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#### **College Sangamner**

#### DEPARTMENT OF COMPUTER SCIENCE

**Sub: Mathematics** 

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Demons	trato	r's	
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Date:-	/	/20	

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Title of the expt:Slip no 18	Page.no:	_Class:	BCS

#### Q1) Attempt any TWO of the following

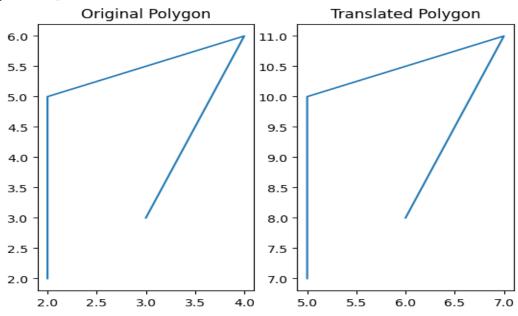
# A ) Write a python program to draw polygon with vertices [3,3],[4,6],[2,5],[2,2] and its translation in X and Y direction using the factors 3,5 respectively $\rightarrow$

```
import matplotlib.pyplot as plt
import numpy as np
vertices = np.array([[3, 3], [4, 6], [2, 5], [2, 2]])
tx = 3
ty = 5
fig, axs = plt.subplots(1, 2)

axs[0].plot(vertices[:, 0], vertices[:, 1])
axs[0].set_title('Original Polygon')

translation_matrix = np.array([[1, 0, tx], [0, 1, ty], [0, 0, 1]])
translated_vertices = np.dot(translation_matrix, np.hstack((vertices, np.ones((len(vertices), 1)))).T).T[:, :-1]

axs[1].plot(translated_vertices[:, 0], translated_vertices[:, 1])
axs[1].set_title('Translated Polygon')
plt.show()
```



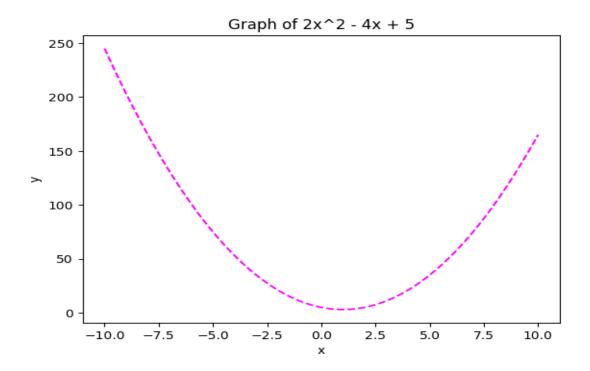
## B ) Write a python program to plot the graph $2x^2\text{-}4x+5$ in [-10,10] in magneta colored dashed pattern

->

```
import matplotlib.pyplot as plt
import numpy as np
def f(x):
    return 2*x**2 - 4*x + 5

x = np.linspace(-10, 10, 1000)
y = f(x)

plt.plot(x, y, color='magenta', linestyle='--')
plt.xlabel('x')
plt.ylabel('y')
plt.title('Graph of 2x^2 - 4x + 5')
plt.show()
```



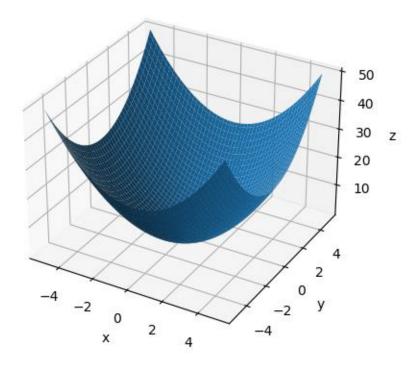
### C ) Write a python program to generate 3D plot of the function $z=x^2+y^2$ in -5<x,y<5 ->

```
import matplotlib.pyplot as plt
from mpl_toolkits import mplot3d
import numpy as np
def f(x, y):
    return x**2 + y**2

x = np.linspace(-5, 5, 100)
y = np.linspace(-5, 5, 100)
X, Y = np.meshgrid(x, y)
Z = f(X, Y)
```

```
\label{eq:fig} \begin{split} &\text{fig} = \text{plt.figure()} \\ &\text{ax} = \text{fig.add\_subplot(111, projection='3d')} \\ &\text{ax.plot\_surface(X, Y, Z)} \\ &\text{ax.set\_xlabel('x')} \\ &\text{ax.set\_ylabel('y')} \\ &\text{ax.set\_zlabel('z')} \\ &\text{ax.set\_title('3D Plot of } z = x^2 + y^2') \\ &\text{plt.show()} \end{split}
```

### 3D Plot of $z = x^2 + y^2$



#### Q2) Attempt any TWO of the following

### $\bf A$ ) Write a python program to generate vector $\bf x$ in the interval [-22,22] using numpy package with 80 subintervals

→ import numpy as np n = 80 x = np.linspace(-22, 22, n+1) print(x)

#### outuput:

```
[-22. -21.45 -20.9 -20.35 -19.8 -19.25 -18.7 -18.15 -17.6 -17.05 -16.5 -15.95 -15.4 -14.85 -14.3 -13.75 -13.2 -12.65 -12.1 -11.55 -11. -10.45 -9.9 -9.35 -8.8 -8.25 -7.7 -7.15 -6.6 -6.05 -5.5 -4.95 -4.4 -3.85 -3.3 -2.75 -2.2 -1.65 -1.1 -0.55
```

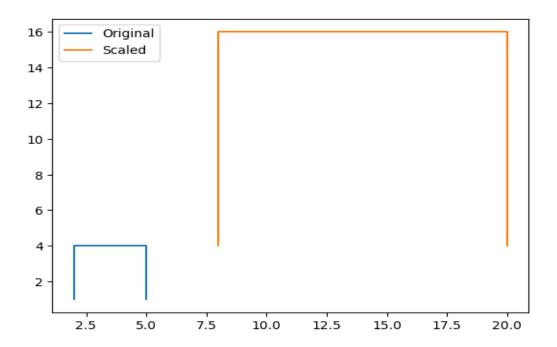
```
0. 0.55 1.1 1.65 2.2 2.75 3.3 3.85 4.4 4.95 5.5 6.05 6.6 7.15 7.7 8.25 8.8 9.35 9.9 10.45 11. 11.55 12.1 12.65 13.2 13.75 14.3 14.85 15.4 15.95 16.5 17.05 17.6 18.15 18.7 19.25 19.8 20.35 20.9 21.45 22. ]
```

### B ) Write a python program to rotate the triangle ABC by 90 degree where A[1,2],B[2,-2] and C[-1,2]

```
->
import numpy as np
A = np.array([1, 2])
B = np.array([2, -2])
C = np.array([-1, 2])
theta = np.pi/2
rot_mat = np.array([[np.cos(theta), -np.sin(theta)],
             [np.sin(theta), np.cos(theta)]])
A_{rot} = np.dot(rot_mat, A)
B_rot = np.dot(rot_mat, B)
C_{rot} = np.dot(rot_{mat}, C)
print("Rotated triangle:")
print("A':", A_rot)
print("B':", B_rot)
print("C':", C_rot)
output:
Rotated triangle:
A': [-2. 1.]
B': [2. 2.]
C': [-2. -1.]
```

### C ) Write a $\,$ python program to plot the rectangle with vertices at [2,1],[2,4],[5,4],[5,1] and its uniform expansion by factor 4

```
fig, ax = plt.subplots()
ax.plot(rectangle[:, 0], rectangle[:, 1], label='Original')
ax.plot(rectangle_scaled[:, 0], rectangle_scaled[:, 1], label='Scaled')
ax.legend()
plt.show()
```



#### Q3) Attempt the following

#### A ) Attempt any ONE of the following

I) Write a python program to solve the following LPP:

$$\begin{array}{ccc} \text{Min} & Z = x + y \\ \text{Subject to} & x \geq 6 \\ & y \geq 6 \\ & x + y \leq 11 \\ & x, y \geq 0 \end{array}$$

->

from scipy.optimize import linprog c = [1, 1]

$$A = [[-1, 0], [0, -1], [1, 1]]$$
  
 $b = [-6, -6, 11]$ 

x\_bounds = (0, None)
y\_bounds = (0, None)
res = linprog(c=c, A\_ub=A, b\_ub=b, bounds=[x\_bounds, y\_bounds])

if res.success:

# Print the results

```
print('Optimal value:', res.fun)
  print('x:', res.x[0])
  print('y:', res.x[1])
else:
  print('No solution found.')
output:
No solution found.
II ) Write a python program to solve the following LPP
         Max Z=2x+3y
         Subject to 5x-y≥0
                       X+y≥6
                       X,y≥0
->
from scipy.optimize import linprog
c = [-2, -3]
A = [[5, -1], [-1, 1]]
b = [0, 6]
x_bounds = (0, None)
y_bounds = (0, None)
res = linprog(c=c, A_ub=A, b_ub=b, bounds=[x_bounds, y_bounds])
print('Optimal value:', -res.fun)
print('x:', res.x[0])
print('y:', res.x[1])
output:
Optimal value: 25.5
x: 1.5
y: 7.5
```

#### B) Attempt any ONE of the following

- I ) Write a python program to find the combined transformation of the line segment between the points A[3,2] and B[2,-3] for the following sequence of transformation
  - A ) Eirst rotation about origin through an angle  $\pi/6$
  - B) Followed by scalin in y coordination by 4 units respectively
  - C ) Followed by reflection through the origin

```
import numpy as np
A = np.array([3, 2])
B = np.array([2, -3])

theta = np.pi/6
R = np.array([[np.cos(theta), -np.sin(theta)], [np.sin(theta), np.cos(theta)]])

S = np.array([[1, 0], [0, 4]])
F = np.array([[-1, 0], [0, -1]])
T = F @ S @ R
A_transformed = T @ A
B_transformed = T @ B

print(f"A': {A_transformed}")

print(f"B': {B_transformed}")

output:
A': [-1.59807621 -12.92820323]
B': [-3.23205081 6.39230485]
```

- II ) Apply each of the following transformation on the point P[3,-1]
  - A) Reflection through Y-axis
  - B) Scaling in X and Y direction by ½ and 3 units respectively
  - C) Sheriang in both X and Y direction by -2 and 4 units respectively
  - D) Rotation about origin by an angle 60 degrees

```
import numpy as np
P = \text{np.array}([3, -1])
F = \text{np.array}([-1, 0], [0, 1]])
P_{\text{transformed}} = F @ P
\text{print}("After Reflection through Y-axis: ", P_{\text{transformed}})
S = \text{np.array}([[0.5, 0], [0, 3]])
P_{\text{transformed}} = S @ P
\text{print}("After Scaling in X and Y direction by \frac{1}{2} and 3 units respectively: ", P transformed)
```

```
H = np.array([[1, -2], [4, 1]])
P_transformed = H @ P
print("After Shearing in both X and Y direction by -2 and 4 units respectively: ",
P_transformed)

theta = np.pi/3 # 60 degrees in radians
R = np.array([[np.cos(theta), -np.sin(theta)], [np.sin(theta), np.cos(theta)]])
P_transformed = R @ P

print("After Rotation about origin by an angle 60 degrees: ", P_transformed)

output:
```

After Reflection through Y-axis: [-3 -1]
After Scaling in X and Y direction by ½ and 3 units respectively: [1.5 -3.]
After Shearing in both X and Y direction by -2 and 4 units respectively: [5 11]
After Rotation about origin by an angle 60 degrees: [2.3660254 2.09807621]