Pellegrina + Sotelo: "Migration, Specialization, and Trade: Evidence from the Brazilian March to the West"

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# 1 Algorithm to generate values for aggregated variables

#### 1.1 Primitives

We first lay out the primitives of the model. We consider 50 regions with Brazil, so I=J=50. The dataset allows to identify up to 15 different types of crop, so K=10. Finally, we consider T=5. We choose arbitrary  $L_{i,k0}$  such that  $\sum_i \sum_k L_{i,k0} = L_0 = 1$ . We then lay out an arbitrary geography in the model  $\left\{A_{j,kt}, \bar{H}_{j,t}, \tau_{ij,kt}, \mu_{ij,kt}\right\}$ . We model natural advantages  $A_{i,kt}$  as a Frechet distribution, total land endowments  $\bar{H}_{i,t}$  which is a unity vector, bilateral trade costs  $\tau_{ij,kt}$  are drawn from a uniform distribution U[1,1.5] and bilateral migration costs  $\mu_{ij,kt}$  are drawn from LogNormal(1,0.1) with location 1. In the model, workers' knowledge to grow each crop  $s_{i,kt}$  depends on previous employment in the origin region  $L_{i,kt-1}$  and on  $\bar{s}_{i,kt}$ . We consider  $\bar{s}_{i,kt} = \tilde{s}_k$ . Households have preference shifters  $a_{k,t}$  which we assume to be a unit vector. In terms of the parameters, we follow the numbers in Table 4. For the algorithm that determines equilibrium wages and land rental rates, we consider a dampening factor v=0.001. For the algorithm that determines equilibrium lambdas, we consider the averaging weight  $\phi=0.5$ . Finally, we consider a a tolerance of  $10^{-5}$  for tractability, which we will describe further below. Throught the code we denote  $x^{(i)}$  as a vector of guesses that we feed in a loop, and  $x^{(o)}$  as a vector of outputs that come out of the loop.

# 1.2 Algorithm

- 1. Guess  $\lambda_{ij,k1}^{(i)}$  such that  $\sum_{j} \sum_{k} \lambda_{ij,k1}^{(i)} = 1, \forall i$
- 2. Given  $L_{i0}$ , compute migration flows  $L_{ij,k1} = \lambda_{ij,k1}^{(i)} L_{i0}$

- 3. Compute worker's knowledge  $s_{i,k1} = \overline{s}_{i,k1} L_{i,k0}^{\beta}$ , where  $\overline{s}_{i,k1}$  is described in the first paragraph of this section
- 4. Compute effective labor supply  $E_{ij,k1} = s_{i,k1}L_{ij,k1}$ , and then  $E_{j,k1} = \sum_i E_{ij,k1}$
- 5. Given our guess  $\lambda_{ij,k1}^{(i)}$  and the variables that we constructed given our guess, we know make guesses for workers' wages and land rental rate  $\{w_{i,k1}^{(i)}, r_{i,1}^{(i)}\}$  as unit vectors and run the following inner loop:
- Calculate labor supply  $H_{i,1} = \frac{r_{i,1}^{(i)^{\zeta}}}{b_{i,1} + r_{i,1}^{(i)^{\zeta}}} \overline{H}_{i,1}$
- Calculate cost shares  $c_{i,k1} = \frac{w_{i,k1}^{(i)^{(1-\gamma_k)}} r_{i,1}^{(i)^{\gamma_k}}}{\kappa_{\pi}}$
- Calculate prices  $P_{ij,k1} = \frac{c_{i,k1}\tau_{ij,k1}}{A_{i,k1}}$
- Given preferences, we can obtain aggregated price indexes  $P_{j,k1} = (\sum_i P_{ij,k1}^{1-\eta})^{\frac{1}{1-\eta}}$  and  $P_{j,1} = (\sum_k a_{k,1} P_{j,k1}^{1-\sigma})^{\frac{1}{1-\sigma}}$
- Total nominal expenditure in region j reflects payments to factors  $X_{j,1} = \sum_k w_{j,k1} E_{j,k1} + r_{j,1} H_{j,1}$
- Total real expenditure in region j:  $Q_{j,1} = \frac{X_{j,1}}{P_{i,1}}$
- The nested CES structure of preferences yields the real demand  $Q_{ij,k1} = a_{k,1} \left(\frac{P_{ij,k1}}{P_{j,k1}}\right)^{-\eta} \left(\frac{P_{j,k1}}{P_{j,1}}\right)^{-\sigma} Q_{j,1}$
- Nominal demands are then  $X_{ij,k1} = P_{ij,k1}Q_{ij,k1}$  and  $X_{j,k1} = \sum_i X_{ij,k1}$
- Expenditure share of region j in sector k-produced by region i is  $\pi_{ij,k1} = \frac{X_{ij,k1}}{\sum_{i'} X_{i'j,k1}}$
- Define  $\tilde{r}_{i,1} = log(r_{i,1})$ . Using the land market clearing condition, we obtain a new guess for the log of the rental rate  $\tilde{r}_{i,1}^{(o)} = log(\sum_k \gamma_k \sum_j \pi_{ij,k1} X_{j,k1}) log(H_{i,1})$
- Define  $\tilde{w}_{i,k1} = log(w_{i,k1})$ . Using the land market clearing condition, we obtain a new guess for the log of the rental rate  $\tilde{w}_{i,k1}^{(o)} = log((1 \gamma_k) \sum_j \pi_{ij,k1} X_{j,k1}) log(E_{i,k1})$
- Consider the numeraire price  $\tilde{w}_{1,1t}$ . We then normalize wages and rental rates to the numeraire
- We calculate a critical value for wages  $w^{crit} = max_{i,k}|exp(\tilde{w}_{i,k1}^{(o)}) w_{i,k1}^{(i)}|$  and land rental rates  $r^{crit} = max_i|exp(\tilde{r}_{i,1}^{(o)}) r_{i,1}^{(i)}|$ . We repeat this inner loop as long as the critical values are above the tolerance level we previously defined

- If the loop continues, we update our guesses using  $r_{i,1}^{(i)} = r_{i,1}^{(i)} exp(v(\tilde{r}_{i,1}^{(o)} log(r_{i,1}^{(i)})))$  and  $w_{i,k1}^{(i)} = w_{i,k1}^{(i)} exp(v(\tilde{w}_{i,k1}^{(o)} log(w_{i,k1}^{(i)})))$
- Keep running the loop until we find equilibrium  $\left\{w_{i,k1}^*, r_{i,1}^*\right\}$
- 1. [THIS SHOULD SAY BULLET 6] Given equilibrium input prices  $\left\{w_{i,k1}^*, r_{i,1}^*\right\}$ , we construct welfare  $W_{ij,k1} = \frac{w_{j,k1}^* s_{i,k1}}{\mu_{ij,k1} P_{j,1}}$  and obtain the new guess  $\lambda_{ij,k1}^{(o)} = \frac{W_{ij,k1}^{\kappa}}{\sum_{j} \sum_{k} W_{ij,k1}^{\kappa}}$
- 2. Calculate critical values  $\lambda^{crit} = \max_{ij,k} |\lambda_{ij,k1}^{(o)} \lambda_{ij,k1}^{(i)}|$ . We repeat this inner loop as long as the critical values are above the tolerance level we previously defined
- 3. If the loop continues, we update our guesses using  $\lambda_{ij,k1}^{(i)} = \phi \lambda_{ij,k1}^{(o)} + (1-\phi)\lambda_{ij,k1}^{(i)}$
- 4. Keep running the loop until we find equilibrium  $\lambda_{ij,k1}^*$
- 5. Using  $\lambda_{ij,k1}^*$  and  $L_{i,0}$ , we can compute equilibrium migration flows  $L_{ij,k1}^*$
- 6. We repeat this whole procedure so far for  $2 \le t \le T$ . The only difference now in each round is that we use  $\lambda_{ij,kt-1}^*$  as a guess for  $\lambda_{ij,kt}^{(i)}$

#### 1.3 Results

The Matlab codes generate data, and then we use that data to run regressions (10) and (11) in the paper in Stata. Regressions are able to recover exactly the assumed values for  $\beta$  and  $\kappa$ .

## 1.4 Results assuming $\beta = 0 + \text{fixed geography}$

These are the estimators for regressions (10) and (11) in the paper at the aggregated level, assuming  $\beta = 0$  and fixed geography. By fixed geography we mean that we draw  $\{A_{j,k1}, \bar{H}_{j,1}, \tau_{ij,k1}, \mu_{ij,k1}, b_{j,1}\}$  and we keep them fixed  $\forall t$ . The intention of this exercise is to study whether we can actually recover  $\beta = 0$  in the regressions, so we make sure that the regressions are not capturing some weird underlying correlations. Also, this time we assume T = 30 and we burn the first 25 periods, such that we only include the last 5 periods in the regressions. In Tables 1 and 2 we see that we can indeed recover  $\beta = 0$ .

# 2 Sampling algorithm

The objective of this section is to generate data that allows for sampling error such that regressions do not match exactly.

Table 1: Estimators of log-earnings on loglagged-labor allocations assuming  $\beta = 0$ , OLS and PPML

|              | (1)       | (2)    |
|--------------|-----------|--------|
| L_iktlag_log | -2.07e-49 | 0      |
|              | (.)       | (.)    |
| Observations | 125000    | 125000 |
| Pseudo R-sq  |           | 0.312  |

Table 2: Estimators of log-migration flows on loglagged-labor allocations assuming  $\beta = 0$ , OLS and PPML

|              | (1)     | (2)        |
|--------------|---------|------------|
| L_iktlag_log | 0.00107 | -0.0000330 |
|              | (0.00)  | (0.00)     |
| Observations | 125000  | 125000     |
| Pseudo R-sq  |         | 0.0372     |

Standard errors in parentheses

#### 2.1 Primitives

Brazilian population in 1980 was of 120 mln, so we consider total population M = 120,000 for every period. We want to analyze how results change for different sample sizes, so we consider  $N_s = [5\%, 10\%, 25\%, 50\%, 100\%]$ . The higher the sample size, the closer the estimators should get towards their population counterparts. In the algorithm, we refer  $X^n$  to a measure of some variable X that corresponds to an individual n.

# 2.2 Algorithm

- 1. Choose a sample size  $x = N_S$
- 2. Choose period t=1
- 3. Generate a random vector of origin regions of size M using  $L_{i0}$  as probability weights for the randomization. Recall that labor allocations are normalized such that that mass of people each period sums up to 1, so their values automatically become weights
- 4. Consider all pairs  $\{j, k\}$  of potential destination region and sector to work on for each person. Given that each person already has an origin isosociated to it, we can compute

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

their corresponding welfare  $W_{ij,k1}^n$ . If we then consider drawn taste shocks  $\epsilon_{i,k1}^n$ , we can then calculate total welfare  $W_{ij,k1}^n \epsilon_{i,k1}^n$ 

- 5. Then, each person chooses the pair  $\{j^*, k^*\}$  that maximizes its total welfare
- 6. We now know for each person their origin i, destination j, sector k, and the period is chosen (in this case is t = 0). We can then input for each person their wage  $w_{j,k1}$ , knowledge  $s_{i,k1}$ , and the population in their origin region in the previous period  $L_{i,k0}$
- 7. We now proceed to do the sampling procedure. For each person we generate a random realization from a uniform distribution U[0,1], and keep only the people whose realization is lower than the chosen sample size x
- 8. With our sampled dataset, we can then calculate statistics we need for the regression. We first calculate  $L_{ij,k0}$  by a simple counting procedure. Second, we calculate the sample version of  $L_{i,k0}$  by assuming  $L_{j,kt} = L_{i,kt-1}$  and then do the counting. Notice that by doing this, we lose the first period of our database. Then, with wages  $w_{j,k1}$  and knowledge  $s_{i,k1}$  we can then calculate their earnings. An important caveat is that we assume missing earnings for regions for which there was no migration (i.e.  $L_{ij,kt} = 0$ )
- 9. We have now calculated all variables that we need for regressions, we export them to Stata, and run regressions (10) and (11) from the paper

# 2.3 Comparing migration flows of the model VS the sampling ones

In this section, we compare  $L_{ijkt}$  that come from the sampling procedure vs the one that come from the model, both in levels and in logs. In Figure 1 we see that these two variables in levels are highly correlated, which complies with what we expect.

In Figure 2 we observe the same result for the variables in logs.

#### 2.4 Results

All tables include destination-crop-year fixed effects and origin-destination-year fixed effects, and standard errors are clustered to the destination-crop-year level. Each column of each table represents different sample sizes described in the first paragraph of this section. We group tables according to different models we are trying out. Each group of tables contain four tables, where the first one corresponds to the regression of sampled log-earnings on loglagged-labor allocations; the second one, of sampled log-earnings on loglagged-labor

Figure 1: Migration flows from the model and from the sampling procedure, in levels

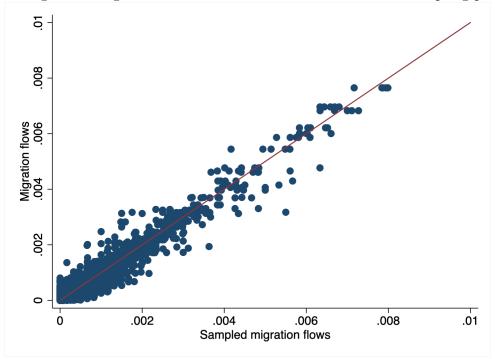
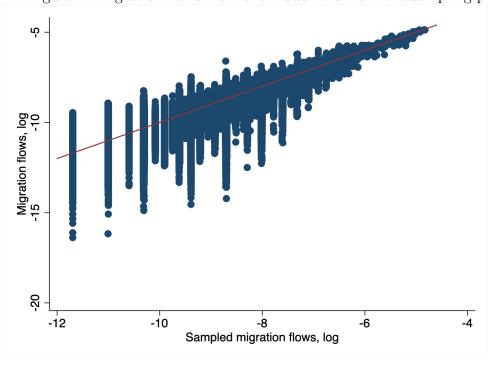


Figure 2: Migration flows from the model and from the sampling procedure, in logs



allocations; the third one, of sampled log-migration flows on sampled loglagged-labor allocations; the fourth one, of sampled log-migration flows on loglagged-labor allocations. Each table contain results for OLS and PPML estimators. Tables 3-6 correspond to our baseline model. Tables 7-10 correspond to a model with an alternative definition of earnings that goes into regression analyses. Tables 11-14 correspond to a model where total welfare also includes a productivity draw. Tables 15-18 correspond to a model with our alternative definition of earnings plus migration costs  $\mu_{ij,kt}$  with higher variance. Tables 19-22 correspond to a model with welfare including the productivity draw plus migration costs  $\mu_{ij,kt}$  with higher variance. Tables 23-26 correspond to a model with welfare including the productivity draw plus the productivity draw  $\nu_{ij,kt}$  with higher variance. Finally, tables 27-30 correspond to a model with welfare including the productivity draw plus the productivity draw  $\nu_{ij,kt}$  with higher variance plus lagged labor allocations  $L_{i,kt-1}$  truncated from below by its median.

#### 2.4.1 Baseline model

Tables 3-6 report baseline results. In Table 3 we see that both OLS and PPML estimators exhibit a downward bias on  $\beta$  but that bias dampens as sample size increases. As expected, in Table 4 we exactly recover  $\beta = 0.1$ . In Table 5 we also observe that downward bias on the coefficient  $\kappa\beta$  according to regression (11) of the paper, this bias also dampens with sample size, and the PPML seem to be much less affected by this bias in comparison to the OLS estimator. As expected, estimators in Table 6 are closer to its theoretical value  $\kappa\beta = 1.25$  in contrast to Table 5 due to lesser sampling errors.

#### 2.4.2 Results with a different definition of earnings

Tables 7-10 report results considering earnings to be  $\frac{w_{j,kt}s_{i,kt}}{\mu_{ij,kt}}$  instead of  $w_{j,kt}s_{i,kt}$  as in regression (10) of the paper. The main difference with previous results is that in Table 8 we start observing a downward bias that we didn't observe in Table 4. Again, these biases also dampen with sample size.

#### 2.4.3 Results when total utility also has a productivity draw

Tables 11-14 report results considering total welfare to be  $W_{ij,kt}\epsilon_{i,kt}\nu_{ij,kt}$ , where the productivity draw  $\nu_{ij,kt}$  distributes LogNormal(1,1). Notice that this also changes the definition of earnings, so we now have  $earn_{ij,kt} = w_{j,kt}s_{i,kt}\nu_{ij,kt}$ . In this case, it seems like the downward bias for tables 1 and 2 are not disappearing as sample size increases. These estimators exhibit the same downward biases as in the previous subsection.

Table 3: Estimators of sampled log-earnings on sampled log lagged-labor allocations, baseline model, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0853*** | 0.0906*** | 0.0941*** | 0.0964*** | 0.0989*** |
|                     | (0.00)    | (0.00)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 12300     | 24827     | 46163     | 63479     | 78922     |
| R-sq                | 0.999     | 0.999     | 1.000     | 1.000     | 1.000     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0860*** | 0.0904*** | 0.0940*** | 0.0964*** | 0.0987*** |
|                     | (0.00)    | (0.00)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 12300     | 24827     | 46163     | 63479     | 78922     |
| Pseudo R-sq         | 0.397     | 0.364     | 0.324     | 0.302     | 0.292     |

Standard errors in parentheses

Table 4: Estimators of sampled log-earnings on log lagged-labor allocations, baseline model,  $\operatorname{OLS}$  and  $\operatorname{PPML}$ 

|              | (1)           | (2)        | (3)        | (4)        | (5)        |
|--------------|---------------|------------|------------|------------|------------|
| L_iktlag_log | $0.100^{***}$ | 0.100***   | 0.100***   | 0.100***   | 0.100***   |
|              | (0.000000162) | (9.91e-08) | (6.88e-08) | (5.36e-08) | (4.86e-08) |
| Observations | 12760         | 25009      | 46212      | 63510      | 78922      |
| R-sq         | 1.000         | 1.000      | 1.000      | 1.000      | 1.000      |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)           | (2)           | (3)        | (4)        | (5)        |
|--------------|---------------|---------------|------------|------------|------------|
| L_iktlag_log | 0.100***      | 0.100***      | 0.100***   | 0.100***   | 0.100***   |
|              | (0.000000161) | (0.000000110) | (7.94e-08) | (6.58e-08) | (6.01e-08) |
| Observations | 12760         | 25009         | 46212      | 63510      | 78922      |
| Pseudo R-sq  | 0.396         | 0.365         | 0.324      | 0.302      | 0.292      |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 5: Estimators of sampled log-migration flows on sampled log-lagged-labor allocations, baseline model, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0160*** | 0.0301*** | 0.0534*** | 0.0775*** | 0.0959*** |
|                     | (0.00457) | (0.00331) | (0.00269) | (0.00230) | (0.00209) |
| Observations        | 12300     | 24827     | 46163     | 63479     | 78922     |
| R-sq                | 0.688     | 0.653     | 0.666     | 0.701     | 0.753     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | $\overline{(5)}$ |
|---------------------|-----------|-----------|-----------|-----------|------------------|
| sample_L_iktlag_log | 0.108***  | 0.110***  | 0.118***  | 0.124***  | 0.122***         |
|                     | (0.00702) | (0.00489) | (0.00324) | (0.00245) | (0.00177)        |
| Observations        | 72445     | 90026     | 96794     | 97637     | 97853            |
| Pseudo R-sq         | 0.0847    | 0.0857    | 0.0843    | 0.0831    | 0.0819           |

Standard errors in parentheses

Table 6: Estimators of sampled log-migration flows on log lagged-labor allocations, baseline model, OLS and PPML

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0192*** | 0.0332*** | 0.0571*** | 0.0802*** | 0.0965*** |
|              | (0.00457) | (0.00340) | (0.00280) | (0.00233) | (0.00210) |
| Observations | 12760     | 25009     | 46212     | 63510     | 78922     |
| R-sq         | 0.684     | 0.653     | 0.666     | 0.701     | 0.753     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.129***  | 0.120***  | 0.124***  | 0.128***  | 0.123***  |
|              | (0.00706) | (0.00499) | (0.00334) | (0.00248) | (0.00178) |
| Observations | 75692     | 90674     | 96949     | 97686     | 97853     |
| Pseudo R-sq  | 0.0855    | 0.0858    | 0.0843    | 0.0831    | 0.0819    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 7: Estimators of sampled log-earnings on sampled loglagged-labor allocations, model 2, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0865*** | 0.0879*** | 0.0942*** | 0.0950*** | 0.0977*** |
|                     | (0.00)    | (0.00)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 12017     | 24658     | 46173     | 63703     | 79045     |
| R-sq                | 0.986     | 0.980     | 0.975     | 0.972     | 0.970     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0860*** | 0.0884*** | 0.0944*** | 0.0951*** | 0.0980*** |
|                     | (0.00)    | (0.00)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 12017     | 24658     | 46173     | 63703     | 79045     |
| Pseudo R-sq         | 0.331     | 0.286     | 0.254     | 0.236     | 0.228     |

Standard errors in parentheses

Table 8: Estimators of sampled log-earnings on log lagged-labor allocations, model 2, OLS and  $\operatorname{PPML}$ 

|              | (1)       | (2)       | (3)        | (4)        | (5)        |
|--------------|-----------|-----------|------------|------------|------------|
| L_iktlag_log | 0.0980*** | 0.0990*** | 0.0996***  | 0.0992***  | 0.0995***  |
|              | (0.00170) | (0.00112) | (0.000795) | (0.000661) | (0.000582) |
| Observations | 12542     | 24939     | 46318      | 63724      | 79078      |
| R-sq         | 0.986     | 0.981     | 0.975      | 0.972      | 0.970      |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)        | (4)        | (5)        |
|--------------|-----------|-----------|------------|------------|------------|
| L_iktlag_log | 0.0985*** | 0.0982*** | 0.0994***  | 0.0993***  | 0.0999***  |
|              | (0.00186) | (0.00113) | (0.000810) | (0.000687) | (0.000636) |
| Observations | 12542     | 24939     | 46318      | 63724      | 79078      |
| Pseudo R-sq  | 0.332     | 0.288     | 0.254      | 0.237      | 0.229      |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 9: Estimators of sampled log-migration flows on sampled log lagged-labor allocations, model 2, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0233*** | 0.0322*** | 0.0579*** | 0.0771*** | 0.0961*** |
|                     | (0.00485) | (0.00339) | (0.00268) | (0.00233) | (0.00215) |
| Observations        | 12017     | 24658     | 46173     | 63703     | 79045     |
| R-sq                | 0.695     | 0.656     | 0.668     | 0.704     | 0.750     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | $\overline{(5)}$ |
|---------------------|-----------|-----------|-----------|-----------|------------------|
| sample_L_iktlag_log | 0.112***  | 0.117***  | 0.123***  | 0.123***  | 0.122***         |
|                     | (0.00733) | (0.00512) | (0.00328) | (0.00230) | (0.00177)        |
| Observations        | 71534     | 88804     | 96554     | 97607     | 97902            |
| Pseudo R-sq         | 0.0838    | 0.0867    | 0.0843    | 0.0825    | 0.0816           |

Standard errors in parentheses

Table 10: Estimators of sampled log-migration flows on loglagged-labor allocations, model 2, OLS and PPML

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0263*** | 0.0362*** | 0.0603*** | 0.0793*** | 0.0973*** |
|              | (0.00464) | (0.00348) | (0.00272) | (0.00239) | (0.00215) |
| Observations | 12542     | 24939     | 46318     | 63724     | 79078     |
| R-sq         | 0.693     | 0.655     | 0.668     | 0.704     | 0.750     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)           | (5)       |
|--------------|-----------|-----------|-----------|---------------|-----------|
| L_iktlag_log | 0.131***  | 0.130***  | 0.128***  | $0.127^{***}$ | 0.124***  |
|              | (0.00717) | (0.00510) | (0.00326) | (0.00234)     | (0.00177) |
| Observations | 75071     | 90035     | 96897     | 97656         | 97951     |
| Pseudo R-sq  | 0.0842    | 0.0870    | 0.0843    | 0.0825        | 0.0817    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 11: Estimators of sampled log-earnings on sampled log lagged-labor allocations, model 3, OLS and PPML  $\,$ 

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0656*** | 0.0667*** | 0.0754*** | 0.0766*** | 0.0809*** |
|                     | (0.01)    | (0.01)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 9724      | 19396     | 36590     | 50835     | 64907     |
| R-sq                | 0.760     | 0.702     | 0.632     | 0.588     | 0.563     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0687*** | 0.0737*** | 0.0813*** | 0.0863*** | 0.0907*** |
|                     | (0.01)    | (0.01)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 9724      | 19396     | 36590     | 50835     | 64907     |
| Pseudo R-sq         | 0.437     | 0.397     | 0.353     | 0.323     | 0.308     |

Standard errors in parentheses

Table 12: Estimators of sampled log-earnings on log lagged-labor allocations, model 3, OLS and  $\operatorname{PPML}$ 

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0793*** | 0.0768*** | 0.0842*** | 0.0819*** | 0.0859*** |
|              | (0.0104)  | (0.00674) | (0.00453) | (0.00373) | (0.00334) |
| Observations | 10129     | 19630     | 36679     | 50835     | 64940     |
| R-sq         | 0.759     | 0.702     | 0.632     | 0.589     | 0.564     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0748*** | 0.0799*** | 0.0900*** | 0.0927*** | 0.0966*** |
|              | (0.0103)  | (0.00704) | (0.00510) | (0.00488) | (0.00456) |
| Observations | 10129     | 19630     | 36679     | 50835     | 64940     |
| Pseudo R-sq  | 0.440     | 0.397     | 0.353     | 0.323     | 0.308     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 13: Estimators of sampled log-migration flows on sampled log lagged-labor allocations, model 3, OLS and PPML

|                     | (1)        | (2)       | (3)       | (4)       | (5)       |
|---------------------|------------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | $0.0185^*$ | 0.0325*** | 0.0485*** | 0.0620*** | 0.0753*** |
|                     | (0.00732)  | (0.00538) | (0.00429) | (0.00391) | (0.00384) |
| Observations        | 9724       | 19396     | 36590     | 50835     | 64907     |
| R-sq                | 0.628      | 0.559     | 0.496     | 0.467     | 0.467     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.129***  | 0.130***  | 0.119***  | 0.127***  | 0.124***  |
|                     | (0.00932) | (0.00797) | (0.00717) | (0.00674) | (0.00649) |
| Observations        | 67988     | 85046     | 95786     | 97565     | 97872     |
| Pseudo R-sq         | 0.0929    | 0.0977    | 0.0987    | 0.0979    | 0.0971    |

Standard errors in parentheses

Table 14: Estimators of sampled log-migration flows on loglagged-labor allocations, model 3, OLS and PPML

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0216**  | 0.0310*** | 0.0541*** | 0.0651*** | 0.0808*** |
|              | (0.00708) | (0.00548) | (0.00450) | (0.00408) | (0.00389) |
| Observations | 10129     | 19630     | 36679     | 50835     | 64940     |
| R-sq         | 0.624     | 0.558     | 0.496     | 0.467     | 0.467     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.143***  | 0.139***  | 0.131***  | 0.134***  | 0.130***  |
|              | (0.00947) | (0.00847) | (0.00733) | (0.00687) | (0.00654) |
| Observations | 70869     | 86452     | 96029     | 97565     | 97921     |
| Pseudo R-sq  | 0.0930    | 0.0976    | 0.0986    | 0.0980    | 0.0971    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 15: Estimators of sampled log-earnings on sampled log-lagged-labor allocations, model 4, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | $\overline{(5)}$ |
|---------------------|-----------|-----------|-----------|-----------|------------------|
| sample_L_iktlag_log | 0.0816*** | 0.0898*** | 0.0920*** | 0.0921*** | 0.0947***        |
|                     | (0.00)    | (0.00)    | (0.00)    | (0.00)    | (0.00)           |
| Observations        | 11943     | 23953     | 44689     | 61146     | 76228            |
| R-sq                | 0.937     | 0.913     | 0.880     | 0.856     | 0.837            |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0792*** | 0.0911*** | 0.0921*** | 0.0935*** | 0.0969*** |
|                     | (0.00)    | (0.00)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 11943     | 23953     | 44689     | 61146     | 76228     |
| Pseudo R-sq         | 0.345     | 0.306     | 0.270     | 0.252     | 0.244     |

Standard errors in parentheses

#### 2.4.4 Results when a different definition of earnings + higher variance of $\mu_{ij,kt}$

Tables 15-18 show results also for our alternative definition of earnings, but we now consider a higher variance for migration costs such that  $\mu_{ij,kt} \sim LogNormal(1,2)$  with location 1. There aren't really marked differences with respect to Tables 7-10.

### 2.4.5 Results with the productivity draw + higher variance of $\mu_{ij,kt}$

Tables 19-22 show results also making total welfare to be a function of a productivity draw with the same higher variance for migration costs as in the previous subsubsection. In comparison to Tables 11-14, estimators for the earnings regressions seem to exhibit a more persistent bias that does not dissipate with sample size, and estimators for the migration flow regression are more biased downwards.

# 2.4.6 Results with the productivity draw + higher variance of $\nu_{ij,kt}$

Tables 23-26 report results with the same productivity draw as before but with a higher variance such that  $\nu_{ij,kt} \sim LogNormal(1,10)$ . We can now see clear downward biases all across the board. Moreover, with small sample sizes a lot of the estimators are not even significant. Finally, is not even clear that the biases are actually disappearing with sample sizes.

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 16: Estimators of sampled log-earnings on log lagged-labor allocations, model 4, OLS and  $\operatorname{PPML}$ 

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0945*** | 0.0977*** | 0.0970*** | 0.0955*** | 0.0958*** |
|              | (0.00363) | (0.00269) | (0.00192) | (0.00167) | (0.00152) |
| Observations | 12442     | 24190     | 44763     | 61208     | 76263     |
| R-sq         | 0.938     | 0.914     | 0.880     | 0.856     | 0.837     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0933*** | 0.0990*** | 0.0978*** | 0.0965*** | 0.0983*** |
|              | (0.00277) | (0.00212) | (0.00160) | (0.00151) | (0.00141) |
| Observations | 12442     | 24190     | 44763     | 61208     | 76263     |
| Pseudo R-sq  | 0.345     | 0.306     | 0.270     | 0.252     | 0.244     |

Standard errors in parentheses

Table 17: Estimators of sampled log-migration flows on sampled log lagged-labor allocations, model 4, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0222*** | 0.0293*** | 0.0534*** | 0.0758*** | 0.0897*** |
|                     | (0.00493) | (0.00363) | (0.00287) | (0.00269) | (0.00252) |
| Observations        | 11943     | 23953     | 44689     | 61146     | 76228     |
| R-sq                | 0.682     | 0.644     | 0.632     | 0.652     | 0.682     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.114***  | 0.111***  | 0.119***  | 0.124***  | 0.122***  |
|                     | (0.00763) | (0.00506) | (0.00371) | (0.00298) | (0.00261) |
| Observations        | 71949     | 89113     | 96755     | 97510     | 97755     |
| Pseudo R-sq         | 0.0863    | 0.0876    | 0.0861    | 0.0849    | 0.0840    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 18: Estimators of sampled log-migration flows on loglagged-labor allocations, model 4, OLS and PPML

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0255*** | 0.0321*** | 0.0563*** | 0.0779*** | 0.0906*** |
|              | (0.00492) | (0.00384) | (0.00295) | (0.00272) | (0.00255) |
| Observations | 12442     | 24190     | 44763     | 61208     | 76263     |
| R-sq         | 0.681     | 0.644     | 0.632     | 0.652     | 0.682     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.137***  | 0.119***  | 0.125***  | 0.127***  | 0.123***  |
|              | (0.00749) | (0.00523) | (0.00380) | (0.00302) | (0.00263) |
| Observations | 75737     | 90163     | 96949     | 97608     | 97804     |
| Pseudo R-sq  | 0.0866    | 0.0876    | 0.0861    | 0.0849    | 0.0840    |

Standard errors in parentheses

Table 19: Estimators of sampled log-earnings on sampled log lagged-labor allocations, model 5, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0631*** | 0.0828*** | 0.0723*** | 0.0738*** | 0.0794*** |
|                     | (0.01)    | (0.01)    | (0.00)    | (0.00)    | (0.00)    |
| Observations        | 9196      | 19298     | 35709     | 49496     | 63144     |
| R-sq                | 0.772     | 0.693     | 0.628     | 0.590     | 0.564     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0599*** | 0.0768*** | 0.0734*** | 0.0764*** | 0.0832*** |
|                     | (0.01)    | (0.01)    | (0.01)    | (0.00)    | (0.00)    |
| Observations        | 9196      | 19298     | 35709     | 49496     | 63144     |
| Pseudo R-sq         | 0.418     | 0.389     | 0.341     | 0.318     | 0.303     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 20: Estimators of sampled log-earnings on log lagged-labor allocations, model 5, OLS and  $\operatorname{PPML}$ 

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0831*** | 0.0982*** | 0.0806*** | 0.0792*** | 0.0848*** |
|              | (0.0107)  | (0.00728) | (0.00482) | (0.00394) | (0.00339) |
| Observations | 9675      | 19516     | 35753     | 49521     | 63176     |
| R-sq         | 0.769     | 0.693     | 0.629     | 0.590     | 0.564     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0761*** | 0.0967*** | 0.0847*** | 0.0847*** | 0.0902*** |
|              | (0.0111)  | (0.00801) | (0.00573) | (0.00499) | (0.00458) |
| Observations | 9675      | 19516     | 35753     | 49521     | 63176     |
| Pseudo R-sq  | 0.420     | 0.390     | 0.342     | 0.319     | 0.303     |

Standard errors in parentheses

Table 21: Estimators of sampled log-migration flows on sampled log lagged-labor allocations, model 5, OLS and PPML

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0237**  | 0.0359*** | 0.0448*** | 0.0580*** | 0.0723*** |
|                     | (0.00799) | (0.00573) | (0.00446) | (0.00410) | (0.00402) |
| Observations        | 9196      | 19298     | 35709     | 49496     | 63144     |
| R-sq                | 0.613     | 0.537     | 0.480     | 0.452     | 0.440     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)       | (4)       | (5)       |
|---------------------|-----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0968*** | 0.109***  | 0.119***  | 0.121***  | 0.124***  |
|                     | (0.0113)  | (0.00911) | (0.00842) | (0.00814) | (0.00811) |
| Observations        | 65869     | 85010     | 95742     | 97447     | 97843     |
| Pseudo R-sq         | 0.0930    | 0.0950    | 0.0975    | 0.0969    | 0.0959    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 22: Estimators of sampled log-migration flows on loglagged-labor allocations, model 5, OLS and PPML

|              | (1)       | (2)       | (3)       | (4)       | (5)       |
|--------------|-----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0280*** | 0.0455*** | 0.0502*** | 0.0629*** | 0.0769*** |
|              | (0.00769) | (0.00585) | (0.00468) | (0.00426) | (0.00410) |
| Observations | 9675      | 19516     | 35753     | 49521     | 63176     |
| R-sq         | 0.609     | 0.536     | 0.481     | 0.452     | 0.440     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)      | (2)       | (3)       | (4)       | (5)       |
|--------------|----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.127*** | 0.132***  | 0.132***  | 0.131***  | 0.132***  |
|              | (0.0111) | (0.00904) | (0.00879) | (0.00842) | (0.00837) |
| Observations | 69718    | 86213     | 95897     | 97496     | 97892     |
| Pseudo R-sq  | 0.0930   | 0.0952    | 0.0975    | 0.0969    | 0.0960    |

Standard errors in parentheses

Table 23: Estimators of sampled log-earnings on sampled log lagged-labor allocations, model 6, OLS and PPML

|                     | (1)    | (2)      | (3)       | (4)       | (5)       |
|---------------------|--------|----------|-----------|-----------|-----------|
| sample_L_iktlag_log | 0.0201 | 0.0405** | 0.0332*** | 0.0340*** | 0.0440*** |
|                     | (0.02) | (0.01)   | (0.01)    | (0.01)    | (0.01)    |
| Observations        | 4862   | 10893    | 21721     | 31041     | 41810     |
| R-sq                | 0.714  | 0.613    | 0.525     | 0.463     | 0.414     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                          | (1)      | (2)      | (3)      | (4)      | (5)       |
|--------------------------|----------|----------|----------|----------|-----------|
|                          | (1)      | (2)      | ( )      |          |           |
| $sample\_L\_iktlag\_log$ | -0.00838 | 0.0505** | 0.0347** | 0.0317** | 0.0538*** |
|                          | (0.02)   | (0.02)   | (0.01)   | (0.01)   | (0.01)    |
| Observations             | 4862     | 10893    | 21721    | 31041    | 41810     |
| Pseudo R-sq              | 0.616    | 0.581    | 0.494    | 0.447    | 0.450     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 24: Estimators of sampled log-earnings on loglagged-labor allocations, model 6, OLS and PPML

|              | (1)      | (2)      | (3)       | (4)       | (5)       |
|--------------|----------|----------|-----------|-----------|-----------|
| L_iktlag_log | 0.0351   | 0.0458** | 0.0466*** | 0.0520*** | 0.0559*** |
|              | (0.0245) | (0.0152) | (0.0102)  | (0.00825) | (0.00689) |
| Observations | 5261     | 11112    | 21782     | 31050     | 41810     |
| R-sq         | 0.703    | 0.611    | 0.525     | 0.463     | 0.414     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)      | (2)       | (3)            | (4)            | (5)       |
|--------------|----------|-----------|----------------|----------------|-----------|
| L_iktlag_log | 0.00102  | 0.0570*** | $0.0514^{***}$ | $0.0470^{***}$ | 0.0630*** |
|              | (0.0248) | (0.0171)  | (0.0127)       | (0.0119)       | (0.0103)  |
| Observations | 5261     | 11112     | 21782          | 31050          | 41810     |
| Pseudo R-sq  | 0.610    | 0.579     | 0.494          | 0.448          | 0.450     |

Standard errors in parentheses

Table 25: Estimators of sampled log-migration flows on sampled log lagged-labor allocations, model 6, OLS and PPML

|                     | (1)      | (2)       | (3)       | (4)       | (5)       |
|---------------------|----------|-----------|-----------|-----------|-----------|
| sample_L_iktlag_log | -0.00630 | 0.0241*   | 0.0163*   | 0.0230*** | 0.0363*** |
|                     | (0.0143) | (0.00969) | (0.00765) | (0.00664) | (0.00614) |
| Observations        | 4862     | 10893     | 21721     | 31041     | 41810     |
| R-sq                | 0.653    | 0.553     | 0.458     | 0.399     | 0.351     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)       | (2)       | (3)            | (4)       | (5)       |
|---------------------|-----------|-----------|----------------|-----------|-----------|
| sample_L_iktlag_log | 0.0740*** | 0.0746*** | $0.0747^{***}$ | 0.0680*** | 0.0759*** |
|                     | (0.0172)  | (0.0146)  | (0.0143)       | (0.0141)  | (0.0141)  |
| Observations        | 52515     | 71801     | 88938          | 94701     | 97111     |
| Pseudo R-sq         | 0.122     | 0.131     | 0.137          | 0.141     | 0.142     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 26: Estimators of sampled log-migration flows on loglagged-labor allocations, model 6, OLS and PPML

|              | (1)      | (2)      | (3)       | (4)       | (5)       |
|--------------|----------|----------|-----------|-----------|-----------|
| L_iktlag_log | -0.0107  | 0.0293** | 0.0295*** | 0.0340*** | 0.0462*** |
|              | (0.0150) | (0.0106) | (0.00860) | (0.00762) | (0.00680) |
| Observations | 5261     | 11112    | 21782     | 31050     | 41810     |
| R-sq         | 0.641    | 0.552    | 0.458     | 0.400     | 0.352     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)      | (2)       | (3)       | (4)       | (5)       |
|--------------|----------|-----------|-----------|-----------|-----------|
| L_iktlag_log | 0.103*** | 0.0967*** | 0.0987*** | 0.0896*** | 0.0933*** |
|              | (0.0184) | (0.0167)  | (0.0163)  | (0.0163)  | (0.0161)  |
| Observations | 56675    | 73515     | 89183     | 94759     | 97111     |
| Pseudo R-sq  | 0.122    | 0.131     | 0.137     | 0.141     | 0.142     |

Standard errors in parentheses

# 2.4.7 Results with the productivity draw + higher variance of $\nu_{ij,kt}$ + truncated $L_{i,kt-1}$ from below by its median

Tables 27-30 show results including the productivity draw  $\nu_{ij,kt} \sim LogNormal(1,10)$  and the right-hand side variable in all equations  $L_{i,kt-1}$  truncated from below by its median by period. We are doing this to check if part of the downward bias in the migration flow regressions come from errors being drawn asymmetrically at  $L_{ij,kt} = 0$ . We confirm this by comparing these results with Tables 25 and 26, where now the downward bias is dampened. Finally, note that Table 30 has one column less in comparison to all previous ones. This is because the PPML command did not converge for a sample size of 5%, so we excluded that first column.

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 27: Estimators of sampled log-earnings on sampled loglagged-labor allocations, model 7, OLS and PPML

|                     | (1)    | (2)    | (3)    | (4)     | (5)      |
|---------------------|--------|--------|--------|---------|----------|
| sample_L_iktlag_log | 0.0666 | 0.0426 | 0.0285 | 0.0394* | 0.0468** |
|                     | (0.08) | (0.05) | (0.03) | (0.02)  | (0.02)   |
| Observations        | 1057   | 3290   | 9205   | 13967   | 19908    |
| R-sq                | 0.789  | 0.745  | 0.644  | 0.582   | 0.535    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)     | (2)      | (3)    | (4)    | (5)     |
|---------------------|---------|----------|--------|--------|---------|
| sample_L_iktlag_log | -0.0175 | -0.00591 | 0.0335 | 0.0113 | 0.0428* |
|                     | (0.07)  | (0.04)   | (0.02) | (0.02) | (0.02)  |
| Observations        | 1044    | 3488     | 9106   | 13937  | 19836   |
| Pseudo R-sq         | 0.674   | 0.678    | 0.577  | 0.523  | 0.550   |

Standard errors in parentheses

Table 28: Estimators of sampled log-earnings on log lagged-labor allocations, model 7, OLS and  $\operatorname{PPML}$ 

|              | (1)      | (2)      | (3)      | (4)       | (5)       |
|--------------|----------|----------|----------|-----------|-----------|
| L_iktlag_log | -0.0114  | -0.0106  | 0.0463   | 0.0776*** | 0.0726*** |
|              | (0.0826) | (0.0421) | (0.0243) | (0.0196)  | (0.0159)  |
| Observations | 1048     | 3488     | 9106     | 13937     | 19836     |
| R-sq         | 0.775    | 0.740    | 0.653    | 0.578     | 0.526     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)      | (2)      | (3)      | (4)      | (5)       |
|--------------|----------|----------|----------|----------|-----------|
| L_iktlag_log | -0.0254  | -0.0173  | 0.0825** | 0.0401   | 0.0773*** |
|              | (0.0841) | (0.0469) | (0.0281) | (0.0236) | (0.0199)  |
| Observations | 1048     | 3488     | 9106     | 13937    | 19836     |
| Pseudo R-sq  | 0.674    | 0.678    | 0.578    | 0.523    | 0.550     |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 29: Estimators of sampled log-migration flows on sampled log-lagged-labor allocations, model 7, OLS and PPML

|                     | (1)      | (2)      | (3)      | (4)      | (5)      |
|---------------------|----------|----------|----------|----------|----------|
| sample_L_iktlag_log | -0.0307  | 0.00865  | 0.0256   | 0.0278   | 0.0465** |
|                     | (0.0552) | (0.0335) | (0.0228) | (0.0189) | (0.0161) |
| Observations        | 1057     | 3290     | 9205     | 13967    | 19908    |
| R-sq                | 0.760    | 0.690    | 0.582    | 0.529    | 0.485    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|                     | (1)      | (2)      | (3)        | (4)      | (5)      |
|---------------------|----------|----------|------------|----------|----------|
| sample_L_iktlag_log | 0.0707*  | 0.128*** | $0.0745^*$ | 0.0829** | 0.0898** |
|                     | (0.0360) | (0.0297) | (0.0326)   | (0.0313) | (0.0316) |
| Observations        | 18924    | 26748    | 37691      | 41752    | 45369    |
| Pseudo R-sq         | 0.127    | 0.135    | 0.148      | 0.154    | 0.159    |

Standard errors in parentheses

Table 30: Estimators of sampled log-migration flows on loglagged-labor allocations, model 7, OLS and PPML

|              | (1)      | (2)      | (3)      | (4)      | (5)       |
|--------------|----------|----------|----------|----------|-----------|
| L_iktlag_log | -0.116   | -0.00240 | 0.0281   | 0.0450*  | 0.0592*** |
|              | (0.0612) | (0.0316) | (0.0215) | (0.0192) | (0.0167)  |
| Observations | 1048     | 3488     | 9106     | 13937    | 19836     |
| R-sq         | 0.758    | 0.687    | 0.598    | 0.527    | 0.482     |

Standard errors in parentheses

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

|              | (1)      | (2)      | (3)       | (4)      |
|--------------|----------|----------|-----------|----------|
| L_iktlag_log | 0.114*** | 0.103*** | 0.0998*** | 0.101*** |
|              | (0.0318) | (0.0306) | (0.0303)  | (0.0305) |
| Observations | 26986    | 37004    | 41965     | 45247    |
| Pseudo R-sq  | 0.142    | 0.154    | 0.162     | 0.167    |

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001