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College Sangamner

DEPARTMENT OF COMPUTER SCIENCE

Sub: Mathematics

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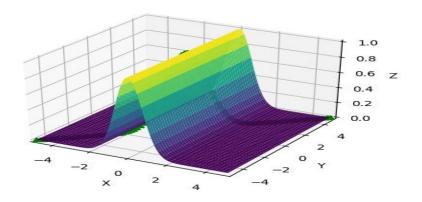
Q1 Attempt any TWO of the following

A) Write a python program to plot 3D graph of the function $f(x)=e^{-x^2}$ in [-5,5] with green dashed points line with upward pointing triangle

-> import numpy as np import matplotlib.pyplot as plt from mpl_toolkits.mplot3d import Axes3D def f(x, y): return np.exp(-x**2)x = np.linspace(-5, 5, 100)y = np.linspace(-5, 5, 100)X, Y = np.meshgrid(x, y)Z = f(X, Y)fig = plt.figure() ax = fig.add_subplot(111, projection='3d') ax.plot_surface(X, Y, Z, cmap='viridis') $ax.plot(x, y, f(x, y), 'g--', marker='^')$ $ax.set_xlim([-5, 5])$ $ax.set_ylim([-5, 5])$ $ax.set_zlim([0, 1])$ ax.set_xlabel('X') ax.set_ylabel('Y')

ax.set_zlabel('Z')

plt.show()



B) Write a python program to plot the graph of the function using def() $F(x)=\{x^2+4 \text{ if } -10\leq x < 5 \text{ , } 3x+9 \text{ if } 5\leq x < 10 \text{ } \}$

```
F(x)={x²+4 if -10≤x<5, 3x+

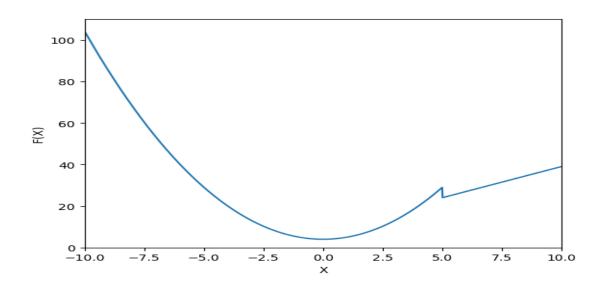
→

import matplotlib.pyplot as plt
import numpy as np
def F(x):
  if -10 <= x < 5:
    return x**2 + 4
  elif 5 <= x < 10:
    return 3*x + 9

x = np.linspace(-10, 10, 1000)
y = [F(i) for i in x]

plt.plot(x, y)
plt.xlim([-10, 10])
plt.ylim([0, 110])
plt.ylabel('X')
plt.ylabel('F(X)')
```

plt.show()



C) Write a python program to plot graph of the function $f(x) \! = \! log(3x^2), \ in[1,\!10]$ with black dashed points

```
import numpy as np
import matplotlib.pyplot as plt
def f(x):
    return np.log(3*x**2)

x = np.linspace(1, 10, 100)
```

```
y = f(x)

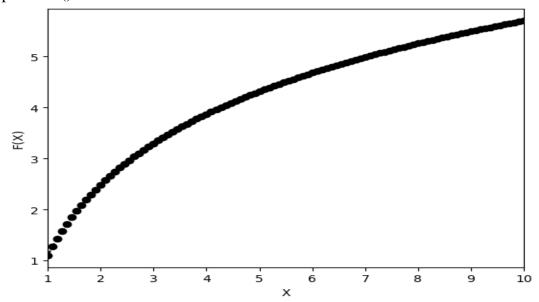
plt.plot(x, y, 'k--o')

plt.xlim([1, 10])

plt.xlabel('X')

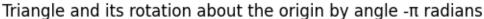
plt.ylabel('F(X)')

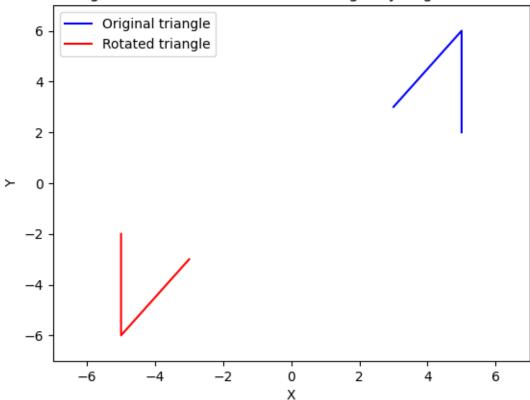
plt.show()
```



Q2) Attempt any TWO of the following

A)Write a python program to plot triangle with vertices[3,3],[5,6],[5,2] and its rotation about the origin by angle $-\pi$ radians $-\rightarrow$





B) Write a python program to generate vector x in the interval [-22,22] using numpy package with 80 subintervals -→

import numpy as np num_subintervals = 80 interval = [-22, 22] subinterval_size = (interval[1] - interval[0]) / num_subintervals $x = np.arange(interval[0], interval[1] + subinterval_size, subinterval_size)$ print(x)

output:

```
-1.32000000e+01 -1.26500000e+01 -1.21000000e+01 -1.15500000e+01
-1.10000000e+01 -1.04500000e+01 -9.90000000e+00 -9.35000000e+00
-8.80000000e+00 -8.25000000e+00 -7.70000000e+00 -7.15000000e+00
-6.60000000e+00 -6.05000000e+00 -5.50000000e+00 -4.95000000e+00
-4.40000000e+00 -3.85000000e+00 -3.30000000e+00 -2.75000000e+00
-2.20000000e+00 -1.65000000e+00 -1.10000000e+00 -5.50000000e-01
2.84217094e-14 5.50000000e-01 1.10000000e+00 1.65000000e+00
2.20000000e+00 2.75000000e+00 3.30000000e+00 3.85000000e+00
4.40000000e+00 4.95000000e+00 5.50000000e+00 6.05000000e+00
6.60000000e+00 7.15000000e+00 7.70000000e+00 8.25000000e+00
8.80000000e+00 9.35000000e+00 9.90000000e+00 1.04500000e+01
1.10000000e+01 1.15500000e+01 1.21000000e+01 1.26500000e+01
1.32000000e+01 1.37500000e+01 1.43000000e+01 1.48500000e+01
1.54000000e+01 1.59500000e+01 1.65000000e+01 1.70500000e+01
1.76000000e+01 1.81500000e+01 1.87000000e+01 1.92500000e+01
1.98000000e+01\ 2.03500000e+01\ 2.09000000e+01\ 2.14500000e+01
2.20000000e+01]
```

C)Write a python program to draw a polygon with vertices (0,0),(1,0),(2,2),(1,4) also find area and perimeter of the polygon

```
->
import matplotlib.pyplot as plt
vertices = [(0,0), (1,0), (2,2), (1,4)]
polygon = plt.Polygon(vertices, closed=True, fill=None, edgecolor='black')
fig. ax = plt.subplots()
ax.add_patch(polygon)
ax.set_xlim(-1, 3)
ax.set_ylim(-1, 5)
perimeter = 0
for i in range(len(vertices)-1):
              perimeter += ((\text{vertices}[i][0]-\text{vertices}[i+1][0])**2 + (\text{vertices}[i][1]-\text{vertices}[i][1])**2 + (\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][1]-\text{vertices}[i][
vertices[i+1][1])**2)**0.5
vertices[0][1])**2)**0.5
area = 0
for i in range(len(vertices)-1):
```

area += vertices[i][0]*vertices[i+1][1] - vertices[i+1][0]*vertices[i][1]

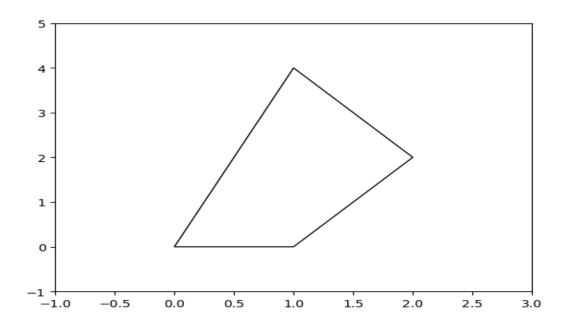
area += vertices[-1][0]*vertices[0][1] - vertices[0][0]*vertices[-1][1]

area = abs(area) / 2

```
print('Perimeter:', perimeter)
print('Area:', area)
plt.show()
```

Perimeter: 9.595241580617241

Area: 4.0



Q3) Attempt the following

A) Attempt any ONE of the following

I) Write a python program to solve the following LPP:

Min Z=3.5x+2y
Subject to
$$x+y\geq 5$$

 $x\geq 4$
 $y\geq 2$
 $x,y\geq 0$

bounds = [(0, None), (0, None)]

```
res = linprog(c, A_ub=A, b_ub=b, bounds=bounds, method='simplex')
print("Status:", res.message)
print("x =", res.x[0])
print("y =", res.x[1])
print("Z =", res.fun)
output:
Status: Optimization terminated successfully.
x = 0.0
y = 0.0
Z = 0.0
II )Write a python program to solve the following LPP:
         Min Z=x+y
         Subject to x \ge 6
                   y≥6
                 x+y \le 11
                       x,y≥0
->
import numpy as np
from scipy.optimize import linprog
c = np.array([1, 1])
A = np.array([[-1, 0],
        [0, -1],
        [1, 1]]
b = np.array([-6, -6, 11])
bounds = [(0, None), (0, None)]
res = linprog(c, A_ub=A, b_ub=b, bounds=bounds, method='simplex')
print("Status:", res.message)
print("x =", res.x[0])
print("y =", res.x[1])
print("Z =", res.fun)
output:
x = 6.0
```

```
y = 6.0
Z = 12.0
```

B) Attempt any ONE of the following

C) Scaling in X-coordinate by 3 units D) Reflection through the line y=x

->

import numpy as np A = np.array([4, -1])

```
I) Apply python program in each of the following transformation on the points P[3,-1]
  A) reflection through X-axis
  B) Scaling in X-coordinate by factor 2
  C) Scaling in Y-coordinate by factor 1.5
  D) Reflection through the line y=x
->
import numpy as np
P = np.array([3, -1])
P_reflected = np.array([P[0], -P[1]])
print("Reflection through X-axis:", P_reflected)
P_scaled_x = np.array([2*P[0], P[1]])
print("Scaling in X-coordinate by factor 2:", P_scaled_x)
P_{scaled_y} = np.array([P[0], 1.5*P[1]])
print("Scaling in Y-coordinate by factor 1.5:", P_scaled_y)
P_reflected_line = np.array([P[1], P[0]])
print("Reflection through the line y=x:", P_reflected_line)
output:
Reflection through X-axis: [3 1]
Scaling in X-coordinate by factor 2: [6-1]
Scaling in Y-coordinate by factor 1.5: [3. -1.5]
Reflection through the line y=x: [-1 3]
II )Find the combined transformation of the line segment between the points A[4,-
1] & B[3,0] by using python program for the following sequence of transformation
  A) Rotation about origin through an angle \pi
  B) Shering in Y-direction by 4.5 units
```

```
B = np.array([3, 0])
```

R = np.array([[-1, 0], [0, -1]])

 $A_{rotated} = np.dot(R, A)$

 $B_rotated = np.dot(R, B)$

S = np.array([[1, 0], [4.5, 1]])

 $A_{sheared} = np.dot(S, A_{rotated})$

 $B_sheared = np.dot(S, B_rotated)$

Sx = np.array([[3, 0], [0, 1]])

 $A_scaled = np.dot(Sx, A_sheared)$

 $B_scaled = np.dot(Sx, B_sheared)$

 $R_{line} = np.array([[0, 1], [1, 0]])$

A_reflected = np.dot(R_line, A_scaled)

B_reflected = np.dot(R_line, B_scaled)

print("Transformed point A:", A_reflected)
print("Transformed point B:", B_reflected)

output:

Transformed point A: [-17. -12.] Transformed point B: [-13.5 -9.]