General Instruction

- Submit unzipped files in the Dropbox folder via BeachBoard (Not email or in class).
- 1. Consider Figure 1, and implement a program to answer the query $\vec{P}(C|\neg s, w)$ by using Gibbs (MCMC) sampling. The program should generate 1,000,000 samples to estimate the probability. To answer (a) and (b), you can prepare the answers with scratch paper and print-out the them. However, you have to implement a simulation program to answer (c). Using Jupyter notebook and Submit both html and ipynb.
 - (a) (8 points) Show $\vec{P}(C|\neg s, r), \vec{P}(C|\neg s, \neg r), \vec{P}(R|c, \neg s, w), \vec{P}(R|\neg c, \neg s, w).$
 - (b) (16 points) Show the transition probability matrix $Q \in \mathbb{R}^{4\times 4}$ where q_{ij} = transition probability from S_i to S_j in Figure 2.
 - (c) (20 points) Show the probability of the query $\vec{P}(C|\neg s, w)$
 - (d) Please follow the output format. (Fix precisions using "0:.nf".format)

Part A. The sampling probabilities $P(C|-s,r) = \langle ..., ... \rangle$ $P(C|-s,-r) = \langle ..., ... \rangle$

$$P(R|c,-s,w) = <..., ...>$$

$$P(R|-c,-s,w) = \langle \ldots, \ldots \rangle$$

Part B. The transition probability matrix

	S1	S2	S3	S4
S1				
S2			•	
S3	•	•	•	
S4		•		

Part C. The probability for the query

$$P(C|-s,w) = \langle \ldots, \ldots \rangle$$

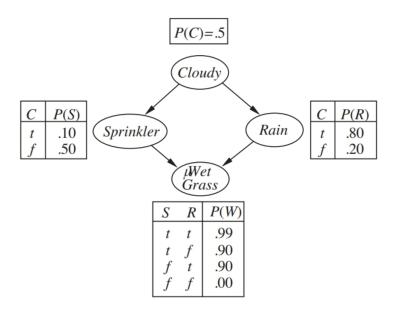


Figure 1: A multiply connected network with conditional probability tables

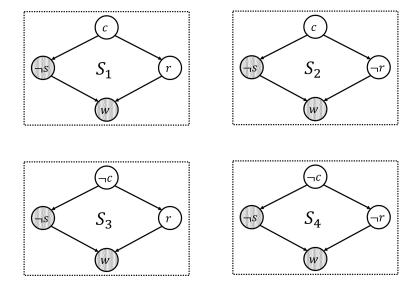


Figure 2: Possible states diagram