Due Monday, March 24.

1. Use the algorithm we discussed in class (see the notes from Wed, March 5) to convert the following context-free grammar to Chomsky normal form:

$$S \to ASA \mid A \mid \epsilon$$

$$S \to aa \mid \epsilon$$

2. Give a detailed written description (but not a state diagram) of a Turing machine that accepts the following language.

 $L = \{w \in \{a, b\}^* : w \text{ has an equal number of } a$'s and b's $\}$.

3. A binary-incrementer is a function that reads a binary number from a tape, and replaces it with the binary number that is one greater. So 111 becomes 1000, for example. Draw a state diagram for a Turing machine that evaluates the binary-incrementer function. Hint: You should only need four or five states.

4.	If you have a Turing machine that computes the binary-incrementer function, explain how you could create a Turing machine that reads a string of n 1's, and replaces it with the binary integer that represents n . For example 1111 would become 100 since 100 represents $n=4$ in binary. You don't need to draw a state diagram, but explain in detail how you would incorporate the binary-incrementer machine into your new Turing machine.
5.	Let Σ be an alphabet, and let $L \subset \Sigma^*$ be a language. If L is decidable, prove that its complement \overline{L} is also decidable.
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0.	Why doesn't the same argument show that the complement of an acceptable language is acceptable?