

· 平行投影: parallel projection: 所有投影线平行

正交: Orthographic: 不仅平行, 且垂直于投影平面

If COP far away & zoom in (focal length ↑), getting close to parallel perspective.

· Scaled Orthographic or 'Weak Perspective': 先正交, 后 normal scaling. · Spherical Projection: close to eye

And it doesn't depend on focal length: Blurry

· Aperture too large & too small (less light & Diffraction)

·  $\frac{1}{d_o} + \frac{1}{d_i} = \frac{1}{f}$  · Aperture ↓, Depth of Field ↑, need more Exposure; F-num =  $\frac{\text{focal-length}}{\text{aperture diameter}}$   $\propto$  DOF

· FOV: Field of view.  $f \uparrow$ , FOUV

· Lens Flaws: ① Chromatic Aberration 色差: 不同

λ 不同折射率 (edge 处明显) ② Center & Fringe 边缘折射率不同. ↗ Pin cushion: 放大:  $c < f$ ; ↘ Barrel: >

· Metamer: 同色异谱 Cone 捕获 color 亮度, produce one number

Bayer Grid: 1 B 1 R  $\Rightarrow$  G · Pupil: Aperture Retina: Film

RGB Cube Space: Gray: 对角线; Hue: 纯 Gray Diag 角度; Saturation: 到 Gray Diag 距离 Trichromatic, people 3 kinds of cones with

Lambertian Reflectance Model (cloth, concrete)

$$I = I_{\text{source}} \cdot p \cdot (\bar{N} \cdot \bar{L}) \quad (\cos \theta) \rightarrow G[0,1]$$

More white Balance: ① Power-law:  $S = C \cdot r^r$

② Negative:  $S = 1 - r$  ③ Contrast Stretch: ↗

④ Log:  $S = c \cdot \log(1+r)$  ⑤ Image Histogram

$$S = 255 \times \text{CDF}(r), r \in [0, 255], \text{CDF}(r) \in [0, 1]$$

Nyquist Theorem: fsampling > 2 fmax

To handle wiggly image, can try to get rid of high freq.

Conv:  $G[i,j] = \sum_{u=-k}^k \sum_{v=-k}^k H[u,v] F[i-u, j-v], G = H * F$

$$ax \cdot b = b \cdot ax, ax \cdot (bc) = (ax) \cdot bc, ax \cdot (b+cc) = ax \cdot b + ax \cdot cc \\ ax \cdot b = a \cdot (ax \cdot b), \text{unit impulse } e: ax \cdot e = a; \sqrt{2}$$

Conv twice with Gaussian with width 6  $\Leftrightarrow$  once with 12

Image Pyramid: Gaussian Blur, and downsample.

Filter size should double for each 1/2 reduction.  $\Leftrightarrow$  (Filter size 与去除高频 range 呈正比例)

Partial results 起来坚  $\Rightarrow$  operator 横向邻域 In CSIRO

$$\frac{\partial(h* f)}{\partial x} = (\partial h / \partial x) * f; \text{Kernel sum: 1; Conv Flip}$$

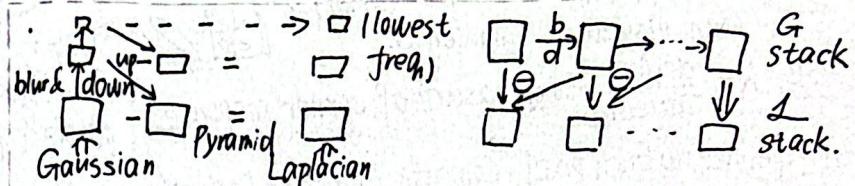
Image - Smoothed = Detail:  $f + a \cdot cf - f \cdot fg$  !!!

Def: Unit impulse - Gaussian = Laplacian of Gaussian

$$FT: F(w) = \int_{-\infty}^{+\infty} f(x) e^{-iwx} dx, f(x) = \frac{1}{2\pi} \int_{-\infty}^{+\infty} F(w) e^{iwx} dw$$

$$F[q * h] = F[q] F[h], F^{-1}[gh] = F^{-1}[q] + F^{-1}[h]$$

Spatial: box Gauss sinc  
Freq: values  $\downarrow$  So box is worse than Gauss



collapse: Pyramid:  $I_i = \text{Lit Up sample}(I_{i+1})$ ; Stack:  $\# \# \#$

Template match:  $\sum_{k,l} (g[k,l] - \bar{g})(f[m+k, n+l] - \bar{f}_{m,n})$   
 $h[m,n] = \left[ \sum_{k,l} (g[k,l] - \bar{g}) \sum_{k,l} (f[m+k, n+l] - \bar{f}_{m,n}) \right]^{0.5}$

Slowest, invariant to local average intensity & contrast

"Median" Filter to eliminate salt & pepper  $\Rightarrow$  non-linear, time consuming, but very good. (More robust)

$$\begin{bmatrix} x' \\ y' \end{bmatrix} = \begin{bmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{bmatrix} \begin{bmatrix} x \\ y \end{bmatrix} \quad \text{左旋}; \begin{bmatrix} x' \\ y' \end{bmatrix} = \begin{bmatrix} 1 & \sin \theta \\ \sin \theta & 1 \end{bmatrix} \begin{bmatrix} x \\ y \end{bmatrix} \quad \text{右旋}$$

Linear Transformation · Scale · Rotate · Shear · Mirror/Reflection  
 $\Rightarrow$  can use  $2 \times 2$  matrix to represent

Affine: Linear and translation:  $\begin{bmatrix} a & b & c \\ d & e & f \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ w \end{bmatrix} = \begin{bmatrix} x' \\ y' \\ w \end{bmatrix}$   
parallel lines 仍平行, 2D 中 3D 两个 triangle 变成 affine 过去

Projective transformation: Affine and Projective warp  
平行线不必平行, ratios are not preserved (Affine: are)

DOF: Affine: 6 Projective: 8 Loss of detail

Bilinear Interpolation: Inverse instead of Splatting

$$c(x,y) = ed(c(x_1, y_1) + gf(c(x_2, y_1) + bc(c(x_3, y_3) + ah(c(x_4, y_4)$$

Mosaic: Plenoptic Function (全光函数) 描述了一个特定观察点, 在任意时间和方向上能看到的任意波长光的强度

$$P(\theta, \phi, \lambda, t, V_x, V_y, V_z)$$

As long as COP don't move, can合成 any camera view who shares the same COP. But can loss 深度信息 (Geometry). Depth info need Multi-view (parallax).

Perspective distortion: "scale": line parallel to image foreshortening: line or surface not parallel to image

$$A = \begin{bmatrix} x & y & 1 & 0 & 0 & 0 & -x \cdot x_p & -y \cdot x_p \\ 0 & 0 & 0 & x & y & 1 & -x \cdot y_p & -y \cdot y_p \end{bmatrix}, h = \begin{bmatrix} h_{11} \\ h_{12} \\ h_{13} \\ h_{21} \\ h_{22} \\ h_{23} \end{bmatrix}, b = \begin{bmatrix} x_p \\ y_p \end{bmatrix}$$

$$(x, y, 1)^T H (x_p, y_p, 1) \Rightarrow 4 pairs, \min \|Ah - b\|_2^2$$

$$h^* = (A^T A)^{-1} A^T b$$

$$\text{Harris Corner: } E(u, v) = \sum_{(x, y) \in \text{EW}} [I(x+u, y+v) - I(x, y)]^2$$

$$u, v \text{ 小: } E(u, v) = \sum_{(x, y) \in \text{EW}} [u \ v] \begin{bmatrix} I_x^2 & I_x I_y \\ I_x I_y & I_y^2 \end{bmatrix} \begin{bmatrix} u \\ v \end{bmatrix}$$

$$\text{Let } M = \sum_{(x,y) \in W} \begin{bmatrix} I_x & -I_x I_y \\ I_x I_y & I_y^2 \end{bmatrix} = R^{-1} \begin{bmatrix} \lambda_1 & 0 \\ 0 & \lambda_2 \end{bmatrix} R$$

~~(X)~~  $a = (\lambda_{\max})^{-1/2}$      $b = (\lambda_{\min})^{-1/2}$

Can visualize gradients.

Use  $R = \frac{\det M}{\text{trace} M}$  to measure of corner response

Pipeline: ① Each pixel: Compute Gaussian Derivative

② Each pixel: Frame window and compute  $M$

③ Compute  $R$  ④ Threshold  $R$  ⑤ Find local maxima

For window size: choose one of the best corner (R)

Harris:  $R$  invariant to rotation, partial invariant to intensity change (scale & shift)

ANMS: For point set  $P$ ,  $p_i \in P$ . compute  $r_i$ :

$$r_i = \min_{P_j \in P, j \neq i} \|P_j - P_i\|_2, \text{ then sort top-k points}$$

Match:  $\rightarrow \theta$  orientation, 40x40 patch, blur, downsample to 5x5

$$\text{normalize: } z = \frac{x - \mu}{\sigma} \Rightarrow \text{Descriptor}$$

Then two points' Descriptor's L2 distance:

Smaller, the better.

$$\text{Lowe: } \frac{1 - \text{NN dist}}{2 - \text{NN dist}} < \epsilon \quad \text{② Compute } H_i / (p_i^T H p_i)$$

③ Find inliers:  $\text{dist} < \epsilon$  ④ Keep largest set of inliers

⑤ Recompute  $H$  with these

Ransac: Loop: ① Select four pairs (Random)

World obj extrinsic camera intrinsic image

$$\text{Max my: pixel/mm, } \{M_i = M_{xf} \frac{x_c}{z_c} + O_x = f_x \frac{x_c}{z_c} + O_x\}$$

$$(O_x, O_y): \text{Image Sensor } V_i = m_y f \frac{y_c}{z_c} + O_y = -f_y \frac{y_c}{z_c} + O_y$$

origin 左上. 但 Image plane origin 右下

Intrinsic matrix:  $\begin{bmatrix} y \\ 1 \end{bmatrix} = \begin{bmatrix} f_x & 0 & O_x \\ 0 & f_y & O_y \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ z \\ 1 \end{bmatrix}$ , Ex:  $\begin{bmatrix} R_{3 \times 3} & t_{3 \times 1} \\ 0_{1 \times 3} & 1 \end{bmatrix} \in \mathbb{R}^{4 \times 4}$

$$R \in \mathbb{R}^{3 \times 3} \text{ or } R \in \mathbb{R}^{3 \times 4}$$

$$R^{3 \times 4} = [R \ H]$$

$$DOF: In: 4 + 1 (skew) Ex: 6$$

Camera Calibrated: In/Extrinsic Matrix known.

$$\begin{array}{c} \triangle \quad | \\ - \quad | \end{array} \quad \frac{B - (u_l - u_r)}{z - f} = \frac{B}{z}, z = \frac{-B}{u_l - u_r}$$

Disparity

Parallax: Disparity caused by eyes

Dense Depth Corresponding search: left image;

For each epipolar (平行线): For each pixel/window in

Compare with every pixel/window on same epipolar in right

Pick position with minimum cost (SSD correlation).

Window size: small: lack sufficient intensity variation

big: contain pixels with different depth!!

补充:

Pixel:  $\rightarrow (a, b)$  but center is actually  $(a+0.5, b+0.5)$

Rigid:  $\begin{bmatrix} \cos \theta & -\sin \theta & tx \\ \sin \theta & \cos \theta & ty \\ 0 & 0 & 1 \end{bmatrix}$  Similarity:  $\begin{bmatrix} S \cdot \cos \theta & -S \cdot \sin \theta & tx \\ S \cdot \sin \theta & S \cdot \cos \theta & ty \\ 0 & 0 & 1 \end{bmatrix}$

DOF: 3↑ 4↑

被观察物体是一个平面，则无论 camera 向任何角度拍出来的两个视图之间都可以一个  $3 \times 3$  Homography 关联

def pyramid(A, B, base) = 15.

$A, B, (0, 0), \text{delta}$

$h, w = A.\text{shape}$ . If  $\min(h, w) < \text{base}$  return align

$\text{dim} = (w/2, h/2)$ ,  $A-S, B-S = \text{resize}(A.\text{dim}), \text{resize}(B.\text{dim})$

Sub-result = Pyramid(A-S, B-S)

return align(A, B, origin=2xSub-result, delta=1)

$$\text{NCC}(a, b) = \text{dot} \left( \frac{a - \text{mean}(a)}{\|a - \text{mean}(a)\|_2}, \frac{b - \text{mean}(b)}{\|b - \text{mean}(b)\|_2} \right)$$

def Conv(img, kernel):  $H, W = \text{img}.\text{shape}$ .

padded = np.pad(image, (kernel[0]/2, kernel[1]/2)).

output = np.zeros\_like(image)

kernel = np.flipud(np.fliplr(kernel)).

for i in range(H) for j in range(W):

window = padded[i:i+kernel.shape[0], j:j+kernel.shape[1]]

output[i,j] = np.sum(window \* kernel)

$k = (k^A * mk + k^B * (1-mk))$ ,  $mk$  ~~是~~ 是 Gaussian Stack

homo = np.stack(coord[0], coord[1], np.ones(coord.shape[0]))

source = homo @ H\_inv, source = [source/source[1:2]]/[1:1]

sour-x = source[:, 0], sour-y = source[:, 1]

$x_0 = \text{np.floor}(sour-x).astype(int)$ ,  $y_0 \dots$

$x_1 = x_0 + 1, y_1 = y_0 + 1, wa = (x_1 - sour-x)(y_1 - sour-y)$

$I_a = Im[x_0, y_0], \text{interpol} = wa \cdot I_a + \dots$

im.warped[coord[0], coord[1]] = interpol

Feather: mask = cv2.CvtColor(image, cv2.COLOR\_BGR2GRAY) > 0

mask = mask.astype(uint8) \* 255

dist = cv2.distanceTransform(mask, cv2.DIST\_L2)

weights = dist/dist.max()

anms: for i in range(num-corners):

mask = h\_scores > 0.9 \* h\_scores[i]

$L_2 = \text{np.sum}((\text{coord}[mask] - \text{coord}[i])^2, \text{axis}=1)$

radius[i] = np.min(L2). return np.argsort(radius)[::-1][::n\_ip]

Feather mix: numerator, denominator = np.zeros((out\_H, out\_W, 3))

for i in range(num-images):  $H_{final} = T @ \text{homo-list}[i]$

warped-image = BilinearWarp(images[i], H\_final, out\_H, out\_W)

weight<sub>mask</sub> = createFeather(warped-image).

numerator += warped-image \* weight<sub>mask</sub>[:, :, np.newaxis]

denominator += weight<sub>mask</sub>[:, :, np.newaxis]

panorama = numerator / denominator



· Small diff in input, but output can be very diff:

$$\Rightarrow PE(x) = [x \sin(2^\circ \pi x), \cos(2^\circ \pi x)]$$

· Render. Multi-plane Image

$$\text{Alpha Blend: } I = C_{\text{alpha}} + C_{\text{background}}(1 - C_{\text{alpha}})$$

$$\Rightarrow I = \sum_{i=1}^D C_i d_i T_{i,j}^{i-1} (1 - \alpha_j)$$

$$\text{For ray } r(t) = 0 + td \quad \text{从远到近, 逐层盖上}$$

$$C(\text{color}) = \sum_{i=1}^n T_i d_i C_i, \text{ where:}$$

$$T_i = T_{i,j}^{i-1} (1 - \alpha_j) \leftarrow \begin{array}{l} \text{How much light} \\ \text{leak through} \end{array}$$

$$\text{Accounts for occlusion} \quad \text{How much light}$$

$$\alpha_i = 1 - \exp(-\alpha_i \cdot d_i) \leftarrow \text{by segment } i$$

$$\delta_i \text{ is the step size}$$

- Texture · Julesz Conjecture:

Texture can't be spontaneously discriminated if they have same first order and second order statistics of texton and differ only in third or higher order statistics.

· Texture Representation OLM

Filter Bank for 图像特征提取

② 表示方法: 各种类型直方图

a. Pixel: 统计灰度值, 差, 特征

b. Filter response: 捕捉纹理

c. Joint vs Marginal: 需要大量数据帮助特征低 vs. 需要特征独立

· Bag of Visual Words ① 从图像提

取大量局部图像块 (patches)

③ 定义构建: clustering

④ 向量量化: cluster 中为视觉单词

⑤ 直方图表示

GAN: Reconstruction + fool

false img detector.

$$(D_{\text{full}}: \arg \max_{\mathcal{P}} \mathbb{E}_{x,y} [\log D(G(x)) + \log (1 - D(y))])$$

Conditional GAN:  $D(x, y)$  判断

$(x, y)$  pair 是否真实  $D(x, y|y)$

$$\arg \min_{G} \max_{D} \mathbb{E}_{x,y} [\log D(x, G(x)) + \log (1 - D(x, G(x)))]$$

不仅看输出 img 是否逼真 还看是否与 input 匹配

- Generative, flow matching and Diff

认为小部分有意义图片位于巨大图像空间中特定的流形 (manifold)

· Parametric Texture Synthesis bank

① Convolve input & noise with filter

② Match per-channel histograms

指强制隔壁噪声 Filter 响应直使其直方图与目标纹理一致

③ Collapse Pyramid and Repeat.

Diffusion PNN 预测噪声而后去噪

Flow Matching.

· Flow / Velocity Field.

Riding the river: Integration.

希望学速度场  $v_t(x)$ , 通过在速度场中 flow 将噪声分布变为更本图分布

· 不学位置映射  $s_t(x)$  而学速度场  $v_t(x)$ . (我往哪个方向走, 速度多少).

· Construct  $x_t$ :  $x_t = a_t x_0 + g_t v_t$

$x_0 \sim p(x)$   $x_t \sim p(x)$ , 则:

$$\frac{dx_t}{dt} = x_t - x_0, \text{ 故 loss: } \boxed{\text{内层}} \quad \boxed{\text{外层}}$$

$$\mathbb{E}_{t,x_0,x} [\|u_t^0(x_t) - (x_t - x_0)\|^2]$$

$$x_t + dt = x_t + dt \cdot \frac{dx}{dt} \Big|_{x_0, t}$$

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