

God help me)

Deadline: 11:59

~~Group 521193~~
Stolyarov FRC/13

1. ~~FF~~ Model 1 (unrestricted):

$$\text{Metrics}_i = \beta_0 + \beta_1 \text{Maths}_i + \beta_2 \text{Linear Algebra}_i + \beta_3 \text{Probability Theory}_i + \beta_4 \text{Statistics}_i + \varepsilon_i$$

Model 2 (restricted: $\beta_1 = 2\beta_4$; $\beta_2 = \beta_3$):

$$\begin{aligned} \text{Metrics}_i &= \beta_0 + 2\beta_4 \text{Maths}_i + \beta_2 \text{Linear Algebra}_i + \beta_2 \text{PT}_i + \beta_4 \text{Stats}_i + \varepsilon_i \\ &= \beta_0 + \beta_4 (2 \text{Maths}_i + \text{Stats}_i) + \beta_2 (\text{LA}_i + \text{PT}_i) + \varepsilon_i \end{aligned}$$

We will ~~esti~~ run both models and calculate their RSS. The null hyp.: $\beta_1 = 2\beta_4$; $\beta_2 = \beta_3$ but researcher wants ~~to reject it~~

$$F(2; N-5) = \frac{(RSS_R - RSS_U)/2}{RSS_U / (N-5)} \quad \leftarrow \text{F-test for linear restriction}$$

num of restr num coefs in unrestr model.

2.

$$\text{COFFEE} = \beta_0 + \beta_1 \cdot \text{Income} + \beta_2 \cdot \text{Winter} + \beta_3 \cdot \text{Spring} + \beta_4 \cdot \text{SUMMER} \quad (\text{X})$$

Income is Income; Winter is a dummy variable
when Season = 1; Spring ^{dummy} = 1 when season = 2,
Summer - dummy and 1 when season = 3,
when Spring + winter + summer = 0 then it is
autumn (to avoid multicollinearity) (1)

"~~if we~~ If ~~we~~ we want to make the model more flexible, then we can do.

~~COT FEE = $\beta_0 + \beta_1 \cdot SPRIN$~~ and INCOME \cdot Spring etc
but it has non-sense & guess

2) So to test linear relationship we can run Ramsey RESET TEST however, I guess we ~~can~~ it means that we should provide a Chow Test (or dummy variable group)

So, we can run ~~for~~ our ~~model~~ or our pooled model and calculate ~~four~~ ^{run} ~~next~~ ^{diff} ~~stat~~ ^{models} ^{for} ^{each} ^{season}

$$F(2; N-4.2) = \frac{[RSS_p - \sum_{i=1}^4 RSS_i]}{\sum_{i=1}^4 RSS_i / (N-4.2)}$$

in pooled model

4 seasons we have 4 ^{separate} ^{models} ^{with} ² ^{vars}

H_0 : There is no joint explan. power of dummies (so the same model for all seasons)
 ~~H_1 : there's a joint explan. power~~
 H_1 : there's a signif. joint explan power of dummies (should run separate regressions)

3. 1) We omit important variable, so our estimators will be biased and ~~the~~ s.e. will be invalid. All tests ~~(t, F)~~ are invalid.
 2) Our friend included ~~an~~ unnecessary variable, so his estimators will be unbiased but less efficient (comparing to the s.e. will be valid, but larger ^(right specific))

~~Our friend~~ Our mistake is more dangerous cause our estim. are biased and ^{their} s.e. invalid, our friend has bad s.e. too, but his ests are unbiased (it is better than biased :))

4. Group 12. "Crime Scars: Recession and the Making of career criminals."

Research quest: Влияет ли состояние рынка труда на уровень преступности (среди ^{спущенных} ^{на работу} ^{несколько} ^{которых} ^{всего})

Используются данные (панельные) о ^{мужчинах} в возрасте до 39 лет ^{данных США и UK}
 Аресты - ^{это} ^{про} ^{проси} ^{для} ^{уровня} ^{преступности}
 (берутся из ^{FB} ^{FB}). Также использовались ^{данные} ^{для} ^{The} ^{UK} ^с ^{судимости}

Проблемы: ^{что я придумал} из-за того, что данные только
в мужчинах может возникнуть bias и
выводы могут оказаться неверными. (amb)
из-за конкр. стран выводы могут оказаться
неверными для других стран