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# Proof Without Words: The Sum of Squares

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In this proof without words, we prove wordlessly the identity  $1^2 + 2^2 + \dots + n^2 = \frac{n(n+1)(2n+1)}{6}$ .

