

**University of Waterloo**  
**CS 234 - Data Types and Structures**  
**Spring 2014**  
**Assignment 5**  
**Due Friday July 25<sup>th</sup> at 4:00 pm**

**Assignment Guidelines**

- Clarifications about the assignment will be posted on Piazza in the thread “Assignment 5 [Official].”
- Instructions on how to submit your assignments to MarkUs will also be posted in Piazza. Your programs must work in the `linux.student.cs.uwaterloo.ca` environment using Python 2.7.3.
- Use `A5-coversheet.pdf` for the first page of your assignment or format the top of the first page of your assignment in *exactly* the same manner.
- You may lose up to 20% on a question because it is difficult to read or difficult to understand.

**Question 1: Comparing Sorts [20 marks]**

For this question you will compare the running time of Heap Sort and Insertion Sort to the default sort provided with Python (i.e. Timsort). In the assignments section of Learn, I have created a file called `A5Q1Compare.py`. This file imports `heapSort` and `insertionSort` from a file called `A5Q1.py` (which you provide). It then tests these sorts for increasingly larger lists and reports back how long it takes to sort them.

The file `A5Q1Compare.py` uses three functions that you may not have seen before. The function `clock()` is used to get the time just before and just after a sorting routine is called in order to measure how long it takes to sort the list. In order to generate a list of random integers you must first call `seed()` once giving it an integer as input to initialize the random number generator. After calling `seed()` once, each time you call `randint(0, MAX_INT)` you get a different random integer between 0 and `MAX_INT`.

- In a file called `A5Q1.py` create a function called `heapSort(aList)` which given `aList` will return the list sorted in *descending order* (a slight modification to what is presented in lecture slides 232-237) You must use the in-place version of `heapSort` *using a min-heap*. In addition to this function, create two helper functions, `_siftUp` and `_siftDown` that help you insert and remove items from the heap while maintaining the min-heap property (i.e. that the parent has a lower value than the child).
- In the same file, `A5Q1.py`, create a function called `insertionSort(aList)` that uses the list functions `insert()` and `pop()` to implement insertion sort (as presented on lecture slide 243) As in part a) the list must be sorted in *descending order*.
- In a file called `A5Q1Test.py` create a function called `testHeapSort(aSeed)` that tests heapsort in order to ensure that it is sorting lists properly. Here `aSeed` is an integer value. Do this testing by generating lists of random integers and comparing the results from your implementation of heapsort with the answer that python's default sort provides. To sort `aList` in descending order in Python use the command `aList.sort(reverse=True)`. You may use the ideas from the file `A5Q1Compare.py` in order to implement `testHeapSort()`.
- On paper, compare the time complexity of the implementation you did of Insertion Sort using Python lists that you did in part b) with an implementation that would use linked lists. Which version do you think would typically run faster? Justify your answer.

Your mark will be based on performance in test cases [5 marks] as well as inspection of your source code with regard to clarity (i.e. well documented class and function headers, identified preconditions and postconditions, meaningful error message and variable names) as well as organization, simplicity and efficiency. [12 marks] The written portion d) is worth 3 marks.

**Question 1 Deliverables:**

- On MarkUs, submit a file called A5Q1.py which contains the functions heapSort(), \_siftUp(), \_siftDown() and insertionSort().
- On MarkUs, submit a file called A5Q1Test.py which contains the function testHeapSort().
- In the assignment drop boxes on the 4<sup>th</sup> floor of the MC, submit the answer to 1 d)

**Question 2: Comparing Sorts[8 marks]**

On paper show where the following values would end up if you inserted them in exactly this order, in a heap, using the hash function  $h(key) = key \bmod 13$ . The values are 19, 110, 32, 71. Show your calculations.

a) using linear probing (i.e. step size of 1)

b) using double hashing where the second hash function is  $hp(key) = 1 + key \bmod 9$