Sahakar Maharshi Bhausaheb Santuji Thorat

College Sangamner

DEPARTMENT OF COMPUTER SCIENCE

Sub: Mathematics

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Demons	strato	r's
Signatu	re	
Date:-	/	/20

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Title of the expt:- Slip no 17	Page.no:- Class:- BCS

Q1) Attempt any TWO of the following

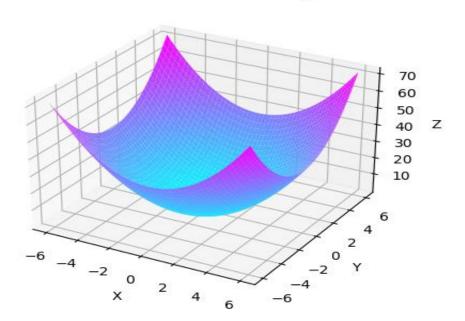
A) Write a python program to plot the 3D graph of the function $z=x^2+y^2$ in -6<x,y<6 using surface plot

->

import matplotlib.pyplot as plt from mpl_toolkits.mplot3d import Axes3D import numpy as np fig = plt.figure() ax = fig.add_subplot(111, projection='3d') x = np.linspace(-6, 6, 100) y = np.linspace(-6, 6, 100) X, Y = np.meshgrid(x, y) Z = X**2 + Y**2

ax.plot_surface(X, Y, Z, cmap='cool')
ax.set_xlabel('X')
ax.set_ylabel('Y')
ax.set_zlabel('Z')
ax.set_title('3D Surface Plot of z=x^2+y^2')
plt.show()

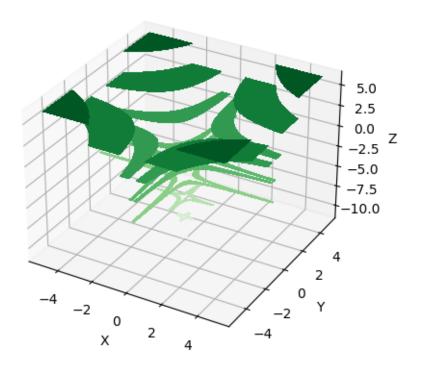
3D Surface Plot of z=x^2+y^2



B) Write a python program to plot 3D countours for the function $f(x,y)=\log(x^2y^2)$ when $-5 \le x,y \le 5$ with greens color map $- \Rightarrow$

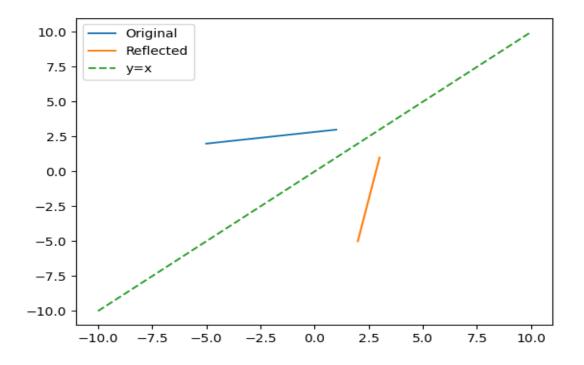
```
import numpy as np
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
def f(x, y):
  return np.log(x**2 * y**2)
x = np.linspace(-5, 5, 100)
y = np.linspace(-5, 5, 100)
X, Y = np.meshgrid(x, y)
Z = f(X, Y)
fig = plt.figure()
ax = fig.add_subplot(111, projection='3d')
ax.contourf(X, Y, Z, cmap='Greens')
ax.set_xlabel('X')
ax.set_ylabel('Y')
ax.set_zlabel('Z')
ax.set_title('3D Countours for f(x,y)=log(x^2y^2)')
plt.show()
```

3D Countours for $f(x,y) = log(x^2y^2)$



C) Write a python program to reflect the line segment joining the points A[-5,2] and B[1,3] through the line y=x -→

```
A = [-5, 2]
B = [1, 3]
def y_equals_x(x):
  return x
def reflect_point(point):
  x, y = point
  return [y, x]
A_reflected = reflect_point(A)
B_reflected = reflect_point(B)
print("A_reflected:", A_reflected)
print("B_reflected:", B_reflected)
import matplotlib.pyplot as plt
plt.plot([A[0], B[0]], [A[1], B[1]], label="Original")
plt.plot([A_reflected[0],
                              B_reflected[0]],
                                                    [A_reflected[1],
                                                                          B_reflected[1]],
label="Reflected")
plt.plot([-10, 10], [-10, 10], linestyle="dashed", label="y=x")
plt.legend()
plt.show()
```



Q 2) Attempt any TWO of the following

A) Write a python program to rotate the line segment by 180 degrees having end points (1,0) and (2,-1) \rightarrow

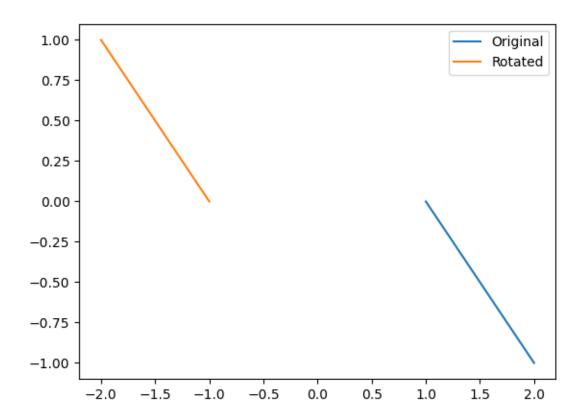
```
A = [1, 0]
B = [2, -1]

def rotate_point(point):
    x, y = point
    return [-x, -y]

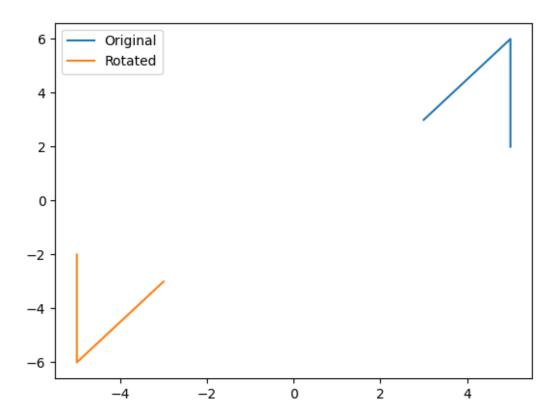
A_rotated = rotate_point(A)
B_rotated = rotate_point(B)

print("A_rotated:", A_rotated)
print("B_rotated:", B_rotated)

import matplotlib.pyplot as plt
plt.plot([A[0], B[0]], [A[1], B[1]], label="Original")
plt.plot([A_rotated[0], B_rotated[0]], [A_rotated[1], B_rotated[1]], label="Rotated")
plt.legend()
plt.show()
```



B)Write a python program to plot triangle with vertices [3,3],[5,6],[5,2] and its rotation about the origin by angle $-\pi$ radians



C) Write a python program to drawn a polygon with vertices (0,0),(1,0),(2,2),(1,4) and find its area and perimeter

```
import math import matplotlib.pyplot as plt vertices = [(0, 0), (1, 0), (2, 2), (1, 4)]

x, y = zip(*vertices)

plt.plot(x, y, '-o')

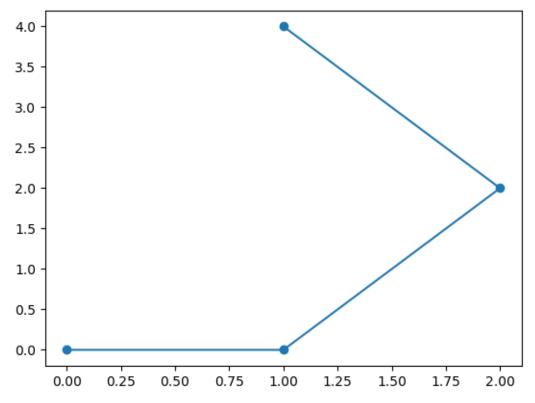
plt.show()
```

```
\begin{aligned} & \text{perimeter} = 0 \\ & \text{for i in range(len(vertices)):} \\ & \text{j} = (i+1) \ \% \ \text{len(vertices)} \\ & \text{dx} = \text{vertices[j][0]} - \text{vertices[i][0]} \\ & \text{dy} = \text{vertices[j][1]} - \text{vertices[i][1]} \\ & \text{perimeter} += \text{math.sqrt}(\text{dx**2} + \text{dy**2}) \\ & \text{area} = 0.5 * \text{abs(sum(x[i]*y[j] - y[i]*x[j] for i, j in zip(range(-1, len(x)-1), range(len(y)))))} \\ & \text{print("Perimeter:", perimeter)} \\ & \text{print("Area:", area)} \end{aligned}
```

output:

Perimeter: 9.595241580617241

Area: 4.0



Q3) Attempt the following

A) Attempt any one of the following

I) Write a Python program to solve the following LPP:

Max Z=
$$4x+y+3z+5w$$

Subject to $4x+6y-5y-4w \ge -20$
 $-8x-3y+3z2w \le 20$
 $X,y \ge 0$

```
\rightarrow
 from scipy.optimize import linprog
  obj = [-4, -1, -3, -5]
 lhs_eq = [[4, 6, -5, -4], [-8, -3, 3, 2]]
 rhs_eq = [20, -20]
 bnd = [(0, None), (0, None), (0, None), (0, None)]
  opt = linprog(c=obj, A_eq=lhs_eq, b_eq=rhs_eq, bounds=bnd, method="simplex")
  print("Optimal solution:", opt.x)
  print("Optimal objective value:", opt.fun)
  output:
  Optimal solution: [1.66666667 2.22222222 0.
                                                     0.
                                                            ]
  Optimal objective value: -8.88888888888889
II ) Write a python program to solve the following LPP:
       Max Z=x+y
         Subject to x≤6
                    y≤6
                 x+y≤11
                 x,y≥0
->
from scipy.optimize import linprog
obj = [-1, -1]
lhs_eq = [[1, 0], [0, 1], [1, 1]]
rhs_eq = [6, 6, 11]
bnd = [(0, None), (0, None)]
opt = linprog(c=obj, A_eq=lhs_eq, b_eq=rhs_eq, bounds=bnd, method="simplex")
print("Optimal solution:", opt.x)
print("Optimal objective value:", -opt.fun)
output:
  Optimal solution: [0. 0.]
  Optimal objective value: -0.0
```

B) Attempt any ONE of the following

- I)Apply each of the following transformation on the point P[3,-1]
 - a) Reflection through x-axis
 - b) Scaling in Y-coordinate by factor 1.5
 - c) Shering in both X and Y direction by -2 and 4 units respectively
 - d) Rotation about origin by anagle 30 degree

-→

```
import math
P = [3, -1]
Px = P[0]
Pv = -P[1]
print("Reflection through x-axis:", [Px, Py])
Px = P[0]
Py = 1.5 * P[1]
print("Scaling in Y-coordinate by factor 1.5:", [Px, Py])
Px = P[0] - 2 * P[1]
Py = P[1] + 4 * P[0]
print("Shearing in both X and Y direction by -2 and 4 units respectively:", [Px, Py])
theta = math.radians(30)
Px = P[0] * math.cos(theta) - P[1] * math.sin(theta)
Py = P[0] * math.sin(theta) + P[1] * math.cos(theta)
print("Rotation about origin by anagle 30 degree:", [Px, Py])
output:
Reflection through x-axis: [3, 1]
Scaling in Y-coordinate by factor 1.5: [3, -1.5]
Shearing in both X and Y direction by -2 and 4 units respectively: [5, 11]
Rotation about origin by anagle 30 degree: [3.098076211353316, 0.6339745962155611]
```

II) Write a python program to draw polygon with vertices [3,3],[4,6],[5,4],[4,2] and [2,2] and its transformation in x and y direction by factor -2 and 1 respectively

```
import matplotlib.pyplot as plt
polygon_vertices = [[3,3], [4,6], [5,4], [4,2], [2,2]]
x, y = zip(*polygon_vertices)
plt.plot(x, y, marker='o', color='blue')
plt.title('Original Polygon')
plt.show()
x factor = -2
```

$y_factor = 1$

transformed_vertices = []
for vertex in polygon_vertices:
 transformed_vertex = [vertex[0] * x_factor, vertex[1] * y_factor]
 transformed_vertices.append(transformed_vertex)

x, y = zip(*transformed_vertices)
plt.plot(x, y, marker='o', color='green')
plt.title('Transformed Polygon')
plt.show()

