we obtain $\pi/2$, and thus $\pi = 2\int_{-1}^{1} f(x)dx$.

We carry out the integration numerically (with a pretty basic integration scheme) and will thus obtain an approximation pi(n) for π which depends on n. We use the composite trapezoidal rule which for a given n and $f(x) = \sqrt{1-x^2}$ can be described through pseudo code as:

```
a = -1
b = 1
h = (b-a)/n
s = 0.5 * f(a) + 0.5 * f(b)
for i from 1 to n-1
  x = a + i*h
  s = s + f(x)
end-of-for-loop
pi = s * h * 2
pi.c
#include<stdio.h>
/* TIMING CODE BEGIN (We need the following lines to take the timings.) */
#include<stdlib.h>
#include<math.h>
#include <time.h>
clock_t startm, stopm;
#define RUNS 1
#define START if ((startm = clock()) == -1) {printf("Error calling clock");exit(1);}
#define STOP if ( (stopm = clock()) == -1) {printf("Error calling clock");exit(1);}
#define PRINTTIME printf( "%8.5f seconds used .", (((double) stopm-
startm)/CLOCKS_PER_SEC/RUNS));
```

```
/* TIMING CODE END */
int main(void) {
    /* Declarations */

    /* Code */
    START;    /* Timing measurement starts here */
    /* Code to be written by student, calling functions from here is fine if desired
    */

STOP;    /* Timing measurement stops here */
    PRINTTIME;    /* Print timing results */
    return 0;
}
```

- Write a C program given above with name pi.c to compute the approximation of pi for a given n (use a symbolic constant for n). If you expand the template provided in pi.c, then this template will measure and print the execution time for you. In more detail:
- Write a function double f(double x) that $f(x) = \sqrt{1 x^2}$ returns for a given x.
- Write a function double pi(long n) which computes the approximation pi(n) of π as described in the pseudo code above, and returns this approximation as a double.
- Compile your code with -ansi -pedantic –Wall. If you use n=5, you should find an approximation for pi of 2.84767343
 - o For n=10,000,000:
 - If you compare the numerical approximation of pi with the correct answer, how many digits after the decimal point are correct?
 - o How long does the execution take?

2 Training 2: Allocating an array of longs dynamically

Create a file training6.c in which you

- Define a function long* make_long_array(long n) which takes a long integer n, dynamically allocates an array of n longs, and returns the pointer to the first element of this array.
- If the memory cannot be allocated, your function make_long_array should print "Memory allocation failed" and return the special pointer NULL.
- Here is some code you can use to test the function make_long_array:

```
void use_make_long_array(long n) {
  int i;
  long *p = make_long_array(n);
  printf("In use_make_long_array(%ld)\n", n);
```

```
/* if p is not NULL, we could allocate memory, and we proceed
  with testing: */
 if (p != NULL) {
/* write some data to the array -- if the allocated memory
    is too short, this might trigger a segfault */
   for (i=0; i<n; i++) {
   p[i]=i+42;
                 /* just write some data */
   }
  /* free array -- if the allocated array is too short, we may
    have corrupted malloc/free metadata when writing the i+42 data
    above, and this may show when we call the free command: */
  free(p);
  /* if the program does not crash, it is a good sign [but
    no proof for correctness]. The other way round: if the
   program segfaults or crashes, this is not a good sign. */
 }
 else { /* we get here if memory allocation didn't work for
      some reason. */
  printf("Error - it seems that the memory allocation failed.\n");
}
}
int main(void) {
 int n;
 for (n=0; n<20; n++) {
 use_make_long_array(n);
 }
 return 0;
}
```

Email your file training 6.c attached to an email with subject line training 6 to feeg 6002@soton.ac.uk.

3 Laboratory: Creating an array of Fibonacci numbers

- Save your file training6.c under the new name lab6.c and add the following function: long* make_fib_array(long n) which takes an long integer and returns an array of long with n elements for which it uses dynamic memory allocation. (You may want to re-use and call the function make_long_array here.)
- The array of long integers should be populated with the Fibonnacci numbers.

You can use this algorithm (shown as a Python function) to compute the array entries:

```
def fibs(n):
    """Given an integer number n, return a list with
```

the first n fibbonnaci numbers. Assume that n>=2"""

```
# create list fibs with n elements
fibs = [0] * n

# populate with data
fibs[0] = 0
fibs[1] = 1
for i in range(2, n):
  fibs[i] = fibs[i - 1] + fibs[i - 2]
return fibs
```

- If the function make_fib_array cannot allocate the memory for the fibonacci array, it should return the NULL pointer instead of a pointer to the array.
- You can use this C code and main function for some testing of your function make_fib_array:

```
void use_fib_array(long N) {
/* N is the maximum number for fibarray length */
          /* counter for fibarray length */
 long n;
         /* counter for printing all elements of fibarray */
 long i;
long *fibarray; /* pointer to long -- pointer to the fibarray itself*/
 /* Print one line for each fibarray length n*/
 for (n=2; n<=N; n++) {
  /* Obtain an array of longs with data */
  fibarray = make_fib_array(n);
  /* Print all elements in array */
 printf("fib(%2ld) : [",n);
  for (i=0; i<n; i++) {
   printf(" %ld", fibarray[i]);
  printf(" ]\n");
  /* free array memory */
  free(fibarray);
 }
}
int main(void) {
 use_fib_array(10);
 return 0;
}
```

Email your file lab6.c attached to an email with subject line lab 6 to feeg6002@soton.ac.uk.